assignment4

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Assignment 4 - NumPy and Plotting

Python Programming Lab

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[2]: import numpy as np
```

1 Exercise 1.

1.1 a) Using the list comprehension technique generate the NumPy array

1.2 b) Extract a sub matrices of order 4×3 and 4×5 from the above matrix A and name them as B and C.

1.3 c) Extract the submatrix

1.4 d) Generate random integer matrices $E_{3\times3}$, $F_{5\times3}$ with entries between 10 and 60 and G a random matrix containing 5 elements.

```
[7]: E = np.random.randint(10, 60, size=(3,3))
    print(E)

[[49 47 50]
    [39 23 44]
    [12 23 49]]

[8]: F = np.random.randint(10, 60, size=(5,3))
    print(F)

[[47 51 19]
    [53 56 53]
    [15 35 54]
    [18 46 35]
    [45 56 17]]

[9]: G = np.random.rand(5)
    print(G)
```

[0.00371302 0.30494738 0.74175373 0.2653716 0.8379159]

1.5 e) Compute the matrix $H = BF^TC + G$. While evaluating the product use appropriate product such as matrix product and dot product wherever applicable.

```
570608.8379159 ]
[214928.00371302 418608.30494738 432796.74175373 469336.2653716 604032.8379159 ]
[225997.00371302 435942.30494738 446394.74175373 483069.2653716 621098.8379159 ]]
```

1.6 f) Round the entries of H to two decimal points and then find the square root of these elements and store the resultant into HS.

```
[11]: HS = np.sqrt(np.round(H, 2))
print(HS)

[[427.93106922 607.08343743 627.09707383 655.22917365 744.48024823]
[439.87725561 620.4130076 637.35762332 665.17987793 755.38655005]
[463.60327868 646.99945904 657.87289046 685.08121416 777.19549664]
[475.39141768 660.25926726 668.12778718 695.03184819 788.09824261]]
```

1.7 g) Find the inverse of the matrix, eigenvalues and eigenvectors of the matrix E.

```
[12]: E_inv = np.linalg.inv(E)
    E_evalues, E_evectors = np.linalg.eig(E)

print(f'Inverse Matrix :{E_inv}')
print(f'\n\nEigen Values :{E_evalues}')
print(f'\n\nEigen Vectors :{E_evectors}')

Inverse Matrix :[[-0.00406131    0.04071903 -0.03241983]
    [    0.04884164 -0.06360362    0.00727504]
    [-0.02193106    0.01988275    0.0249329 ]]

Eigen Values :[107.25734632    24.5126334    -10.76997972]

Eigen Vectors :[[-0.75460484 -0.72042895    0.47413878]
    [-0.54224606 -0.29324745 -0.84942343]
    [-0.36951421    0.62848076    0.23167272]]
```

1.8 h) Find the row-wise and column-wise sum and product of the elements of the matrix $(ED^T)^TF^T$.

```
[15]: matrix = ((E@D.T).T)@F.T

col_sum = np.sum(matrix, axis=0)

row_sum = np.sum(matrix, axis=1)

col_prod = np.prod(matrix, axis=0)
```

```
row_prod = np.prod(matrix, axis=1)

print(f'Row wise sum: {row_sum}')
print(f'Column wise sum: {col_sum}')
print(f'Row wise product: {row_prod}')
print(f'Column wise product: {col_prod}')
```

Row wise sum: [3115420 2781400]

Column wise sum: [1190500 1605430 968940 937800 1194150] Row wise product: [-834538870497166848 3590099011828555776]

 ${\tt Column\ wise\ product:}\ [353121246900\ 642297922000\ 234030492800\ 219185477900$

355285078400]

1.9 i) Is the matrices E, F are broadcastable? If Yes, what is the shape of the resultant matrix? If No, give the reason.

```
[16]: E*F
```

```
ValueError Traceback (most recent call last)
Cell In[16], line 1
----> 1 E*F

ValueError: operands could not be broadcast together with shapes (3,3) (5,3)
```

1.9.1 E and F are not broadcastable

Because the shapes of the matrices are different

1.10 j) Provide the Python command to generate a matrix of order $4\times3\times5\times3$ by appropriately reshaping the matrices C,E,F and adding them.

```
[17]: C_reshaped = np.reshape(C,(4,1,5,1))
E_reshaped = np.reshape(E,(1,3,1,3))
F_reshaped = np.reshape(F,(1,1,5,3))
result = C_reshaped + E_reshaped + F_reshaped
print(result.shape)
print(result)
```

- [127 114 132]
- [109 113 153]
- [122 134 144]
- [159 154 136]]
- [[84 99 93]
- [100 114 137]
- [82 113 158]
- [95 134 149]
- [132 154 141]]]
- [[[122 124 95]
 - [138 139 139]
 - [120 138 160]
 - [133 159 151]
 - [170 179 143]]
- [[112 100 89]
- [128 115 133]
- [110 114 154]
- [123 135 145]
- [160 155 137]]
- [[85 100 94]
- [101 115 138]
- [83 114 159]
- [96 135 150]
- [133 155 142]]]
- [[[124 126 97]
 - [140 141 141]
 - [122 140 162]
 - [135 161 153]
 - [172 181 145]]
- [[114 102 91]
- [130 117 135]
- [112 116 156]
- [125 137 147]
- [162 157 139]]
- [[87 102 96]
- [103 117 140]
- [85 116 161]
- [98 137 152]
- [135 157 144]]]

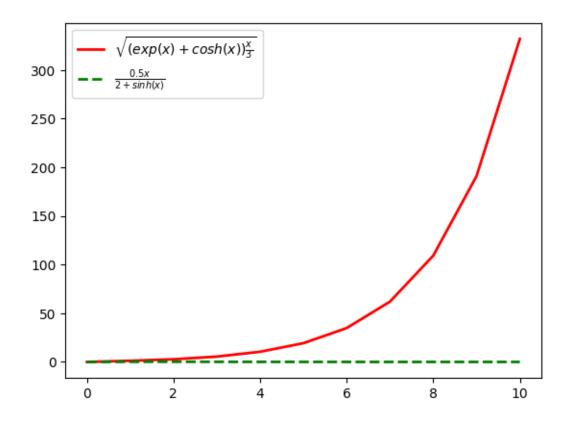
```
[[[125 127 98]
         [141 142 142]
        [123 141 163]
        [136 162 154]
        [173 182 146]]
       [[115 103 92]
        [131 118 136]
         [113 117 157]
         [126 138 148]
        [163 158 140]]
       [[ 88 103 97]
        [104 118 141]
        [ 86 117 162]
        [ 99 138 153]
        [136 158 145]]]]
[18]: import matplotlib.pyplot as plt
```

2 Exercise 2.

```
[19]: x = [j for j in range(11)]
f = [np.sqrt(((np.exp(i)+np.cosh(i))*i)/3) for i in range(11)]
g = [ ((0.5*k)/(2 + np.sinh(k))) for k in range(11)]

fig, ax = plt.subplots()
ax.plot(x, f, "red", linewidth = '2', \( \text{ax.plot}(x, f, \text{"red", linewidth = '2', \( \text{ax.plot}(x, g, \text{"green", linewidth = '2', linestyle = 'dashed', label=r'$\frac{0.}{\text{45x}{2+\sinh(x)}}')
plt.legend()
```

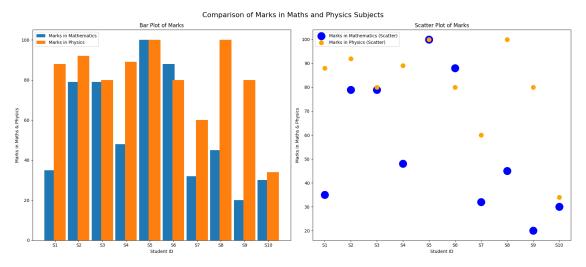
[19]: <matplotlib.legend.Legend at 0x173e97a6a20>



3 Exercise 3.

```
[20]: students = ["S1", "S2", "S3", "S4", "S5", "S6", "S7", "S8", "S9", "S10"]
      marks_in_maths = [35, 79, 79, 48, 100, 88, 32, 45, 20, 30]
      marks_in_physics = [88, 92, 80, 89, 100, 80, 60, 100, 80, 34]
      bar_width = 0.2
      index = np.arange(len(students))
      fig, (ax1, ax2) = plt.subplots(ncols=2, figsize=(18, 8))
      ax1.bar(index - bar_width, marks_in_maths, width=0.5, label='Marks in_

→Mathematics')
      ax1.bar(index + bar_width, marks_in_physics, width=0.5, label='Marks in_
       ⇔Physics')
      ax1.set_xticks(index)
      ax1.set_xticklabels(students)
      ax1.set_xlabel("Student ID")
      ax1.set_ylabel("Marks in Maths & Physics")
      ax1.set_title("Bar Plot of Marks")
      ax1.legend()
```



[]: