



# DEPARTMENT OF COMPUTER SCIENCE & ENGINEERING

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## Experiment 4

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**Subject Name:** ADBMS

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**1. Consider a relation R having attributes as R(ABCD), functional dependencies are given below:**

**AB→C, C→D, D→A**

Identify the set of candidate keys possible in relation R. List all the set of prime and non-prime attributes.

**Ans:** Closure Property: -

$AB^+ = \{A, B, C, D\}$

$BC^+ = \{B, C, D, A\}$

$AC^+ = \{A, C, D\}$

$BD^+ = \{B, D, C, A\}$

$C^+ = \{C, D, A\}$

$D^+ = \{D, A\}$

Thus, Candidate Keys = {AC, BC, BD}

Prime Attributes = {A, B, C, D}

Non-Prime Attributes = {Phi}

This is in 3NF form because every dependent (RHS) is a prime attribute, but not BCNF because attribute C, D are not SuperKey.

**2. Relation R(ABCDE) having functional dependencies as:**

**A→D, B→A, BC→D, AC→BE**

Identify the set of candidate keys possible in relation R. List all the set of prime and non-prime attributes.

**Ans:** Closure Property: -

$AC^+ = \{A, C, B, E, D\}$

$AB^+ = \{A, B, D\}$

$BC^+ = \{B, C, D, A, E\}$

$A^+ = \{A, D\}$   
 $B^+ = \{B, A\}$

Thus, Candidate Keys =  $\{AC, BC\}$   
Prime Attributes =  $\{A, C, B\}$   
Non-Prime Attributes =  $\{D, E\}$

This is a 1NF because the attribute non-multivalued. It's not a 2NF because the dependent D (non-prime) is determined by a prime.

**3. Consider a relation R having attributes as R(ABCDE), functional dependencies are given below:**

**$B \rightarrow A, A \rightarrow C, BC \rightarrow D, AC \rightarrow BE$**

Identify the set of candidate keys possible in relation R. List all the set of prime and non-prime attributes.

**Ans:** Closure Property: -

$B^+ = \{B, A, C, E, D\}$   
 $A^+ = \{A, C, B, E, D\}$

Thus, Candidate Keys =  $\{A, B\}$   
Prime Attributes =  $\{A, B\}$   
Non-Prime Attributes =  $\{C, D, E\}$

This is a BCNF because the attributes A, B are single attribute Candidate Keys, thus any other attribute forming a key with them will become a SuperKey.

**4. Consider a relation R having attributes as R(ABCDEF), functional dependencies are given below:**

**$A \rightarrow BCD, BC \rightarrow DE, B \rightarrow D, D \rightarrow A$**

Identify the set of candidate keys possible in relation R. List all the set of prime and non-prime attributes.

**Ans:** Closure Property: -

$A^+ = \{A, B, C, D, E\}$   
 $B^+ = \{B, C, D, E, A\}$   
 $D^+ = \{D, A, B, C, E\}$

Thus, Candidate Keys =  $\{A, B, D\}$   
Prime Attributes =  $\{A, B, D\}$   
Non-Prime Attributes =  $\{C, E\}$

This is a BCNF because the A, B, D are Candidate Keys, thus, any other attribute forming a key with them will eventually make it a SuperKey.