

warmXtrophic Project: Greenup Analyses

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Script Details:

```
# Clear all existing data
rm(list = ls())

# Load packages
library(tidyverse)
library(ggplot2)
library(lmerTest)
library(olsrr)
library(predictmeans)
library(car)
library(fitdistrplus)
library(ggpubr)
library(rstatix)
library(vegan)
library(interactions)
library(sjPlot)
library(effects)
library(glmmTMB)
library(bbmle)
library(emmeans)
# install.packages('TMB', type='source')

# Get data
L1_dir <- Sys.getenv("L1DIR")
L2_dir <- Sys.getenv("L2DIR")
greenup <- read.csv(file.path(L2_dir, "greenup/final_greenup_species_L2.csv"))
greenup <- greenup %>% select(-X) # get rid of 'X' column that shows up
greenupp <- read.csv(file.path(L2_dir, "greenup/final_greenup_plot_L2.csv"))
greenupp <- greenupp %>% select(-X) # get rid of 'X' column that shows up

# Set ggplot2 plots to bw: see here for more options:
# http://www.sthda.com/english/wiki/ggplot2-themes-and-background-colors-the-3-elements
theme_set(theme_bw(base_size = 14))
# check variable types
str(greenup)

## 'data.frame':    2026 obs. of  18 variables:
## $ site          : chr  "kbs" "kbs" "kbs" "kbs" ...
## $ plot          : chr  "A1" "A1" "A1" "A1" ...
## $ year          : int   2016 2017 2018 2019 2020 2016 2017 2016 2017 2018 ...
```

```
## $ species      : chr "Acmi" "Acmi" "Acmi" "Acmi" ...
## $ spp_half_cover_date: int 197 101 122 120 127 88 108 97 99 127 ...
## $ min_green_date  : int 81 80 122 120 107 81 108 85 80 127 ...
## $ treatment_key   : chr "A0" "A0" "A0" "A0" ...
## $ state           : chr "ambient" "ambient" "ambient" "ambient" ...
## $ insecticide      : chr "no_insects" "no_insects" "no_insects" "no_insects" ...
## $ scientific_name  : chr "Achillea millefolium" "Achillea millefolium" "Achillea millefolium" "A
## $ common_name      : chr "common yarrow" "common yarrow" "common yarrow" "common yarrow" ...
## $ USDA_species     : chr "ACMI2" "ACMI2" "ACMI2" "ACMI2" ...
## $ LTER_species     : chr "ACHMI" "ACHMI" "ACHMI" "ACHMI" ...
## $ origin           : chr "Native" "Native" "Native" "Native" ...
## $ group            : chr "Dicot" "Dicot" "Dicot" "Dicot" ...
## $ family           : chr "Fabaceae" "Fabaceae" "Fabaceae" "Fabaceae" ...
## $ duration         : chr "Biennial" "Biennial" "Biennial" "Biennial" ...
## $ growth_habit     : chr "Forb" "Forb" "Forb" "Forb" ...
```

```
# Order warm and ambient so that warm shows up first in
# plotting (and is default is red = warm; blue = ambient).
# First make it a factor.
```

```
greenup$state <- as.factor(greenup$state)
levels(greenup$state)
```

```
## [1] "ambient" "warmed"
```

```
greenup$state <- factor(greenup$state, levels(greenup$state)[c(2,
1)])
levels(greenup$state)
```

```
## [1] "warmed" "ambient"
```

```
greenup$state <- as.factor(greenup$state)
levels(greenup$state)
```

```
## [1] "ambient" "warmed"
```

```
greenup$state <- factor(greenup$state, levels(greenup$state)[c(2,
1)])
levels(greenup$state)
```

```
## [1] "warmed" "ambient"
```

```
# adding sequential year variable starting at 1: this is
# because 2016... are large numbers compare with other values
# in the dataset. We can always label axes with these real
# years.
```

```
greenup$year_factor[greenup$year == 2016] <- 1
greenup$year_factor[greenup$year == 2017] <- 2
greenup$year_factor[greenup$year == 2018] <- 3
greenup$year_factor[greenup$year == 2019] <- 4
greenup$year_factor[greenup$year == 2020] <- 5
```

```
greenup$year_factor[greenup$year == 2016] <- 1
greenup$year_factor[greenup$year == 2017] <- 2
greenup$year_factor[greenup$year == 2018] <- 3
greenup$year_factor[greenup$year == 2019] <- 4
greenup$year_factor[greenup$year == 2020] <- 5
```

```
# create dataframes for kbs and umbs - remember that these
# contain species within plots
green_kbs <- subset(greenup, site == "kbs")
green_umbs <- subset(greenup, site == "umbs")

green_kbsp <- subset(greenupp, site == "kbs")
green_umbsp <- subset(greenupp, site == "umbs")
```

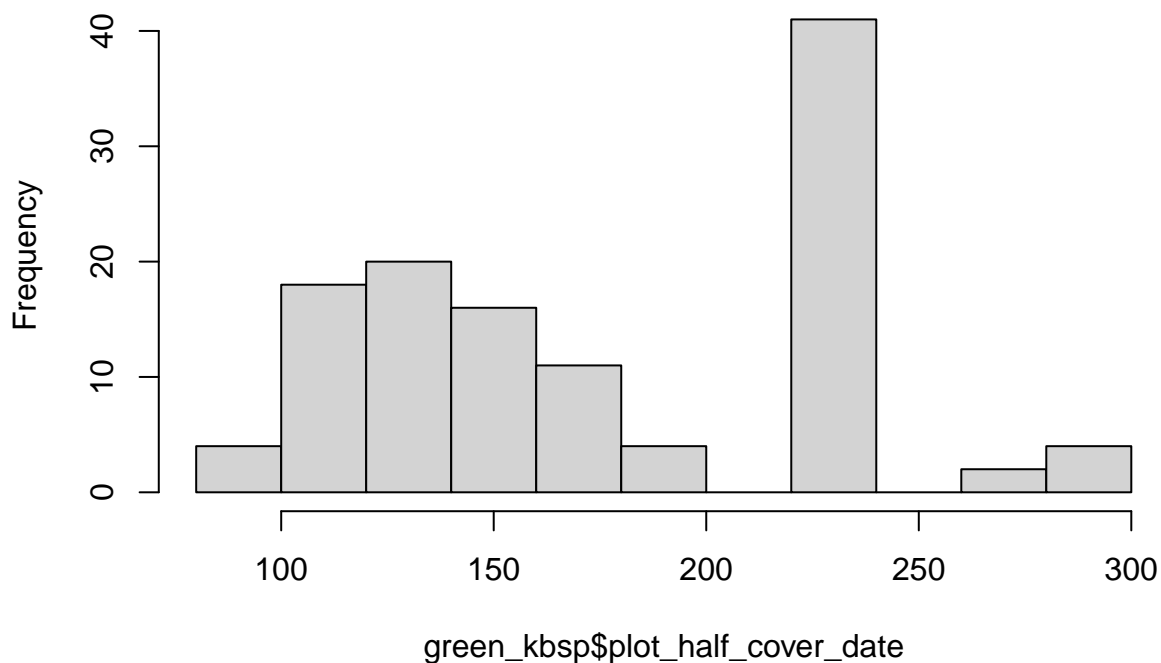
Data Exploration: are there differences between warmed vs. ambient plots when we account for species?

Starting with KBS

First, checking for normality in raw data. It's not going to tell you about normality once you fit a model to these data - that's when you really need to investigate the residuals.

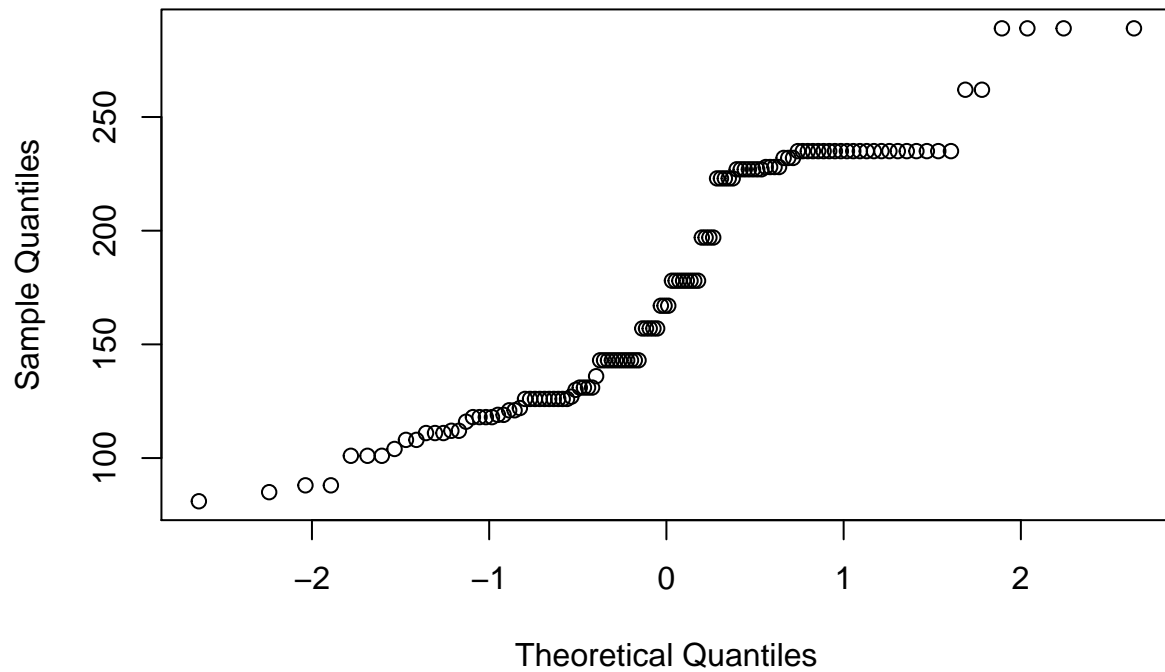
```
hist(green_kbsp$plot_half_cover_date)
```

Histogram of green_kbsp\$plot_half_cover_date



```
qqnorm(green_kbsp$plot_half_cover_date)
```

Normal Q-Q Plot



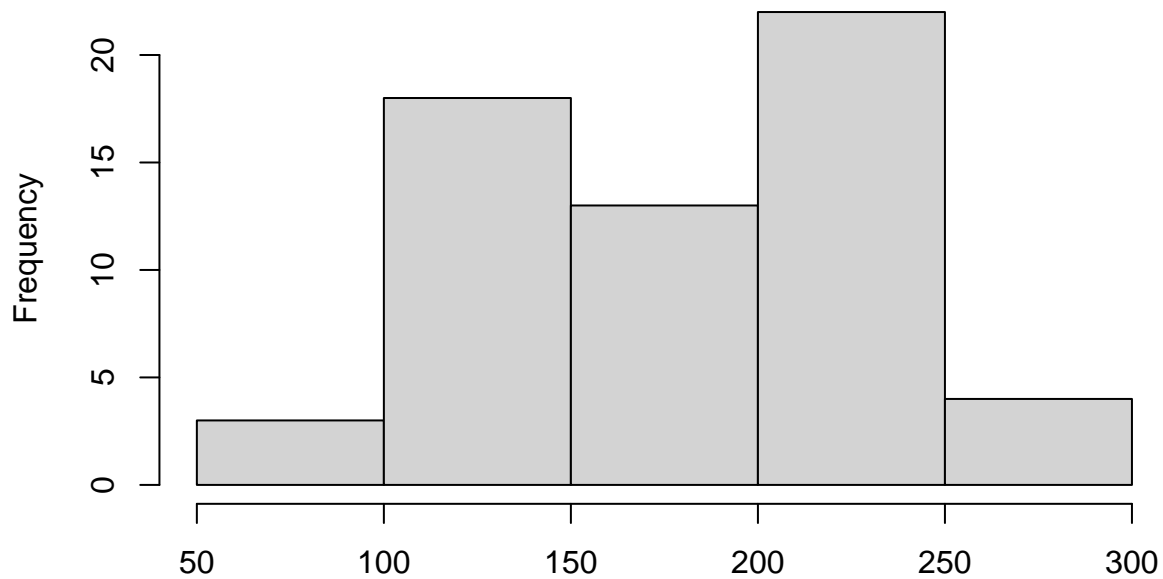
```
shapiro.test(green_kbsp$plot_half_cover_date)
```

```
##  
##  Shapiro-Wilk normality test  
##  
## data:  green_kbsp$plot_half_cover_date  
## W = 0.90721, p-value = 4.673e-07
```

```
# histograms for each treatment separately
```

```
hist(green_kbsp$plot_half_cover_date[green_kbsp$state == "ambient"])
```

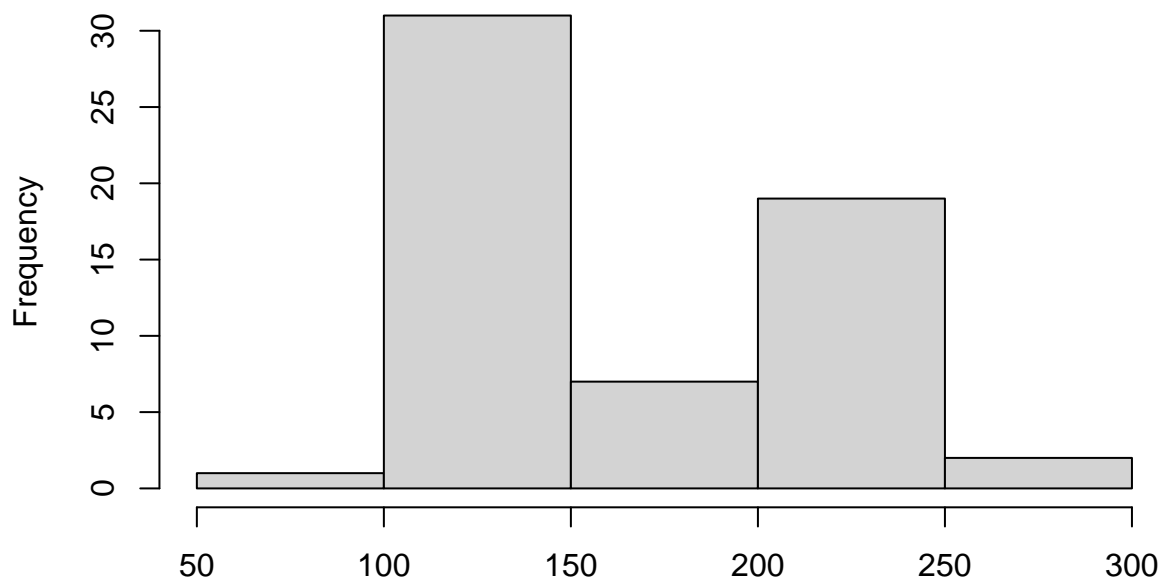
histogram of green_kbsp\$plot_half_cover_date[green_kbsp\$state == "ambient"]



green_kbsp\$plot_half_cover_date[green_kbsp\$state == "ambient"]

```
hist(green_kbsp$plot_half_cover_date[green_kbsp$state == "warmed"])
```

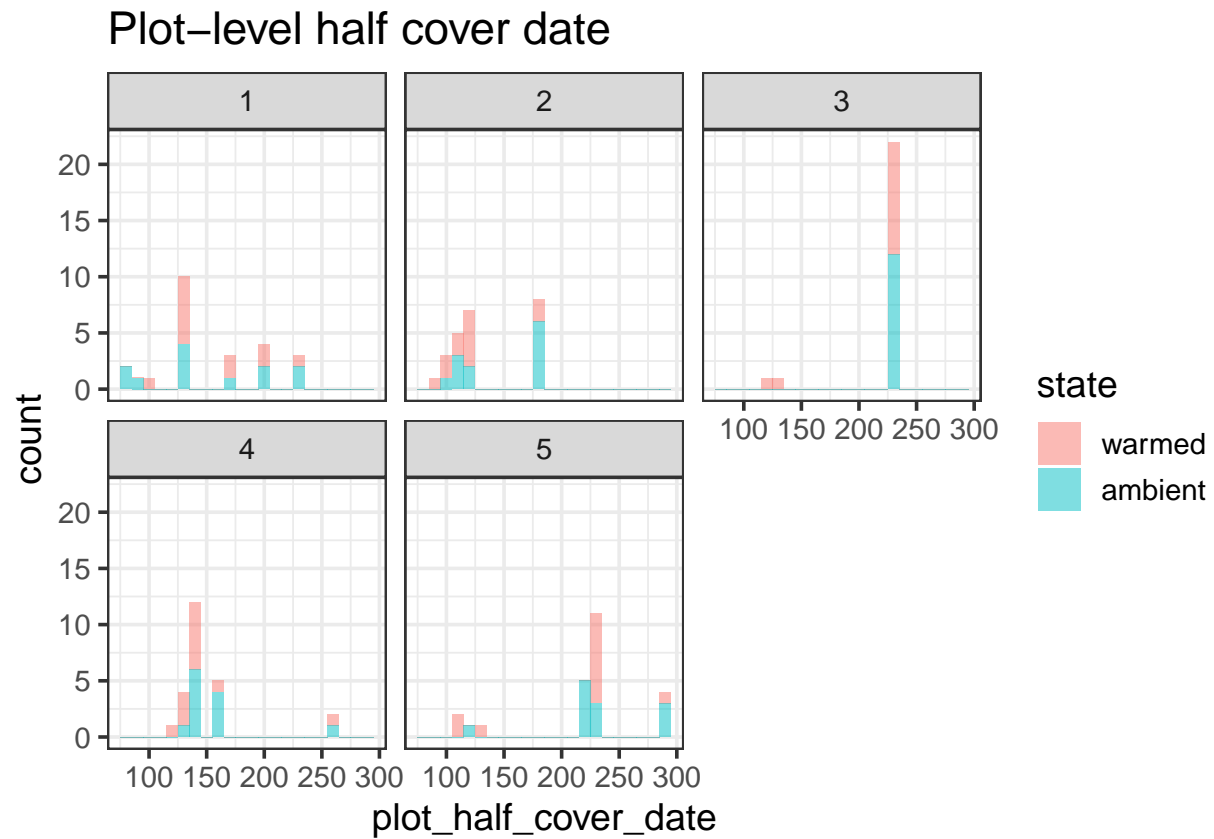
histogram of green_kbsp\$plot_half_cover_date[green_kbsp\$state == "warmed"]



green_kbsp\$plot_half_cover_date[green_kbsp\$state == "warmed"]

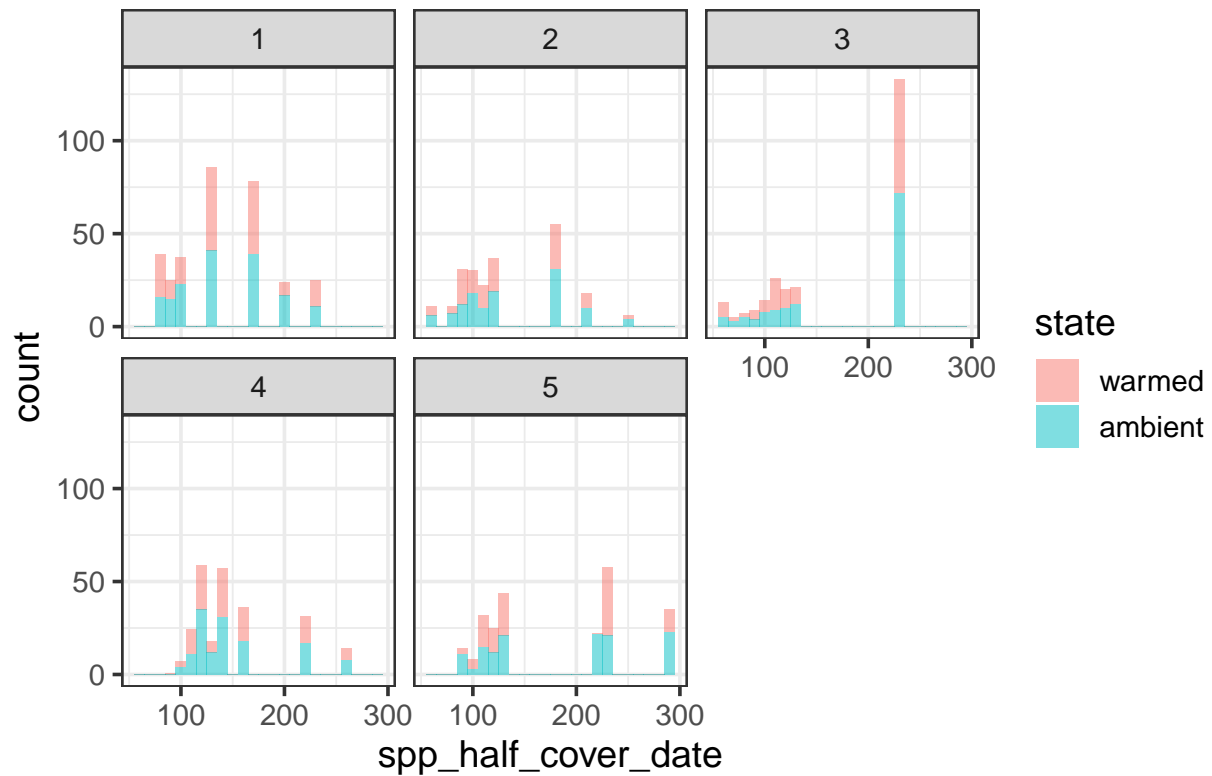
```
# histograms for each year - look at them together:
p1 <- ggplot(data = green_kbsp, aes(x = plot_half_cover_date,
  fill = state)) + geom_histogram(alpha = 0.5, binwidth = 10)
```

```
p1 + facet_wrap(~year_factor) + labs(title = "Plot-level half cover date")
```

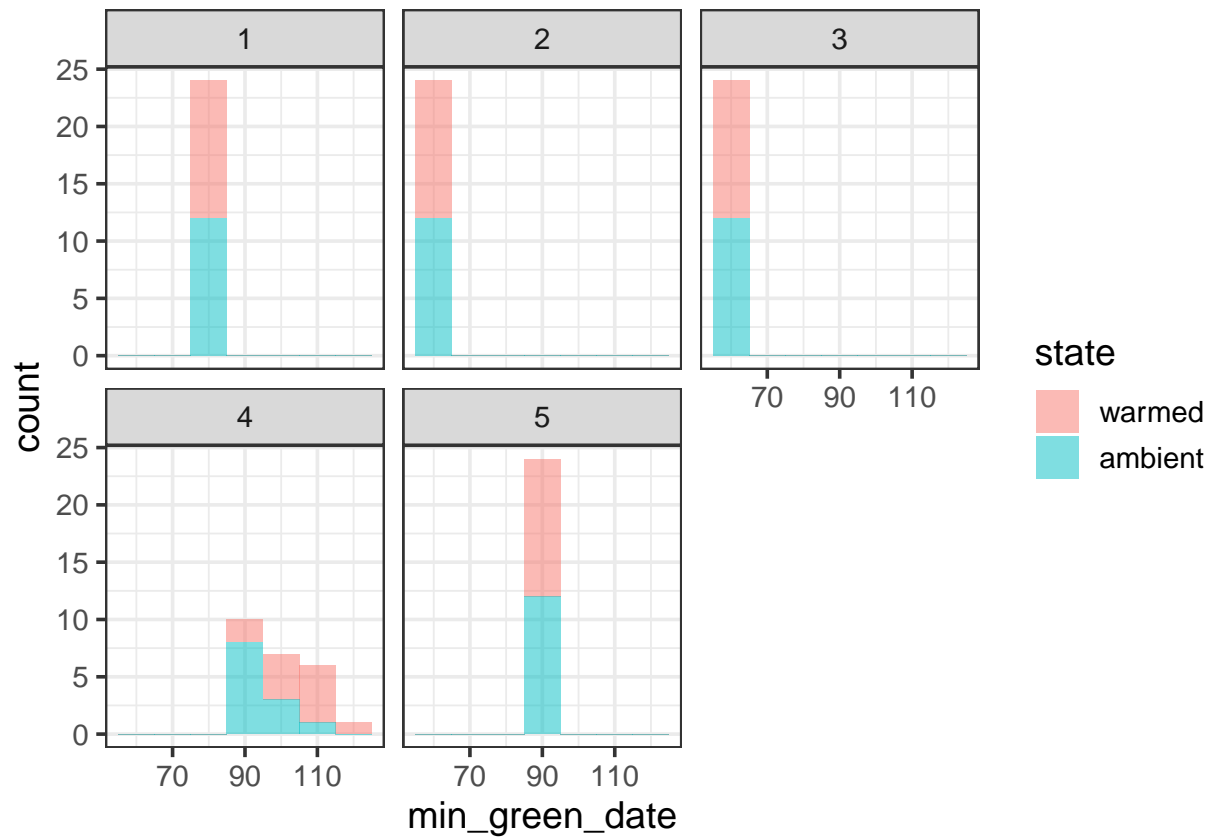


```
p1 <- ggplot(data = green_kbs, aes(x = spp_half_cover_date, fill = state)) +  
  geom_histogram(alpha = 0.5, binwidth = 10)  
p1 + facet_wrap(~year_factor) + labs(title = "Species-level half cover date")
```

Species-level half cover date

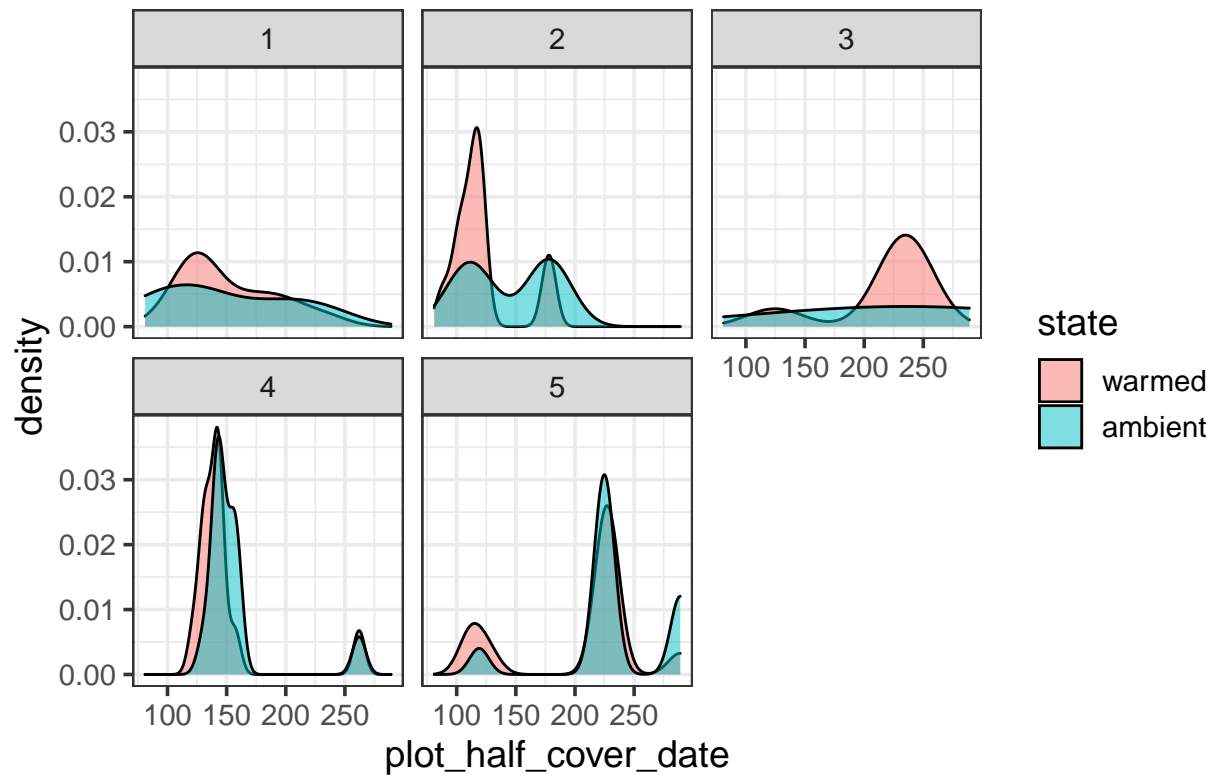


```
# this will just show sampling date artifact
p2 <- ggplot(data = green_kbsp, aes(x = min_green_date, fill = state)) +
  geom_histogram(alpha = 0.5, binwidth = 10)
p2 + facet_wrap(~year_factor)
```



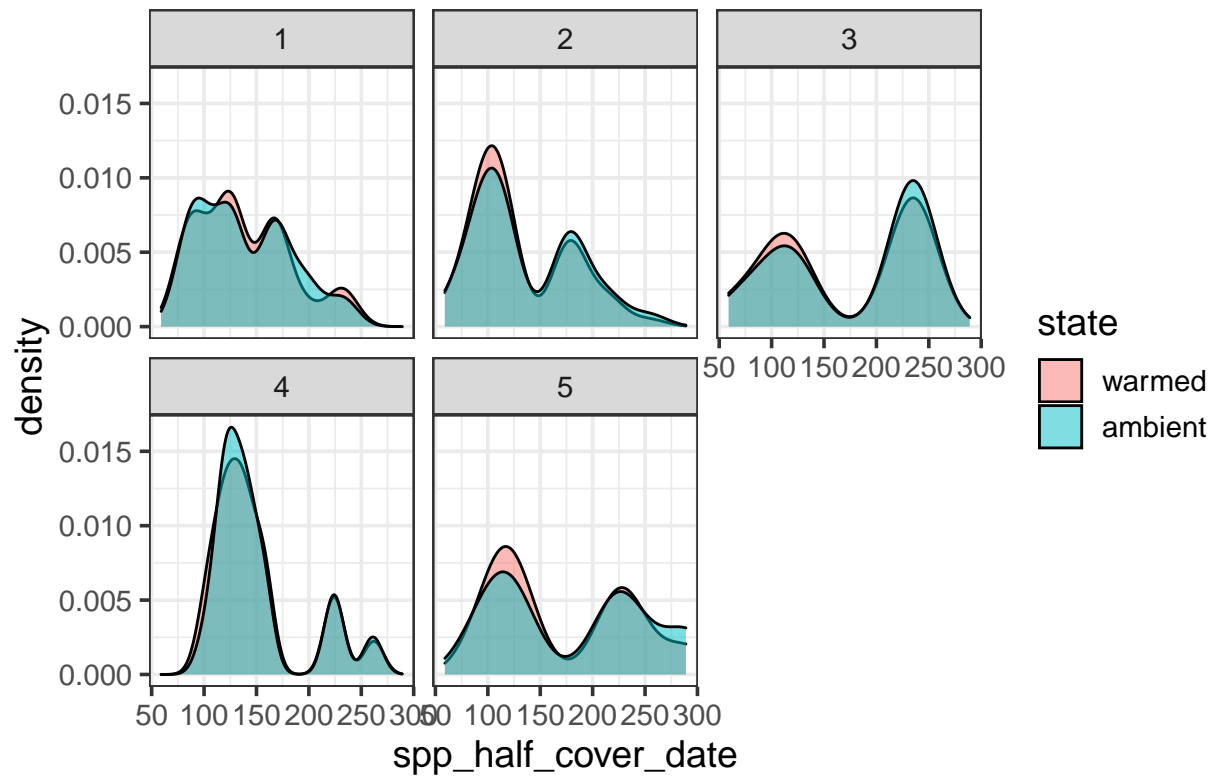
```
# Density plot
p3 <- ggplot(data = green_kbsp, aes(x = plot_half_cover_date,
  fill = state)) + geom_density(alpha = 0.5)
p3 + facet_wrap(~year_factor) + labs(title = "Plot-level half cover date")
```


Plot-level half cover date

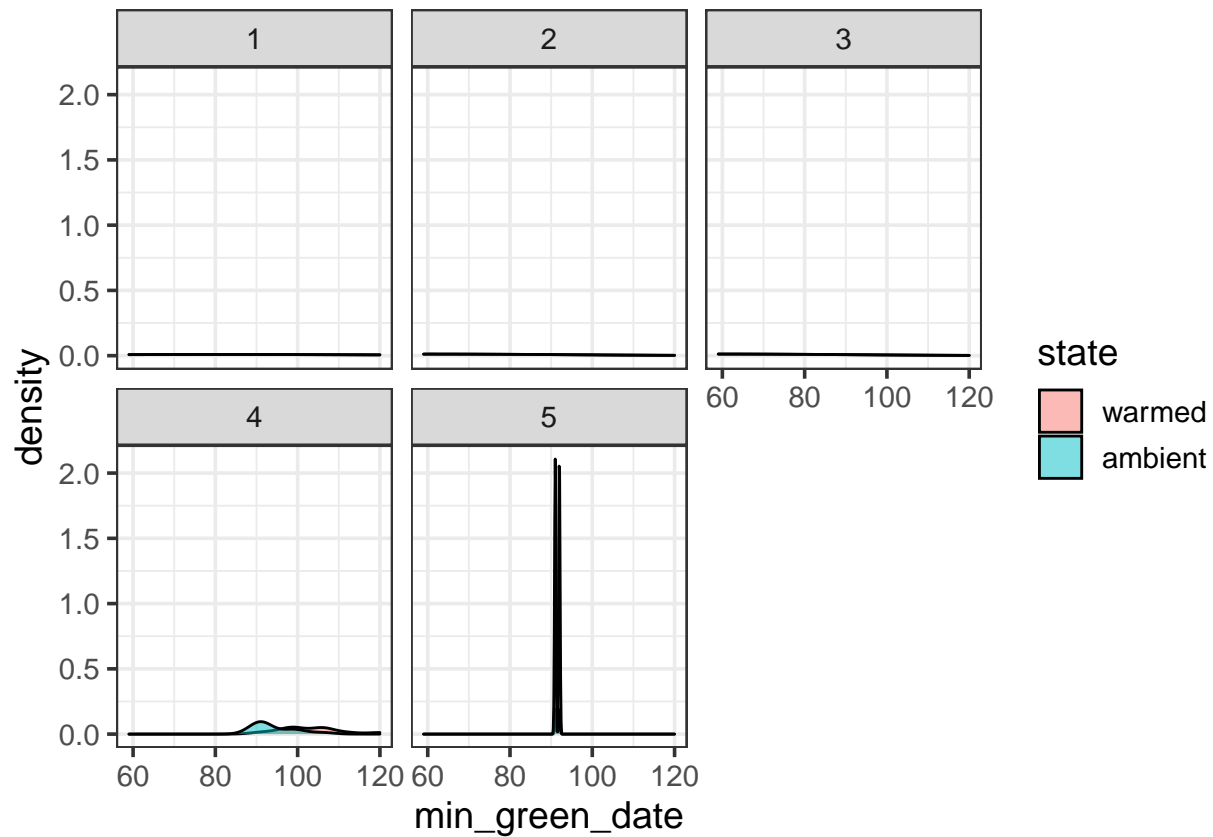


```
p3 <- ggplot(data = green_kbs, aes(x = spp_half_cover_date, fill = state)) +
  geom_density(alpha = 0.5)
p3 + facet_wrap(~year_factor) + labs(title = "Species-level half cover date")
```

Species-level half cover date



```
# this will just show sampling date artifact
p4 <- ggplot(data = green_kbsp, aes(x = min_green_date, fill = state)) +
  geom_density(alpha = 0.5)
p4 + facet_wrap(~year_factor)
```



```
# Or try with tidyverse format
green_kbsp.t <- as_tibble(green_kbsp)
# green_kbsp.t %>% gather(state, plot_half_cover_date,
# year_factor) %>% ggplot(aes(plot_half_cover_date, fill =
# state)) + geom_histogram() + facet_wrap(~year_factor)

# looks like the 225 spike is from 2018 and 2020 - what's
# going on here is that you are treating all species-plot
# records as independent observations, so the influence of
# species differences is likely coming through here.
kbs_2018 <- subset(green_kbs, year == 4) # many records on 235
kbs_2020 <- subset(green_kbs, year == 6) # records from 227 & 228
```

Leverage plots and detecting Outliers. <https://www.statmethods.net/stats/riagnostics.html>

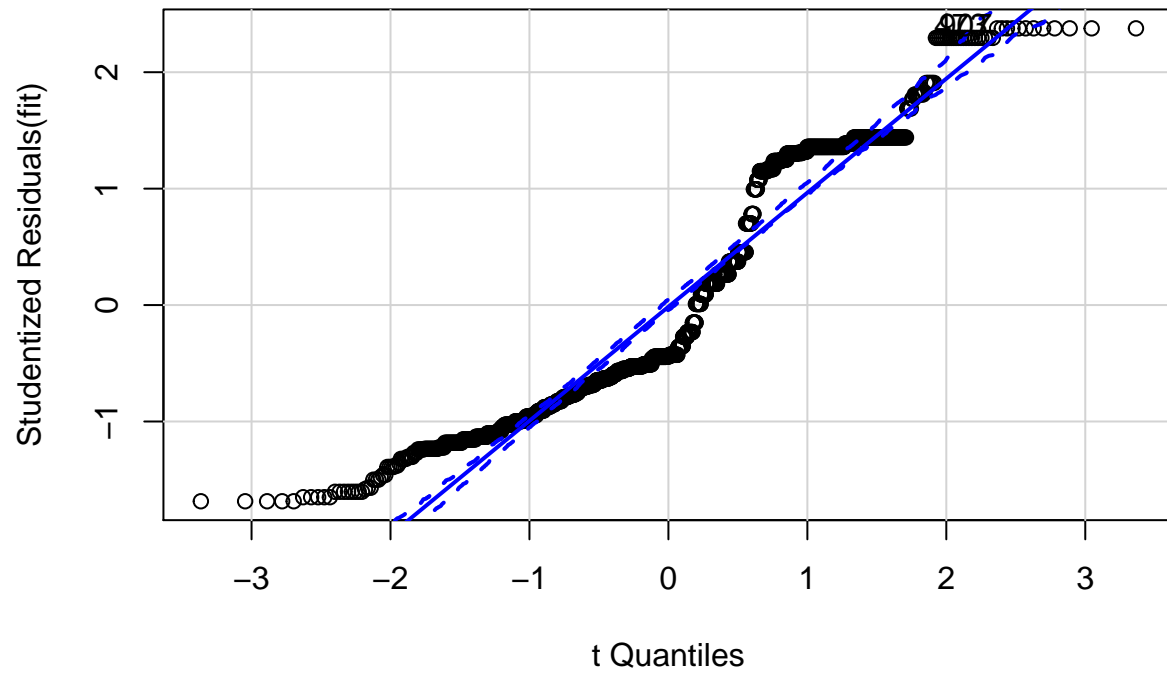
These illustrate whether certain data points have more leverage (more influence), and thus could be outliers. It's a way of detecting outliers. Leverage plots can help identify whether a point has high or low influence, based on its leverage and residual and determining model fit with and without the point in question. Ultimately you decide whether the points are outliers or not, based on the knowledge of the system and how much it changes the model when included vs. excluded from the data used to fit the model. Here is a good overview of the combination of leverage and residual: scroll down to sections beginning at "13.3 Unusual Observations": <https://davidalpiaz.github.io/appliedstats/model-diagnostics.html>

```
# checking fit for date as a function of state and species -  
# bringing in species here makes it obvious that that is  
# explaining some of the variation compared with the  
# state-only model you had previously.
```

```
# State-only model  
fit <- lm(spp_half_cover_date ~ state, data = green_kbs)  
outlierTest(fit) # no outliers
```

```
## No Studentized residuals with Bonferroni p < 0.05  
## Largest |rstudent|:  
##      rstudent unadjusted p-value Bonferroni p  
## 473 2.376821      0.017611      NA  
qqPlot(fit, main = "QQ Plot")
```

QQ Plot

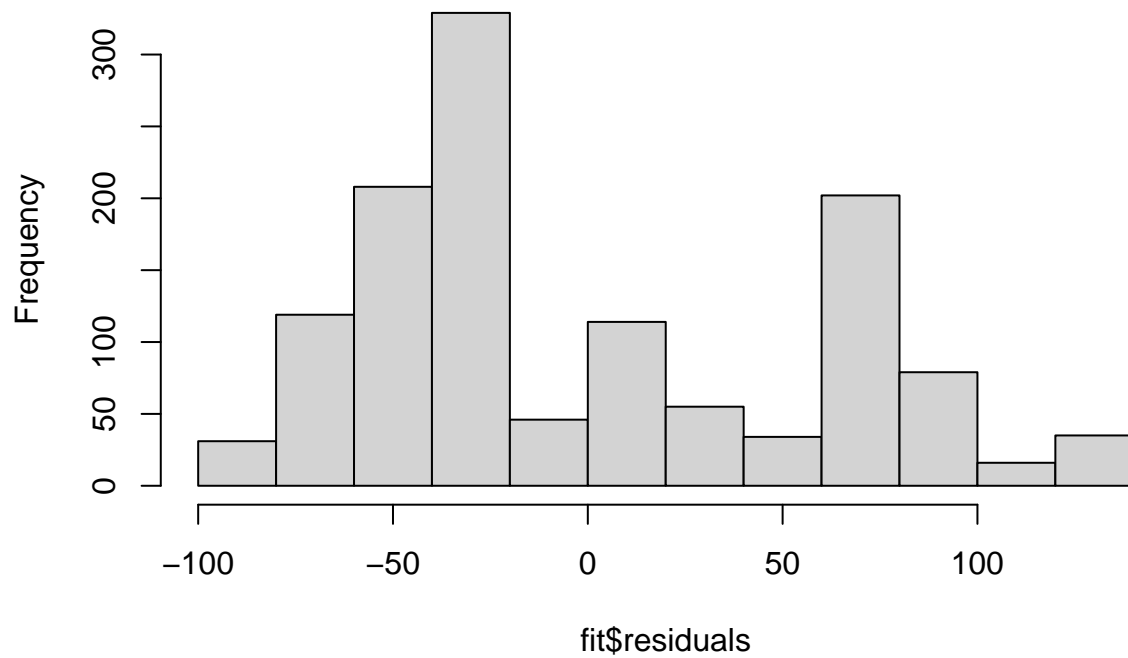


```
## 473 907
```

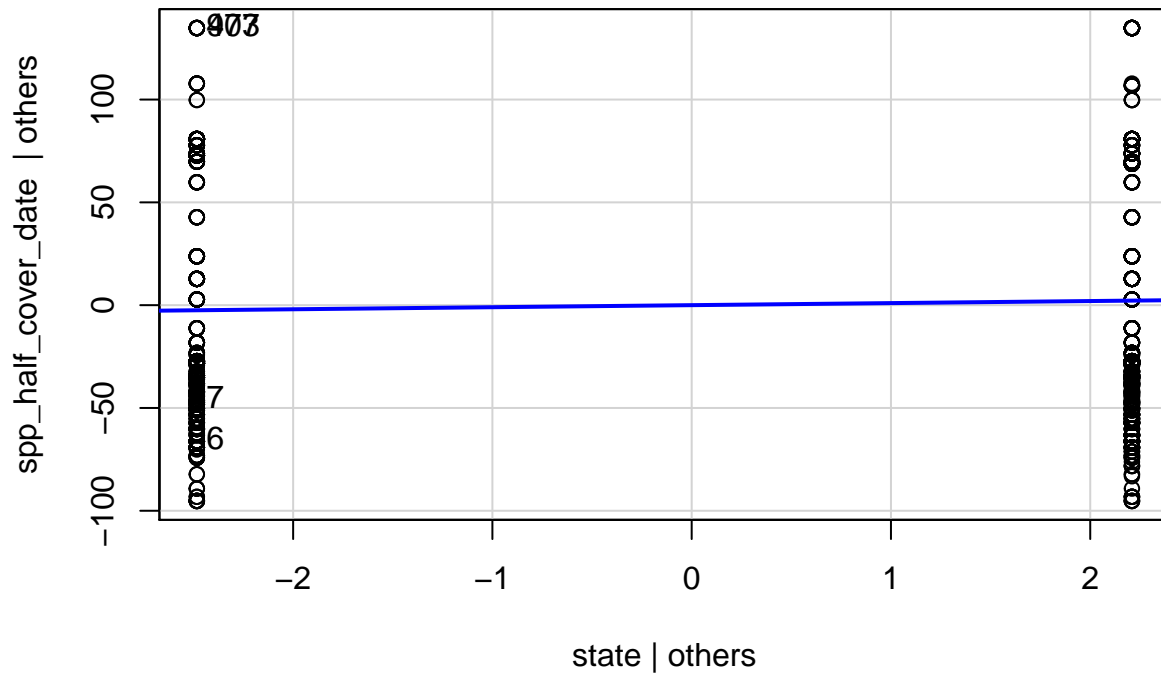
```
## 283 552
```

```
hist(fit$residuals)
```

Histogram of fit\$residuals



```
leveragePlots(fit)
```



```
# State and species model
```

```
fit1 <- lm(spp_half_cover_date ~ state + species, data = green_kbs)
```

```
outlierTest(fit1) # no outliers
```

```
## No Studentized residuals with Bonferroni p < 0.05
```

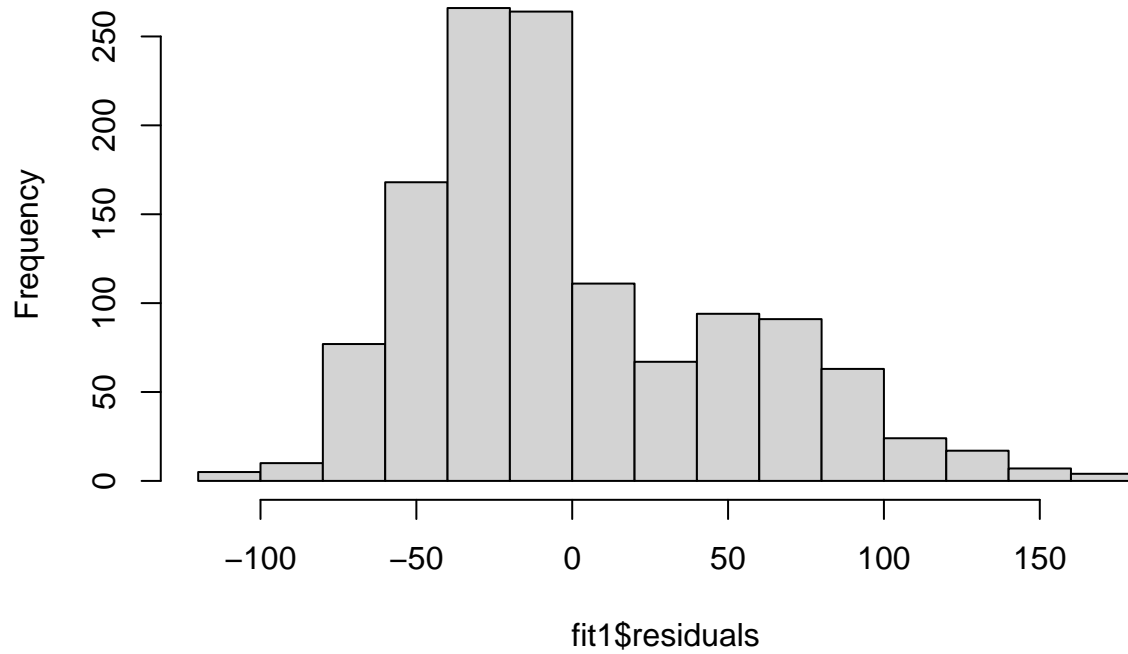
```
## Largest |rstudent|:
```

```
##      rstudent unadjusted p-value Bonferroni p
```

```
## 1910 3.455976      0.00056677      0.71866
```

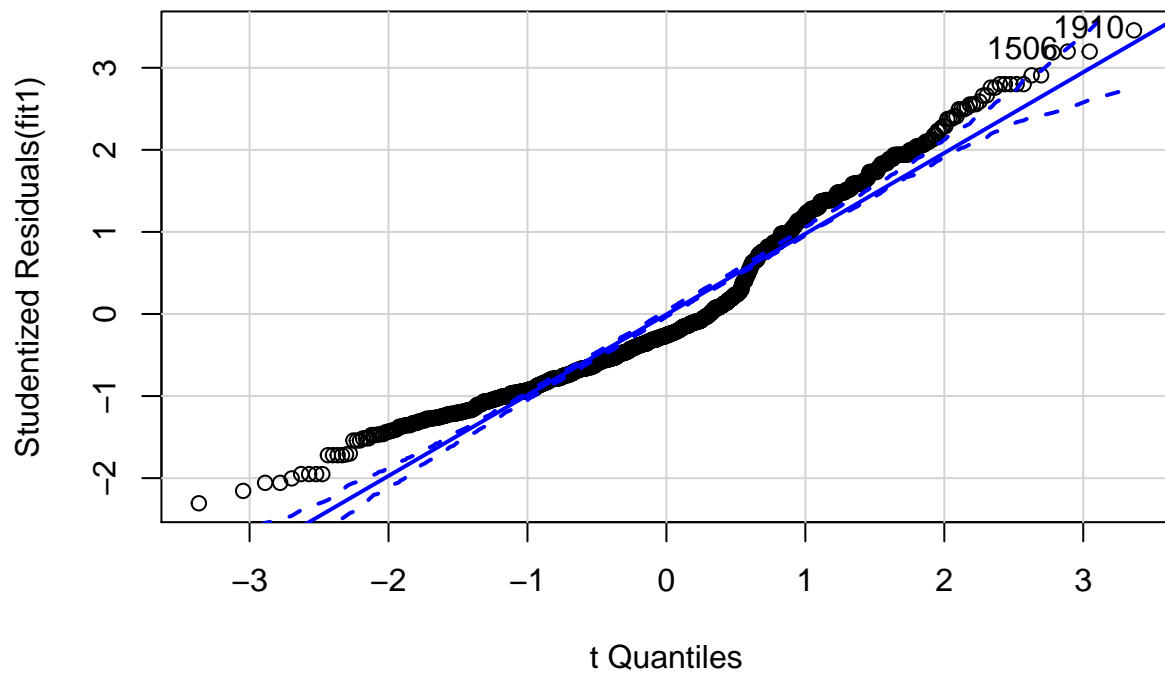
```
hist(fit1$residuals)
```

Histogram of fit1\$residuals



```
qqPlot(fit1, main = "QQ Plot")
```

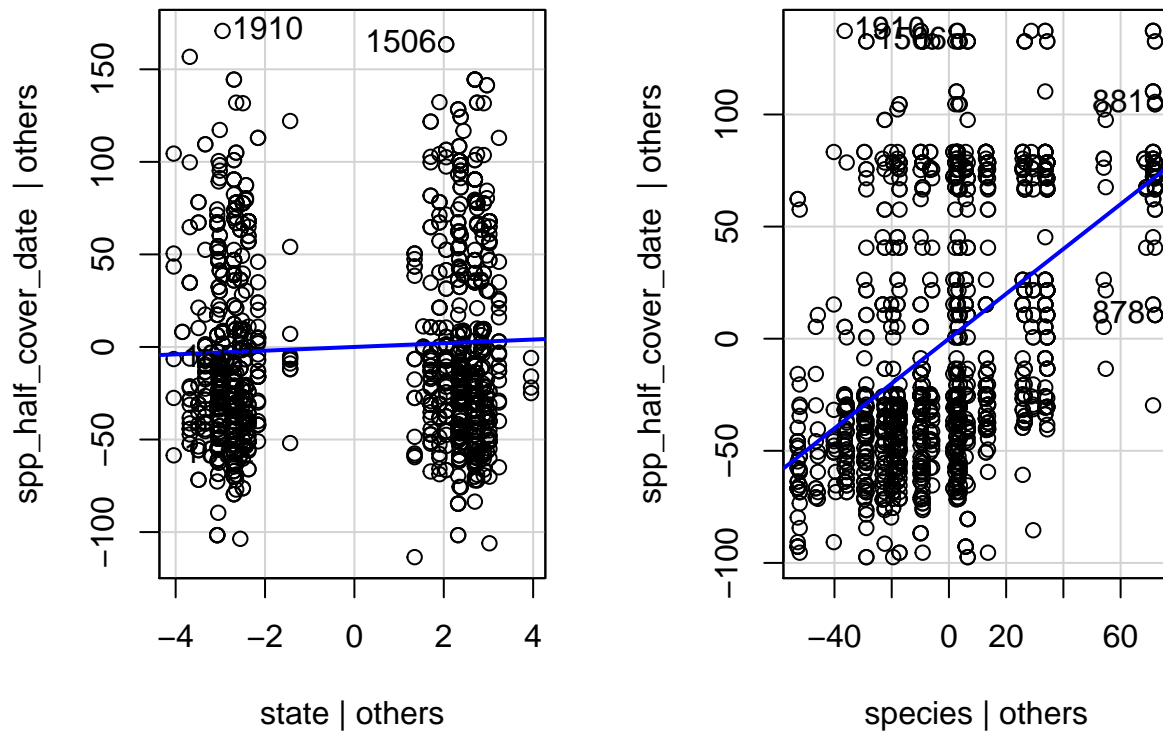
QQ Plot



```
## 1506 1910  
## 943 1152
```

```
leveragePlots(fit1)
```

Leverage Plots

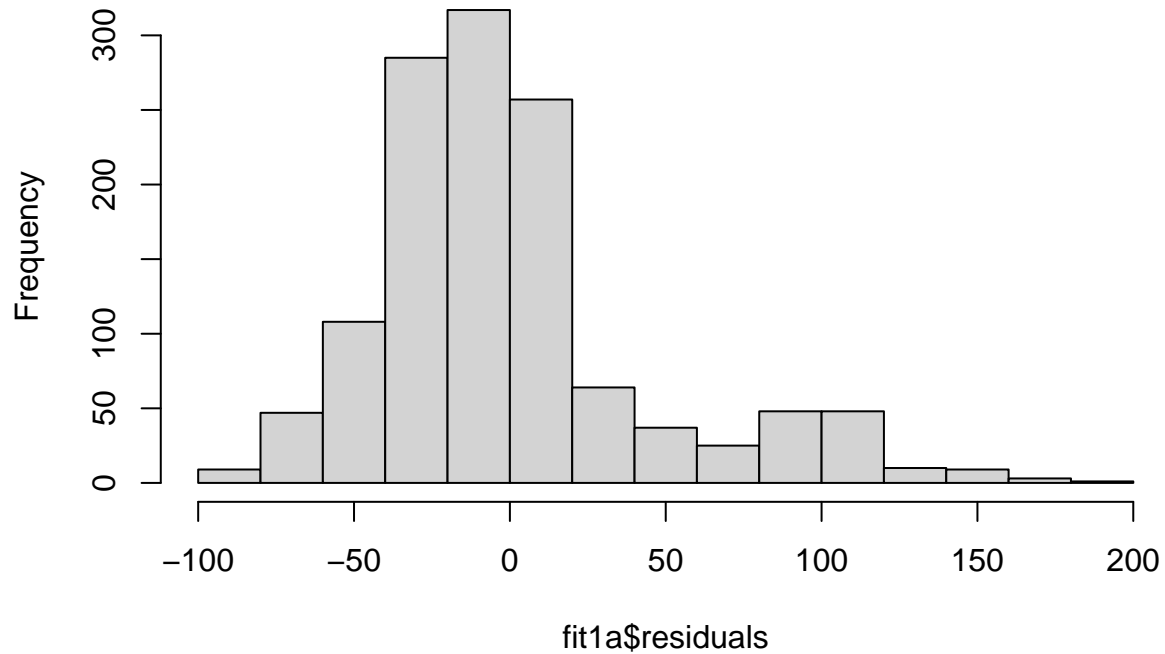


```
fit1a <- lm(min_green_date ~ state + species, data = green_kbs)
outlierTest(fit1a) # no outliers
```

```
##      rstudent unadjusted p-value Bonferroni p
## 473 4.211351      2.7212e-05      0.034505
```

```
hist(fit1a$residuals)
```

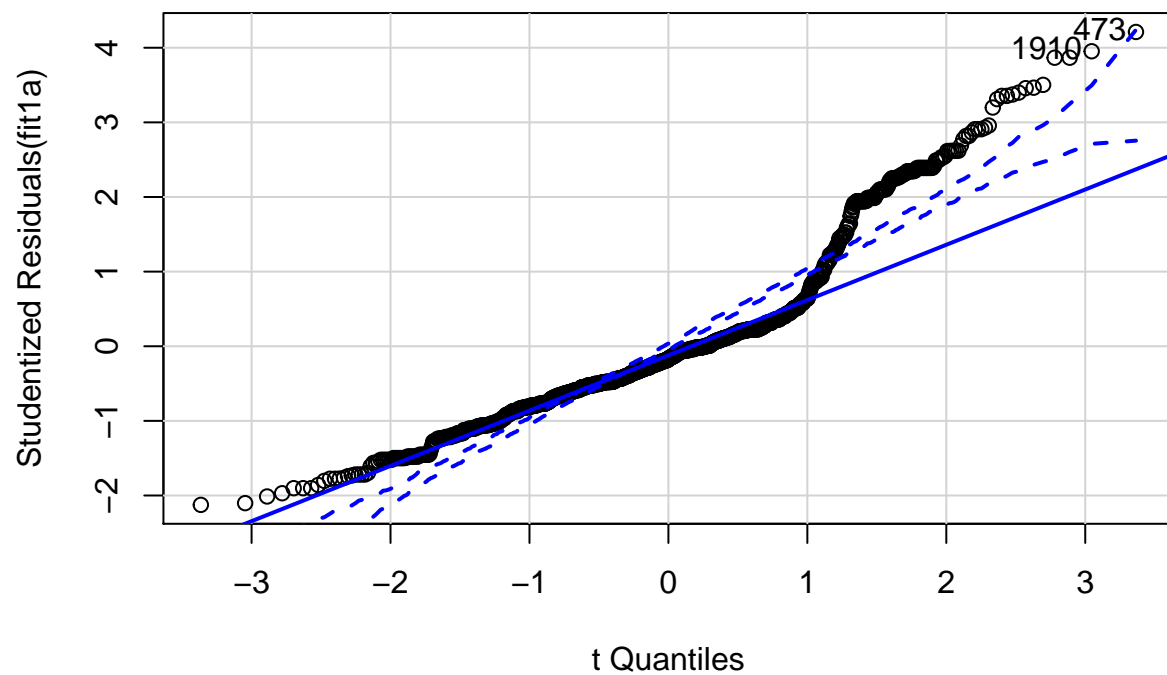

Histogram of fit1a\$residuals



```
qqPlot(fit1a, main = "QQ Plot")
```

```
## Warning in rlm.default(x, y, weights, method = method, wt.method = wt.method, :  
## 'rlm' failed to converge in 20 steps
```

QQ Plot

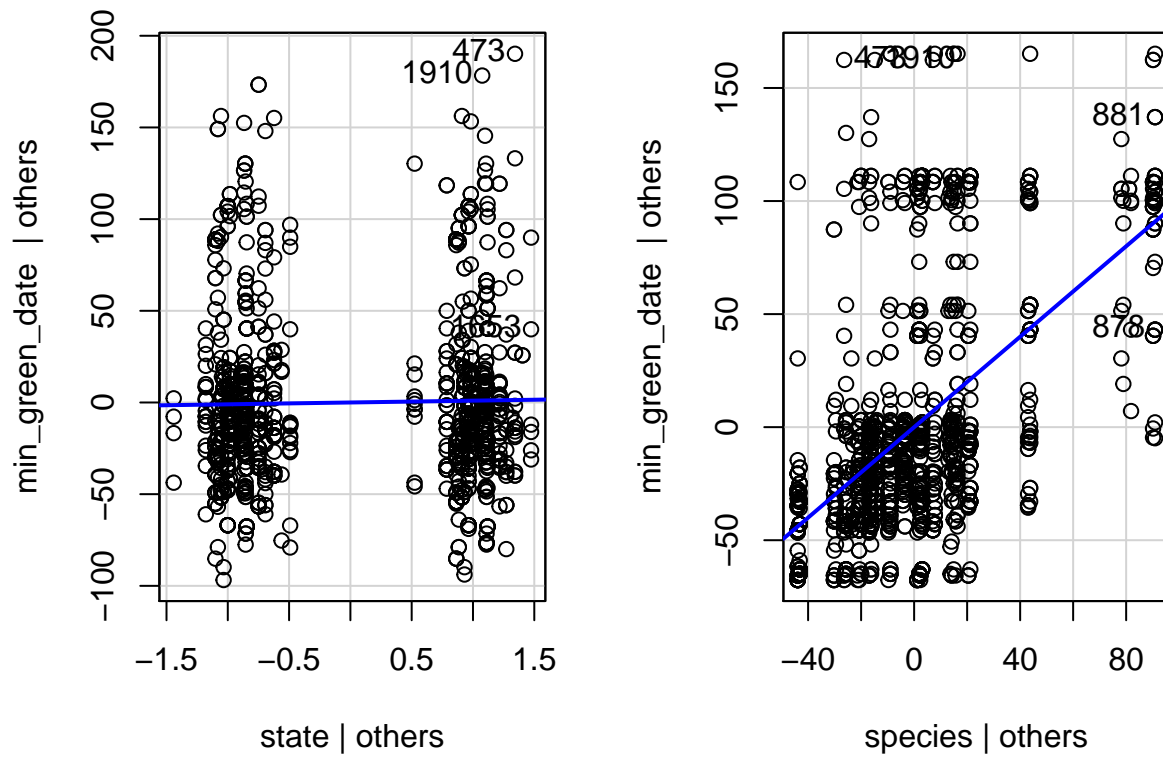


```
## 473 1910
```

```
## 283 1152
```

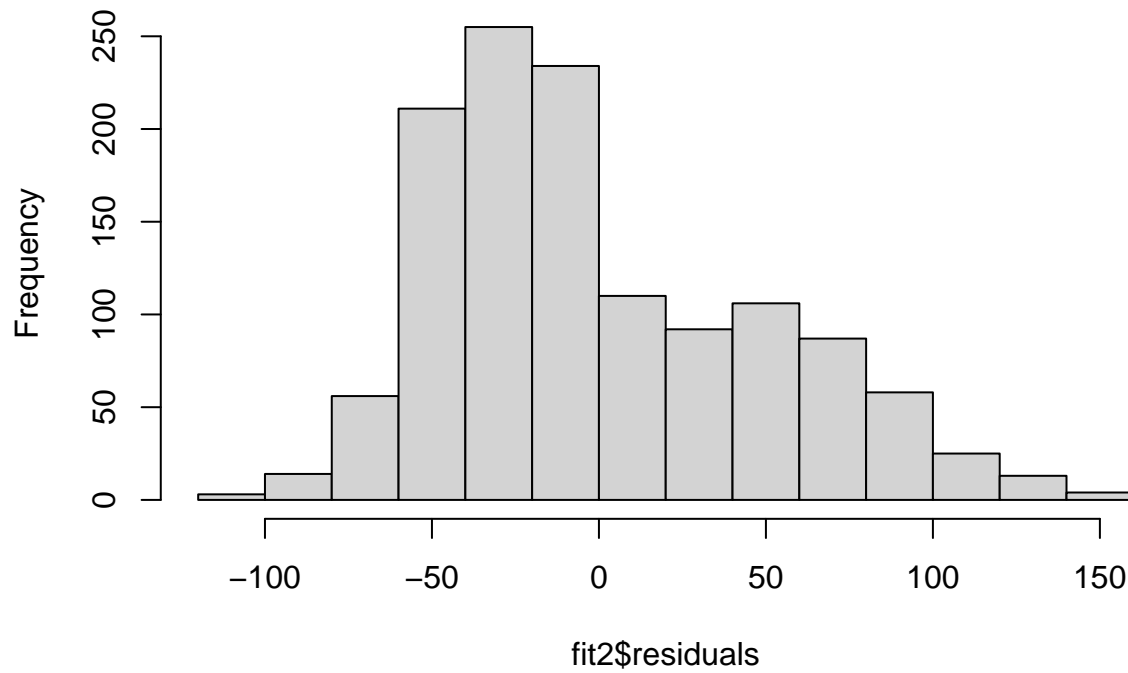
```
leveragePlots(fit1a)
```

Leverage Plots



```
# checking fit for date as a function of state and year  
fit2 <- lm(spp_half_cover_date ~ state + species + year, data = green_kbs)  
hist(fit2$residuals)
```

Histogram of fit2\$residuals

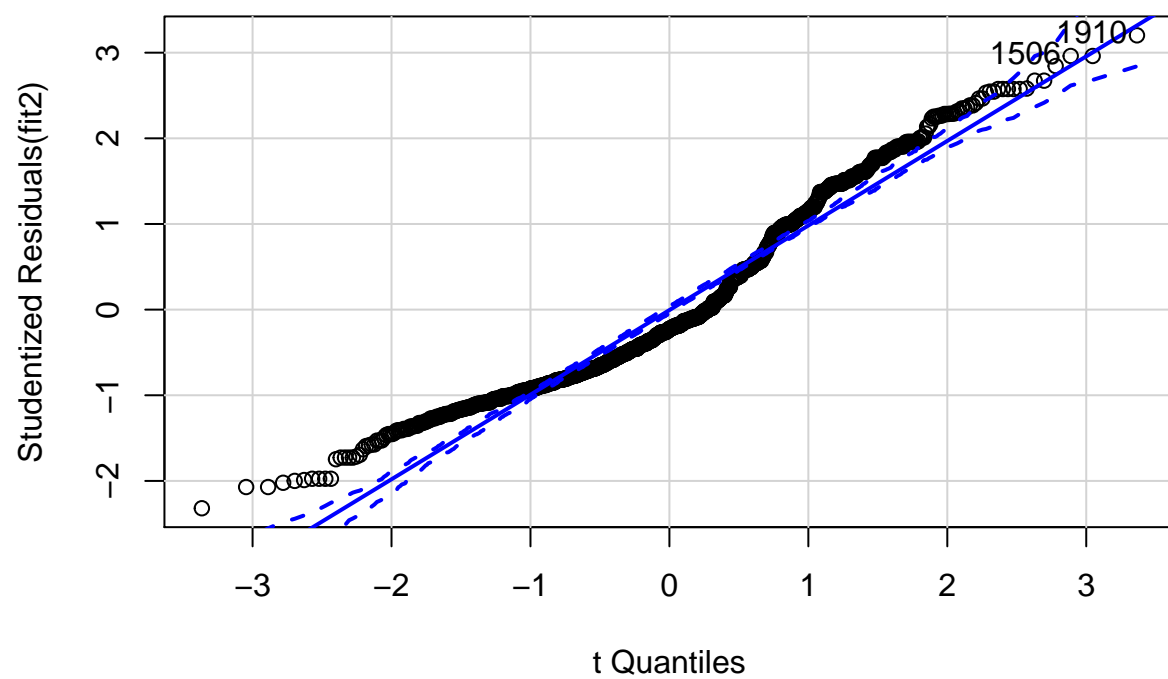


```
outlierTest(fit2) # no outliers
```

```
## No Studentized residuals with Bonferroni p < 0.05  
## Largest |rstudent|:  
##      rstudent unadjusted p-value Bonferroni p  
## 1910 3.202366      0.0013976      NA
```

```
qqPlot(fit2, main = "QQ Plot")
```

QQ Plot

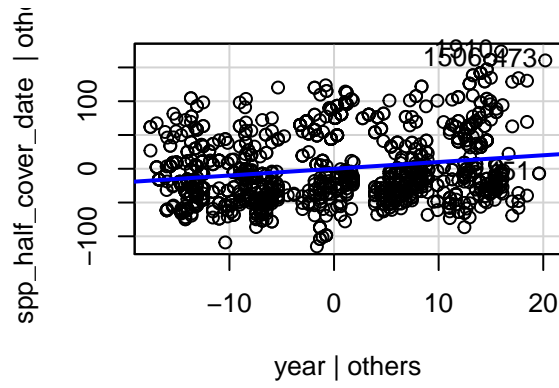
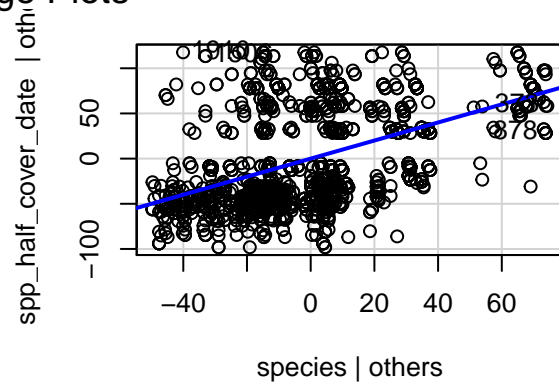
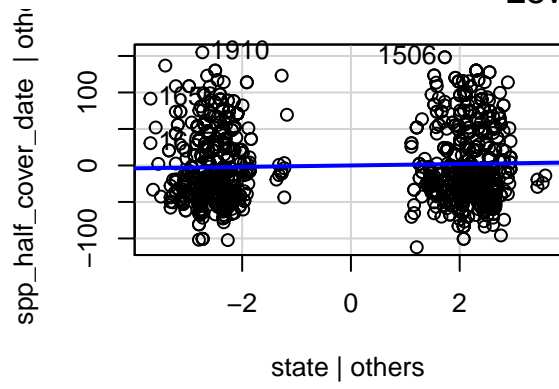


```
## 1506 1910
```

```
## 943 1152
```

```
leveragePlots(fit2)
```

Leverage Plots



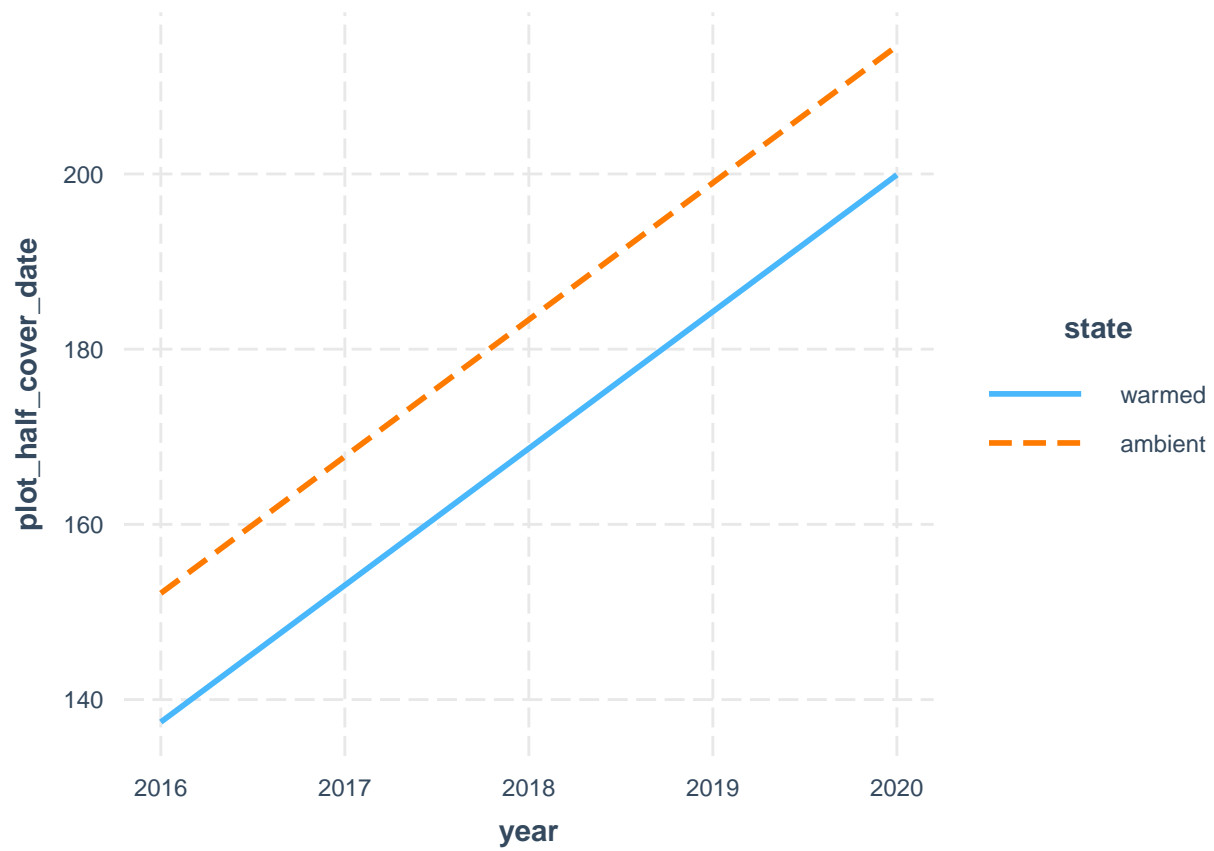
Normal distribution after accounting for species - we will be using species as a random effect to account for their variation. Set up some linear mixed effects models to evaluate. From Ben Bolker: “The traditional view of random effects is as a way to do correct statistical tests when some observations are correlated. ... Random effects are especially useful when we have (1) lots of levels (e.g., many species or blocks), (2) relatively little data on each level (although we need multiple samples from most of the levels), and (3) uneven sampling across levels. People sometimes say that random effects are “factors that you aren’t interested in.” This is not always true. While it is often the case in ecological experiments (where variation among sites is usually just a nuisance), it is sometimes of great interest.” In our case, variation among plots is a nuisance, and not something we’re interested in. For some questions, variation among species is also a nuisance for us. It’s possible that variation among years is a nuisance if we only care about warm vs. ambient, but I think time is an interesting variable to consider with this study.

We should also think about how we’re treating year. Some of the models have a state * year interaction as a fixed effect, which means that the warming or ambient treatment could affect the half_cover_date differently over time (there would be a different slope for each state in the relationship between half_cover_date (y) and year (x)). If we just had state + year, the states would have the same slope, indicating that they have no interaction in their effect on half_cover_date (but they could still have different intercepts).

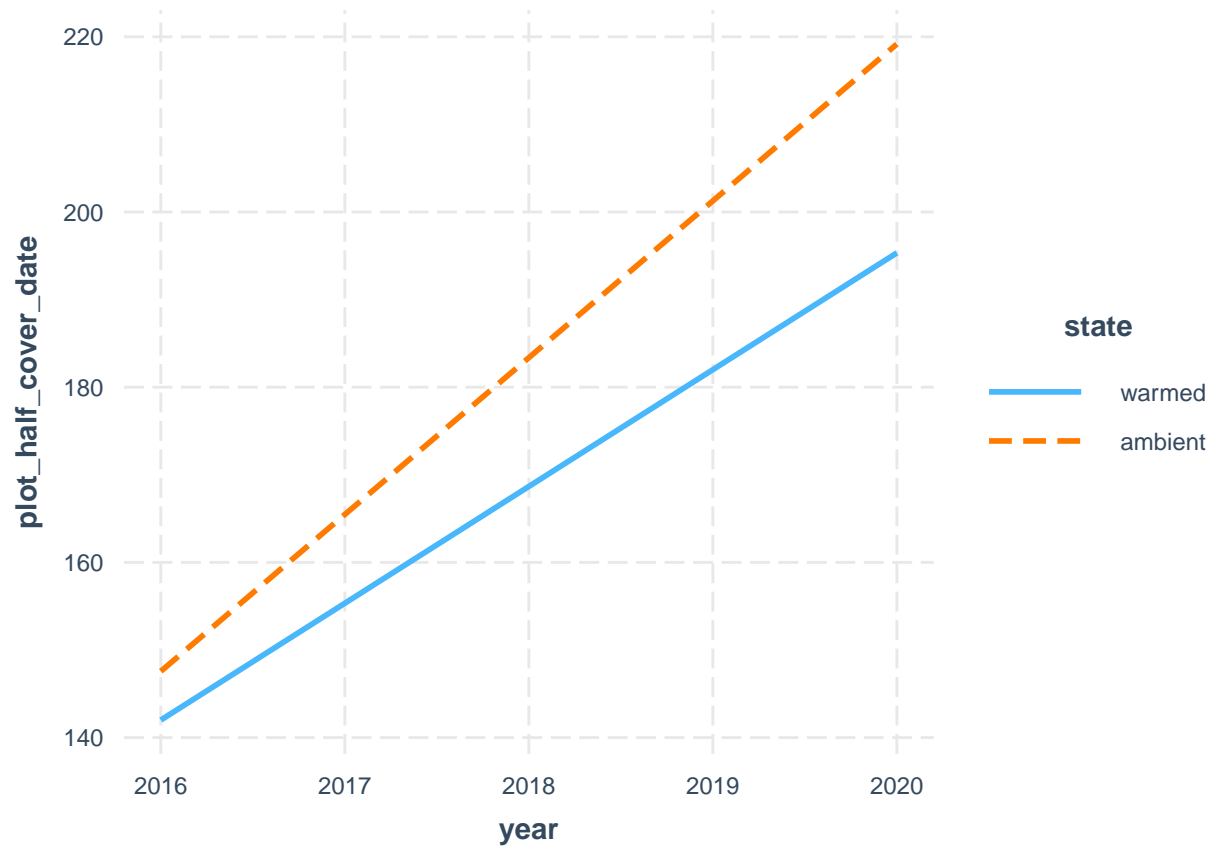
```
# Interaction plot (ignore for now the repeated measures with
# species); see:
# https://cran.r-project.org/web/packages/interactions/vignettes/interactions.html
# and: https://interactions.jacob-long.com/

fit3 <- lm(plot_half_cover_date ~ state + year, data = green_kbsp)
interact_plot(fit3, pred = year, modx = state)

## Warning: year and state are not included in an interaction with one another in the
## model.
```

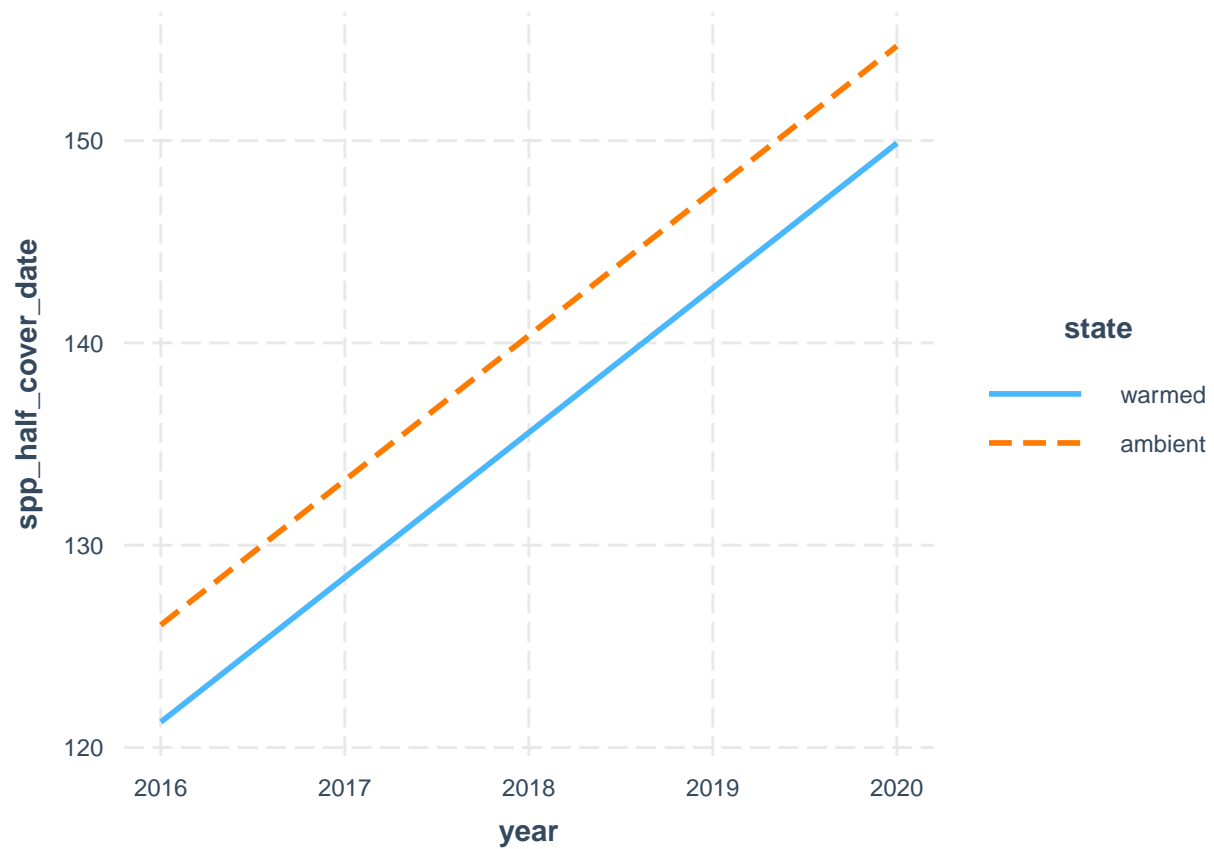


```
fit4 <- lm(plot_half_cover_date ~ state * year, data = green_kbsp)
interact_plot(fit4, pred = year, modx = state)
```



```
fit5 <- lm(spp_half_cover_date ~ state + year + species, data = green_kbs)
interact_plot(fit5, pred = year, modx = state)
```

```
## Warning: year and state are not included in an interaction with one another in the
## model.
```

```
fit6 <- lm(spp_half_cover_date ~ state * year + species, data = green_kbs)
interact_plot(fit6, pred = year, modx = state, mod2 = species)
```

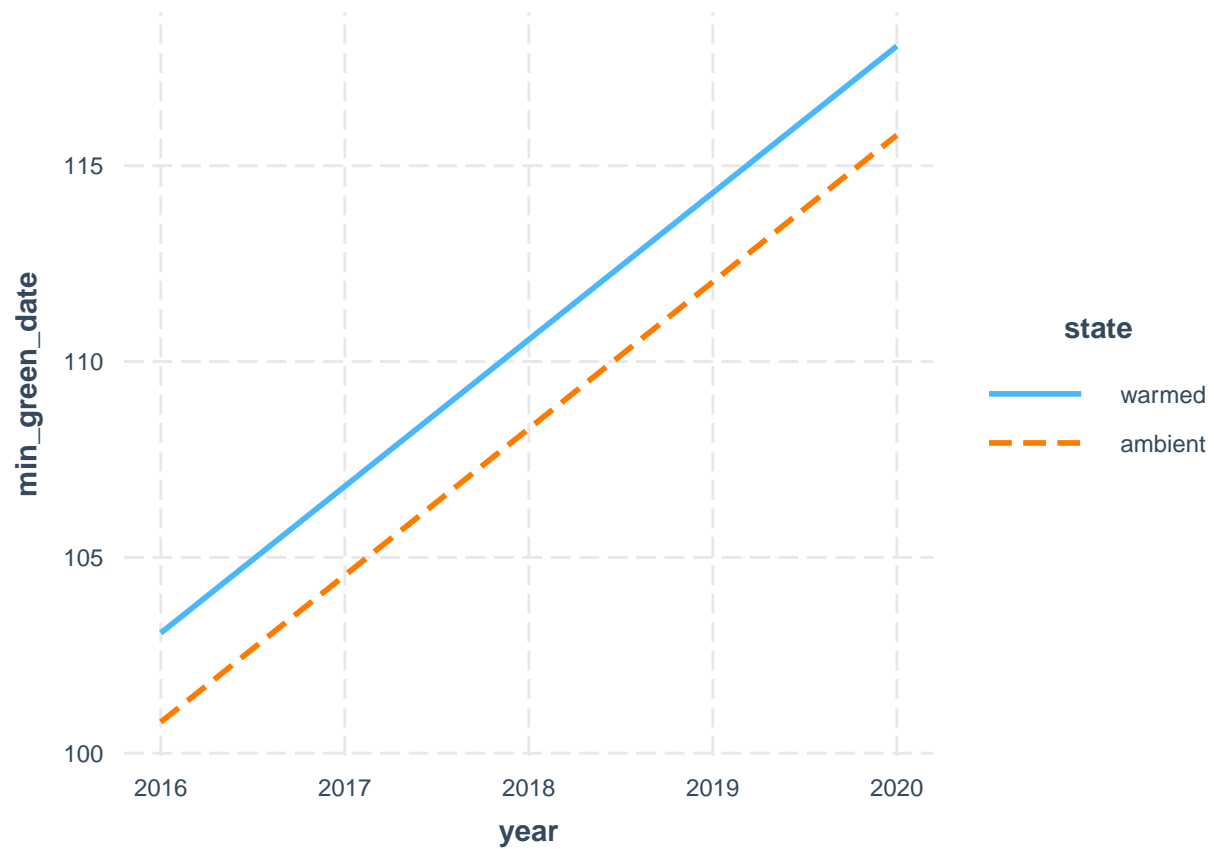
```
## Warning: year and state and species are not included in an interaction with one
## another in the model.
```



state — — — warmed — ambient

```
fit7 <- lm(min_green_date ~ state + year + species, data = green_kbs)
interact_plot(fit7, pred = year, modx = state)
```

```
## Warning: year and state are not included in an interaction with one another in the
## model.
```



```
fit8 <- lm(min_green_date ~ state * year + species, data = green_kbs)
interact_plot(fit8, pred = year, modx = state, mod2 = species)
```

```
## Warning: year and state and species are not included in an interaction with one
## another in the model.
```



Mixed Effects Models:

```
# Start by replicating (almost) what we did in the Decologia
# 2018 paper. The only difference here is that we have
# multiple years, so we are also including year as a fixed
# effect and as an interactive term. Our goal here is to find
# a model that is the best fit to the data. We also want to
# find a model that is the most parsimonious (one that has
# the fewest parameters).
```

```
# Do we need to include plot as a random effect with the KBS
# models?
mod1 <- lmer(spp_half_cover_date ~ state * year + insecticide *
  year + (1 | species) + (1 | plot), green_kbs, REML = FALSE)
```

```
## Warning: Some predictor variables are on very different scales: consider
## rescaling
```

```
## Warning: Some predictor variables are on very different scales: consider
## rescaling
```

```
mod2 <- lmer(spp_half_cover_date ~ state * year + insecticide *
  year + (1 | species), green_kbs, REML = FALSE)
```

```
## Warning: Some predictor variables are on very different scales: consider
## rescaling
```

```
## Warning: Some predictor variables are on very different scales: consider
## rescaling
```

```
# Run analysis of variance on each model (see this for more
# explanation on how anova on a linear mixed effects model is
# similar to an anova on a regular linear model:
# https://m-clark.github.io/docs/mixedModels/anovamixed.html)
anova(mod1)
```

```
## Type III Analysis of Variance Table with Satterthwaite's method
##               Sum Sq Mean Sq NumDF   DenDF F value    Pr(>F)
## state           1272      1272     1 1235.9  0.5193    0.4713
## year          138894  138894     1 1241.4 56.6968 9.744e-14 ***
## insecticide      3587      3587     1 1233.9  1.4642    0.2265
## state:year        1276      1276     1 1235.9  0.5209    0.4706
## year:insecticide  3596      3596     1 1233.9  1.4681    0.2259
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
anova(mod2)
```

```
## Type III Analysis of Variance Table with Satterthwaite's method
##               Sum Sq Mean Sq NumDF   DenDF F value    Pr(>F)
## state           1312      1312     1 1247.2  0.5293    0.4670
## year          138522  138522     1 1252.3 55.8679 1.451e-13 ***
## insecticide      3950      3950     1 1247.7  1.5932    0.2071
## state:year        1316      1316     1 1247.2  0.5309    0.4664
## year:insecticide  3961      3961     1 1247.7  1.5977    0.2065
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
# Run an ANOVA to test if 2 models to test whether the more
# complex model is significantly better at capturing the data
# than the simpler model. If the resulting p-value is
# sufficiently low (usually less than 0.05), we conclude that
# the more complex model is significantly better than the
# simpler model, and thus favor the more complex model. If
# the p-value is not sufficiently low (usually greater than
# 0.05), we should favor the simpler model.
# https://bookdown.org/ndphillips/YaRrr/comparing-regression-models-with-anova.html
```

```
anova(mod2, mod1) # They are different so plot as a random effect should stay in the model (we go with
```

```
## Data: green_kbs
## Models:
## mod2: spp_half_cover_date ~ state * year + insecticide * year + (1 |
## mod2:   species)
## mod1: spp_half_cover_date ~ state * year + insecticide * year + (1 |
## mod1:   species) + (1 | plot)
##      npar   AIC   BIC logLik deviance Chisq Df Pr(>Chisq)
## mod2     8 13587 13628 -6785.6    13571
## mod1     9 13586 13632 -6784.0    13568 3.374  1    0.06623 .
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
summary(mod1)
```

```
## Linear mixed model fit by maximum likelihood . t-tests use Satterthwaite's
## method [lmerModLmerTest]
## Formula: spp_half_cover_date ~ state * year + insecticide * year + (1 |
```

```

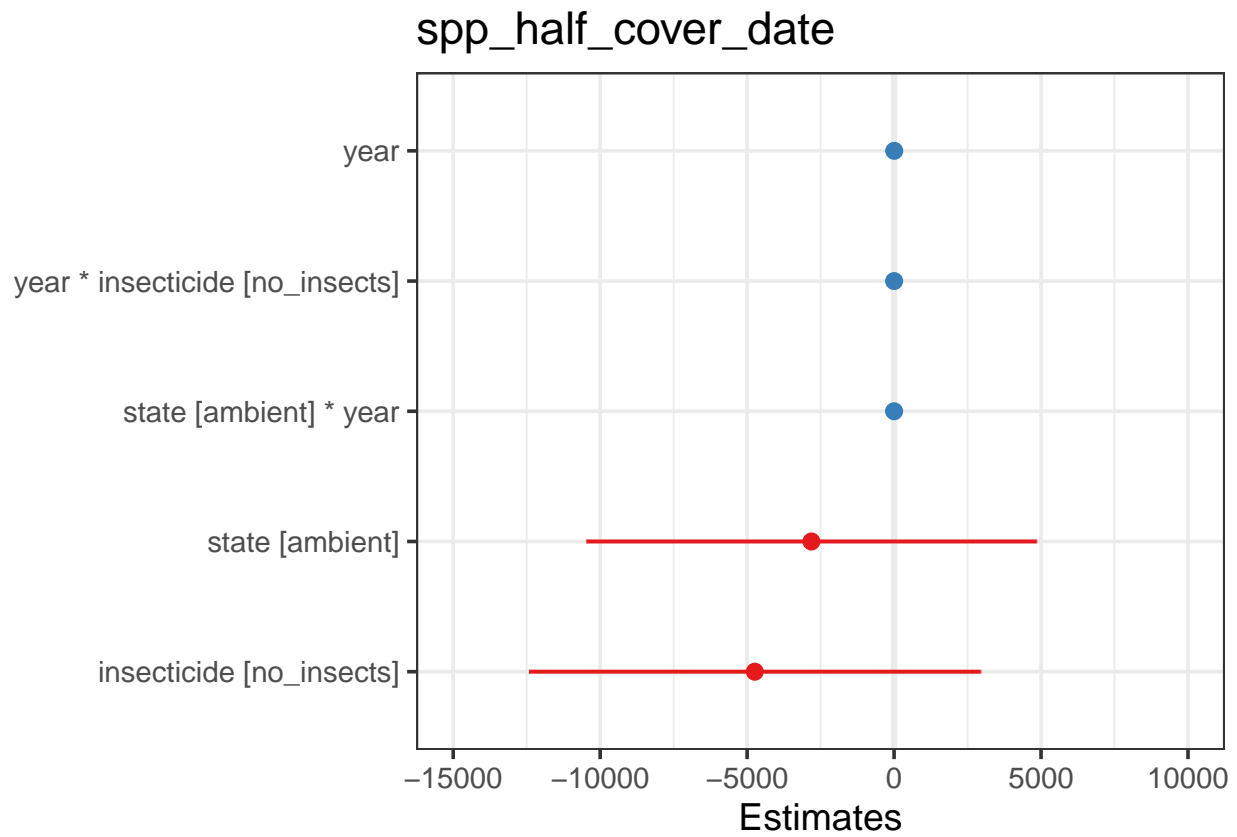
##      species) + (1 | plot)
##      Data: green_kbs
##
##      AIC      BIC    logLik deviance df.resid
## 13585.9 13632.2 -6784.0 13567.9      1259
##
## Scaled residuals:
##      Min       1Q   Median       3Q      Max
## -2.1194 -0.7683 -0.2513  0.6857  3.2607
##
## Random effects:
##      Groups      Name      Variance Std.Dev.
##      plot      (Intercept)  32.77    5.725
##      species  (Intercept)  930.34   30.502
##      Residual                2449.77  49.495
## Number of obs: 1268, groups: plot, 24; species, 21
##
## Fixed effects:
##
##              Estimate Std. Error      df t value Pr(>|t|)
## (Intercept)    -11128.065    3367.723   1236.896   -3.304 0.000979
## stateambient     -2812.392    3902.785   1235.866   -0.721 0.471285
## year              5.589      1.669    1236.892    3.349 0.000836
## insecticideno_insects -4738.174   3915.775   1233.884   -1.210 0.226502
## stateambient:year    1.396      1.934   1235.875    0.722 0.470576
## year:insecticideno_insects 2.351      1.941   1233.896    1.212 0.225879
##
## (Intercept)          ***
## stateambient
## year                  ***
## insecticideno_insects
## stateambient:year
## year:insecticideno_insects
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Correlation of Fixed Effects:
##              (Intr) sttmbn year   insct_ sttmb:
## stateambint -0.583
## year        -1.000  0.583
## insctcdn_ns -0.519 -0.062  0.519
## statmbnt:yr  0.583 -1.000 -0.583  0.062
## yr:nsctcdn_  0.519  0.062 -0.519 -1.000 -0.062
## fit warnings:
## Some predictor variables are on very different scales: consider rescaling
summary(mod2)

## Linear mixed model fit by maximum likelihood . t-tests use Satterthwaite's
## method [lmerModLmerTest]
## Formula: spp_half_cover_date ~ state * year + insecticide * year + (1 |
##      species)
##      Data: green_kbs
##
##      AIC      BIC    logLik deviance df.resid
## 13587.3 13628.4 -6785.6 13571.3      1260

```

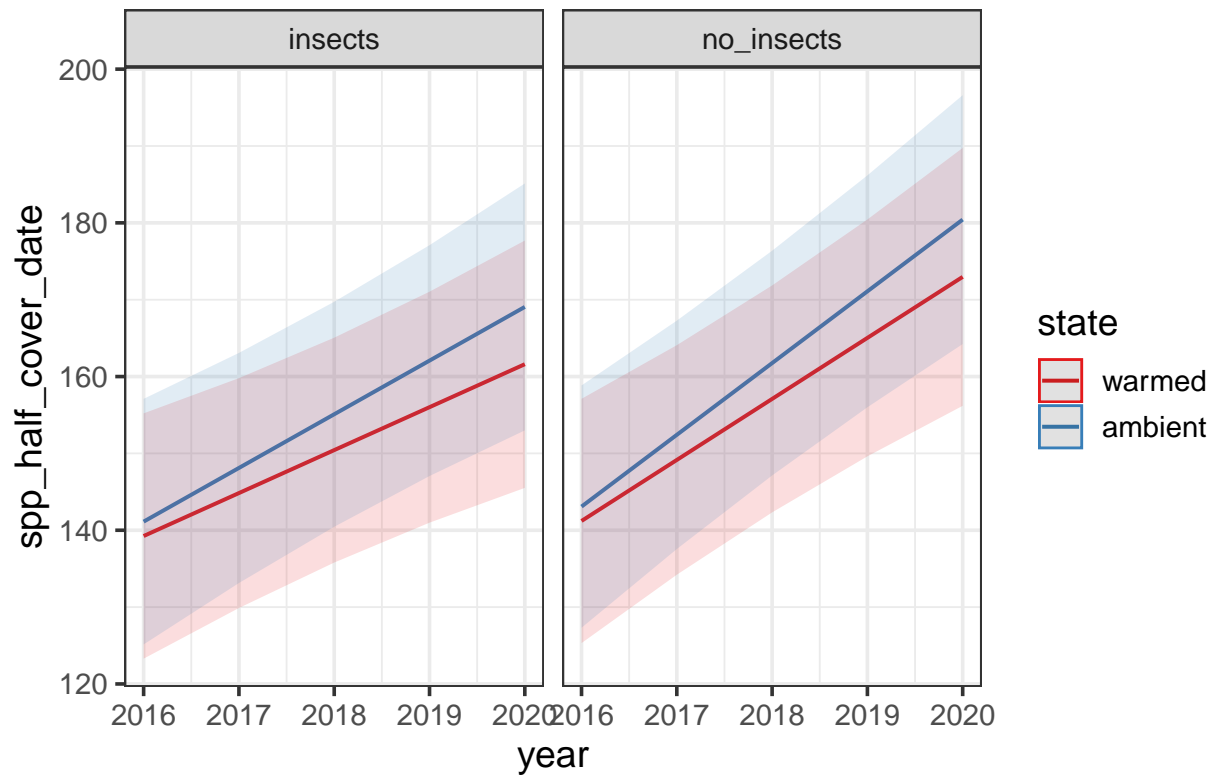
```
##
## Scaled residuals:
##      Min       1Q   Median       3Q      Max
## -2.2600 -0.7665 -0.2441  0.6924  3.2567
##
## Random effects:
##   Groups   Name      Variance Std.Dev.
##   species (Intercept) 951.2   30.84
##   Residual          2479.5   49.79
## Number of obs: 1268, groups: species, 21
##
## Fixed effects:
##              Estimate Std. Error      df t value Pr(>|t|)
## (Intercept)    -10945.494   3381.228  1247.990  -3.237  0.00124 **
## stateambient     -2850.741   3918.330  1247.175  -0.728  0.46703
## year              5.498     1.676   1247.982   3.282  0.00106 **
## insecticideno_insects -4965.169  3933.683  1247.647  -1.262  0.20711
## stateambient:year    1.415     1.942   1247.177   0.729  0.46635
## year:insecticideno_insects 2.464     1.949   1247.650   1.264  0.20647
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Correlation of Fixed Effects:
##              (Intr) sttmbn year   insct_ sttmb:
## stateambint -0.583
## year        -1.000  0.583
## insctcdn_ns -0.520 -0.061  0.520
## statmbnt:yr  0.583 -1.000 -0.583  0.061
## yr:nsctcdn_  0.520  0.061 -0.520 -1.000 -0.061
## fit warnings:
## Some predictor variables are on very different scales: consider rescaling

# Next, plot the model. There are multiple variables but
# here's one way to do it based on this package sjPlot:
# https://strengjacke.github.io/sjPlot/articles/plot\_model\_estimates.html
# Annoyingly, this package somehow overwrites the factor
# order in its plotting so we will have to modify the code to
# get warmed = red. I haven't figured this out yet. It does
# seem to work on some of the plots. hmm.
`?`(plot_model)
# Plot the fixed effects estimates for different models these
# are the fixed effects estimates from summary(mod5)
plot_model(mod1, sort.est = TRUE)
```



```
# these are the fixed predicted values:  
plot_model(mod1, type = "pred", terms = c("year", "state", "insecticide"))
```

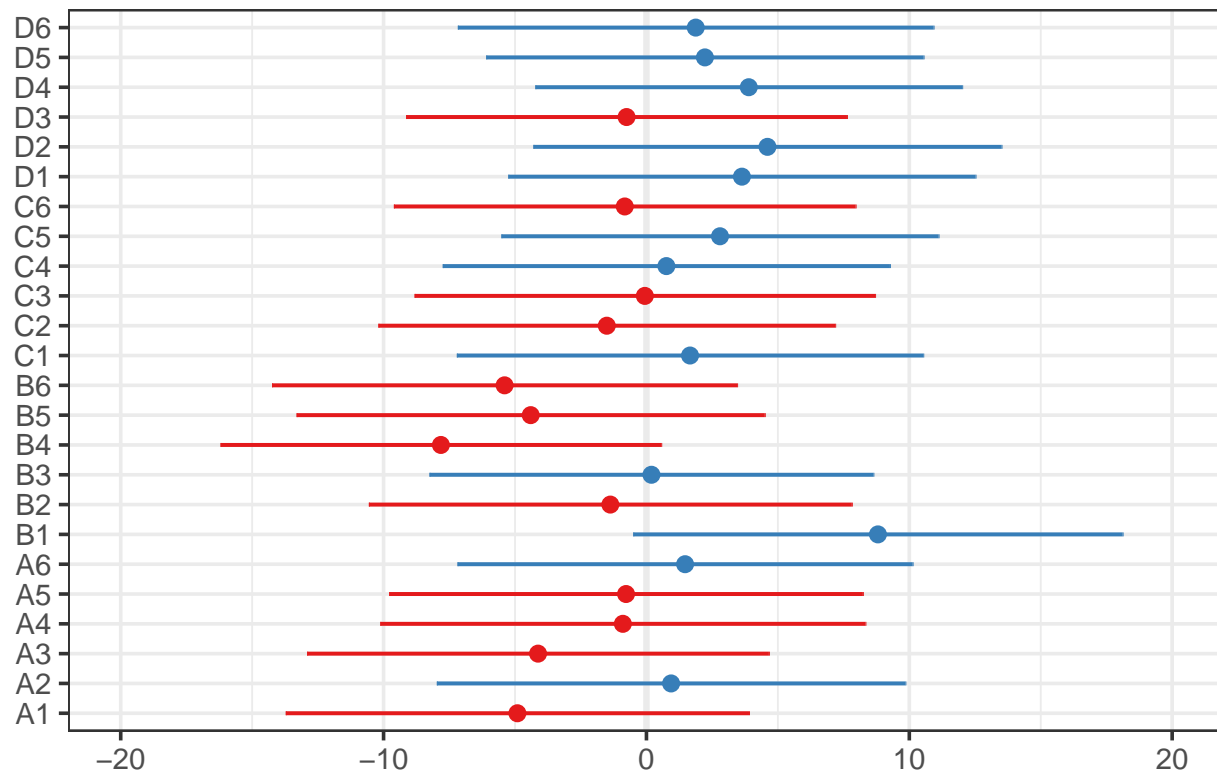

Predicted values of spp_half_cover_date



```
# these are the random effects estimates
plot_model(mod1, type = "re", terms = c("species", "plot"))
```

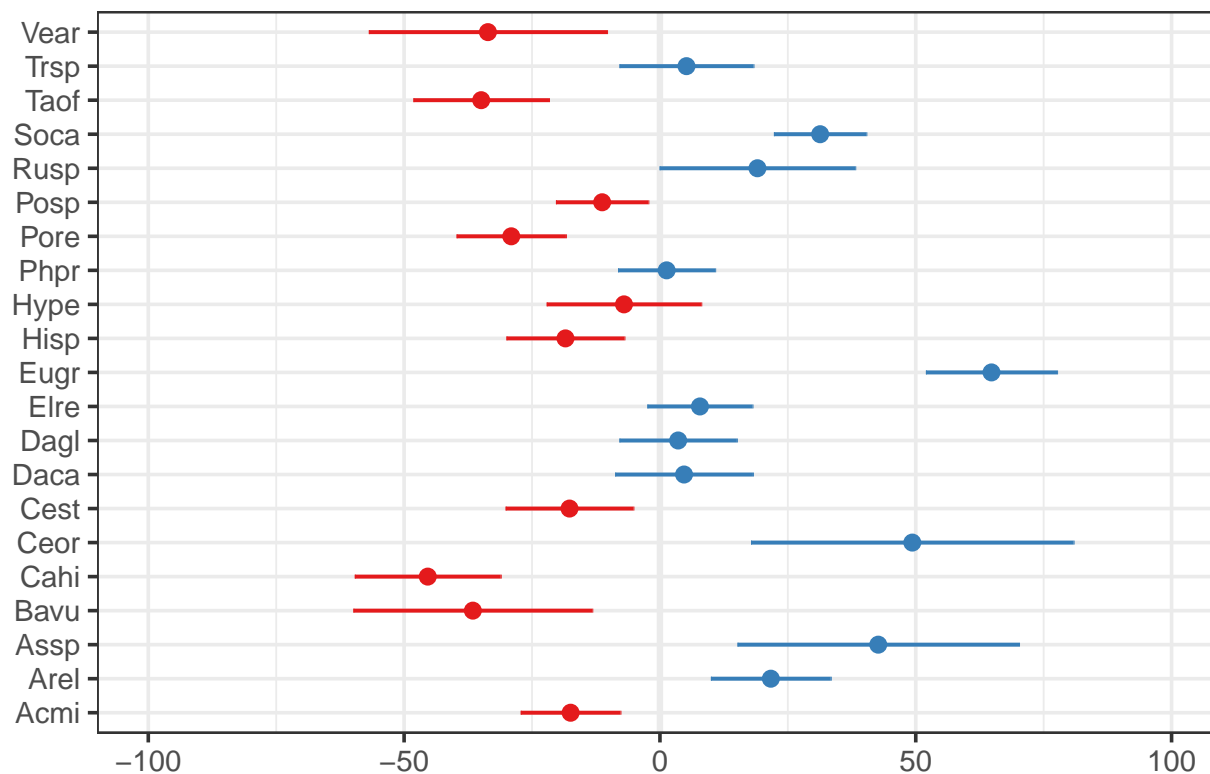
```
## [[1]]
```

Random effects



[[2]]

Random effects



Do we need to include insecticide?

```
mod3 <- lmer(spp_half_cover_date ~ state * year + (1 | species),
  green_kbs, REML = FALSE)
```

```
## Warning: Some predictor variables are on very different scales: consider
## rescaling
```

```
## Warning: Some predictor variables are on very different scales: consider
## rescaling
```

```
anova(mod1, mod3)
```

```
## Data: green_kbs
```

```
## Models:
```

```
## mod3: spp_half_cover_date ~ state * year + (1 | species)
```

```
## mod1: spp_half_cover_date ~ state * year + insecticide * year + (1 |
```

```
## mod1: species) + (1 | plot)
```

```
##      npar   AIC   BIC logLik deviance Chisq Df Pr(>Chisq)
```

```
## mod3    6 13591 13622 -6789.5    13579
```

```
## mod1    9 13586 13632 -6784.0    13568 10.994  3    0.01176 *
```

```
## ---
```

```
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
AICctab(mod1, mod3, weights = T)
```

```
##      dAICc df weight
```

```
## mod1 0.0   9  0.921
```

```
## mod3 4.9   6  0.079
```

```

# Looks like yes P<0.05, insecticide improves model fit so we
# will continue to include it and stick with mod1

# Does year need to be interactive with insecticide?
mod4 <- lmer(spp_half_cover_date ~ state * year + insecticide +
  (1 | species) + (1 | plot), green_kbs, REML = FALSE)

## Warning: Some predictor variables are on very different scales: consider
## rescaling

## Warning: Some predictor variables are on very different scales: consider
## rescaling

anova(mod1, mod4)

## Data: green_kbs
## Models:
## mod4: spp_half_cover_date ~ state * year + insecticide + (1 | species) +
## mod4: (1 | plot)
## mod1: spp_half_cover_date ~ state * year + insecticide * year + (1 |
## mod1: species) + (1 | plot)
##      npar   AIC    BIC logLik deviance Chisq Df Pr(>Chisq)
## mod4      8 13585 13626 -6784.7    13569
## mod1      9 13586 13632 -6784.0    13568 1.4664  1      0.2259

# No, P>0.05 so insecticide*year doesn't strongly improve
# model fit so we will shift to mod4
anova(mod3, mod4)

## Data: green_kbs
## Models:
## mod3: spp_half_cover_date ~ state * year + (1 | species)
## mod4: spp_half_cover_date ~ state * year + insecticide + (1 | species) +
## mod4: (1 | plot)
##      npar   AIC    BIC logLik deviance Chisq Df Pr(>Chisq)
## mod3      6 13591 13622 -6789.5    13579
## mod4      8 13585 13626 -6784.7    13569 9.5277  2    0.008533 **
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

# Yes, P<0.05 so insecticide still improves model fit so we
# will stay with mod4

# Does year need to be interactive with state?
mod5 <- lmer(spp_half_cover_date ~ state + year + insecticide +
  (1 | species) + (1 | plot), green_kbs, REML = FALSE)
anova(mod4, mod5)

## Data: green_kbs
## Models:
## mod5: spp_half_cover_date ~ state + year + insecticide + (1 | species) +
## mod5: (1 | plot)
## mod4: spp_half_cover_date ~ state * year + insecticide + (1 | species) +
## mod4: (1 | plot)
##      npar   AIC    BIC logLik deviance Chisq Df Pr(>Chisq)
## mod5      7 13584 13620 -6785.0    13570

```

```
## mod4      8 13585 13626 -6784.7    13569 0.6369 1      0.4249
AICctab(mod4, mod5, weights = T)

##      dAICc df weight
## mod5 0.0   7  0.67
## mod4 1.4   8  0.33

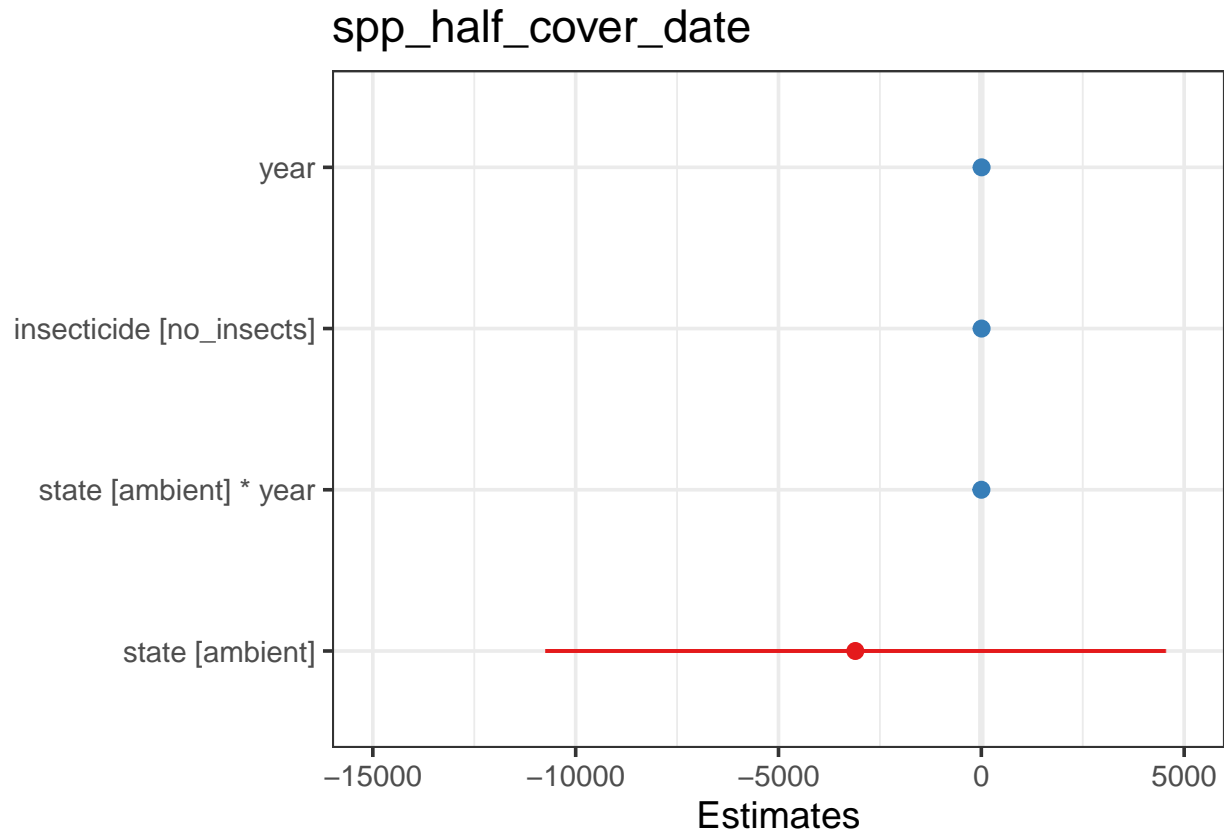
# No, P>0.05 so state*year doesn't improve model fit so we
# could drop it and go with mod5, but note that the AIC
# values are super close. mod4 makes sense, with increased
# divergence between warmed and ambient.
summary(mod5)

## Linear mixed model fit by maximum likelihood . t-tests use Satterthwaite's
## method [lmerModLmerTest]
## Formula: spp_half_cover_date ~ state + year + insecticide + (1 | species) +
## (1 | plot)
## Data: green_kbs
##
##      AIC      BIC    logLik deviance df.resid
##    13584    13620     -6785    13570     1261
##
## Scaled residuals:
##      Min       1Q   Median       3Q      Max
## -2.1127 -0.7727 -0.2469  0.6665  3.1808
##
## Random effects:
## Groups Name Variance Std.Dev.
## plot (Intercept) 33.61 5.798
## species (Intercept) 931.11 30.514
## Residual 2453.43 49.532
## Number of obs: 1268, groups: plot, 24; species, 21
##
## Fixed effects:
##              Estimate Std. Error      df t value Pr(>|t|)
## (Intercept) -1.491e+04  1.995e+03  1.241e+03 -7.470 1.51e-13 ***
## stateambient  4.622e+00  3.701e+00  2.128e+01  1.249  0.2253
## year         7.461e+00  9.888e-01  1.241e+03  7.545 8.70e-14 ***
## insecticideno_insects 6.441e+00  3.692e+00  2.101e+01  1.745  0.0956 .
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Correlation of Fixed Effects:
##              (Intr) sttmbn year
## stateambint  0.025
## year        -1.000 -0.026
## insctcdn_ns -0.060 -0.038  0.059
anova(mod4)

## Type III Analysis of Variance Table with Satterthwaite's method
##              Sum Sq Mean Sq NumDF DenDF F value Pr(>F)
## state         1558    1558      1 1235.90  0.6352  0.42561
## year        137200  137200      1 1241.48 55.9464 1.404e-13 ***
## insecticide   7282    7282      1   21.05  2.9693  0.09952 .
```

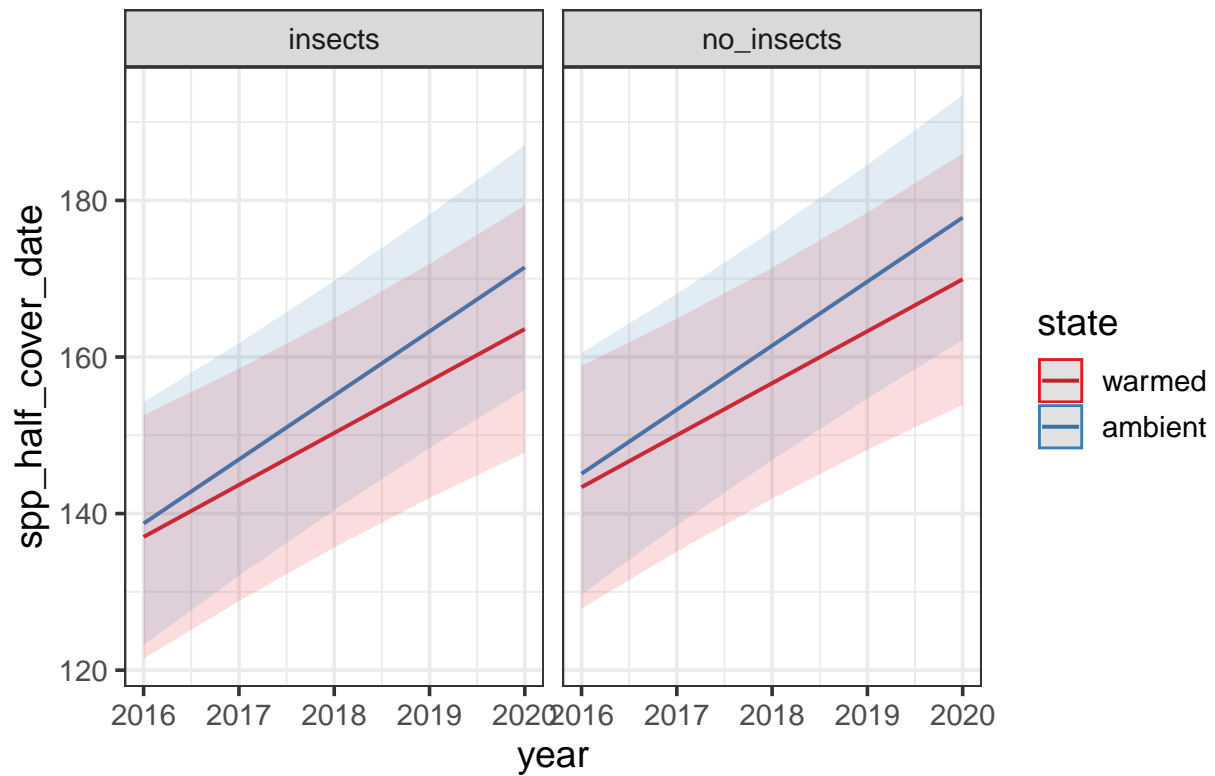
```
## state:year    1562    1562    1 1235.91  0.6371  0.42493
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

# these are the fixed effects estimates from summary(mod4)
plot_model(mod4, sort.est = TRUE)
```



```
# these are the fixed predicted values:
plot_model(mod4, type = "pred", terms = c("year", "state", "insecticide"))
```

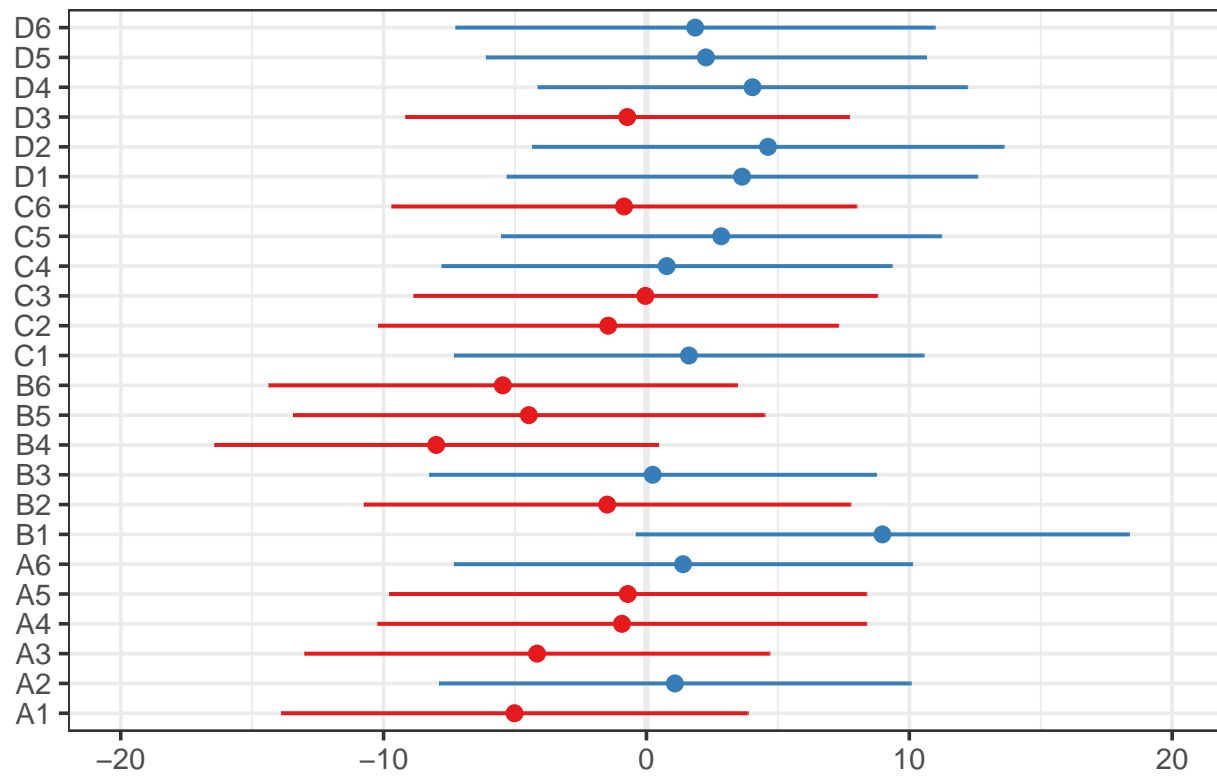
Predicted values of spp_half_cover_date



```
# these are the random effects estimates  
plot_model(mod4, type = "re", terms = c("species", "plot"))
```

```
## [[1]]
```

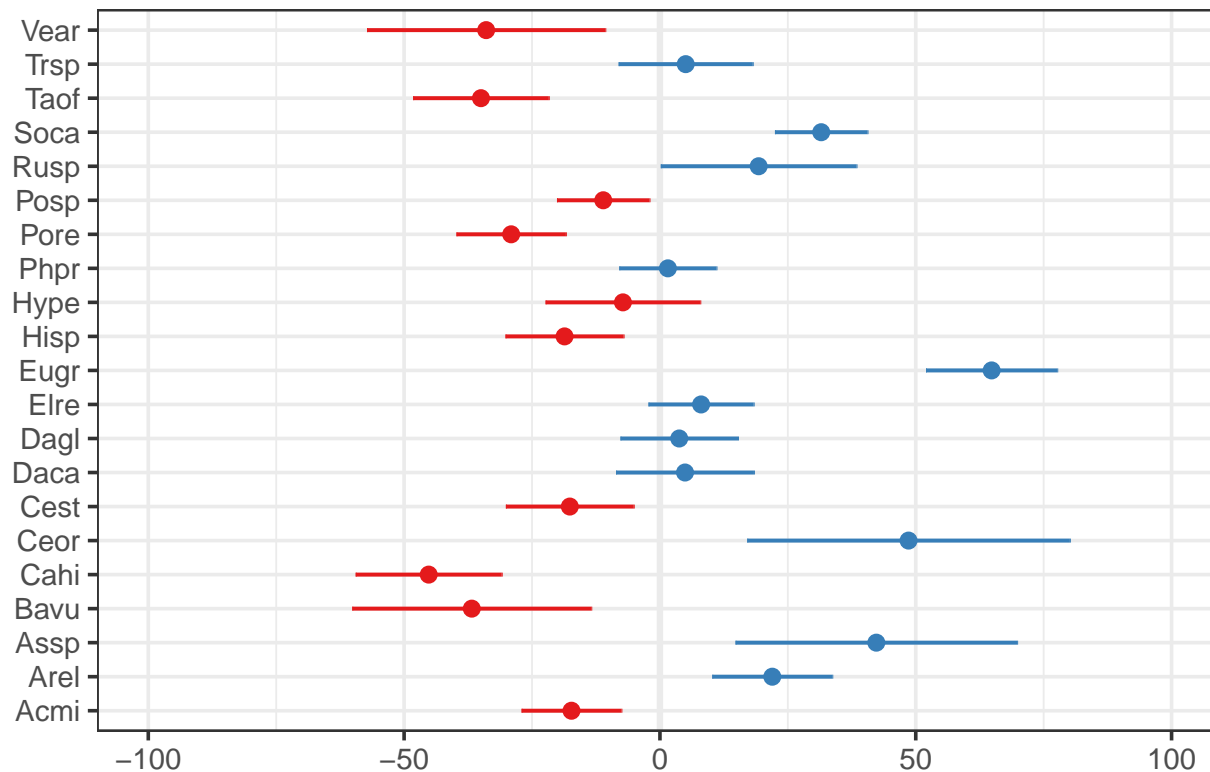
Random effects



##

[[2]]

Random effects



```
# If we wanted to include plots nested within year it would
# look like this:
mod6 <- lmer(spp_half_cover_date ~ state * year + insecticide +
  (1 | species) + (1 + year | plot), green_kbs, REML = FALSE)
```

```
## Warning: Some predictor variables are on very different scales: consider
## rescaling
```

```
## boundary (singular) fit: see ?isSingular
```

```
## Warning: Some predictor variables are on very different scales: consider
## rescaling
```

```
## Warning: Model failed to converge with 1 negative eigenvalue: -3.6e-01
```

```
anova(mod4, mod6)
```

```
## Data: green_kbs
```

```
## Models:
```

```
## mod4: spp_half_cover_date ~ state * year + insecticide + (1 | species) +
```

```
## mod4:      (1 | plot)
```

```
## mod6: spp_half_cover_date ~ state * year + insecticide + (1 | species) +
```

```
## mod6:      (1 + year | plot)
```

```
##      npar   AIC   BIC logLik deviance Chisq Df Pr(>Chisq)
```

```
## mod4      8 13585 13626 -6784.7   13569
```

```
## mod6     10 13596 13647 -6787.8   13576    0  2          1
```

```
anova(mod6)
```

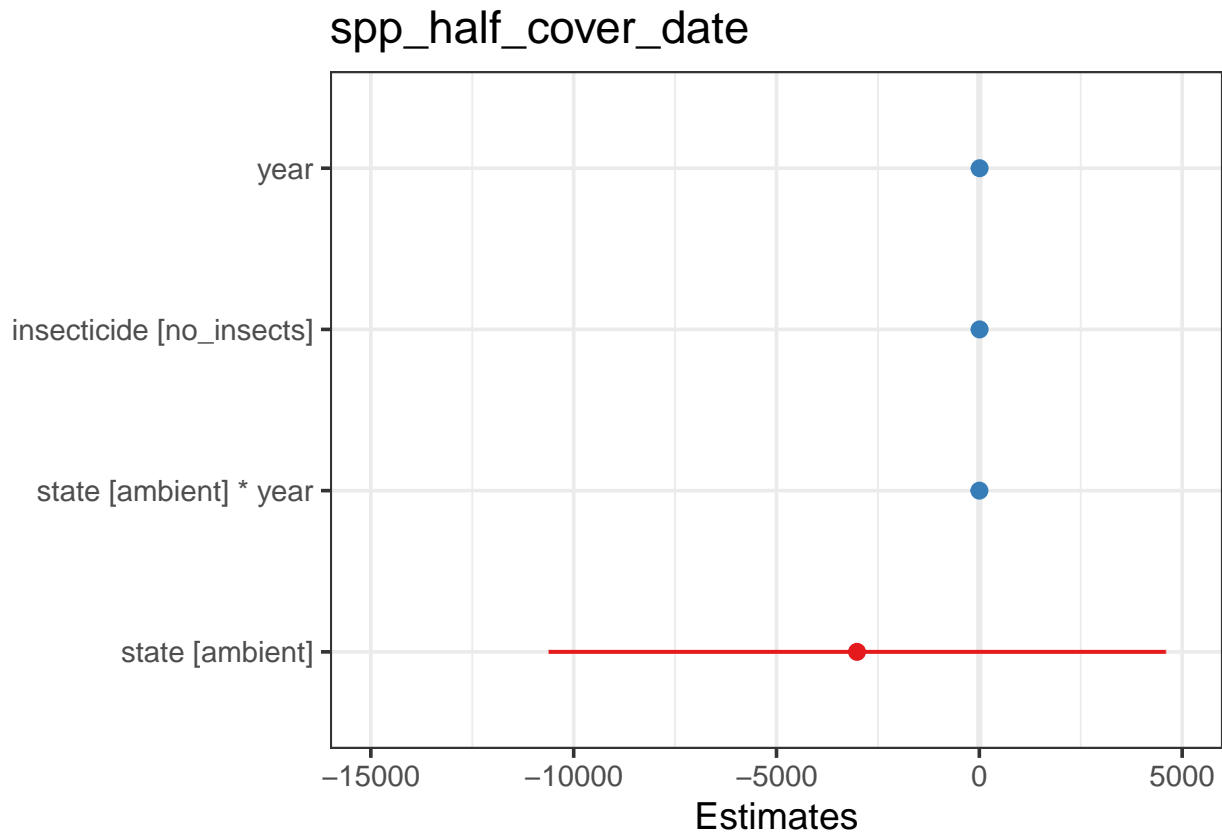
```
## Type III Analysis of Variance Table with Satterthwaite's method
```

```
##              Sum Sq Mean Sq NumDF   DenDF F value    Pr(>F)
```

```
## state      1467      1467      1 1232.41  0.6049   0.4369
## year       134924   134924      1 1238.24 55.6476 1.626e-13 ***
## insecticide 6552     6552      1   19.58  2.7021   0.1162
## state:year   1471     1471      1 1232.41  0.6068   0.4362
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
# Yup, seems to matter but it is making this more complex,
# though not overly so because it's on the random effects
# structure only.
```

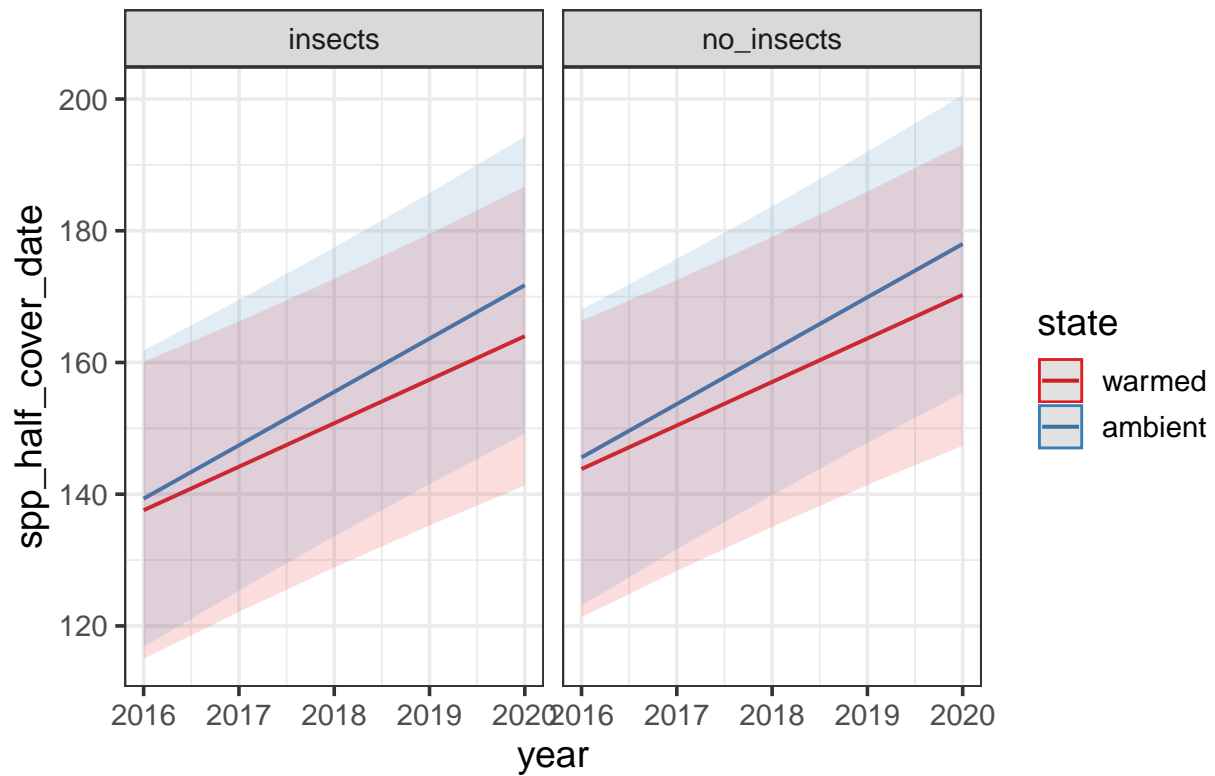
```
plot_model(mod6, sort.est = TRUE)
```



```
# these are the fixed predicted values:
```

```
plot_model(mod6, type = "pred", terms = c("year", "state", "insecticide"))
```

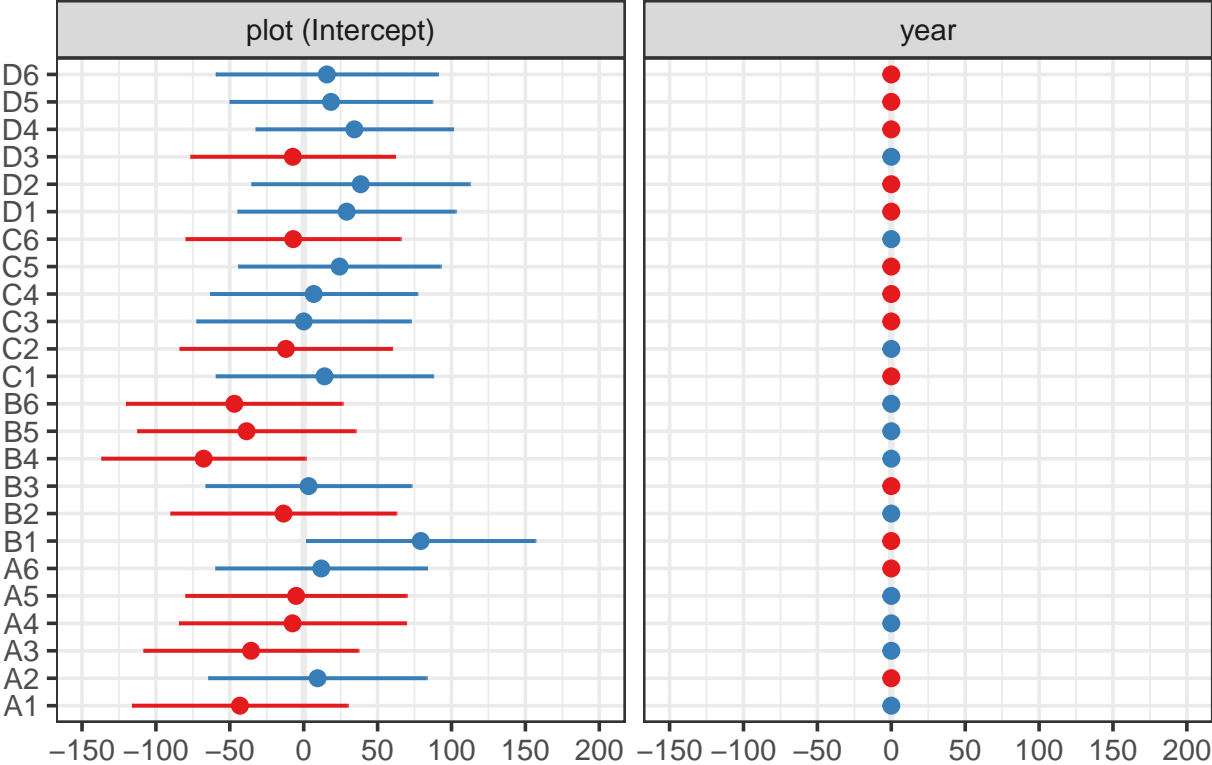
Predicted values of spp_half_cover_date



```
# these are the random effects estimates
plot_model(mod6, type = "re", terms = c("species", "plot"))
```

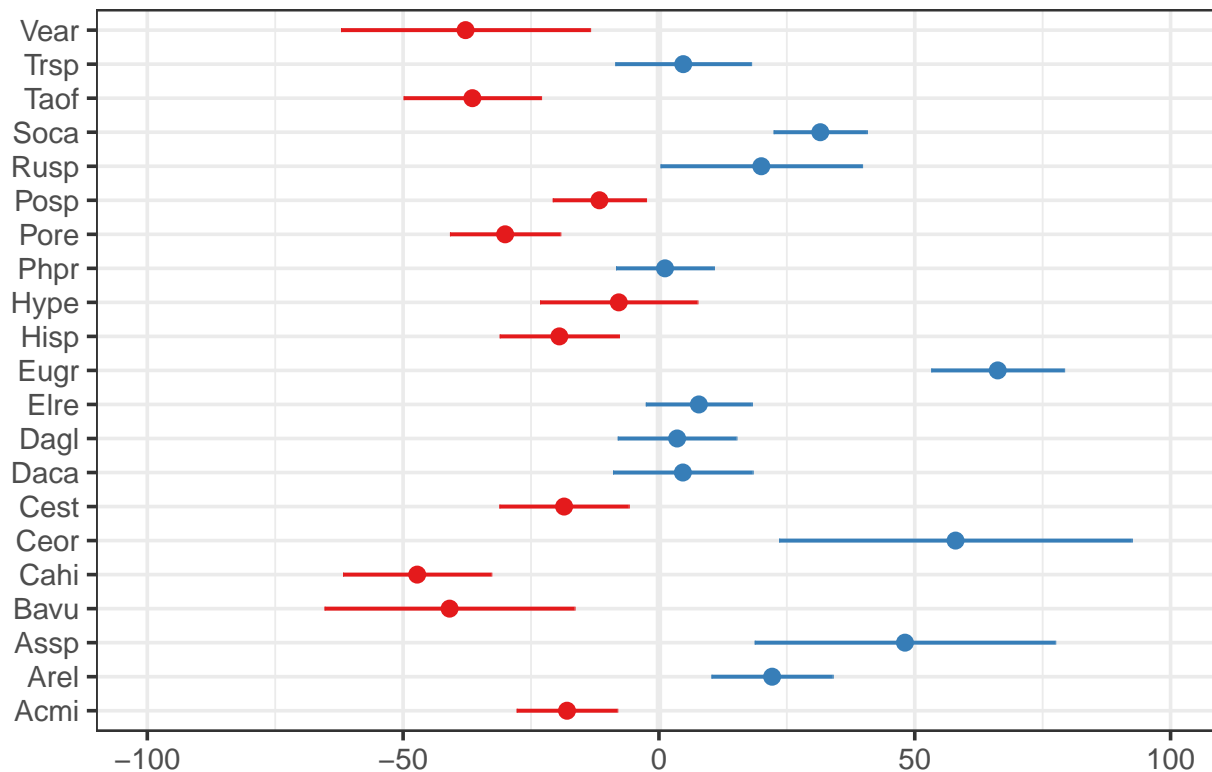
```
## [[1]]
```

Random effects



[[2]]

Random effects



mod4 (and mod6) are pretty complex in terms of interpretation (they actually don't have many parameters though). We could consider an alternative model that's simpler to understand and also one that provides more insight about the species. That would be something like this:

```
mod7 <- lmer(spp_half_cover_date ~ state + species + (1 + year | plot), green_kbs, REML = FALSE)
```

boundary (singular) fit: see ?isSingular

Warning: Model failed to converge with 1 negative eigenvalue: -3.2e-01

```
mod7a <- lmer(spp_half_cover_date ~ state + species + year + (1 | plot), green_kbs, REML = FALSE)
```

anova(mod6, mod7) # model 7 is a better fit to data

Data: green_kbs

Models:

mod6: spp_half_cover_date ~ state * year + insecticide + (1 | species) +

mod6: (1 + year | plot)

mod7: spp_half_cover_date ~ state + species + (1 + year | plot)

	npar	AIC	BIC	logLik	deviance	Chisq	Df	Pr(>Chisq)
## mod6	10	13596	13647	-6787.8	13576			
## mod7	26	13595	13729	-6771.6	13543	32.465	16	0.008694 **

mod6 10 13596 13647 -6787.8 13576

mod7 26 13595 13729 -6771.6 13543 32.465 16 0.008694 **

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

```
anova(mod7, mod7a) #mod 7a?
```

```
## Data: green_kbs
## Models:
## mod7a: spp_half_cover_date ~ state + species + year + (1 | plot)
## mod7: spp_half_cover_date ~ state + species + (1 + year | plot)
##      npar    AIC    BIC logLik deviance Chisq Df Pr(>Chisq)
## mod7a   25 13539 13668 -6744.6    13489
## mod7    26 13595 13729 -6771.6    13543      0  1          1
```

```
summary(mod7)
```

```
## Linear mixed model fit by maximum likelihood . t-tests use Satterthwaite's
## method [lmerModLmerTest]
## Formula: spp_half_cover_date ~ state + species + (1 + year | plot)
## Data: green_kbs
##
##      AIC      BIC   logLik deviance df.resid
## 13595.1 13728.9 -6771.6  13543.1      1242
##
## Scaled residuals:
##      Min       1Q   Median       3Q      Max
## -2.1232 -0.7237 -0.2572  0.7334  3.4828
##
## Random effects:
## Groups Name Variance Std.Dev. Corr
## plot (Intercept) 2.537e+03 50.36370
## year 4.741e-04 0.02177 -1.00
## Residual 2.518e+03 50.17603
## Number of obs: 1268, groups: plot, 24
##
## Fixed effects:
## Estimate Std. Error df t value Pr(>|t|)
## (Intercept) 133.901 5.546 302.106 24.143 < 2e-16 ***
## stateambient 5.412 3.897 21.438 1.389 0.179229
## speciesArel 44.169 7.844 1260.160 5.631 2.21e-08 ***
## speciesAssp 70.545 16.757 1267.942 4.210 2.73e-05 ***
## speciesBavu -22.949 13.996 1267.915 -1.640 0.101318
## speciesCahi -35.193 9.011 1257.335 -3.906 9.90e-05 ***
## speciesCeor 84.001 19.822 1261.449 4.238 2.42e-05 ***
## speciesCest -5.209 8.183 1253.784 -0.637 0.524527
## speciesDaca 19.856 8.627 1256.246 2.302 0.021515 *
## speciesDagl 24.693 7.743 1258.750 3.189 0.001462 **
## speciesElre 30.733 7.252 1252.267 4.238 2.42e-05 ***
## speciesEugr 88.527 8.335 1264.020 10.621 < 2e-16 ***
## speciesHisp -1.916 7.762 1250.982 -0.247 0.805081
## speciesHype 12.271 9.416 1266.314 1.303 0.192754
## speciesPhpr 20.661 6.936 1250.109 2.979 0.002948 **
## speciesPore -11.775 7.410 1256.420 -1.589 0.112266
## speciesPosp 7.985 6.762 1247.878 1.181 0.237868
## speciesRusp 43.145 11.525 1262.439 3.744 0.000189 ***
## speciesSoca 51.527 6.762 1247.878 7.620 4.99e-14 ***
## speciesTaof -19.080 8.535 1265.042 -2.236 0.025558 *
## speciesTrsp 20.983 8.462 1254.243 2.480 0.013279 *
```

```

## speciesVear    -27.931      13.943 1264.466  -2.003 0.045361 *
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

##
## Correlation matrix not shown by default, as p = 22 > 12.
## Use print(x, correlation=TRUE) or
##      vcov(x)          if you need it

## convergence code: 0
## boundary (singular) fit: see ?isSingular

summary(mod7a)

## Linear mixed model fit by maximum likelihood . t-tests use Satterthwaite's
## method [lmerModLmerTest]
## Formula: spp_half_cover_date ~ state + species + year + (1 | plot)
## Data: green_kbs
##
##      AIC      BIC    logLik deviance df.resid
## 13539.1 13667.8 -6744.6 13489.1     1243
##
## Scaled residuals:
##      Min       1Q   Median       3Q      Max
## -2.1388 -0.7706 -0.2263  0.6478  3.2151
##
## Random effects:
## Groups Name Variance Std.Dev.
## plot (Intercept) 40.94 6.398
## Residual 2411.99 49.112
## Number of obs: 1268, groups: plot, 24
##
## Fixed effects:
##              Estimate Std. Error      df t value Pr(>|t|)
## (Intercept) -1.455e+04 1.978e+03 1.260e+03 -7.354 3.45e-13 ***
## stateambient 4.749e+00 3.846e+00 2.368e+01 1.235 0.229105
## speciesArel 4.046e+01 7.694e+00 1.258e+03 5.258 1.71e-07 ***
## speciesAssp 7.136e+01 1.640e+01 1.267e+03 4.350 1.47e-05 ***
## speciesBavu -2.536e+01 1.371e+01 1.267e+03 -1.851 0.064438 .
## speciesCahi -3.039e+01 8.844e+00 1.256e+03 -3.436 0.000609 ***
## speciesCeor 8.460e+01 1.941e+01 1.264e+03 4.360 1.41e-05 ***
## speciesCest -9.968e-01 8.030e+00 1.252e+03 -0.124 0.901234
## speciesDaca 2.287e+01 8.454e+00 1.254e+03 2.706 0.006907 **
## speciesDagl 2.196e+01 7.588e+00 1.257e+03 2.894 0.003864 **
## speciesElre 2.611e+01 7.125e+00 1.251e+03 3.664 0.000259 ***
## speciesEugr 8.560e+01 8.169e+00 1.262e+03 10.479 < 2e-16 ***
## speciesHisp -1.986e+00 7.598e+00 1.249e+03 -0.261 0.793833
## speciesHype 1.007e+01 9.222e+00 1.265e+03 1.092 0.275143
## speciesPhpr 1.943e+01 6.791e+00 1.248e+03 2.861 0.004294 **
## speciesPore -1.242e+01 7.253e+00 1.254e+03 -1.712 0.087177 .
## speciesPosp 6.386e+00 6.622e+00 1.246e+03 0.964 0.335077
## speciesRusp 3.981e+01 1.129e+01 1.265e+03 3.526 0.000437 ***
## speciesSoca 4.993e+01 6.622e+00 1.246e+03 7.539 9.05e-14 ***
## speciesTaof -1.925e+01 8.355e+00 1.263e+03 -2.304 0.021402 *
## speciesTrsp 2.263e+01 8.286e+00 1.252e+03 2.731 0.006399 **
## speciesVear -2.294e+01 1.366e+01 1.263e+03 -1.679 0.093372 .

```

```
## year          7.277e+00  9.805e-01  1.260e+03   7.422 2.12e-13 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

##
## Correlation matrix not shown by default, as p = 23 > 12.
## Use print(x, correlation=TRUE) or
##      vcov(x)          if you need it

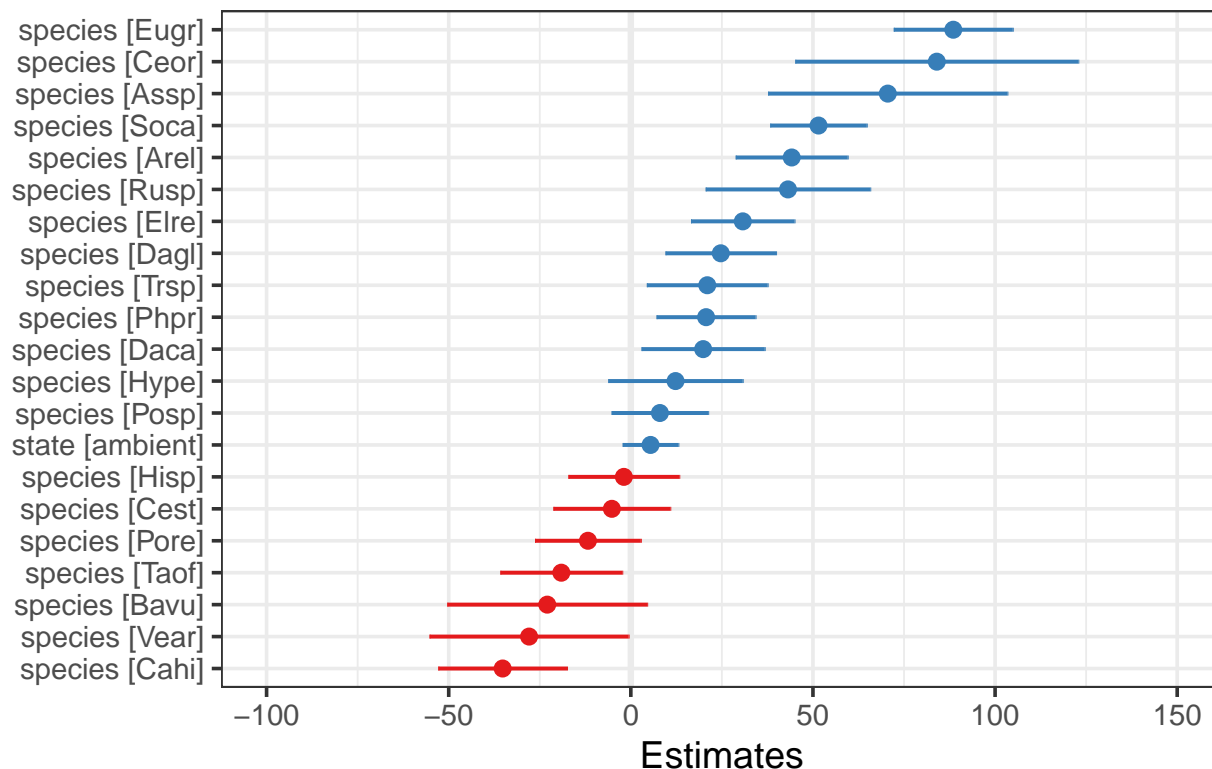
anova(mod7a) # investigates whether at least one of the levels within each factor is significantly dif

## Type III Analysis of Variance Table with Satterthwaite's method
##           Sum Sq Mean Sq NumDF   DenDF F value    Pr(>F)
## state      3676     3676     1    23.68  1.5241    0.2291
## species 890400    44520    20 1259.23 18.4578 < 2.2e-16 ***
## year      132866   132866     1 1259.80 55.0857 2.116e-13 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

# Yes, at least one of the species is different (they do not
# all have the same half cover dates).

# Take a look at the estimates for each fixed effect. These
# are the estimates from summary(mod8). You'll see that
# species vary a lot - and many of them are different from
# zero (meaning their half cover date is significantly
# different from zero).
plot_model(mod7, sort.est = TRUE)
```

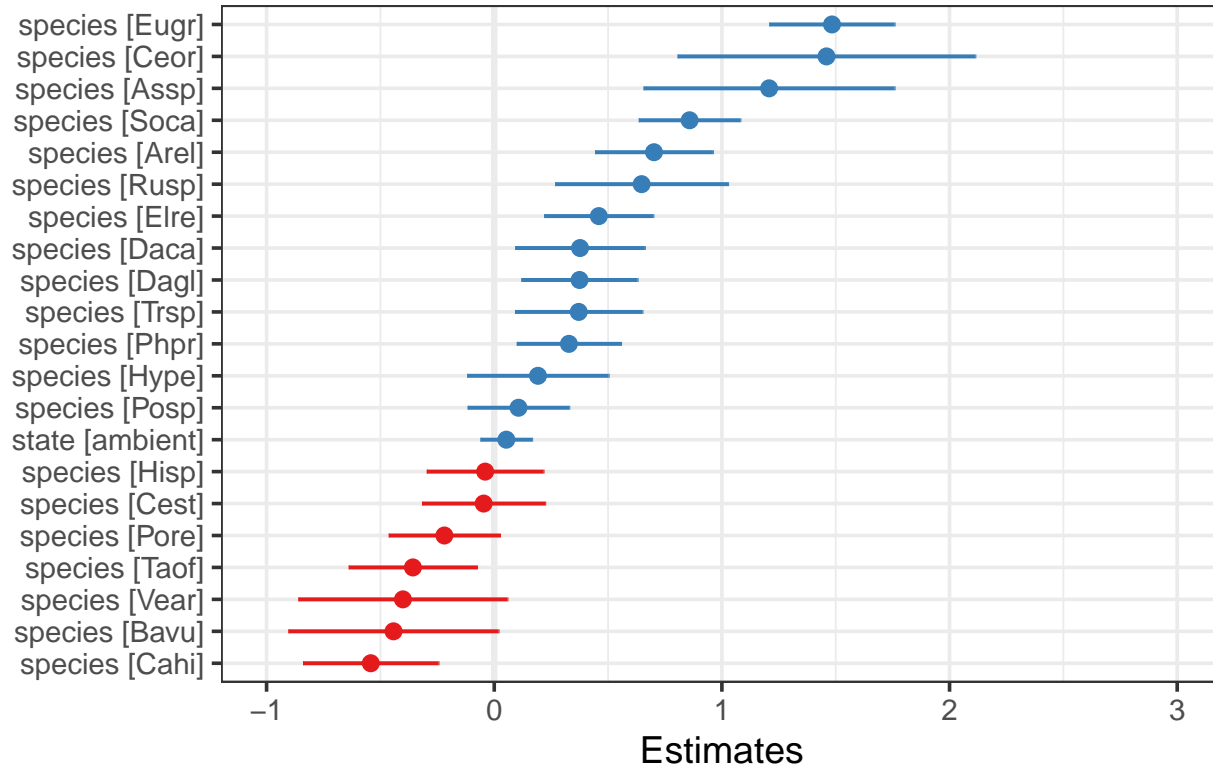
spp_half_cover_date




```
# if you want to standardize the estimates:
plot_model(mod7, sort.est = TRUE, type = "std")
```

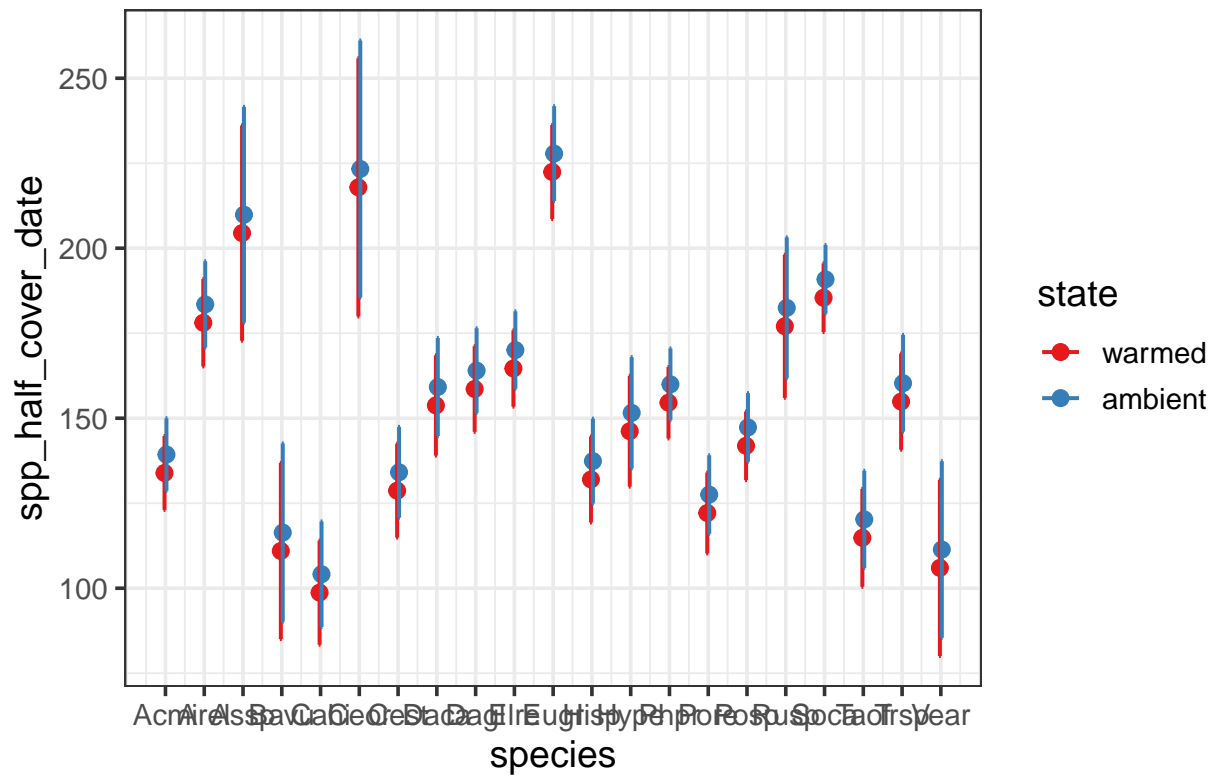
```
## boundary (singular) fit: see ?isSingular
```

spp_half_cover_date



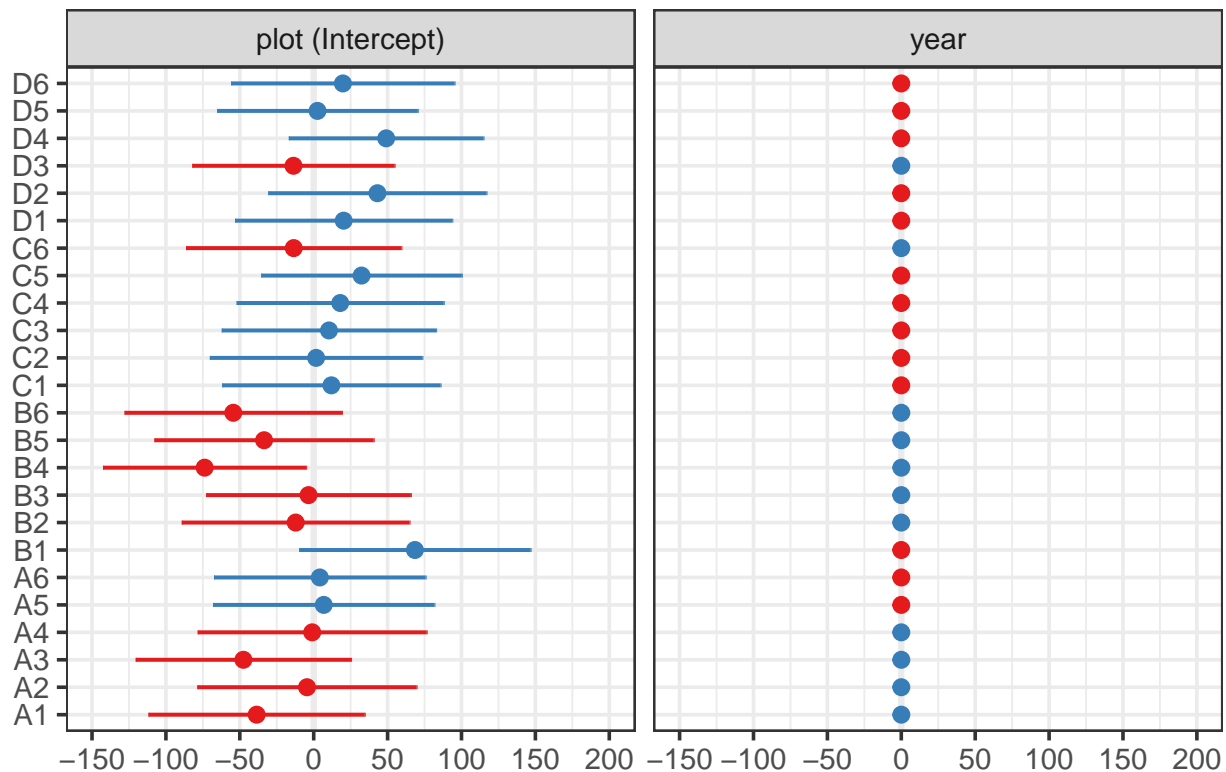
```
# these are the fixed predicted values: - note this is a new
# plot
plot_model(mod7, type = "pred", terms = c("species", "state"))
```

Predicted values of spp_half_cover_date



```
# these are the random effects estimates
plot_model(mod7, type = "re")
```

Random effects



```
# including native vs. exotic - first with interaction term
green_kbs <- within(green_kbs, origin <- relevel(factor(origin),
  ref = "Native")) # releveling so native is the reference
mod8 <- lmer(spp_half_cover_date ~ state * origin + (1 + year |
  plot), green_kbs, REML = FALSE)
```

```
## boundary (singular) fit: see ?isSingular
```

```
## Warning: Model failed to converge with 1 negative eigenvalue: -3.0e+00
```

```
summary(mod8)
```

```
## Linear mixed model fit by maximum likelihood . t-tests use Satterthwaite's
```

```
## method [lmerModLmerTest]
```

```
## Formula: spp_half_cover_date ~ state * origin + (1 + year | plot)
```

```
## Data: green_kbs
```

```
##
```

```
##      AIC      BIC    logLik deviance df.resid
```

```
## 13846.2 13908.0 -6911.1 13822.2     1256
```

```
##
```

```
## Scaled residuals:
```

```
##      Min       1Q   Median       3Q      Max
```

```
## -2.0748 -0.7603 -0.3229  0.8607  2.6743
```

```
##
```

```
## Random effects:
```

```
## Groups   Name      Variance Std.Dev. Corr
```

```
## plot     (Intercept) 3.166e+03 56.26769
```

```
##          year        9.676e-04 0.03111 -1.00
```

```
## Residual          3.143e+03 56.05923
```

```

## Number of obs: 1268, groups: plot, 24
##
## Fixed effects:
##
##              Estimate Std. Error      df t value Pr(>|t|)
## (Intercept)    178.588     5.187   221.879   34.429 < 2e-16 ***
## stateambient     -3.424     7.232   212.864   -0.473 0.636370
## origin          -43.746     8.704  1250.532   -5.026 5.74e-07 ***
## originBoth      -27.722     8.206  1262.022   -3.378 0.000752 ***
## originExotic    -34.513     5.740  1258.877   -6.012 2.39e-09 ***
## stateambient:origin    22.708    12.248  1249.339    1.854 0.063967 .
## stateambient:originBoth    8.813    11.208  1261.312    0.786 0.431839
## stateambient:originExotic    8.712     7.947  1257.347    1.096 0.273127
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Correlation of Fixed Effects:
##      (Intr) sttmbn origin orgnBt orgnEx sttmb: sttm:B
## stateambint -0.717
## origin      -0.518  0.371
## originBoth  -0.547  0.393  0.326
## originExotc -0.785  0.563  0.468  0.496
## sttmbnt:rgn  0.368 -0.511 -0.711 -0.232 -0.332
## sttmbnt:rgB  0.401 -0.557 -0.239 -0.732 -0.363  0.329
## sttmbnt:rgE  0.567 -0.787 -0.338 -0.359 -0.722  0.464  0.509
## convergence code: 0
## boundary (singular) fit: see ?isSingular
anova(mod8)

## Type III Analysis of Variance Table with Satterthwaite's method
##              Sum Sq Mean Sq NumDF   DenDF F value    Pr(>F)
## state          6109     6109     1    43.52  1.9438    0.1703
## origin       193547    64516     3  1256.73 20.5292 5.461e-13 ***
## state:origin  11046     3682     3  1256.73  1.1716    0.3193
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
# including native vs. exotic - first with interaction term
mod9 <- lmer(spp_half_cover_date ~ state + origin + (1 + year |
  plot), green_kbs, REML = FALSE)

## boundary (singular) fit: see ?isSingular
## Warning: Model failed to converge with 2 negative eigenvalues: -3.7e+00 -3.1e+07
mod9a <- lmer(spp_half_cover_date ~ state + origin + year + (1 |
  plot), green_kbs, REML = FALSE)
anova(mod8, mod9) # model 9 is a better fit to data

## Data: green_kbs
## Models:
## mod9: spp_half_cover_date ~ state + origin + (1 + year | plot)
## mod8: spp_half_cover_date ~ state * origin + (1 + year | plot)
##      npar   AIC   BIC logLik deviance Chisq Df Pr(>Chisq)
## mod9    9 13844 13890 -6912.9   13826
## mod8   12 13846 13908 -6911.1   13822 3.5035  3    0.3203

```

```
anova(mod9, mod9a) # mod 9a?
```

```
## Data: green_kbs
## Models:
## mod9a: spp_half_cover_date ~ state + origin + year + (1 | plot)
## mod9: spp_half_cover_date ~ state + origin + (1 + year | plot)
##      npar    AIC    BIC logLik deviance Chisq Df Pr(>Chisq)
## mod9a    8 13768 13810 -6876.2   13752
## mod9     9 13844 13890 -6912.9   13826    0  1          1
```

```
summary(mod9a)
```

```
## Linear mixed model fit by maximum likelihood . t-tests use Satterthwaite's
## method [lmerModLmerTest]
## Formula: spp_half_cover_date ~ state + origin + year + (1 | plot)
## Data: green_kbs
##
##      AIC      BIC   logLik deviance df.resid
## 13768.3 13809.5 -6876.2 13752.3      1260
##
## Scaled residuals:
##      Min       1Q   Median       3Q      Max
## -2.0457 -0.7656 -0.3324  0.8431  2.4332
##
## Random effects:
## Groups Name Variance Std.Dev.
## plot (Intercept) 51.94 7.207
## Residual 2967.56 54.475
## Number of obs: 1268, groups: plot, 24
##
## Fixed effects:
##      Estimate Std. Error      df t value Pr(>|t|)
## (Intercept) -18454.477 2137.756 1256.943 -8.633 < 2e-16 ***
## stateambient 4.139 4.267 24.778 0.970 0.341
## origin -32.633 5.951 1248.129 -5.484 5.03e-08 ***
## originBoth -21.481 5.436 1259.517 -3.952 8.20e-05 ***
## originExotic -29.216 3.859 1255.517 -7.570 7.19e-14 ***
## year 9.232 1.059 1256.954 8.714 < 2e-16 ***
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Correlation of Fixed Effects:
##      (Intr) sttmbn origin orgnBt orgnEx
## stateambient 0.014
## origin 0.007 0.006
## originBoth -0.037 -0.013 0.329
## originExotc -0.023 -0.010 0.464 0.511
## year -1.000 -0.015 -0.008 0.037 0.022
```

```
anova(mod9)
```

```
## Type III Analysis of Variance Table with Satterthwaite's method
##      Sum Sq Mean Sq NumDF DenDF F value Pr(>F)
## state 4238 4238 1 25.56 1.3439 0.2571
## origin 192106 64035 3 1256.32 20.3066 7.471e-13 ***
```

```
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

# including growth form - first with interaction term
green_kbs <- within(green_kbs, growth_habit <- relevel(factor(growth_habit),
  ref = "Forb")) # releveling so forb is the reference
mod10 <- lmer(spp_half_cover_date ~ state * growth_habit + (1 +
  year | plot), green_kbs, REML = FALSE)

## boundary (singular) fit: see ?isSingular

## Warning: Model failed to converge with 1 negative eigenvalue: -6.0e+00

summary(mod10)

## Linear mixed model fit by maximum likelihood . t-tests use Satterthwaite's
## method [lmerModLmerTest]
## Formula: spp_half_cover_date ~ state * growth_habit + (1 + year | plot)
## Data: green_kbs
##
##      AIC      BIC    logLik deviance df.resid
## 13889.9 13951.6 -6932.9 13865.9     1256
##
## Scaled residuals:
##      Min       1Q   Median       3Q      Max
## -1.8681 -0.7547 -0.3932  1.0247  2.6078
##
## Random effects:
## Groups   Name                Variance Std.Dev. Corr
## plot     (Intercept) 3.983e+03 63.11457
##          year        1.192e-03 0.03453 -1.00
## Residual                3.253e+03 57.03605
## Number of obs: 1268, groups: plot, 24
##
## Fixed effects:
##
##              Estimate Std. Error      df t value
## (Intercept)      149.324      3.813   65.819   39.166
## stateambient         1.475      5.245   59.894    0.281
## growth_habit       -4.164      7.763 1256.291   -0.536
## growth_habitGraminoid    6.806      5.034 1266.650    1.352
## growth_habitVine      79.828     40.617 1264.869    1.965
## stateambient:growth_habit    7.807     10.439 1257.052    0.748
## stateambient:growth_habitGraminoid    6.101      6.979 1263.506    0.874
## stateambient:growth_habitVine   -11.817     48.233 1267.988   -0.245
##
##              Pr(>|t|)
## (Intercept)      <2e-16 ***
## stateambient      0.7796
## growth_habit      0.5919
## growth_habitGraminoid    0.1767
## growth_habitVine    0.0496 *
## stateambient:growth_habit    0.4547
## stateambient:growth_habitGraminoid    0.3822
## stateambient:growth_habitVine    0.8065
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
```

```
## Correlation of Fixed Effects:
##          (Intr) sttmbn grwth_ grwt_G grwt_V sttm:_ stt:_G
## stateambint -0.727
## growth_habt -0.365  0.265
## grwth_hbtGr -0.571  0.415  0.276
## grwth_hbtVn -0.074  0.054  0.037  0.055
## sttmbnt:gr_  0.271 -0.367 -0.744 -0.205 -0.027
## sttmbnt:g_G  0.412 -0.554 -0.199 -0.721 -0.040  0.276
## sttmbnt:g_V  0.063 -0.084 -0.031 -0.047 -0.842  0.043  0.062
## convergence code: 0
## boundary (singular) fit: see ?isSingular

anova(mod10)

## Type III Analysis of Variance Table with Satterthwaite's method
##              Sum Sq Mean Sq NumDF    DenDF F value    Pr(>F)
## state              81    81.2      1   801.41  0.0250 0.8744865
## growth_habit     56135 18711.6      3  1262.77  5.7519 0.0006596 ***
## state:growth_habit  3710  1236.6      3  1262.77  0.3801 0.7673416
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

# including native vs. exotic - first with interaction term
mod11 <- lmer(spp_half_cover_date ~ state + growth_habit + (1 +
  year | plot), green_kbs, REML = FALSE)

## boundary (singular) fit: see ?isSingular
## Warning: Model failed to converge with 1 negative eigenvalue: -3.9e-01
mod11a <- lmer(spp_half_cover_date ~ state + growth_habit + year +
  (1 | plot), green_kbs, REML = FALSE)
anova(mod10, mod11) # model 11 is a better fit to data

## Data: green_kbs
## Models:
## mod11: spp_half_cover_date ~ state + growth_habit + (1 + year | plot)
## mod10: spp_half_cover_date ~ state * growth_habit + (1 + year | plot)
##      npar   AIC   BIC logLik deviance Chisq Df Pr(>Chisq)
## mod11    9 13885 13932 -6933.6   13867
## mod10   12 13890 13952 -6932.9   13866 1.4284  3    0.6989

anova(mod11, mod11a)

## Data: green_kbs
## Models:
## mod11a: spp_half_cover_date ~ state + growth_habit + year + (1 | plot)
## mod11: spp_half_cover_date ~ state + growth_habit + (1 + year | plot)
##      npar   AIC   BIC logLik deviance Chisq Df Pr(>Chisq)
## mod11a    8 13815 13856 -6899.4   13799
## mod11     9 13885 13932 -6933.6   13867    0  1          1

summary(mod11a)

## Linear mixed model fit by maximum likelihood . t-tests use Satterthwaite's
## method [lmerModLmerTest]
## Formula: spp_half_cover_date ~ state + growth_habit + year + (1 | plot)
## Data: green_kbs
```

```
##
##      AIC      BIC   logLik deviance df.resid
## 13814.9 13856.0 -6899.4 13798.9      1260
##
## Scaled residuals:
##      Min       1Q   Median       3Q      Max
## -1.8570 -0.8206 -0.3565  0.9522  2.3273
##
## Random effects:
##   Groups   Name      Variance Std.Dev.
##   plot     (Intercept)  52.34   7.235
##   Residual                3079.28  55.491
## Number of obs: 1268, groups: plot, 24
##
## Fixed effects:
##              Estimate Std. Error      df t value Pr(>|t|)
## (Intercept)   -1.824e+04  2.193e+03  1.259e+03  -8.318 2.31e-16 ***
## stateambient    3.904e+00  4.319e+00  2.498e+01   0.904 0.374654
## growth_habit   -1.793e-01  5.051e+00  1.256e+03  -0.035 0.971689
## growth_habitGraminoid 6.475e+00  3.420e+00  1.263e+03   1.893 0.058551 .
## growth_habitVine  7.104e+01  2.134e+01  1.264e+03   3.329 0.000896 ***
## year           9.114e+00  1.087e+00  1.259e+03   8.385 < 2e-16 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Correlation of Fixed Effects:
##              (Intr) sttmbn grwth_ grwt_G grwt_V
## stateambint  0.017
## growth_habt  0.005 -0.008
## grwth_hbtGr  0.123  0.026  0.275
## grwth_hbtVn -0.003 -0.019  0.049  0.066
## year        -1.000 -0.018 -0.006 -0.124  0.003
```

```
anova(mod11)
```

```
## Type III Analysis of Variance Table with Satterthwaite's method
##              Sum Sq Mean Sq NumDF   DenDF F value    Pr(>F)
## state          3586  3585.8      1    23.02  1.1027 0.3045818
## growth_habit  59585 19861.7      3 1260.56  6.1077 0.0004003 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
# You could now run some post hoc tests on these (see:
```

```
# https://stats.stackexchange.com/questions/169543/output-of-fixed-effects-summary-in-lmertest-in-r-and
```

```
# Here are some other options for plotting these plots above:
```

```
# https://stackoverflow.com/questions/31075407/plot-mixed-effects-model-in-ggplot
```

```
# Here's another approach:
```

```
# https://stats.stackexchange.com/questions/98958/plots-to-illustrate-results-of-linear-mixed-effect-mo
```

```
# Not quite working yet:
```

```
newdat <- expand.grid(state = unique(green_kbs$state), year = c(min(green_kbs$year),
  max(green_kbs$year)), insecticide = unique(green_kbs$insecticide))
```

```
# p <- ggplot(green_kbs, aes(x=year, y=spp_half_cover_date,
# colour=state, shape=insecticide)) + geom_point(size=3) +
```



```
# geom_line(aes(y=predict(mod5), group=species,
# size='species')) + geom_line(data=newdat,
# aes(y=predict(mod5, level=0, newdata=newdat),
# size='Population')) + scale_size_manual(name='Predictions',
# values=c('species'=0.5, 'Population'=3)) +
# facet_wrap(~insecticide) + theme_bw(base_size=22) print(p)
```

```
# New version of our model incorporating interaction term and
# species within year so that there is a separate intercept
# and slope for each species. The issue here is that there
# are some species that are not found each year. Easiest to
# remove those from another version of this dataframe before
# running below. Otherwise, it's not a balanced design.
# updated mod4
mod12 <- lmer(spp_half_cover_date ~ state * year + (1 + year |
  species), green_kbs)
```

```
## Warning: Some predictor variables are on very different scales: consider
## rescaling
```

```
## boundary (singular) fit: see ?isSingular
```

```
## Warning: Some predictor variables are on very different scales: consider
## rescaling
```

```
# So another version of this model would include the
# interaction but not include the nesting (and thus would
# assume that species aren't observed ea yr) updated mod5
mod13 <- lmer(spp_half_cover_date ~ state * year + (1 | species),
  green_kbs)
```

```
## Warning: Some predictor variables are on very different scales: consider
## rescaling
```

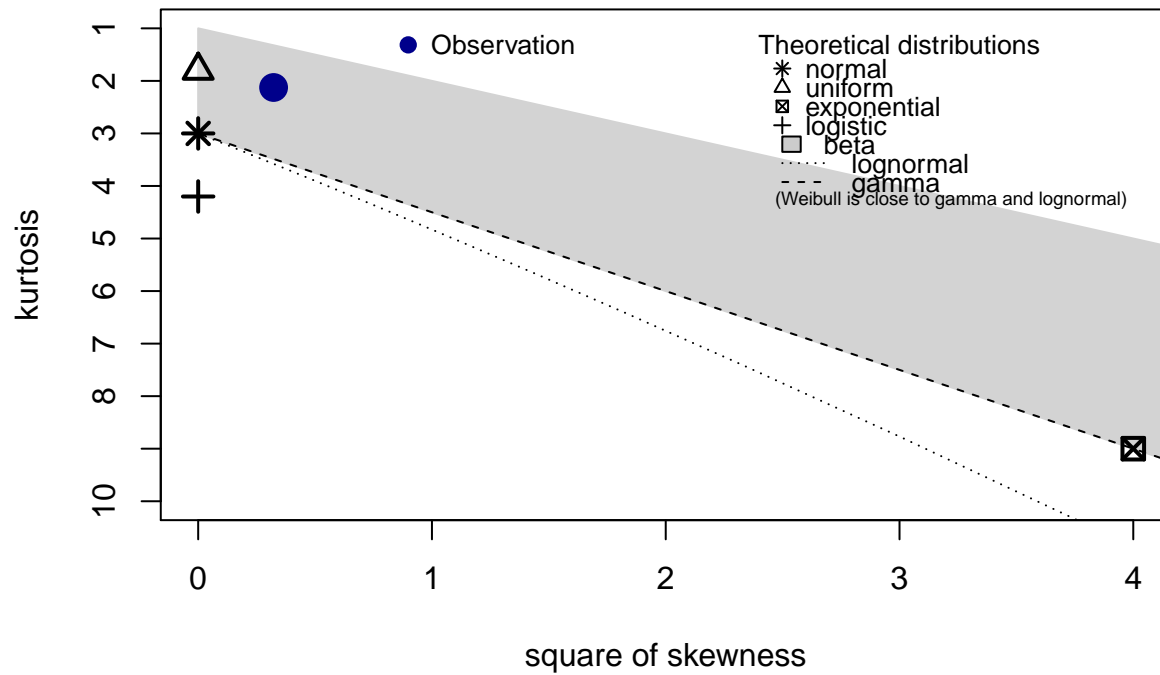
```
## Warning: Some predictor variables are on very different scales: consider
## rescaling
```

ORIGINAL CODE BELOW; not edited by Phoebe

Seeing what other distribution could fit

```
descdist(green_kbs$spp_half_cover_date, discrete = FALSE)
```

Cullen and Frey graph

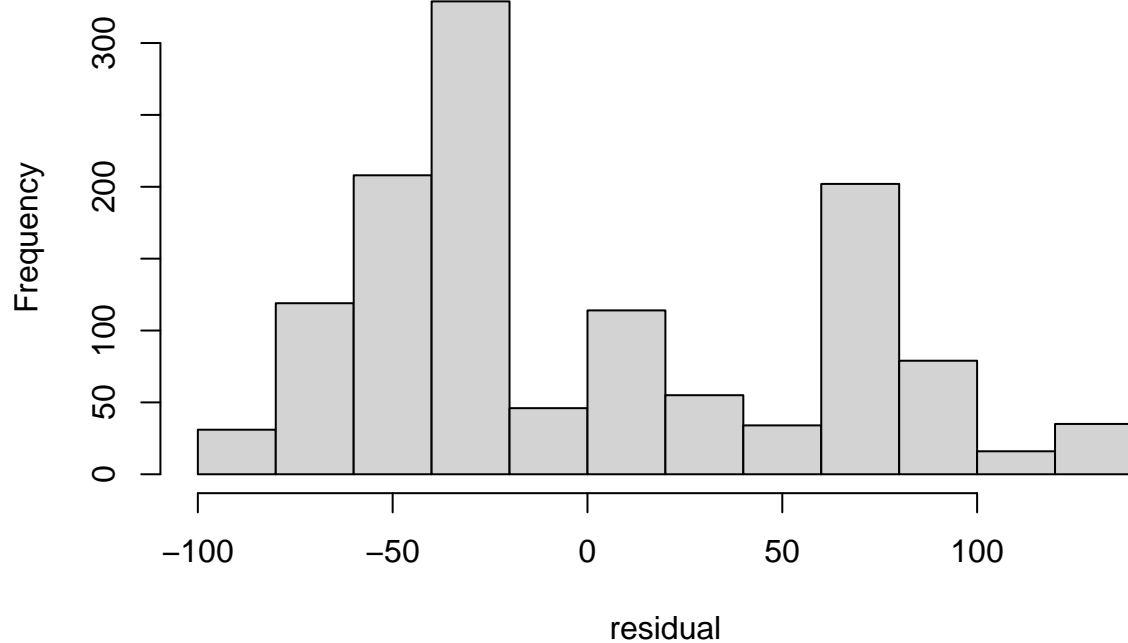


```
## summary statistics
## -----
## min: 59   max: 289
## median: 127
## mean: 154.2169
## estimated sd: 57.9311
## estimated skewness: 0.5680173
## estimated kurtosis: 2.125259
```

While uniform looks the closest, I'll try poisson

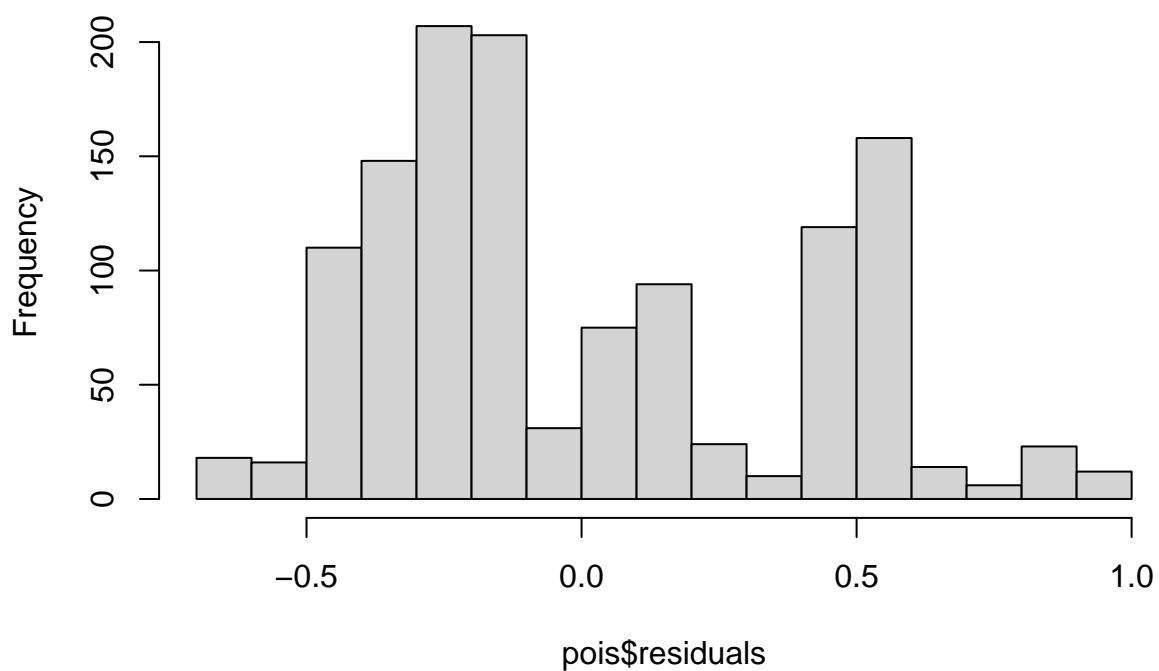
```
fit <- lm(spp_half_cover_date ~ state, data = green_kbs)
residual <- fit$residuals
hist(residual, main = "Raw residuals")
```

Raw residuals



```
pois <- glm(spp_half_cover_date ~ state, data = green_kbs, family = "poisson")  
hist(pois$residuals, main = "Poisson glm residuals")
```

Poisson glm residuals



Below I try a few different generalized linear models with poisson distribution:

An interaction between state and year, plus insecticide as a fixed effect and species and plot as random effects

```
moda <- glmer(spp_half_cover_date ~ state * year + insecticide +
  (1 | species) + (1 | plot), data = green_kbs, family = poisson)
```

```
## Warning: Some predictor variables are on very different scales: consider
## rescaling
```

```
## Warning in checkConv(attr(opt, "derivs"), opt$par, ctrl = control$checkConv, :
## Model failed to converge with max|grad| = 0.0232094 (tol = 0.002, component 1)
```

```
## Warning in checkConv(attr(opt, "derivs"), opt$par, ctrl = control$checkConv, : Model is nearly unidentifiable:
## - Rescale variables?;Model is nearly unidentifiable: large eigenvalue ratio
## - Rescale variables?
```

```
summary(moda)
```

```
## Generalized linear mixed model fit by maximum likelihood (Laplace
## Approximation) [glmerMod]
## Family: poisson ( log )
## Formula: spp_half_cover_date ~ state * year + insecticide + (1 | species) +
## (1 | plot)
## Data: green_kbs
```

```
##      AIC      BIC    logLik deviance df.resid
## 27686.8 27722.8 -13836.4 27672.8      1261
```

```
## Scaled residuals:
##      Min       1Q   Median       3Q      Max
## -8.3234 -3.0092 -0.9901  2.4141 14.4417
```

```
## Random effects:
## Groups Name Variance Std.Dev.
## plot (Intercept) 0.003601 0.06001
## species (Intercept) 0.043398 0.20832
## Number of obs: 1268, groups: plot, 24; species, 21
```

```
## Fixed effects:
##              Estimate Std. Error z value Pr(>|z|)
## (Intercept)    -82.699485   4.741076 -17.443  <2e-16 ***
## stateambient    -15.581997   6.330178  -2.462   0.0138 *
## year              0.043454   0.002349  18.497  <2e-16 ***
## insecticideno_insects  0.036029   0.024939   1.445   0.1485
## stateambient:year   0.007736   0.003137   2.466   0.0137 *
```

```
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
## Correlation of Fixed Effects:
##              (Intr) sttmbn year  insct_
## stateambint -0.727
## year        -1.000  0.727
```

```
## insctcdn_ns -0.017  0.007  0.015
## statmbnt:yr  0.727 -1.000 -0.727 -0.007
## fit warnings:
## Some predictor variables are on very different scales: consider rescaling
## convergence code: 0
## Model failed to converge with max|grad| = 0.0232094 (tol = 0.002, component 1)
## Model is nearly unidentifiable: very large eigenvalue
##   - Rescale variables?
## Model is nearly unidentifiable: large eigenvalue ratio
##   - Rescale variables?
```

No interaction between state and year, but with state and insecticide as fixed effects and species and plot as random effects

```
modb <- glmer(spp_half_cover_date ~ state + year + insecticide +
  (1 | species) + (1 | plot), data = green_kbs, family = poisson)
```

```
## Warning in checkConv(attr(opt, "derivs"), opt$par, ctrl = control$checkConv, :
## Model failed to converge with max|grad| = 0.00310689 (tol = 0.002, component 1)

## Warning in checkConv(attr(opt, "derivs"), opt$par, ctrl = control$checkConv, : Model is nearly unidentifiable:
## - Rescale variables?;Model is nearly unidentifiable: large eigenvalue ratio
## - Rescale variables?
```

```
summary(modb)
```

```
## Generalized linear mixed model fit by maximum likelihood (Laplace
## Approximation) [glmerMod]
## Family: poisson ( log )
## Formula: spp_half_cover_date ~ state + year + insecticide + (1 | species) +
## (1 | plot)
## Data: green_kbs
##
##      AIC      BIC   logLik deviance df.resid
## 27690.8 27721.7 -13839.4 27678.8      1262
##
## Scaled residuals:
##      Min       1Q   Median       3Q      Max
## -8.3309 -3.0222 -0.9997  2.3954 14.2765
##
## Random effects:
## Groups Name Variance Std.Dev.
## plot (Intercept) 0.003606 0.06005
## species (Intercept) 0.043488 0.20854
## Number of obs: 1268, groups: plot, 24; species, 21
##
## Fixed effects:
##              Estimate Std. Error z value Pr(>|z|)
## (Intercept)    -91.116751   3.172907 -28.717 <2e-16 ***
## stateambient      0.030236   0.024956  1.212  0.226
## year             0.047625   0.001572 30.293 <2e-16 ***
## insecticideno_insects 0.036450   0.024954  1.461  0.144
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Correlation of Fixed Effects:
##              (Intr) sttmbn year
## stateambint  0.002
## year        -1.000 -0.006
## insctcdn_ns -0.018 -0.002  0.014
## convergence code: 0
## Model failed to converge with max|grad| = 0.00310689 (tol = 0.002, component 1)
## Model is nearly unidentifiable: very large eigenvalue
## - Rescale variables?
## Model is nearly unidentifiable: large eigenvalue ratio
## - Rescale variables?
```

State and insecticide as fixed effects & year, species and plot as random effects

```
modc <- glmer(spp_half_cover_date ~ state + insecticide + (1 |  
  year) + (1 | species) + (1 | plot), data = green_kbs, family = poisson)  
summary(modc)
```

Because no distributions seems to match well, I'll try a Friedman's test

```
# friedman_kbs <- green_kbs %>%  
# friedman_test(spp_half_cover_date ~ state)
```

Error: Must extract column with a single valid subscript. x Subscript var can't be NA

Can't figure out what this means

If I include the blocks portion of the formula (from the documentation) I get this error

```
# friedman_kbs <- green_kbs %>%  
# friedman_test(spp_half_cover_date ~ state | plot)
```

Error in friedman.test.default(c(141L, 202L, 122L, 101L, 127L, 120L, 197L, : not an unreplicated complete block design

Permanova?

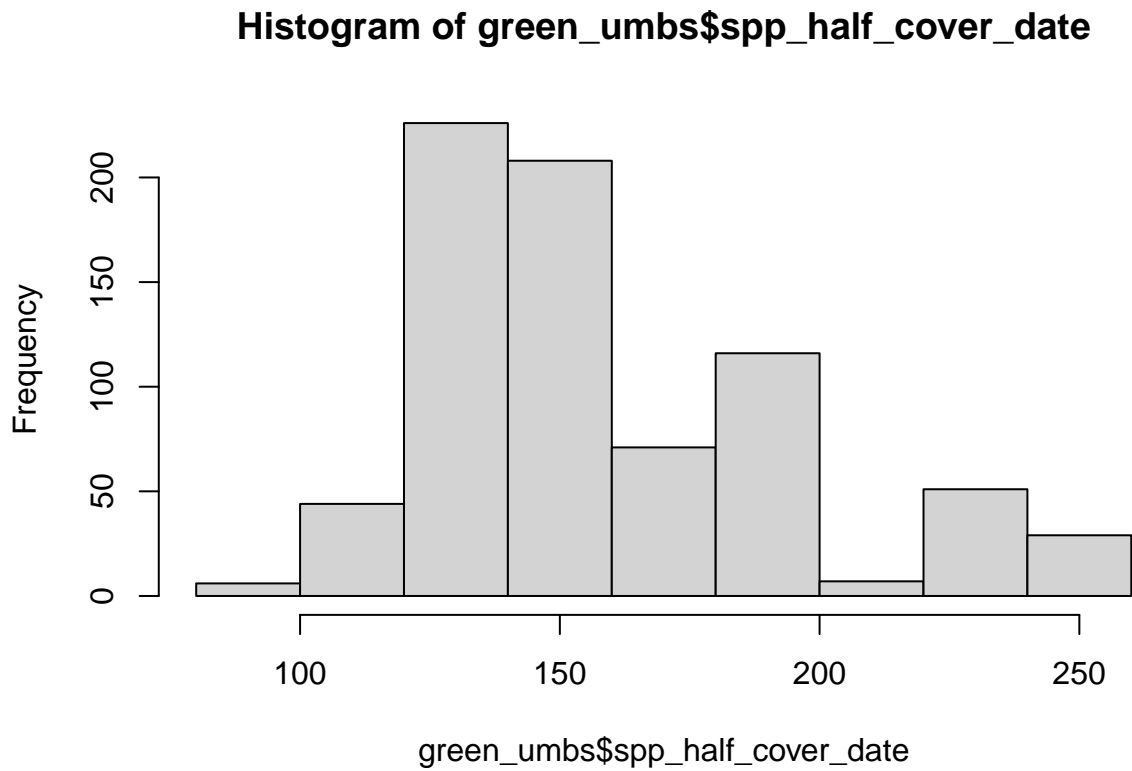
```
per1 <- adonis2(green_kbs$spp_half_cover_date ~ state * year +  
  insecticide, data = green_kbs)  
per1  
per2 <- adonis(formula = green_kbs$spp_half_cover_date ~ state *  
  year + insecticide, strata = green_kbs$plot, data = green_kbs)  
per2
```

With per2, when controlling for “plot”, there is a difference btwn treatments

UMBS

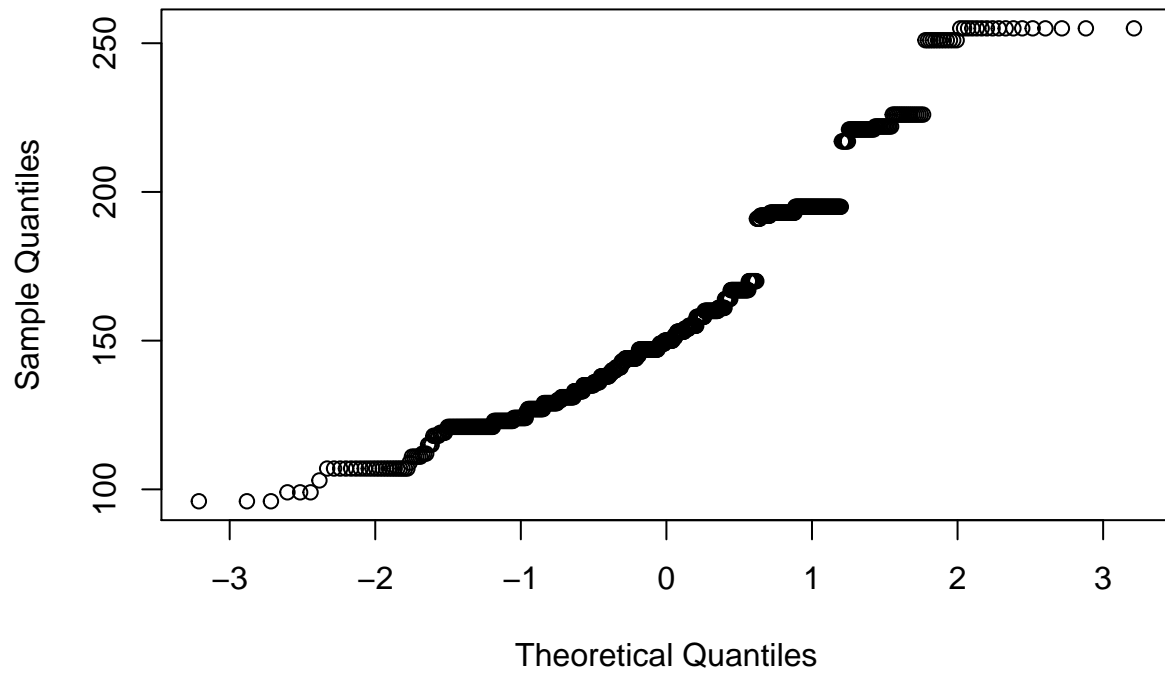
Checking for normality

```
hist(green_umbs$spp_half_cover_date)
```



```
qqnorm(green_umbs$spp_half_cover_date)
```

Normal Q-Q Plot

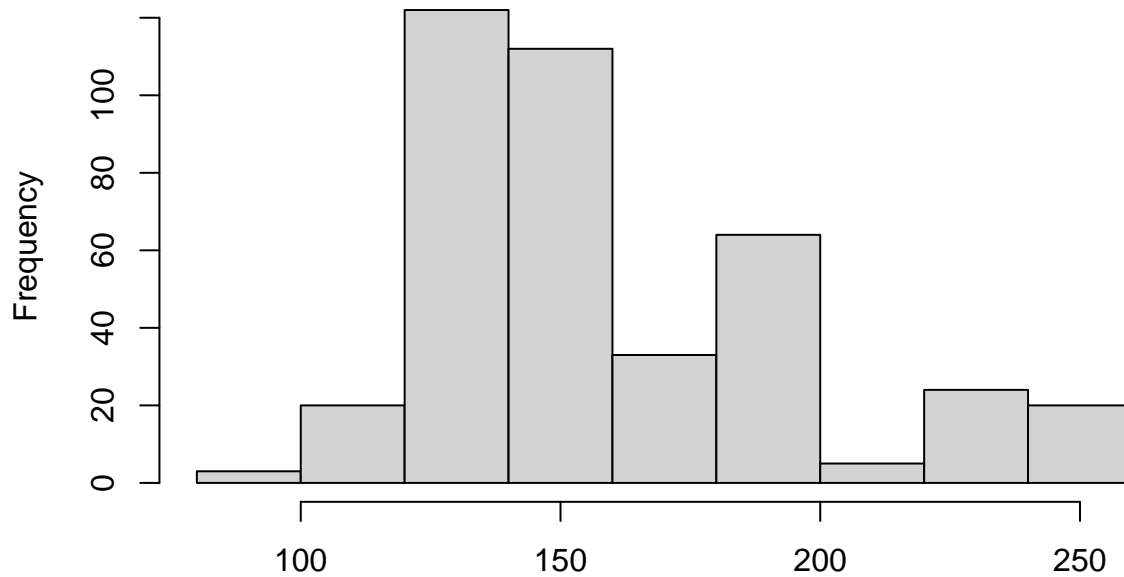


```
shapiro.test(green_umbs$spp_half_cover_date)
```

```
##  
##  Shapiro-Wilk normality test  
##  
## data:  green_umbs$spp_half_cover_date  
## W = 0.92247, p-value < 2.2e-16
```

```
hist(green_umbs$spp_half_cover_date[green_kbs$state == "ambient"])
```

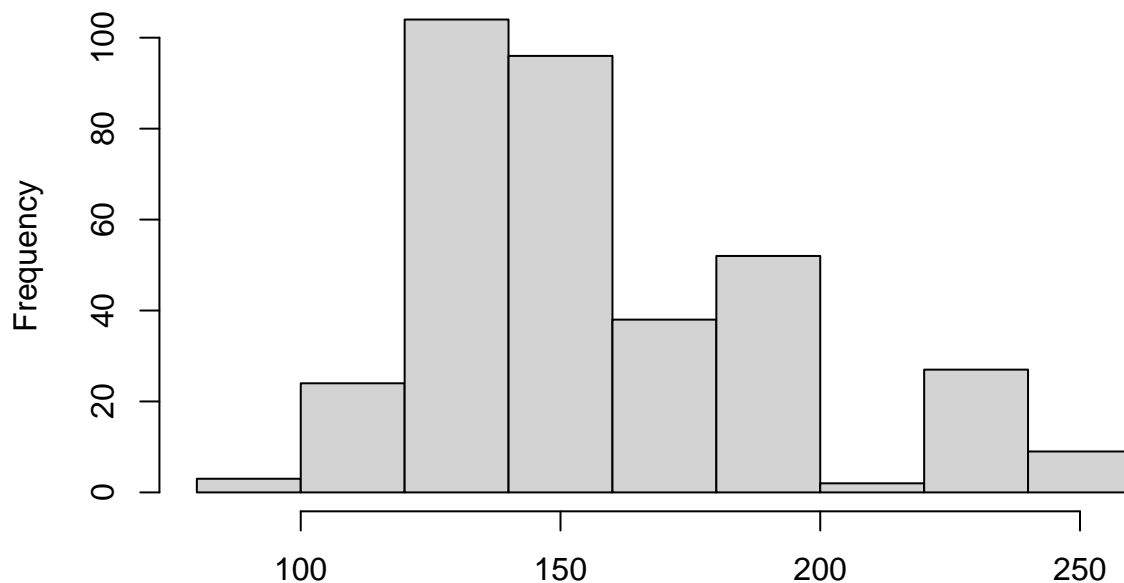
istogram of green_umbs\$spp_half_cover_date[green_kbs\$state == "am



green_umbs\$spp_half_cover_date[green_kbs\$state == "ambient"]

```
hist(green_umbs$spp_half_cover_date[green_kbs$state == "warmed"])
```

istogram of green_umbs\$spp_half_cover_date[green_kbs\$state == "wa

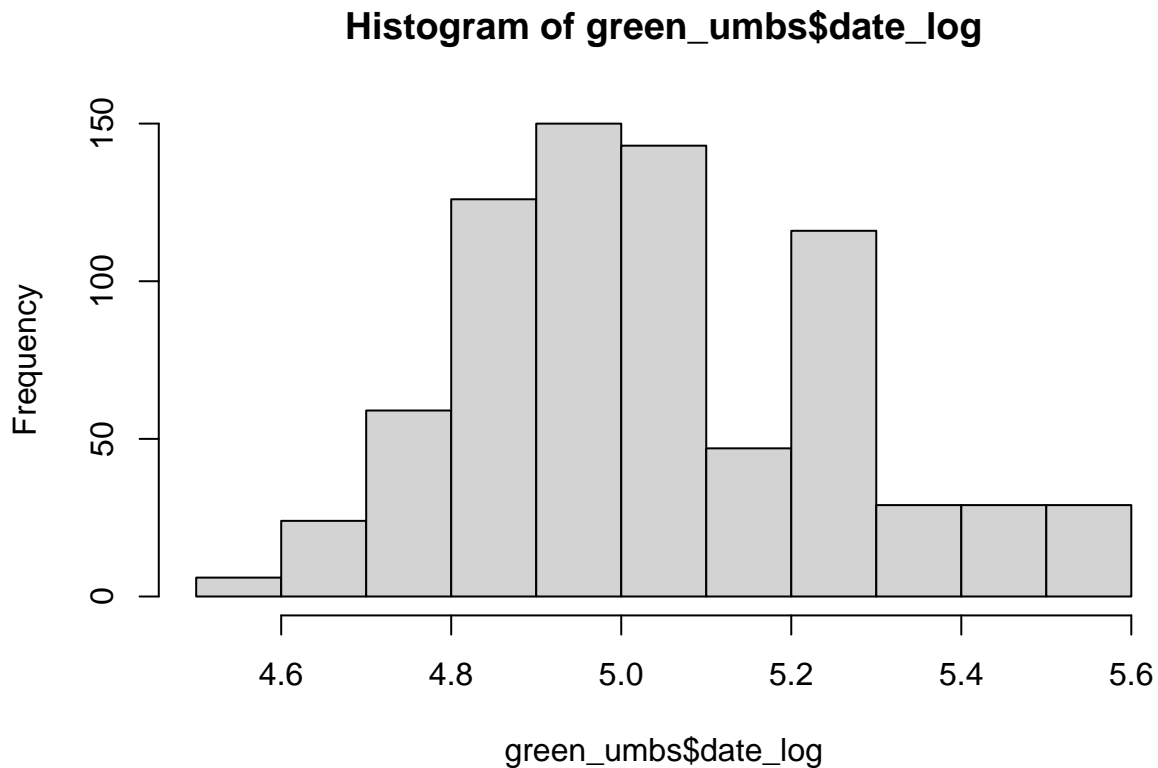


green_umbs\$spp_half_cover_date[green_kbs\$state == "warmed"]

These look pretty good

Trying log transformation

```
green_umbs$date_log <- log(green_umbs$spp_half_cover_date)
hist(green_umbs$date_log)
```



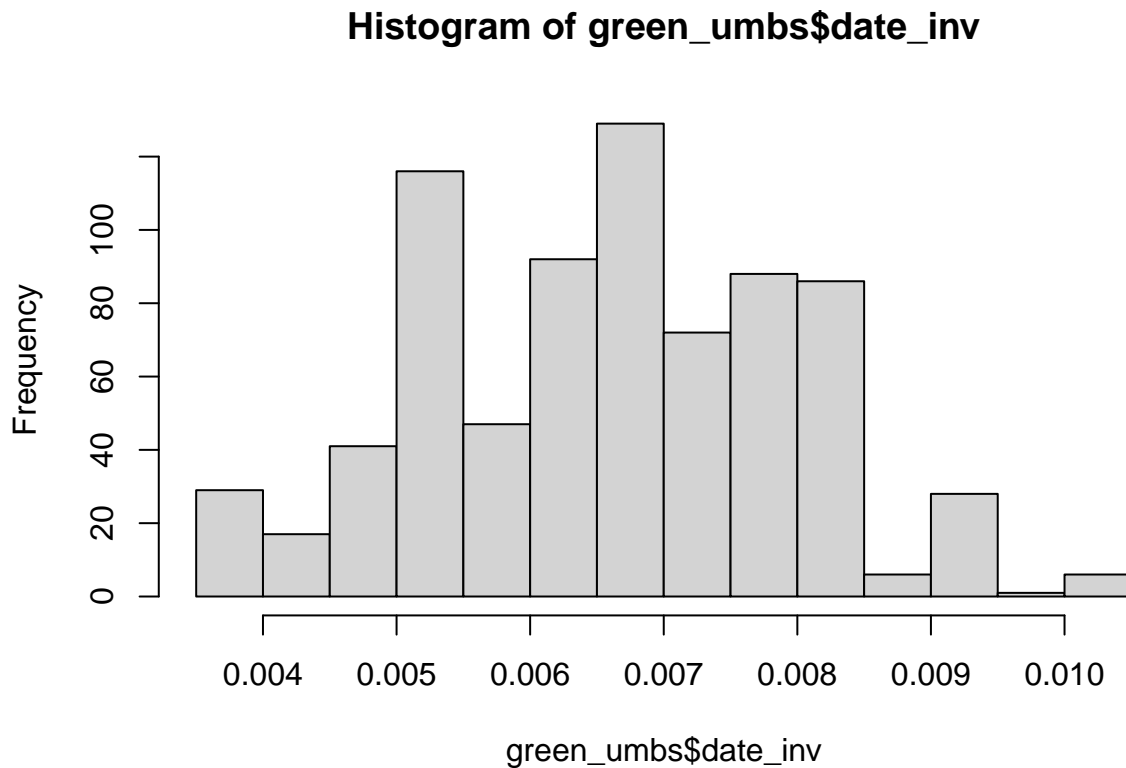
```
shapiro.test(green_umbs$date_log)
```

```
##
##  Shapiro-Wilk normality test
##
## data:  green_umbs$date_log
## W = 0.96356, p-value = 8.516e-13
```

I think this looks good but shapiro-wilk is lower than 0.05

Trying inverse tranformation

```
green_umbs$date_inv <- 1/(green_umbs$spp_half_cover_date)
hist(green_umbs$date_inv)
```



```
shapiro.test(green_umbs$date_inv)

##
##  Shapiro-Wilk normality test
##
## data:  green_umbs$date_inv
## W = 0.97928, p-value = 6.952e-09
```

This also looks good but is also still low for shapiro-wilk