



The journey to magnetic monopoles

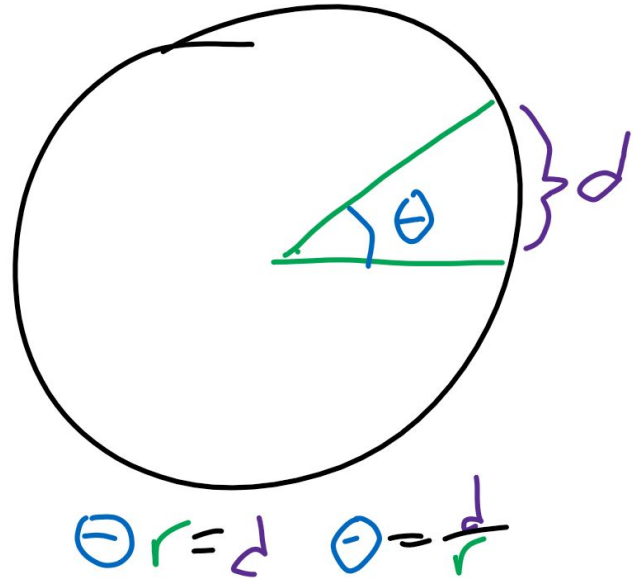
Idk what I'm doing pls send help

Angular quantities

The number of radians traveled in a circle is calculated by d/r where d is the distance traveled along the circle and r is radius.

This has units m/m , or 1.

Angular acceleration thus has units $1/s^2$.



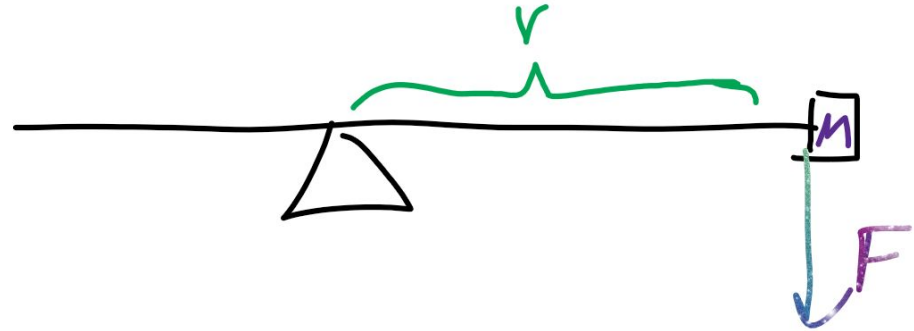
Torque

Torque is $r \times F$, or the distance from the pivot crossed with the force.

The units here are mN .

Define “moment of inertia” I such that $T = Ia$ where T is torque and a is angular acceleration.

I must have units kgm^2 , so we can define I as mr^2 .





Gauss's laws:

Electric

$$\oint \vec{E} \cdot d\vec{A} = \frac{Q}{\epsilon_0}$$

Magnetic

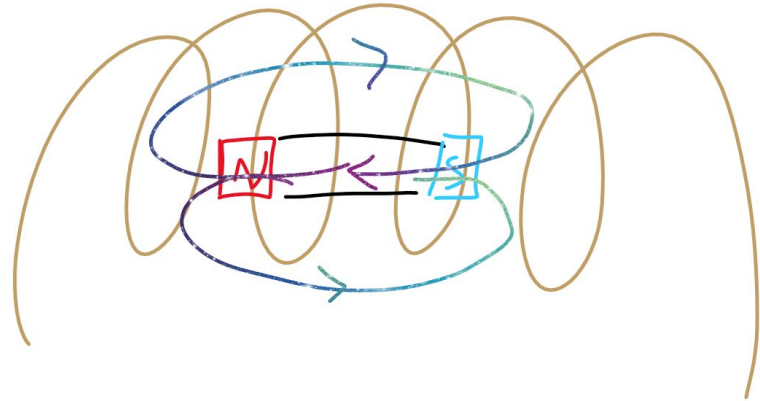
$$\oint \vec{B} \cdot d\vec{A} = 0$$

$$\nabla \cdot \vec{B} = 0$$

Faraday's law

When the magnet is moving, we can have a change in magnetic flux, but as soon as motion stops, flux returns to 0.

$$\mathcal{E} = \frac{-d\Phi_m}{dt}$$

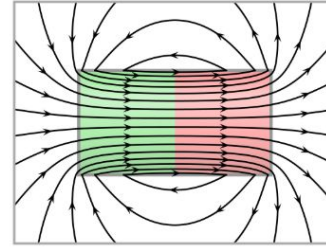


Two more fields

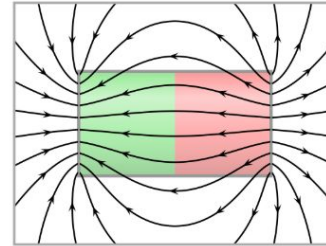
When magnets are close to objects that emit a magnetic field, these can induce currents within the material.

How much is caused internally?

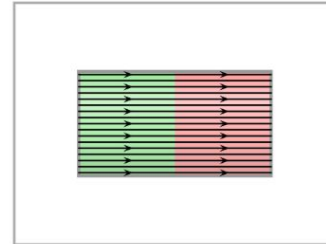
By the external field?



\vec{B}



\vec{H}



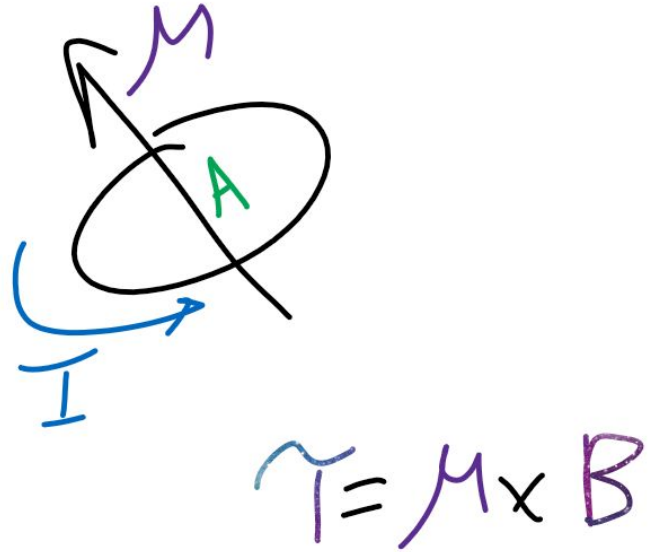
\vec{M}

M field

Magnetization.

How much is internal.

The density of the magnetic moments in the object. (Aka, total magnetic moment divided by volume.)





H field

Magnetic field strength.

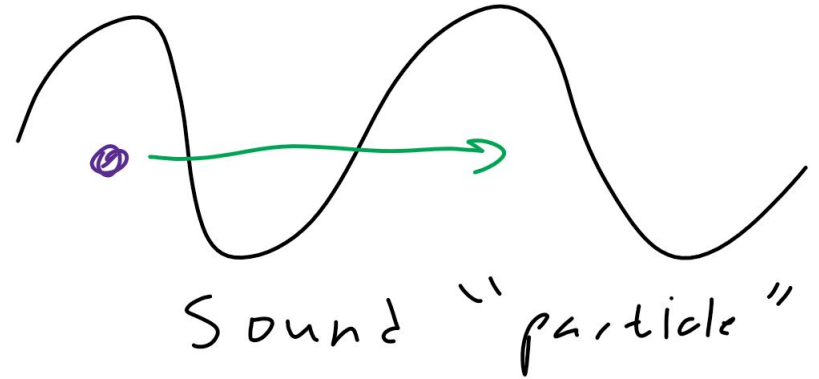
The stuff that isn't internal is external...

$$B = \mu_0 (H + M)$$
$$B = \frac{\mu}{\mu_m} H$$

Emergent properties

Phenomena simulated as “particles.”

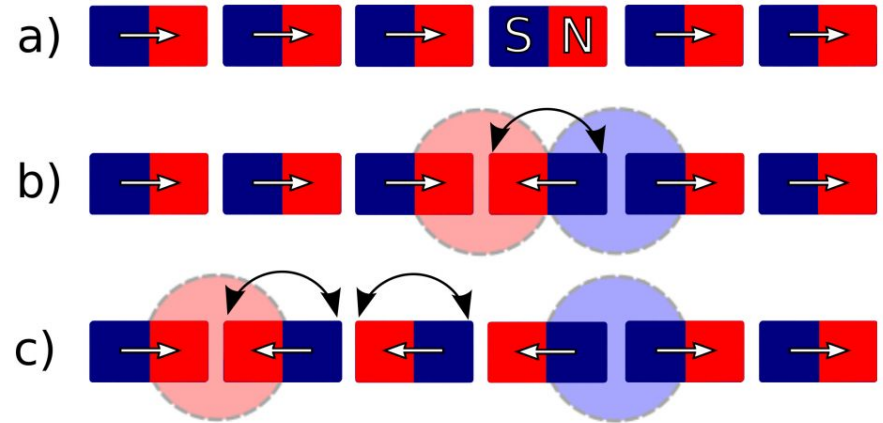
Phonons.



Dirac chains

There are H sinks and M sinks at the colored regions.

This causes these “isolated” regions of north and south poles.





Gauss's law?

Time to make some edits!

Units	Equation
cgs units ^[7]	$\nabla \cdot \mathbf{B} = 4\pi\rho_m$
SI units (weber convention) ^[8]	$\nabla \cdot \mathbf{B} = \rho_m$
SI units (ampere-meter convention) ^[9]	$\nabla \cdot \mathbf{B} = \mu_0\rho_m$