

Sparsh Agarwal  
CS-536  
9075905142  
HW 4

A1.

S	-	-	-	-
	A	-	-	-
			-	-
F	B	A	F	-
D	D	E	D	D
a	a	b	a	a

Since S is possible in finally, we can move to the top for entire sequence to be generated, we can get “aabaa” from this grammar according to CYK algorithm.

S → (DA) → (DBF) → (DDEDD) → (aabaa)

Hence Proved.

A2. Assuming, discrete values are returned

program → MAIN LPAREN RPAREN LCURLY list RCURLY

program.trans = program.trans U list.trans

list → list oneltem

| epsilon

list.trans = list.trans U list<sub>2</sub>.trans U oneltem.trans

list.trans = list.trans U {}

oneltem → decl

| stmt

no translation necessary

oneltem.trans = oneltem.trans U stmt.trans

decl → BOOL ID SEMICOLON

| INT ID SEMICOLON

no translation necessary

no translation necessary

stmt → ID ASSIGN exp SEMICOLON

| IF LPAREN exp RPAREN stmt

| WHILE LPAREN exp RPAREN stmt

| LCURLY list RCURLY

stmt.trans = stmt.trans U exp.trans

stmt.trans = stmt.trans U exp.trans U stmt<sub>2</sub>.trans

stmt.trans = stmt.trans U exp.trans U stmt<sub>2</sub>.trans

stmt.trans = stmt.trans U list.trans

$\text{exp} \rightarrow \text{exp TIMES exp}$	$\text{exp.trans} = \text{exp.trans} \cup \text{exp}_2.\text{trans} \cup \text{exp}_3.\text{trans}$
$\text{exp DIVIDE exp}$	$\text{exp.trans} = \text{exp.trans} \cup \text{exp}_2.\text{trans} \cup \text{exp}_3.\text{trans}$
$\text{exp PLUS exp}$	$\text{exp.trans} = \text{exp.trans} \cup \text{exp}_2.\text{trans} \cup \text{exp}_3.\text{trans}$
$\text{exp LESS exp}$	$\text{exp.trans} = \text{exp.trans} \cup \text{exp}_2.\text{trans} \cup \text{exp}_3.\text{trans}$
$\text{exp EQUALS exp}$	$\text{exp.trans} = \text{exp.trans} \cup \text{exp}_2.\text{trans} \cup \text{exp}_3.\text{trans}$
$\text{LPAREN exp RPAREN}$	$\text{exp.trans} = \text{exp.trans} \cup \text{exp}_2.\text{trans}$
ID	no translation necessary
BOOLLITERAL	$\text{exp.trans} = \text{exp.trans} \cup \{ \}$
INTLITERAL	$\text{exp.trans} = \text{exp.trans} \cup \{ \text{INTLITERAL.value} \}$