

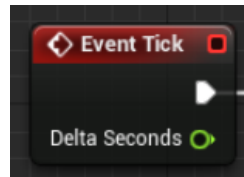
G54GAM Games

Building Games

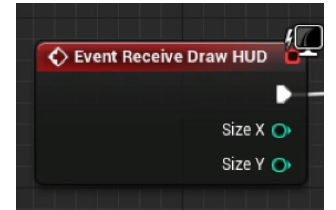
Physics

The Game Loop (attempt 2)

```
start game
start render thread
while( user doesn't exit )
{
    how much time has elapsed?
    get user input
    get network messages
    simulate game world(elapsed time)
    resolve collisions
    move objects
    play sounds
    sleep(desired-elapsed time)
}
exit
```



```
while( user doesn't exit )
{
    draw graphics
    sleep(desired-elapsed time)
}
exit
```

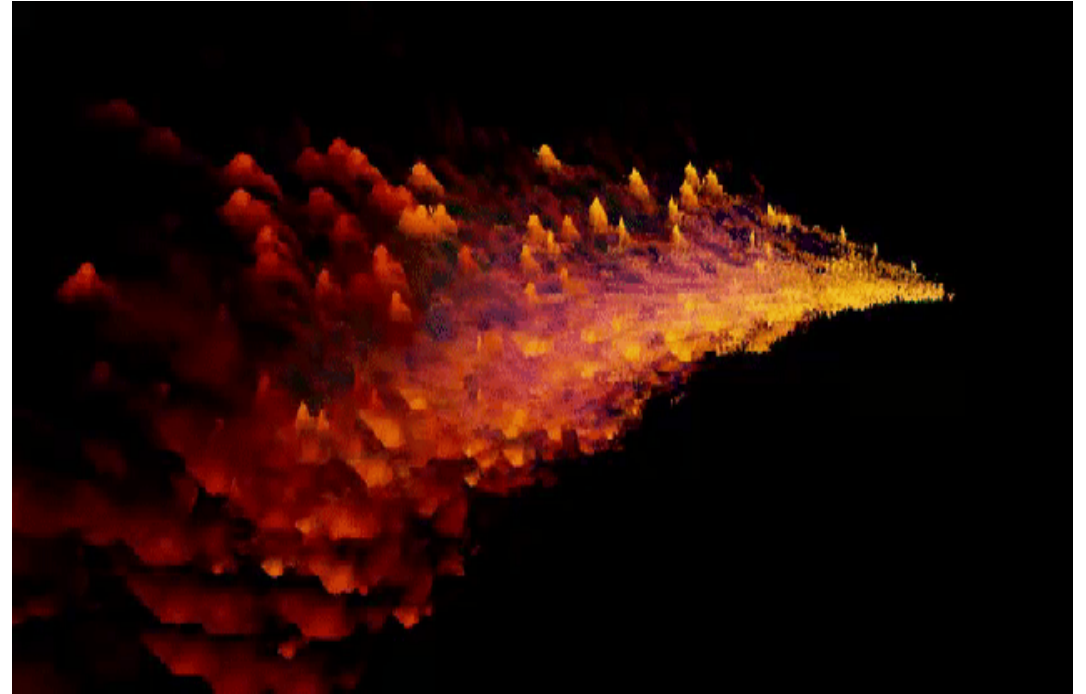


Physics Engine

- Responsibilities
 - Update and maintain positions and orientations of items
 - In response to user input
 - Determine what collisions are possible
 - Determine what collisions have happened
 - Generate data regarding those collisions
 - Drive game play events
 - Resolve those collisions
- *Physical* representations
 - Particle
 - Rigid Body
 - Soft Body

Particle Physics

- A particle based physics system doesn't care about collisions, only motion
 - All objects in the system are particles
 - Dimensionless points in space.
 - They have no radius
 - Because they have no radius, they don't collide
 - Might have nominal mass
 - Attract / repel one another
 - More applicable to graphical effects than physics behaviours

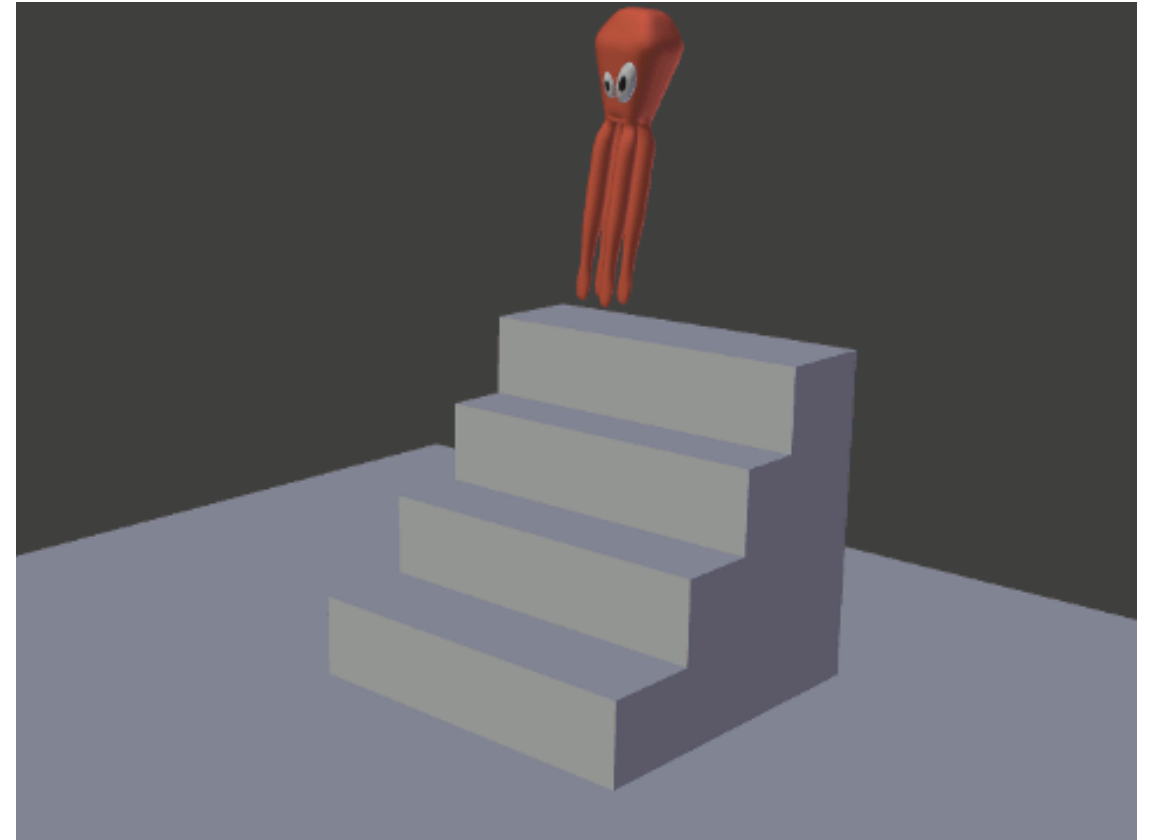


Rigid Body Physics

- Rigid bodies have a physical presence
 - A sphere, a cuboid, a height-map
- Defining characteristic is that they **don't deform**
 - A balloon in the real world can be squeezed and stretched
 - A balloon represented in a rigid body physics system cannot
- Because they have physical presence, they have dimensionality
 - Radius, width, height,
 - A centre of motion
 - They can collide
 - They can experience torque and rotate
- Computationally significantly less expensive
 - Than computing physical properties of soft bodies

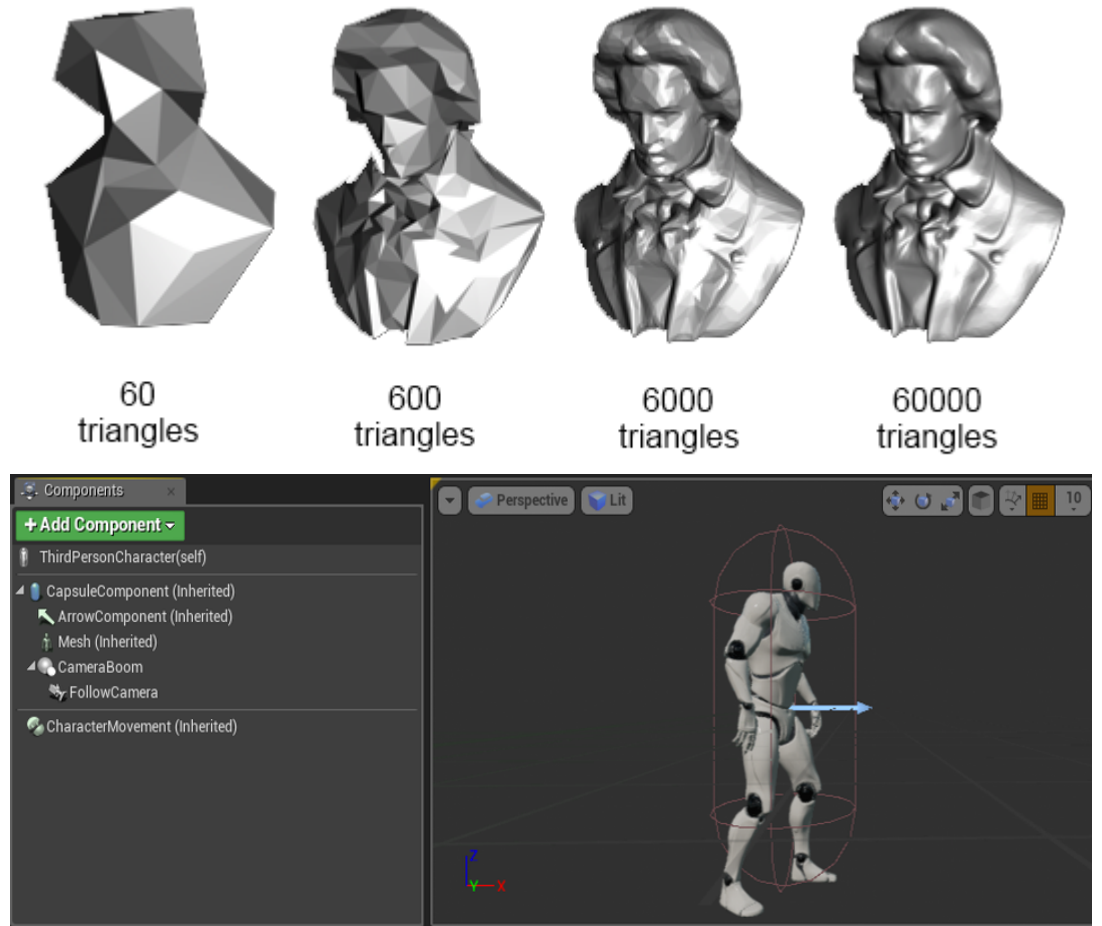
Soft Body Physics

- Cloth, cushions, water
 - Anything that deforms when subject to a force
 - Most accurately represented as a soft body.
- Soft bodies must be discretised in a physics engine
 - Many interconnected small bodies
 - Connected via *constraints* (e.g. springs)
 - Significant computational expense
- Focused on situations where application enhances user experience/immersion



Physical Representation

- Physical representation of objects **does not need to precisely map to graphical representation**
 - Does need to be detailed enough for its interactions with the environment to appear believable
 - Capsule == character movement
 - Does not need to be as detailed as the graphical model
- Complexity of an object is a function of its number of components
 - Faces, primitives
 - We reach a point of diminishing returns in physics quickly

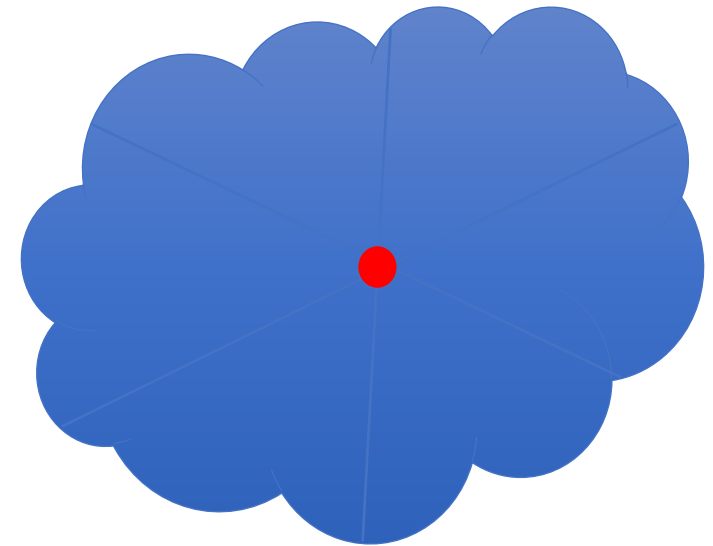


Physics in Games

- “Simulate the game world”
 - Iterate the fundamental model
 - Moving objects based on **elapsed time**
 - Kinematics
 - Motion ignoring external forces
 - Only considering position, velocity
 - Dynamics
 - The effect of forces on the objects
- “Resolve Collisions”
 - Collisions between moving objects
 - Collision detection
 - Did a collision occur?
 - Collision resolution
 - Are we now in a restricted state due to constraints?
 - How do we fix it?

Physical Representation

- Typically ignore geometry
 - How the object is *physically shaped*
 - Also do not worry about how it looks
 - Only needed for collisions
 - Focus on how it moves
- Every object as a *point*
 - *Centroid*
 - The average of all points
 - Or the center of mass
 - Generally all objects have a uniform density
 - Often the default transform of the actor / entity



Kinematics

- Basic Motion
- Determine an object's displacement s at time t
 - Typically already know it from a previous time

$$s'(t) = ds/dt = v$$

- Assume constant velocity v

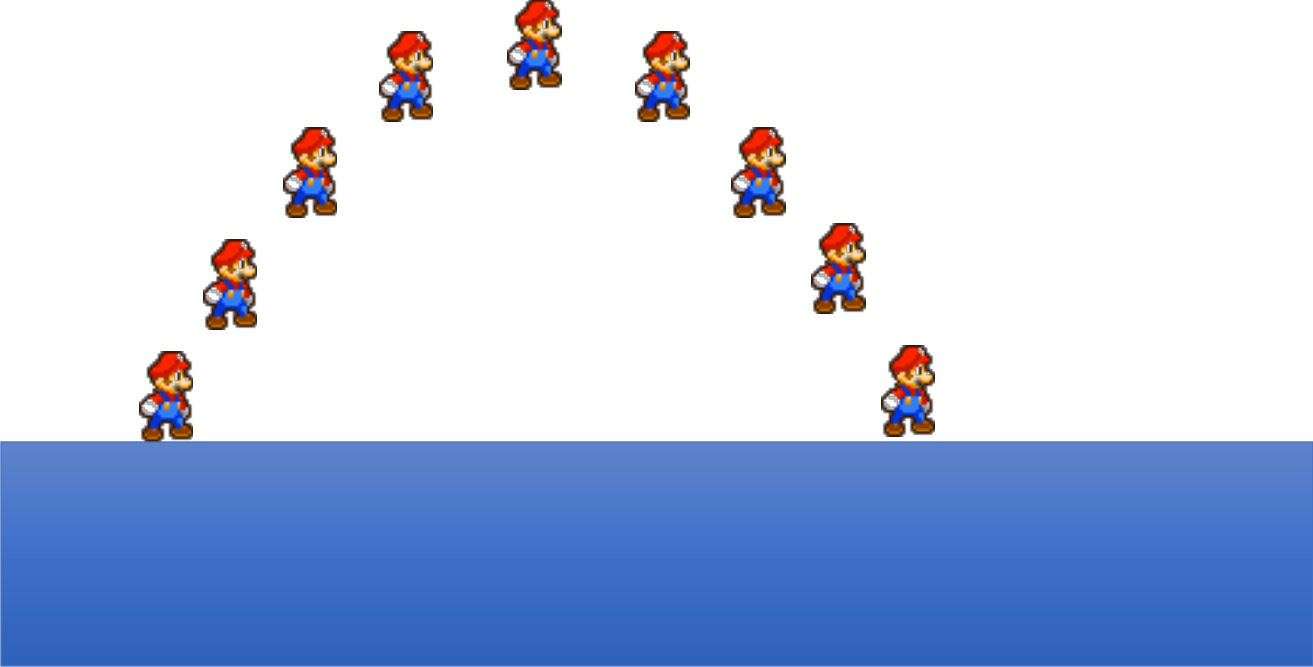
$$s(t+\Delta t) = s(t) + v\Delta t$$

$$\Delta s = s(t+\Delta t) - s(t) = v\Delta t$$

- What is Δ (delta) t ?

Kinematics

- Acceleration
 - Rate of change of velocity over time
 - $a = dv/dt$
- Velocity
 - Rate of change of displacement over time
 - $v = ds/dt$
- Velocity is obtained
 - by integrating acceleration with respect to time
 - $v = \int a \cdot dt$
- Displacement is obtained
 - by integrating velocity with respect to time
 - $s = \int v \cdot dt$



Analytical Solutions

- Acceleration
 - rate of change of velocity
 - Rate of change of rate of change of position

- Integrate twice to calculate position

$$s(t)'' = g = -9.81 \text{ m/s}^2$$

$$s(t)' = gt + v_0$$

$$s(t) = 0.5gt^2 + v_0t + s_0$$

$$s = ut + 0.5at^2$$

- An analytical solution to solving an ordinary differential equation
 - A simple, closed-form function
 - Describes position for all possible values of time t
 - “Perfect” simulation of gravity / parabolic movement

Newtonian Linear Dynamics

- Newton's laws of physics
 - A body will remain at rest or continue to move in a straight line at a constant speed unless acted upon by a force.
 - The acceleration of a body is proportional to the resultant force acting on the body, and is in the same direction as the resultant force
 - For every action there is an equal and opposite reaction
- Forces affect movement
 - Based on the mass m of an object
 - $F=ma$
 - Gravity, impulses, repulsion, inertia
 - *Constrained* by springs, joints, connections, other objects
 - Calculate changing velocity and acceleration from the forces applied over the entire frame
- Need a general solution
 - Generally cannot find closed-form solutions for movement under force for all values of time t
 - Force, acceleration are rarely constant
 - Function of position, velocity