





Module 11: Number Theory II (?q=onlinecourse/course/43605)

Number Theory Exercise Part II

- วิชชาภัทร จินดานาถ previously submitted answers to this quiz/test on 02-Nov-2023 @ 10:11:54 and obtained 10 correct answers out of 10.
- This test/quiz can be taken many times.
- Correct answers will NOT be revealed after submission.

Use this statement for Question 1-8

let x, y be an integer such that 437x + 132y = 7Using Euclid algo to solve x, y

- $Find\ gcd(437,132)$
 - 1

From previous attempt

- 2
- 3
- 4

2 Find $r_0, r_1, r_2, r_3,$

132,34,8,1

From previous attempt

- 132,41,9,5
- 437,132,41,8
- 437,132,41,1

3	Find q_0, q_1, q_2	
	3,3,3	From previous attempt
	3,5,5	
	3,3,4	
	5,5,5	
4	Find P_0, P_1, P_2	
	132,41,8	From previous attempt
	3,3,5	***
	3,10,43	
	1,3,16	
		
5	Find Q_0, Q_1, Q_2	ot.
	3,7,38	From previous attempt
	1,3,13	
	3,3,5	
	132,41,8	
6	Find P_3, P_4	
	132,3	From previous attempt
	43,53	Łtom ,
	53,10	
	53,96	

7 Find Q₄

27

From previous attempt

29

13

16

8 After we solve x, y from 437x + 132y = 7we get x = a + 132t and y = b - 437tfor all integer t find a, b

From previous attempt

53,-16

-43,13

203,-672

116,-384

9 Find smallest positive integer x such $[2]_{11} \div [7]_{11} = [x]_{11}$

2

From previous attempt

From previous attempt

3

5

6

10 Let x be an integer such that

$$x \equiv 2 \pmod{3}$$

$$x \equiv 4 \pmod{5}$$

$$x \equiv 1 \pmod{7}$$

Find the smallest positive integer k such that $x \equiv k \pmod{105}$

293		
117		
239		
29		

Submit



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