Complex vector and polarization Ari Sihvola

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In[45]:= Clear["`*"]
In[46]:= x = Graphics[Arrow[{{0,0}, {1.2,0}}]];
    y = Graphics[Arrow[{{0,0}, {0,1.2}}]];
    c = Graphics[{Dashed, Circle[]}];
    er[erx_, ery_] =
        Graphics[{Arrowheads → Large, Blue, Thickness[.01], Arrow[{{0,0}, {erx, ery}}]}];
    ei[eix_, eiy_] = Graphics[
        {Arrowheads → Large, Red, Thickness[.01], Arrow[{{0,0}, {eix, eiy}}]}];
In[48]:= e[t_, erx_, ery_, eix_, eiy_] := Graphics[{Arrowheads → Large, Black, Thickness[.01],
        Arrow[{{0,0}, {erx Cos[t] - eix Sin[t], ery Cos[t] - eiy Sin[t]}}];
```

 $\label{eq:local_local_local_local_local} $$ \inf_{[49]:=} $$ Manipulate[Show[\{c, x, y, er[erx, ery], ei[eix, eiy]\}, e[t, erx, ery, eix, eiy]\}, $$ $$ for the local local$ PlotRange $\rightarrow \{\{-2, 2\}, \{-2, 2\}\}\}$, $\{t, 0, 2\pi\}$, $\{erx, 1, 0\}, \{ery, 0, 1\}, \{eix, 0, 1\}, \{eiy, 1, -1\}]$

