MEC-E8001 Finite Element Analysis; Mathematica

"Structure is a collection of elements connected by nodes. Geometry, displacement, temperature etc. of the structure are defined by the nodal values of coordinates, translation, rotation, temperature etc. of which some are known and some unknown."

STRUCTURE

$prb = \{ele, fun\}$ where
$ele = \{ prt_1, prt_2, \}$ elements
$fun = \{val_1, val_2,\}$ nodes
Element
$prt = \{typ, pro, geo\}$ where
$typ = BAR \mid TORSION \mid BEAM \mid RIGID \mid \mid$ model
$pro = \{p_1, p_2, \dots, p_n\}$
$geo = Point[\{n_1\}] Line[\{n_1, n_2\}] Polygon[\{n_1, n_2, n_3\}] $ geometry
Nodes
$val = \{crd, trn, rot\} \{crd, trn, rot, tmp\}$ where
$crd = \{X, Y, Z\}$ structural coordinates
$trn = \{u_X, u_Y, u_Z\}$ translation components
$rot = \{\theta_X, \theta_Y, \theta_Z\}$ rotation components
$tmp = \mathcal{G}$ temperature

DISPLACEMENT ANALYSIS

Constraint	
${\text{JOINT}}, {\{\{\underline{u}_X, \underline{u}_Y, \underline{u}_Z\}\}}, {\text{Point}}[\{n_1\}]\} \dots dispersion $	placement constraint
${JOINT, {}, Line[{n_1, n_2}]}$ disp	placement constraint
{RIGID,{} {{ $\underline{u}_X, \underline{u}_Y, \underline{u}_Z$ },{ $\underline{\theta}_X, \underline{\theta}_Y, \underline{\theta}_Z$ }},Point[{ n_1 }]}displacement	nt/rotation constraint
${RIGID, {}, Line[{n_1, n_2}]}$	rigid constraint
$\{SLIDER, \{n_X, n_Y, n_Z\}, Point[\{n_1\}]\}.$	slider constraint
Force	
$\{FORCE, \{F_X, F_Y, F_Z\}, Point[\{n_l\}]\}$	point force
$\{FORCE, \{F_X, F_Y, F_Z, M_X, M_Y, M_Z\}, Point[\{n_1\}]\} \dots$	point load
$\{FORCE, \{f_X, f_Y, f_Z\}, Line[\{n_1, n_2\}]\}$	distributed force
$\{FORCE, \{f_X, f_Y, f_Z\}, Polygon[\{n_1, n_2, n_3\}]\}$	distributed force
Beam model	
{BAR,{ E },{ A },{ f_X , f_Y , f_Z }},Line[{ n_1 , n_2 }]}	bar mode
$\{TORSION, \{\{G\}, \{J\}, \{m_X, m_Y, m_Z\}\}, Line[\{n_1, n_2\}]\} $	torsion mode
{BEAM,{ E,G }, A,I_{yy},I_{zz} }, f_X,f_Y,f_Z },Line[n_1,n_2]}	beam
$\{BEAM, \{\{E,G\}, \{A,I_{yy},I_{zz}, \{j_X,j_Y,j_Z\}\}, \{f_X,f_Y,f_Z\}\}, Line[\{n_1,n_2\}]\}$	beam
Plate model	
$\{PLANE, \{\{E, v\}, \{t\}, \{f_X, f_Y, f_Z\}\}, Polygon[\{n_1, n_2, n_3\}]\} \dots$	thin slab mode
$\{PLANE, \{\{E, v\}, \{t\}, \{f_X, f_Y, f_Z\}\}, Polygon[\{n_1, n_2, n_3, n_4\}]\} \dots$	thin slab mode
$\{PLATE, \{\{E, v\}, \{t\}, \{f_X, f_Y, f_Z\}\}, Polygon[\{n_1, n_2, n_3\}]\} \dots \}$	bending mode
$\{SHELL, \{\{E,v\}, \{t\}, \{f_X, f_Y, f_Z\}\}, Polygon[\{n_1, n_2, n_3\}]\} \dots \}$	plate
Solid model	
$\{SOLID, \{\{E,v\}, \{f_X, f_Y, f_Z\}\}\}, Tetrahedron[\{n_1, n_2, n_3, n_4\}]\}$	solid
$\{SOLID, \{\{E,v\}, \{f_X, f_Y, f_Z\}\}\}, Hexahedron[\{n_1, n_2, n_3, n_4, n_5, n_6, n_7, n_8\}]\}$	}solid
$\{SOLID, \{\{E,v\}, \{f_X, f_Y, f_Z, m_X, m_Y, m_Z, \}\}, Tetrahedron[\{n_1, n_2, n_3, n_4\}]\}$	}solid
OPERATIONS	
prb = REFINE[prb] refine structure $prb = REFINE[prb]$	ucture representation
Out = FORMATTED[prb]displa	y problem definition

 $\label{eq:out_state} Out = STANDARDFORM[\textit{prb}] display virtual work expression \\ sol = SOLVE[\{DISP\}, \textit{prb}] \mid SOLVE[\textit{prb}] solve the unknowns$

VIBRATION ANALYSIS

Constraint
${\rm JOINT}, {\} \{\{\underline{u}_X, \underline{u}_Y, \underline{u}_Z\}\}, Point[\{n_1\}]\}}$ displacement constraint
${JOINT, {}, Line[{n_1, n_2}]}$ displacement constraint
$\{RIGID, \{\} \{\{\underline{u}_X, \underline{u}_Y, \underline{u}_Z\}, \{\underline{\theta}_X, \underline{\theta}_Y, \underline{\theta}_Z\}\}, Point[\{n_1\}]\} \dots displacement/rotation constraint$
${RIGID,\{\},Line[\{n_1,n_2\}]\}}$ rigid constraint
$\{SLIDER, \{n_X, n_Y, n_Z\}, Point[\{n_1\}]\}.$ slider constraint
Force
$\{FORCE, \{F_X, F_Y, F_Z\}, Point[\{n_1\}]\}.$ point force
$\{ FORCE, \{ F_X, F_Y, F_Z, M_X, M_Y, M_Z \}, Point[\{ n_1 \}] \} \ \dots \dots$
$\{FORCE, \{f_X, f_Y, f_Z\}, Line[\{n_1, n_2\}]\} \dots \dots \dots \dots \dots distributed \ force$
$\{FORCE, \{f_X, f_Y, f_Z\}, Polygon[\{n_1, n_2, n_3\}]\}distributed force$
$\{FORCE, \{\{m\}\}, Point[\{n_1\}]\}$ inertia effect
$\{FORCE, \{\{m, J\}\}, Point[\{n_l\}]\}$ inertia effect
$\{ \text{FORCE}, \{ \{m, J\}, \{ \{i_X, i_Y, i_Z\}, \{ j_X, j_Y, j_Z\} \} \}, \text{Point}[\{n_1\}] \} \dots \text{inertia effect}$
Beam model
Beam model $ \{ \text{BAR}, \{ \{E, \rho\}, \{A\}, \{f_X, f_Y, f_Z\} \}, \text{Line}[\{n_1, n_2\}] \} \ $ bar mode
$\{BAR, \{\{E, \rho\}, \{A\}, \{f_X, f_Y, f_Z\}\}, Line[\{n_1, n_2\}]\}$ bar mode
$ \{ \text{BAR}, \{ \{ E, \rho \}, \{ A \}, \{ f_X, f_Y, f_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \\ = \{ \text{TORSION}, \{ \{ G, \rho \}, \{ J \}, \{ m_X, m_Y, m_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \\ = \{ \text{TORSION}, \{ m_X, m_Y, m_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \\ = \{ \text{TORSION}, \{ m_X, m_Y, m_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \\ = \{ \text{TORSION}, \{ m_X, m_Y, m_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \\ = \{ \text{TORSION}, \{ m_X, m_Y, m_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \\ = \{ \text{TORSION}, \{ m_X, m_Y, m_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \\ = \{ \text{TORSION}, \{ m_X, m_Y, m_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \\ = \{ \text{TORSION}, \{ m_X, m_Y, m_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \\ = \{ \text{TORSION}, \{ m_X, m_Y, m_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \\ = \{ \text{TORSION}, \{ m_X, m_Y, m_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \\ = \{ \text{TORSION}, \{ m_X, m_Y, m_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \\ = \{ \text{TORSION}, \{ m_X, m_Y, m_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \\ = \{ \text{TORSION}, \{ m_X, m_Y, m_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \\ = \{ \text{TORSION}, \{ m_X, m_Y, m_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \\ = \{ \text{TORSION}, \{ m_X, m_Y, m_Z \} \}, \text{Line}[\{ m_X, m_Y, m_Z \} \}, \text{Line}[\{ m_X, m_Y, m_Z \} \}, \text{Line}[\{ m_X, m_Y, m_Z \}], \text{Line}[\{ m_X,$
$ \{ \text{BAR}, \{ \{ E, \rho \}, \{ A \}, \{ f_X, f_Y, f_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \\ = \{ \text{TORSION}, \{ \{ G, \rho \}, \{ J \}, \{ m_X, m_Y, m_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \\ = \{ \text{BEAM}, \{ \{ E, G, \rho \}, \{ A, I_{yy}, I_{zz} \}, \{ f_X, f_Y, f_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \\ = \{ \text{beam beam beam beam } \} $
$ \{ \text{BAR}, \{ \{ E, \rho \}, \{ A \}, \{ f_X, f_Y, f_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \qquad \qquad \text{bar mode} $ $ \{ \text{TORSION}, \{ \{ G, \rho \}, \{ J \}, \{ m_X, m_Y, m_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \qquad \qquad \text{torsion mode} $ $ \{ \text{BEAM}, \{ \{ E, G, \rho \}, \{ A, I_{yy}, I_{zz} \}, \{ f_X, f_Y, f_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \qquad \qquad \text{beam} $ $ \{ \text{BEAM}, \{ \{ E, G, \rho \}, \{ A, I_{yy}, I_{zz}, \{ j_X, j_Y, j_Z \} \}, \{ f_X, f_Y, f_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \qquad \qquad \text{beam} $
$ \{ \text{BAR}, \{ \{ E, \rho \}, \{ A \}, \{ f_X, f_Y, f_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \qquad \qquad \text{bar mode} $ $ \{ \text{TORSION}, \{ \{ G, \rho \}, \{ J \}, \{ m_X, m_Y, m_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \qquad \qquad \text{torsion mode} $ $ \{ \text{BEAM}, \{ \{ E, G, \rho \}, \{ A, I_{yy}, I_{zz} \}, \{ f_X, f_Y, f_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \qquad \qquad \text{beam} $ $ \{ \text{BEAM}, \{ \{ E, G, \rho \}, \{ A, I_{yy}, I_{zz}, \{ j_X, j_Y, j_Z \} \}, \{ f_X, f_Y, f_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \qquad \qquad \text{beam} $ $ \mathbf{Plate model} $
$ \{ \text{BAR}, \{ \{ E, \rho \}, \{ A \}, \{ f_X, f_Y, f_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \qquad \qquad \text{bar mode} $ $ \{ \text{TORSION}, \{ \{ G, \rho \}, \{ J \}, \{ m_X, m_Y, m_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \qquad \qquad \text{torsion mode} $ $ \{ \text{BEAM}, \{ \{ E, G, \rho \}, \{ A, I_{yy}, I_{zz} \}, \{ f_X, f_Y, f_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \qquad \qquad \text{beam} $ $ \{ \text{BEAM}, \{ \{ E, G, \rho \}, \{ A, I_{yy}, I_{zz}, \{ j_X, j_Y, j_Z \} \}, \{ f_X, f_Y, f_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \qquad \qquad \text{beam} $ $ \mathbf{Plate \ model} $ $ \{ \text{PLANE}, \{ \{ E, v, \rho \}, \{ t \}, \{ f_X, f_Y, f_Z \} \}, \text{Polygon}[\{ n_1, n_2, n_3 \}] \} \qquad \qquad \text{thin slab mode} $
$ \{ \text{BAR}, \{ \{ E, \rho \}, \{ A \}, \{ f_X, f_Y, f_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \qquad \qquad \text{bar mode} $ $ \{ \text{TORSION}, \{ \{ G, \rho \}, \{ J \}, \{ m_X, m_Y, m_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \qquad \qquad \text{torsion mode} $ $ \{ \text{BEAM}, \{ \{ E, G, \rho \}, \{ A, I_{yy}, I_{zz} \}, \{ f_X, f_Y, f_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \qquad \qquad \text{beam} $ $ \{ \text{BEAM}, \{ \{ E, G, \rho \}, \{ A, I_{yy}, I_{zz}, \{ j_X, j_Y, j_Z \} \}, \{ f_X, f_Y, f_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \qquad \qquad \text{beam} $ $ \mathbf{Plate \ model} $ $ \{ \text{PLANE}, \{ \{ E, v, \rho \}, \{ t \}, \{ f_X, f_Y, f_Z \} \}, \text{Polygon}[\{ n_1, n_2, n_3, n_4 \}] \} \qquad \qquad \text{thin slab mode} $ $ \{ \text{PLANE}, \{ \{ E, v, \rho \}, \{ t \}, \{ f_X, f_Y, f_Z \} \}, \text{Polygon}[\{ n_1, n_2, n_3, n_4 \}] \} \qquad \qquad \text{thin slab mode} $
$ \{ \text{BAR}, \{ \{ E, \rho \}, \{ A \}, \{ f_X, f_Y, f_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \qquad \qquad \text{bar mode} $ $ \{ \text{TORSION}, \{ \{ G, \rho \}, \{ J \}, \{ m_X, m_Y, m_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \qquad \qquad \text{torsion mode} $ $ \{ \text{BEAM}, \{ \{ E, G, \rho \}, \{ A, I_{yy}, I_{zz} \}, \{ f_X, f_Y, f_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \qquad \qquad \text{beam} $ $ \{ \text{BEAM}, \{ \{ E, G, \rho \}, \{ A, I_{yy}, I_{zz}, \{ j_X, j_Y, j_Z \} \}, \{ f_X, f_Y, f_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \qquad \qquad \text{beam} $ $ \mathbf{Plate \ model} $ $ \{ \text{PLANE}, \{ \{ E, v, \rho \}, \{ t \}, \{ f_X, f_Y, f_Z \} \}, \text{Polygon}[\{ n_1, n_2, n_3 \}] \} \qquad \qquad \text{thin slab mode} $ $ \{ \text{PLANE}, \{ \{ E, v, \rho \}, \{ t \}, \{ f_X, f_Y, f_Z \} \}, \text{Polygon}[\{ n_1, n_2, n_3 \}] \} \qquad \qquad \text{bending mode} $ $ \{ \text{PLATE}, \{ \{ E, v, \rho \}, \{ t \}, \{ f_X, f_Y, f_Z \} \}, \text{Polygon}[\{ n_1, n_2, n_3 \}] \} \qquad \qquad \text{bending mode} $
$ \{ \text{BAR}, \{ \{ E, \rho \}, \{ A \}, \{ f_X, f_Y, f_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \qquad \qquad \text{bar mode} $ $ \{ \text{TORSION}, \{ \{ G, \rho \}, \{ J \}, \{ m_X, m_Y, m_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \qquad \qquad \text{torsion mode} $ $ \{ \text{BEAM}, \{ \{ E, G, \rho \}, \{ A, I_{yy}, I_{zz} \}, \{ f_X, f_Y, f_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \qquad \qquad \text{beam} $ $ \{ \text{BEAM}, \{ \{ E, G, \rho \}, \{ A, I_{yy}, I_{zz}, \{ j_X, j_Y, j_Z \} \}, \{ f_X, f_Y, f_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \qquad \qquad \text{beam} $ $ \{ \text{PLANE}, \{ \{ E, v, \rho \}, \{ t \}, \{ f_X, f_Y, f_Z \} \}, \text{Polygon}[\{ n_1, n_2, n_3 \}] \} \qquad \qquad \text{thin slab mode} $ $ \{ \text{PLANE}, \{ \{ E, v, \rho \}, \{ t \}, \{ f_X, f_Y, f_Z \} \}, \text{Polygon}[\{ n_1, n_2, n_3 \}] \} \qquad \qquad \text{bending mode} $ $ \{ \text{SHELL}, \{ \{ E, v, \rho \}, \{ t \}, \{ f_X, f_Y, f_Z \} \}, \text{Polygon}[\{ n_1, n_2, n_3 \}] \} \qquad \qquad \text{plate} $
$ \{ \text{BAR}, \{ \{ E, \rho \}, \{ A \}, \{ f_X, f_Y, f_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \\ \text{bar mode} \\ \{ \text{TORSION}, \{ \{ G, \rho \}, \{ J \}, \{ m_X, m_Y, m_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \\ \text{beam} \\ \{ \text{BEAM}, \{ \{ E, G, \rho \}, \{ A, I_{yy}, I_{zz} \}, \{ f_X, f_Y, f_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \\ \text{beam} \\ \{ \text{BEAM}, \{ \{ E, G, \rho \}, \{ A, I_{yy}, I_{zz}, \{ j_X, j_Y, j_Z \} \}, \{ f_X, f_Y, f_Z \} \}, \text{Line}[\{ n_1, n_2 \}] \} \\ \text{beam} \\ \{ \text{PLANE}, \{ \{ E, v, \rho \}, \{ t \}, \{ f_X, f_Y, f_Z \} \}, \text{Polygon}[\{ n_1, n_2, n_3 \}] \} \\ \text{thin slab mode} \\ \{ \text{PLANE}, \{ \{ E, v, \rho \}, \{ t \}, \{ f_X, f_Y, f_Z \} \}, \text{Polygon}[\{ n_1, n_2, n_3 \}] \} \\ \text{bending mode} \\ \{ \text{SHELL}, \{ \{ E, v, \rho \}, \{ t \}, \{ f_X, f_Y, f_Z \} \}, \text{Polygon}[\{ n_1, n_2, n_3 \}] \} \\ \text{plate} \\ \mathbf{Solid model} $

OPERATIONS

prb = REFINE[prb]	refine structure representation
Out = FORMATTED[<i>prb</i>]	display problem definition
Out = STANDARDFORM[$\{VIBR\}, prb$]	display virtual work expression
sol = SOLVE[{VIBR}, <i>prb</i>]	solve the eigenfrequencies and modes
sol = SOLVE[{VIBR,ini}, prb]	solve the unknowns (does not work with DAEs)

STABILITY ANALYSIS

Constraint $\{JOINT, \{\} | \{\{u_X, u_Y, u_Z\}\}\}, Point[\{n_1\}]\} \dots displacement constraint$ $\{\text{JOINT}, \{\}, \text{Line}[\{n_1, n_2\}]\}$displacement constraint $\{RIGID, \{\} | \{\{u_X, u_Y, u_Z\}, \{\theta_X, \theta_Y, \theta_Z\}\}\}, Point[\{n_1\}]\} \dots displacement/rotation constraint$ $\{RIGID, \{\}, Line[\{n_1, n_2\}]\}$rigid constraint $\{SLIDER, \{n_X, n_Y, n_Z\}, Point[\{n_1\}]\}$ slider constraint **Force** $\{FORCE, \{F_X, F_Y, F_Z\}, Point[\{n_1\}]\}.$ point force $\{FORCE, \{F_X, F_Y, F_Z, M_X, M_Y, M_Z\}, Point[\{n_1\}]\}$point load $\{FORCE, \{f_X, f_Y, f_Z\}, Line[\{n_1, n_2\}]\}$distributed force $\{FORCE, \{f_X, f_Y, f_Z\}, Polygon[\{n_1, n_2, n_3\}]\}$distributed force Beam model $\{BAR, \{\{E\}, \{A\}, \{f_X, f_Y, f_Z\}\}\}, Line[\{n_1, n_2\}]\}$bar mode $\{TORSION, \{\{G\}, \{J\}, \{\{m_X, m_Y, m_Z\}\}\}\}, Line[\{n_1, n_2\}]\}$ torsion mode {BENDING, $\{E\}, \{I_y, I_z\}, \{f_X, f_Y, f_Z\}\}$, Line $[\{n_1, n_2\}]$ }.....bending mode {BEAM,{E,G,{ A,I_{yy},I_{zz} },{ f_X,f_Y,f_Z },Line[n_1,n_2]}beam {BEAM,{E,G},{ A,I_{yy},I_{zz} ,{ i_X,i_Y,i_Z }},{ f_X,f_Y,f_Z }},Line[n_1,n_2]}....beam Plate model $\{PLANE, \{\{E,v\}, \{t\}, \{f_X, f_Y, f_Z\}\}\}, Polygon[\{n_1, n_2, n_3\}]\}$thin slab mode $\{PLANE, \{\{E,v\}, \{t\}, \{f_X, f_Y, f_Z\}\}\}, Polygon[\{n_1, n_2, n_3, n_4\}]\}....$ thin slab mode $\{PLATE, \{\{E, v\}, \{t\}, \{f_X, f_Y, f_Z\}\}\}, Polygon[\{n_1, n_2, n_3\}]\} \dots$ bending mode $\{SHELL, \{\{E, v\}, \{t\}, \{f_X, f_Y, f_Z\}\}\}, Polygon[\{n_1, n_2, n_3\}]\}$plate Solid model $\{SOLID, \{\{E,v\}, \{f_X, f_Y, f_Z\}\}\}, Tetrahedron[\{n_1, n_2, n_3, n_4\}]\} \dots$ solid $\{SOLID, \{\{E,v\}, \{f_X, f_Y, f_Z\}\}\}, Hexahedron[\{n_1, n_2, n_3, n_4, n_5, n_6, n_7, n_8\}]\} \dots solid$ $\{SOLID, \{\{E,v\}, \{f_X, f_Y, f_Z, m_X, m_Y, m_Z, \}\}\}, Tetrahedron[\{n_1, n_2, n_3, n_4\}]\} \dots solid$ **OPERATIONS** *prb* = REFINE[*prb*] refine structure representation

Out = $FORMATTED[prb]$	display problem definition
Out = STANDARDFORM[{STA	AB}, prb]display virtual work expression
$sol = SOLVE[\{STAB, p\}, prb]$	find the critical values of p and the modes

NONLINEAR ANALYSIS

Constraint
${\text{JOINT},\{\} \{\{\underline{u}_X,\underline{u}_Y,\underline{u}_Z\}\}\},\text{Point}[\{n_1\}]\}}$ displacement constraint
${\text{JOINT},\{\},\text{Line}[\{n_1,n_2\}]\}}$ displacement constrain
$\{RIGID, \{\} \{\{\underline{u}_X, \underline{u}_Y, \underline{u}_Z\}, \{\underline{\theta}_X, \underline{\theta}_Y, \underline{\theta}_Z\}\}, Point[\{n_1\}]\} \dots displacement/rotation constraints.$
${RIGID,\{\},Line[\{n_1,n_2\}]\}}$ rigid constrain
$\{SLIDER, \{n_X, n_Y, n_Z\}, Point[\{n_1\}]\}$ slider constrain
Force
$\{ \text{FORCE}, \{F_X, F_Y, F_Z\}, \text{Point}[\{n_1\}] \} $ point force
$\{FORCE, \{F_X, F_Y, F_Z, M_X, M_Y, M_Z\}, Point[\{n_1\}]\}$ point load
$\{ \text{FORCE}, \{f_X, f_Y, f_Z\}, \text{Line}[\{n_1, n_2\}] \} $ distributed force
$\{ \text{FORCE}, \{f_X, f_Y, f_Z\}, \text{Polygon}[\{n_1, n_2, n_3\}] \} \\ \text{distributed force}$
Beam model
$\{BAR, \{\{E\}, \{A\}, \{f_X, f_Y, f_Z\}\}\}, Line[\{n_1, n_2\}]\}$ bar model
Plate model
$\{ PLANE, \{ \{ E, \nu \}, \{ t \}, \{ f_X, f_Y, f_Z \} \}, Polygon[\{ n_1, n_2, n_3 \}] \} thin slab model to the property of the p$
$\{ PLANE, \{ \{ E, v \}, \{ t \}, \{ f_X, f_Y, f_Z \} \}, Polygon[\{ n_1, n_2, n_3, n_4 \}] \} thin slab model to the slab model of the slab m$
Solid model
$\{SOLID, \{\{E,v\}, \{f_X, f_Y, f_Z\}\}\}, Tetrahedron[\{n_1, n_2, n_3, n_4\}]\}$ (nonlinear) solice the solice of the
$\{ \text{SOLID}, \{ \{E, v\}, \{f_X, f_Y, f_Z\} \}, \text{Hexahedron} [\{n_1, n_2, n_3, n_4, n_5, n_6, n_7, n_8\}] \} \ \dots (\text{nonlinear}) \ \text{solice} \ \{ \{n_1, n_2, n_3, n_4, n_5, n_6, n_7, n_8\} \} \} $
$\{ \text{SOLID}, \{ \{ E, v \}, \{ f_X, f_Y, f_Z, m_X, m_Y, m_Z, \} \}, \text{Tetrahedron}[\{ n_1, n_2, n_3, n_4 \}] \} \ \dots (\text{nonlinear}) \ \text{solice}[\{ n_1, n_2, n_3, n_4 \}] \} \ \dots (\text{nonlinear}) \ \text{solice}[\{ n_1, n_2, n_3, n_4 \}] \} \ \dots (\text{nonlinear}) \ \text{solice}[\{ n_1, n_2, n_3, n_4 \}] \} \ \dots (\text{nonlinear}) \ \text{solice}[\{ n_1, n_2, n_3, n_4 \}] \} \ \dots (\text{nonlinear}) \ \text{solice}[\{ n_1, n_2, n_3, n_4 \}] \} \ \dots (\text{nonlinear}) \ \text{solice}[\{ n_1, n_2, n_3, n_4 \}] \} \ \dots (\text{nonlinear}) \ \text{solice}[\{ n_1, n_2, n_3, n_4 \}] \} \ \dots (\text{nonlinear}) \ \text{solice}[\{ n_1, n_2, n_3, n_4 \}] \} \ \dots (\text{nonlinear}) \ \text{solice}[\{ n_1, n_2, n_3, n_4 \}] \} \ \dots (\text{nonlinear}) \ \text{solice}[\{ n_1, n_2, n_3, n_4 \}] \} \ \dots (\text{nonlinear}) \ \text{solice}[\{ n_1, n_2, n_3, n_4 \}] \} \ \dots (\text{nonlinear}) \ \text{solice}[\{ n_1, n_2, n_3, n_4 \}] \} \ \dots (\text{nonlinear}) \ \text{solice}[\{ n_1, n_2, n_3, n_4 \}] \} \ \dots (\text{nonlinear}) \ \text{solice}[\{ n_1, n_2, n_3, n_4 \}] \} \ \dots (\text{nonlinear}) \ \text{solice}[\{ n_1, n_2, n_3, n_4 \}] \} \ \dots (\text{nonlinear}) \ \text{solice}[\{ n_1, n_2, n_3, n_4 \}] \} \ \dots (\text{nonlinear}) \ \text{solice}[\{ n_1, n_2, n_3, n_4 \}] \} \ \dots (\text{nonlinear}) \ \text{solice}[\{ n_1, n_2, n_3, n_4 \}] \} \ \dots (\text{nonlinear}) \ \text{solice}[\{ n_1, n_2, n_3, n_4 \}] \} \ \dots (\text{nonlinear}) \ \text{solice}[\{ n_1, n_2, n_3, n_4 \}] \} \ \dots (\text{nonlinear}) \ \text{solice}[\{ n_1, n_2, n_3, n_4 \}] \} \ \dots (\text{nonlinear}) \ \text{solice}[\{ n_1, n_2, n_3, n_4 \}] \ so$
OPERATIONS
prb = REFINE[prb] refine structure representation
Out = FORMATTED[{NONL}, prb]display problem definition
Out = STANDARDFORM[{NONL}, prb]display virtual work expression
$sol = SOLVE[{NONL}, prb]$ find the likely numerical solution
$sol = SOLVE[\{NONL,ALL\}, prb]$ find all solutions

THERMO-MECHANICAL ANALYSIS

Constraint $\{JOINT, \{\} | \{\{u_X, u_Y, u_Z\}\}\}, Point[\{n_1\}]\} \dots displacement constraint$ $\{RIGID, \{\} | \{\{\underline{u}_X, \underline{u}_Y, \underline{u}_Z\}, \{\underline{\theta}_X, \underline{\theta}_Y, \underline{\theta}_Z\}\}, Point[\{n_1\}]\} \dots displacement/rotation constraint$ $\{RIGID, \{\}, Line[\{n_1, n_2\}]\}$rigid constraint $\{SLIDER, \{n_X, n_Y, n_Z\}, Point[\{n_1\}]\}$ slider constraint **Force** $\{FORCE, \{F_X, F_Y, F_Z\}, Point[\{n_1\}]\}$ point force $\{\mathsf{FORCE}, \{F_X, F_Y, F_Z, M_X, M_Y, M_Z\}, \mathsf{Point}[\{n_1\}]\} \ \dots \dots \mathsf{point} \ \mathsf{load}$ $\{FORCE, \{f_X, f_Y, f_Z\}, Line[\{n_1, n_2\}]\}$distributed force $\{FORCE, \{f_X, f_Y, f_Z\}, Polygon[\{n_1, n_2, n_3\}]\}$distributed force Beam model $\{BAR, \{\{E, \alpha, k\}, \{A\}, \{\{f_X, f_Y, f_Z\}, \{s, \mathcal{G}_0\}\}\}\}, Line[\{n_1, n_2\}]\}$bar mode Plate model $\{PLANE, \{\{E, v, \alpha, k\}, \{t\}, \{\{f_X, f_Y, f_Z\}, \{s, \theta_0\}\}\}\}, Polygon[\{n_1, n_2, n_3\}]\} \dots thin slab mode$ $\{PLANE, \{\{E, v, \alpha, k\}, \{t\}, \{\{f_X, f_Y, f_Z\}, s, \mathcal{S}_0\}\}, Polygon[\{n_1, n_2, n_3, n_4\}]\} \dots thin slab mode$ Solid model $\{SOLID, \{\{E, v, \alpha, k\}, \{\{f_X, f_Y, f_Z\}, \{s, \theta_0\}\}\}\}, Tetrahedron[\{n_1, n_2, n_3, n_4\}]\} \dots solid$ **Functions** prb = REFINE[prb].....refine structure representation Out = FORMATTED[prb]......display problem definition Out = STANDARDFORM[{TMEC}, prb]display virtual work expression

 $sol = SOLVE[\{TMEC\}, prb]$ solve the unknowns