Formula 1 Machine Learning

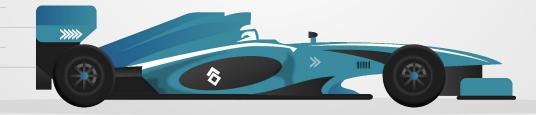
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The Data

- Kaggle Dataset featuring tens of thousands of observations
- It contains data from every Formula 1 race from 1970 2023 (2024 data has not been entered yet)



Key Features

| Final Position - Target Variable | Finishing Position at the end of the race If a racer was disqualified their finishing position is 20 - last |
|----------------------------------|--|
| Circuit | A number that represents each individual track From 1 - 79 |
| Weather | O if Sunny, 1 if any inclement weather. Binary qualitative variable |
| Driver ID | A number that represents each individual Driver From 1 - 858 |
| Team (Constructor) | Numeric value to represent each individual team (Ferrari, Red Bull, Etc.) |

Preprocessing

Cleaned and prepared the data to be used in regression:

- Selected features
- Dropped null values
- Changed data format (time)
- Added Weather as a binary variable
- Restricted data to the last 5 years





Regression O2 Analysis



Initial Linear Regression

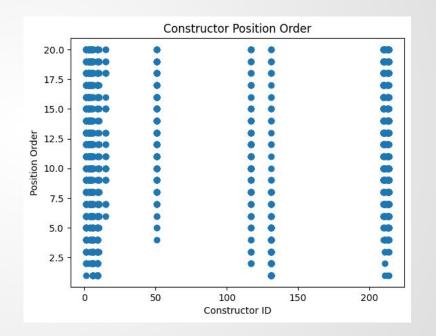
- Our first model was Scikitlearn's LinearRegression
- Low R-squared
- High mean absolute error (MAE)
- x3 = Driver, x4 = constructor, x5 = qualifying position

Linear Regression Model - Train MAE: 8.077031458562976 Linear Regression Model - Test MAE: 8.760443668595483

```
OLS Regression Results
 Dep. Variable:
                                     R-squared:
                                                   0.385
     Model:
                 OLS
                                   Adj. R-squared: 0.384
    Method:
                                     F-statistic:
                 Least Squares
                                                   287.0
                 Mon, 06 May 2024 Prob (F-statistic): 8.10e-239
      Date:
                 21:56:07
                                  Log-Likelihood: -6724.5
      Time:
                                                   1.346e+04
No. Observations: 2297
                                        AIC:
  Df Residuals: 2291
                                        BIC:
                                                   1.350e+04
    Df Model:
Covariance Type: nonrobust
      coef std err t P>|t| [0.025 0.975]
const 3.1303 0.303 10.348 0.000 2.537 3.723
 x1 -0.0006 0.004 -0.162 0.871 -0.008 0.006
 x2 -0.0722 0.279 -0.259 0.796 -0.619 0.475
    0.0011 0.000 3.825 0.000 0.001 0.002
     0.0037 0.001 3.323 0.001 0.002 0.006
 x5 0.6036 0.017 36.370 0.000 0.571 0.636
              237,441 Durbin-Watson: 1.027
  Omnibus:
Prob(Omnibus): 0.000 Jarque-Bera (JB): 317.530
               0.844
                          Prob(JB):
                                        1.12e-69
    Skew:
               3.683
                                       2.53e+03
   Kurtosis:
                          Cond. No.
```

Limitations of Linear Regression

- Nominal Data
 - Driver ID, Constructor ID
- Lack of Model Complexity
- Noisy data





Neural Networks



Categorical Neural Network

- Approached the problem by defining the dependent variable as categorical
- Initial neural network to experiment with
- Test accuracy of 0.13

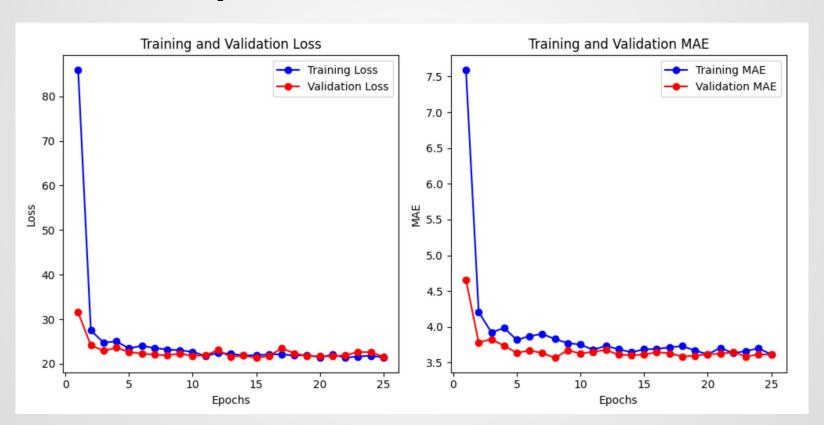
```
X_train, X_test, y_train, y_test = train_test_split(X, Y, test_size=0.2)
scaler = StandardScaler()
X train scaled = scaler.fit transform(X train)
X_test_scaled = scaler.transform(X_test)
model = Sequential([
    Dense(256, activation='relu', input shape=(X train.shape[1],)),
    Dropout(0.5),
    Dense(128, activation='relu', input shape=(X train.shape[1],)),
    Dropout(0.5),
    Dense(64, activation='relu'),
    Dense(12, activation='relu'),
    Dense(22, activation='relu'),
    Dense(34, activation='relu'),
    Dense(52, activation='relu'),
    Dense(82, activation='relu'),
    Dense(16, activation='relu'),
    Dense(21, activation='softmax')
1)
optimizer = Adam(learning rate=0.002)
model.compile(optimizer=optimizer, loss='sparse_categorical_crossentropy', metrics=['accuracy'])
early_stopping = EarlyStopping(monitor='val_loss', patience=20, restore_best_weights=True)
```

Linear Regression NN

- Switched to MSE loss function
- Measured MAE to determine performance
- Final testing MAE of 3.49
- Simple 5 layer network



Simple Linear MAE Plots



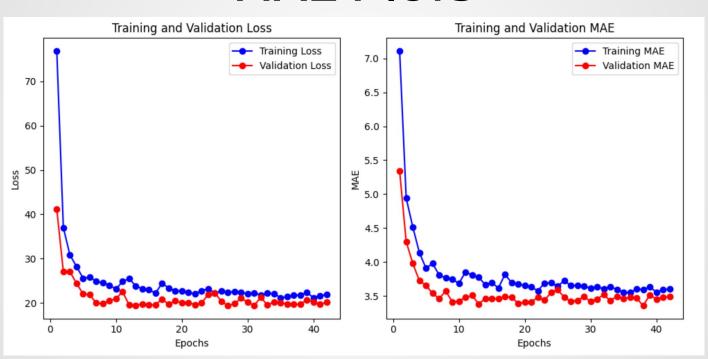
Linear Regression CNN

- Introduced the filters to the layers
- Adjusted hyperparameters to help CNN
- Final testing MAE of 3.54



```
from tensorflow.keras.layers import Conv1D, MaxPooling1D, Flatten
model CNN = Sequential([
    Conv1D(filters=32, kernel_size=3, activation='relu', input_shape=(X_train.shape[1], 1)),
    MaxPooling1D(pool_size=2),
    Conv1D(filters=64, kernel size=3, activation='relu'),
    MaxPooling1D(pool size=2),
    Conv1D(filters=128, kernel size=3, activation='relu'),
    MaxPooling1D(pool size=1),
    Flatten(),
    Dense(64, activation='relu'),
    Dropout(0.45),
    Dense(128, activation='relu'),
    Dropout(0.45),
    Dense(1, activation='linear')
optimizer = Adam(learning rate=0.001)
model_CNN.compile(optimizer=optimizer, loss='mean_squared_error', metrics=['mean_absolute_error'])
early stopping = EarlyStopping(monitor='val loss', patience=15, restore best weights=True)
history = model_CNN.fit(X_train_scaled.reshape(-1, X_train_scaled.shape[1], 1), y_train, epochs=100, batch_size=32,
                    validation split=0.2, callbacks=[early stopping])
loss, mae = model_CNN.evaluate(X_test_scaled.reshape(-1, X_test_scaled.shape[1], 1), y_test)
print(f'Test Mean Absolute Error: {mae}')
```

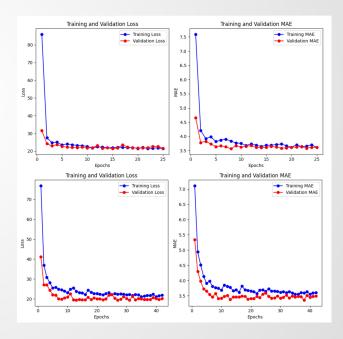
MAE Plots



Comparing Neural Networks

- Neural networks had similar final MAE values
- There may be some room for improvement with the CNN based on the plots
- Future adjustments to the complexity of the CNN may be able to create a significant advantage over the initial neural network





Future Steps

- Improve complexity and output from both neural networks
- Attempt more complex regression models
- Predict and analyze results for future races



Thank You