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UNIVERSITY**
“JnanaSangama”, Belgaum -590014, Karnataka.



LAB REPORT
on
Artificial Intelligence (23CS5PCAIN)

Submitted by

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in partial fulfillment for the award of the degree of
BACHELOR OF ENGINEERING
in
COMPUTER SCIENCE AND ENGINEERING



B.M.S. COLLEGE OF ENGINEERING
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**B.M.S. College of Engineering,
Bull Temple Road, Bangalore 560019**
(Affiliated To Visvesvaraya Technological University, Belgaum)
Department of Computer Science and Engineering



CERTIFICATE

This is to certify that the Lab work entitled “Artificial Intelligence (23CS5PCAIN)” carried out by **Spurthi Reddy P (1BM23CS338)**, who is bonafide student of **B.M.S. College of Engineering**. It is in partial fulfillment for the award of **Bachelor of Engineering in Computer Science and Engineering** of the Visvesvaraya Technological University, Belgaum. The Lab report has been approved as it satisfies the academic requirements in respect of an Artificial Intelligence (23CS5PCAIN) work prescribed for the said degree.

Sonika Sharma D Assistant Professor Department of CSE, BMSCE	Dr. Kavitha Sooda Professor & HOD Department of CSE, BMSCE
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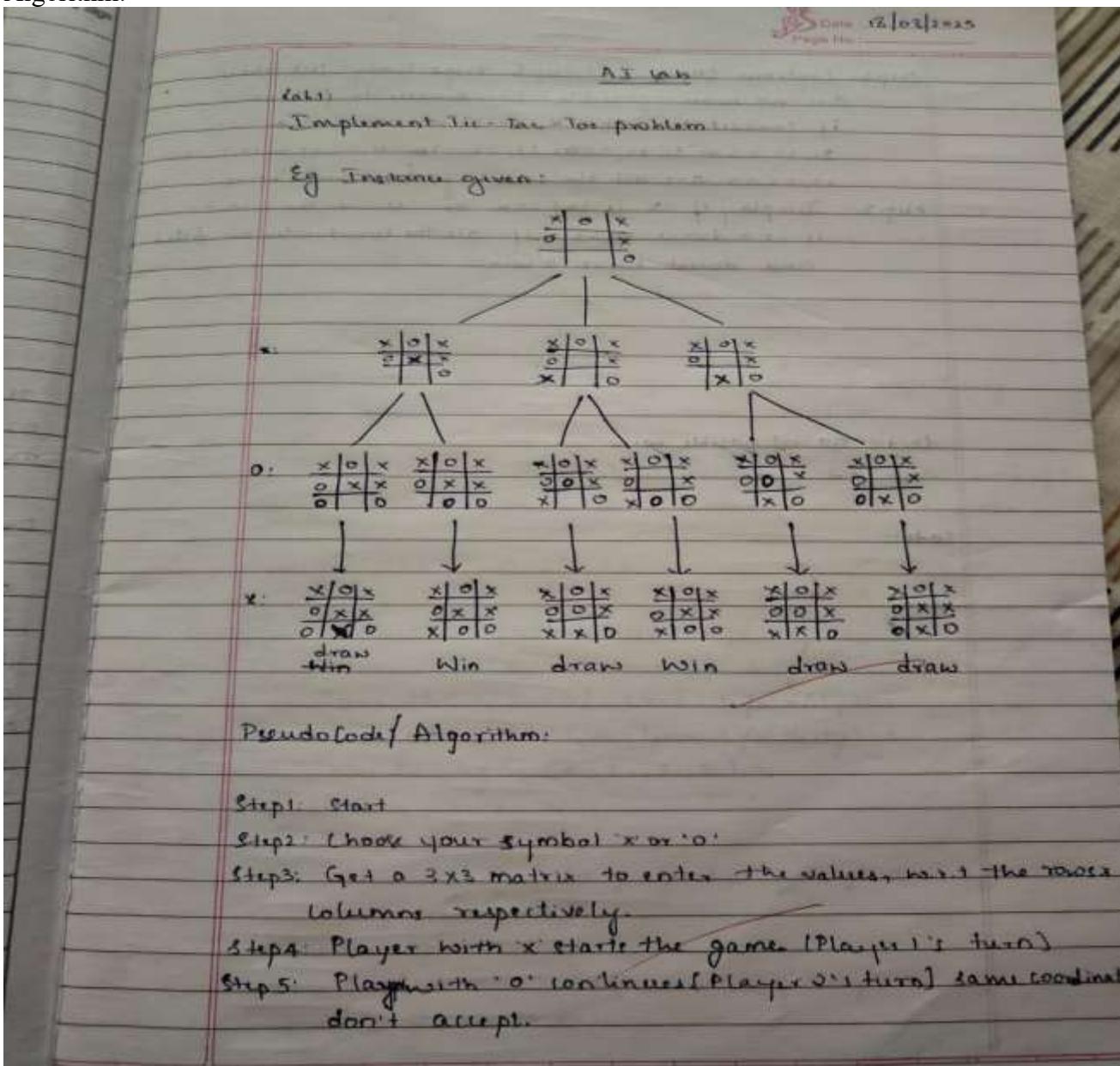
Github Link:

<https://github.com/Spurthi-338/AILAB-338>

Program 1

Implement Tic - Tac - Toe Game

Algorithm:



Step 6: Continue step 4 and step 5 respectively till there are no more possible coordinates to fill or if coordinates with 11, 22, 33 or 11, 12, 13 or 21, 22, 23 or 31, 32, 33 or 13, 22, 31 or 11, 21, 31 or 12, 22, 33 are all the same symbols then it wins.

Step 7: Display if 'X' is the win or 'O' is the win or it is a draw match if all the coordinates are full and doesn't have a win.

Cost = no. of possible wins

1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33						
X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O			
O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O		
X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	
O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O	X	O

Code:

```
for i in range(3):
    for j in range(3):
        print(" " + str(i) + " " + str(j), end=" ")
    print()
```

using if/else

```

Code:
board = [['-', '-', '-'],
          ['-', '-', '-'],
          ['-', '-', '-']]

def print_board():
    for row in board:
        print(row)

def check_winner(player):
    for row in board:
        if all(cell == player for cell in row):
            return True

    for col in range(3):
        if all(board[row][col] == player for row in range(3)):
            return True

    if all(board[i][i] == player for i in range(3)):
        return True
    if all(board[i][2 - i] == player for i in range(3)):
        return True

    return False

def play_game():
    print_board()
    for turn in range(9):
        if turn % 2 == 0:
            player = 'X'
        else:
            player = 'O'

        print(f"Enter position to place {player}: ")
        row = int(input("Row (1-3): ")) - 1
        col = int(input("Column (1-3): ")) - 1

        if board[row][col] == '-':
            board[row][col] = player
        else:
            print("Cell already taken, try again!")
            continue

    print_board()

    if check_winner(player):
        print(f'{player} wins')

```

```

        print("Game Over")
        return

    print("It's a Draw!")
    print("Game Over")

play_game()

```

Output:

```

Enter position to place X:
Row (1-3): 1
Column (1-3): 3
['-', '-', 'X']
['-', '-', '-']
['-', '-', '-']

Enter position to place 0:
Row (1-3): 2
Column (1-3): 2
['-', '-', 'X']
['-', '0', '-']
['-', '-', '-']

Enter position to place X:
Row (1-3): 2
Column (1-3): 3
['-', '-', 'X']
['-', '0', 'X']
['-', '-', '-']

Enter position to place 0:
Row (1-3): 1
Column (1-3): 1
['0', '-', 'X']
['-', '0', 'X']
['-', '-', '-']

Enter position to place X:
Row (1-3): 1
Column (1-3): 2
['0', 'X', '-']
['0', '0', '-']
['-', '-', '-']

Enter position to place 0:
Row (1-3): 2
Column (1-3): 2
['X', 'X', '-']
['0', '0', '-']
['-', '-', '-']

Enter position to place X:
Row (1-3): 1
Column (1-3): 3
['X', 'X', 'X']
['0', '0', '-']
['-', '-', '-']

X wins
Game Over

```

```
Enter position to place X:  
Row (1-3): 1  
Column (1-3): 1  
[['X', ' ', ' ']  
[' ', ' ', ' ']  
[' ', ' ', ' ']  
Enter position to place 0:  
Row (1-3): 2  
Column (1-3): 2  
[['X', ' ', ' ']  
[' ', '0', ' ']  
[' ', ' ', ' ']  
Enter position to place X:  
Row (1-3): 1  
Column (1-3): 2  
[['X', 'X', ' ']  
[' ', '0', ' ']  
[' ', ' ', ' ']  
Enter position to place 0:  
Row (1-3): 1  
Column (1-3): 3  
[['X', 'X', '0'][  
[' ', '0', ' ']  
[' ', ' ', ' ']  
Enter position to place X:  
Row (1-3): 3  
Column (1-3): 1  
[['X', 'X', '0'][  
[' ', '0', ' ']  
['X', ' ', ' ']  
Enter position to place 0:  
Row (1-3): 2  
Column (1-3): 1  
[['X', 'X', '0'][  
['0', '0', ' ']  
['X', ' ', ' ']  
Enter position to place X:  
Row (1-3): 2  
Column (1-3): 3  
[['X', 'X', '0'][  
['0', '0', 'X'][  
['X', ' ', ' ']  
Enter position to place 0:  
Row (1-3): 3  
Column (1-3): 2  
[['X', 'X', '0'][  
['0', '0', 'X'][  
['X', '0', ' ']  
Enter position to place X:  
Row (1-3): 3  
Column (1-3): 3  
[['X', 'X', '0'][  
['0', '0', 'X'][  
['X', '0', 'X']]  
It's a Draw!  
Game Over
```

Implement vacuum cleaner agent

Date: 25/08/2025
Page No.:

Kabz: Vacuum-cleaner Problem

Algorithm:

Step1: Start

Step2: There are four locations and one vacuum cleaner.
Initial state consider if the vacuum is in loc A it can move to loc B or C or D or clean the place and then leave.

Step3: If loc A is dirty - clean A
else move vacuum to B (if dirty)
else move vacuum to C (if dirty)
else move vacuum to D (if dirty)

Check which rooms are dirty and clean it respectively.

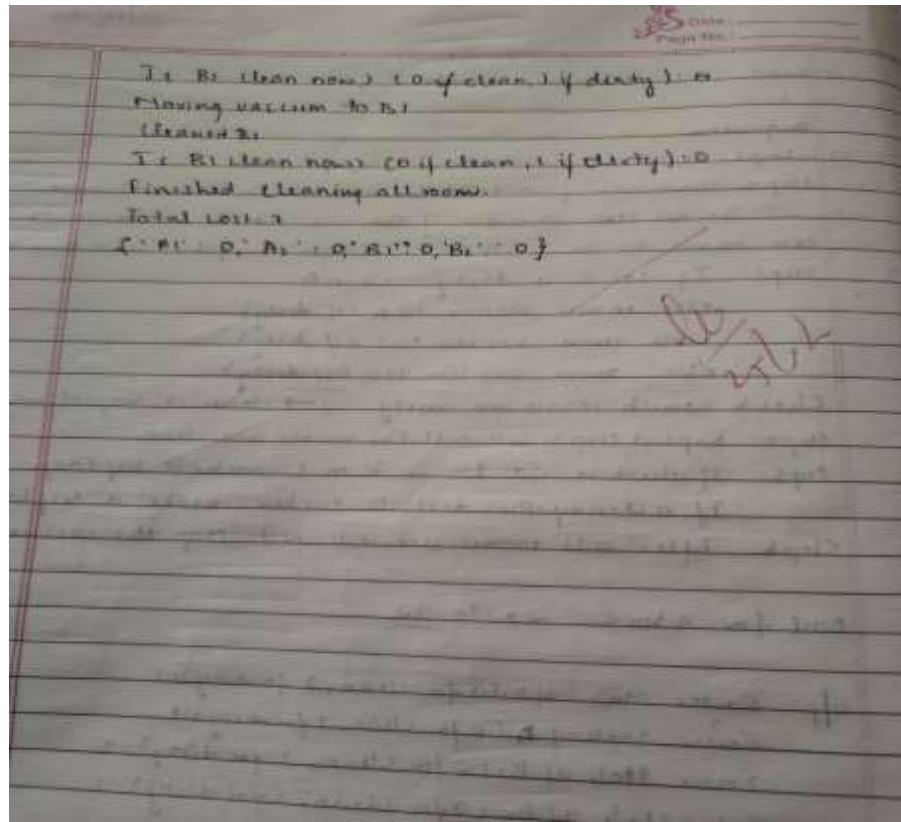
Step4: Repeat step3 till all the rooms are clean.

Step5: If there is no loc in R or L make it self loop.
If already the dirt is sucked make a self loop of S.

Step6: After all rooms are cleaned stop the vacuum.

Cost for 4 locs: $2 \times 2^4 = 32$

o/p: Enter State of A: 0 (0 for clean, 1 for dirty): 1
Enter State of B: 0 (0 for clean, 1 for dirty): 1
Enter State of C: 0 (0 for clean, 1 for dirty): 1
Enter State of D: 0 (0 for clean, 1 for dirty): 1
Enter Starting loc (A₁, A₂, B₁, B₂): A₁
Starting cleaning at A₁
cleaned A₁
Is A₁ clean now? (0 if clean, 1 if dirty): 0
Moving vacuum to A₂
cleaned A₂
Is A₂ clean now? (0 if clean, 1 if dirty): 0
Moving vacuum to B₂
cleaned B₂



Code:

```

def vacuum_agent_2x2():
    state = {
        'A1': int(input("Enter state of A1 (0 for clean, 1 for dirty): ")),
        'A2': int(input("Enter state of A2 (0 for clean, 1 for dirty): ")),
        'B1': int(input("Enter state of B1 (0 for clean, 1 for dirty): ")),
        'B2': int(input("Enter state of B2 (0 for clean, 1 for dirty): "))
    }

    location = input("Enter starting location (A1, A2, B1, B2): ").upper()
    cost = 0

    if all(state[loc] == 0 for loc in state):
        print("All rooms clean. Turning vacuum off.")
        print(f"Cost: {cost}")
        print(state)
        return

    traversal_order = ['A1', 'A2', 'B2', 'B1']

    while traversal_order[0] != location:
        traversal_order.append(traversal_order.pop(0))

    print(f"Starting cleaning at {location}")
  
```

```

for idx, loc in enumerate(traversal_order):
    if idx == 0:
        pass
    else:
        print(f'Moving vacuum to {loc}')
        cost += 1

    if state[loc] == 1:
        print(f'Cleaned {loc}.')
        state[loc] = 0
        cost += 1 # cost for cleaning

print(f'Is {loc} clean now? (0 if clean, 1 if dirty): {state[loc]}')

print("Finished cleaning all rooms.")
print(f'Total cost: {cost}')
print(state)

```

vacuum_agent_2x2()

Output:

```

Enter state of A1 (0 for clean, 1 for dirty): 1
Enter state of A2 (0 for clean, 1 for dirty): 1
Enter state of B1 (0 for clean, 1 for dirty): 1
Enter state of B2 (0 for clean, 1 for dirty): 1
Enter starting location (A1, A2, B1, B2): a1
Starting cleaning at A1
Cleaned A1.
Is A1 clean now? (0 if clean, 1 if dirty): 0
Moving vacuum to A2
Cleaned A2.
Is A2 clean now? (0 if clean, 1 if dirty): 0
Moving vacuum to B2
Cleaned B2.
Is B2 clean now? (0 if clean, 1 if dirty): 0
Moving vacuum to B1
Cleaned B1.
Is B1 clean now? (0 if clean, 1 if dirty): 0
Finished cleaning all rooms.
Total cost: 7
{'A1': 0, 'A2': 0, 'B1': 0, 'B2': 0}

```

SpurthireddyP

Program2

Implement 8 puzzle problems using Depth First Search (DFS)

Algorithm:

Kth 3.1: Breadth Depth First Search without Heuristic Search

Algorithm:

Step1: start.

Step2: Check the initial state and Goal State given.

Step3: As per depth first search for every state below complete in the leftmost side if the 3x3 grid is already visited stop there and move to the previous possible stat. and move to the next leftmost stat continue this till the goal state has been visited.

Step4: for every state there are max. 4 possible states -

Right, Left, Up and Down

Step5: continue Step3 after the search is over / visited respectively, stop the process.

Step6: Stop

O/P:

Step0: 2 3 8
1 6 4
7 0 5

Step1: 1 2 3
0 8 4
7 6 5

Step1: 2 3 8
1 0 4
7 6 5

Step5: 1 2 3
8 0 4
7 6 5

Step9: 2 0 3

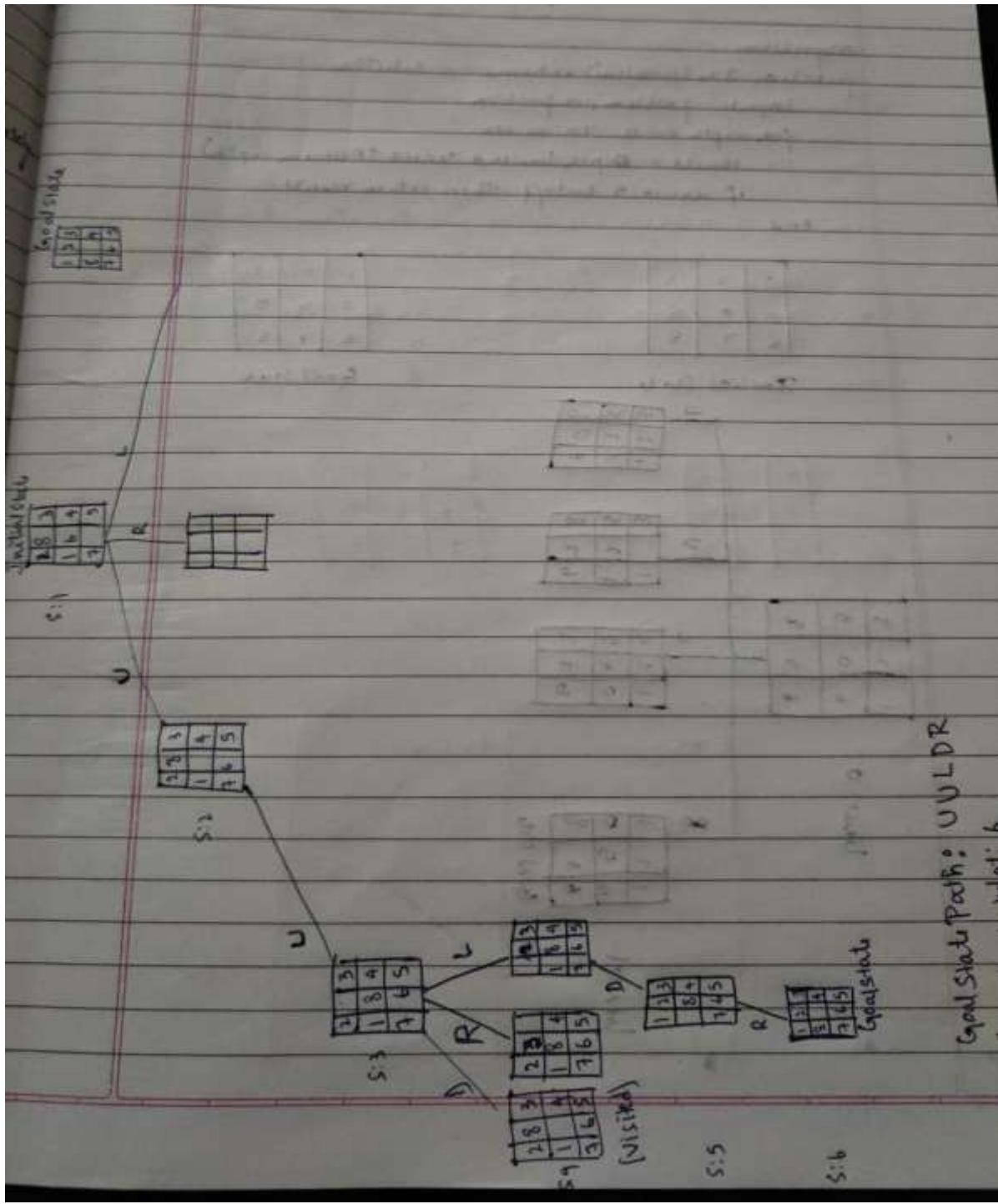
1 8 4
7 6 5

Moves: Up → Up → Left → Down → Right

Total steps to goal: 5

Step3: 0 2 3
1 8 4
7 6 5

Total unique states visited: 1147



Code:

```
def print_state(state):
    for i in range(0, 9, 3):
        print(" ".join(state[i:i+3]))
    print()

def is_goal(state):
    return state == "123804765"

def get_neighbors(state):
    neighbors = []
    moves = {'Up': -3, 'Down': 3, 'Left': -1, 'Right': 1}
    zero_index = state.index('0')

    for move, pos_change in moves.items():
        new_index = zero_index + pos_change

        if move == 'Left' and zero_index % 3 == 0:
            continue
        if move == 'Right' and zero_index % 3 == 2:
            continue
        if move == 'Up' and zero_index < 3:
            continue
        if move == 'Down' and zero_index > 5:
            continue

        state_list = list(state)
        state_list[zero_index], state_list[new_index] = state_list[new_index], state_list[zero_index]
        neighbors.append(("".join(state_list), move))

    return neighbors

def dfs(start_state, max_depth=20):
    visited = set()
    stack = [(start_state, [], [], 0)] # (state, path, moves, depth)

    while stack:
        current_state, path, moves, depth = stack.pop()

        if current_state in visited:
            continue

        visited.add(current_state)

        if is_goal(current_state):
            steps = path + [current_state]
            print("\nGoal reached (DFS)!\n")
```

```

for i, step in enumerate(steps):
    print(f"Step {i}:")
    print_state(step)
print("Moves:", " -> ".join(moves))
print("Total steps to goal:", len(steps) - 1)
print("Total unique states visited:", len(visited))
return

if depth < max_depth:
    for neighbor, move in reversed(get_neighbors(current_state)):
        if neighbor not in visited:
            stack.append((neighbor, path + [current_state], moves + [move], depth + 1))

print(f"No solution found within depth limit of {max_depth}!")
start = "283164705"
dfs(start, max_depth=20)

```

Output:

Goal reached (DFS)!

Step 0:

2 8 3
1 6 4
7 0 5

Step 1:

2 8 3
1 0 4
7 6 5

Step 2:

2 0 3
1 8 4
7 6 5

Step 3:

0 2 3
1 8 4
7 6 5

Step 4:

1 2 3
0 8 4
7 6 5

Step 5:

1 2 3
8 0 4
7 6 5

Moves: Up -> Up -> Left -> Down -> Right

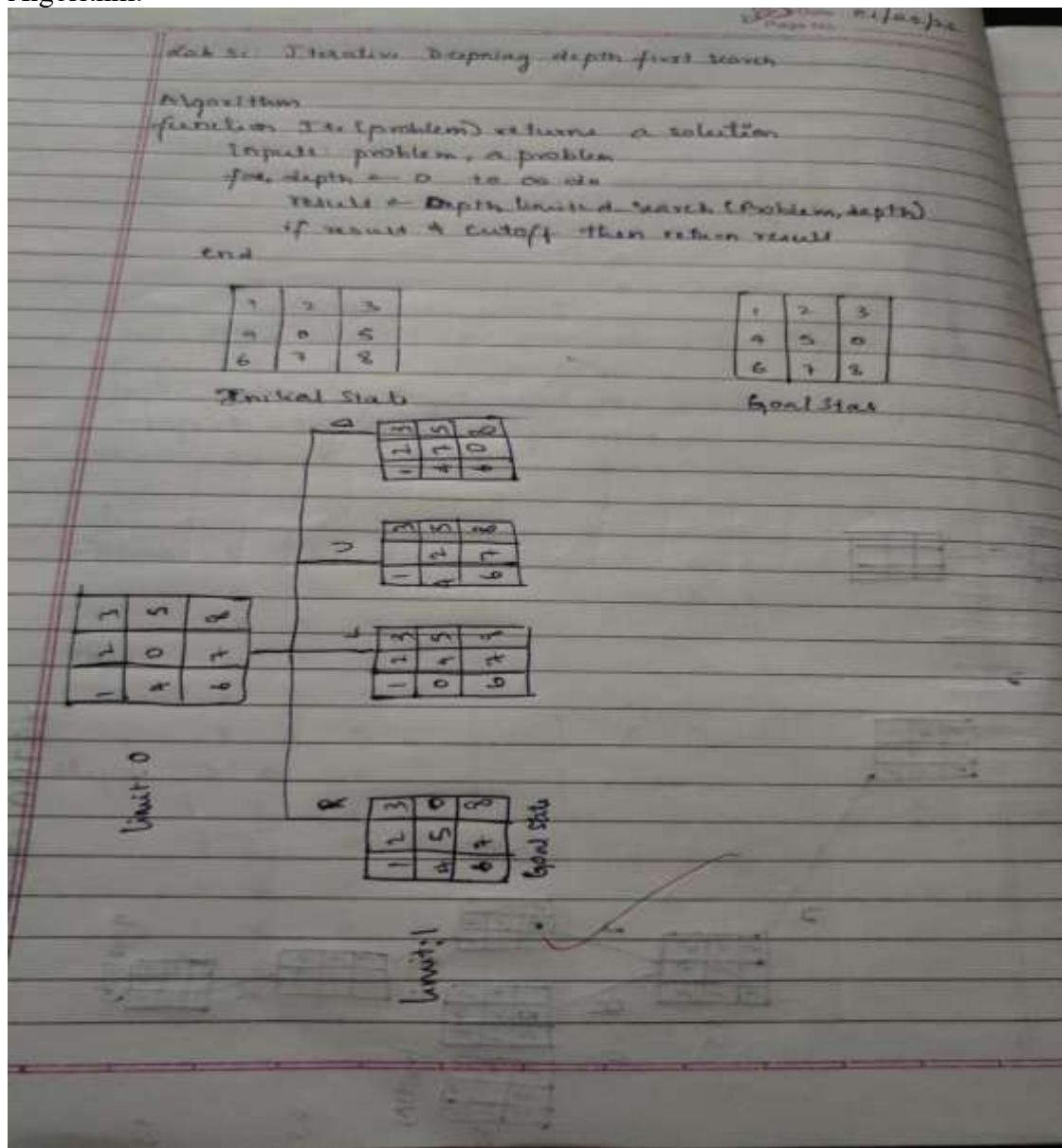
Total steps to goal: 5

Total unique states visited: 1167

Spurthi Reddy P

Implement Iterative deepening search algorithm

Algorithm:



o/p:

Searching with depth limit=0

Searching with depth limit=1

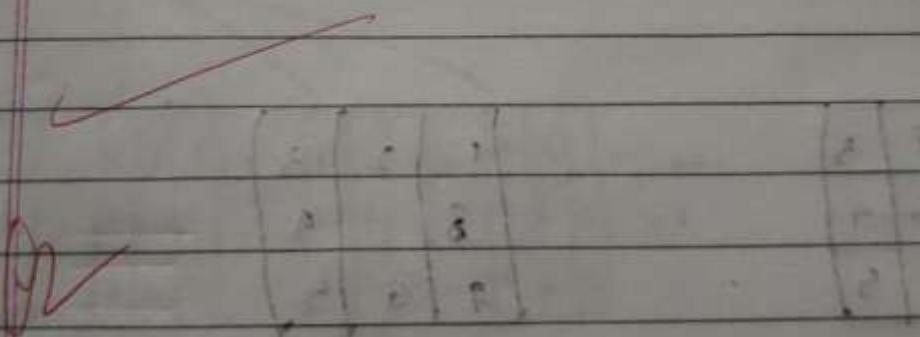
Sol found in 1 move

Step 0:

1	2	3
4	0	5
6	7	8

Step 1:

1	2	3
4	5	0
6	7	8



Code:

```
from collections import deque
```

```
# Board size (3x3 puzzle)
```

```
N = 3
```

```
# Moves: Up, Down, Left, Right
```

```
moves = [(-1,0),(1,0),(0,-1),(0,1)]
```

```
# Helper: Find position of blank tile
```

```
def find_blank(state):
```

```
    idx = state.index("_")
```

```
    return divmod(idx, N)
```

```
# Helper: Swap tiles
```

```
def swap(state, i1, j1, i2, j2):
```

```
    s = list(state)
```

```
    idx1, idx2 = i1*N+j1, i2*N+j2
```

```
    s[idx1], s[idx2] = s[idx2], s[idx1]
```

```
    return tuple(s)
```

```
# Expand node: Generate next states
```

```
def expand(state):
```

```
    x, y = find_blank(state)
```

```
    children = []
```

```
    for dx, dy in moves:
```

```
        nx, ny = x+dx, y+dy
```

```
        if 0 <= nx < N and 0 <= ny < N:
```

```
            children.append(swap(state, x, y, nx, ny))
```

```
    return children
```

```
# Depth Limited Search
```

```
def dls(state, goal, limit, path, visited):
```

```
    if state == goal:
```

```
        return path
```

```
    if limit == 0:
```

```
        return None
```

```
    visited.add(state)
```

```
    for child in expand(state):
```

```
        if child not in visited:
```

```
            result = dls(child, goal, limit-1, path+[child], visited)
```

```
            if result is not None:
```

```
                return result
```

```
    visited.remove(state)
```

```
    return None
```

```

def iddfs(start, goal, max_depth=20):
    for depth in range(max_depth):
        visited = set()
        result = dls(start, goal, depth, [start], visited)
        if result is not None:
            return result
    return None

initial = (2,8,3,1,6,4,7,"_",5)
goal = (1,2,3,8,"_",4,7,6,5)

solution = iddfs(initial, goal, max_depth=30)

if solution:
    print("Solution found in", len(solution)-1, "moves:\n")
    for step in solution:
        for i in range(0, 9, 3):
            print(step[i:i+3])
        print()
else:
    print("No solution found within depth limit")

```

Output:

Solution found in 5 moves:

(2, 8, 3)
 (1, 6, 4)
 (7, '_', 5)

(2, 8, 3)
 (1, '_', 4)
 (7, 6, 5)

(2, '_', 3)
 (1, 8, 4)
 (7, 6, 5)

('_', 2, 3)
 (1, 8, 4)
 (7, 6, 5)

(1, 2, 3)
 ('_, 8, 4)
 (7, 6, 5)

(1, 2, 3)
 (8, '_', 4)
 (7, 6, 5)

Program3

Implement A* search algorithm

a) Misplaced Tiles

Algorithm:

Lab 9
 Implement A* algorithm for 8-puzzle
 a) Misplaced tiles

Algorithm:
 Step1: start
 Step2: The initial state and the goal state is given.
 Step3: Calculate the no. of misplaced tiles for every tile in the 3x3 grid check its actual position in the goal state and count how many such tiles are misplaced by moving in all directions [R, L, U, D]
 Step4: Continue to the direction which has less no. of Misplaced tiles. Repeat steps till you reach the sol.
 Step5: stop.

Ex:-

2	8	3
1	6	9
7	5	

1	2	3
8		9
7	6	5

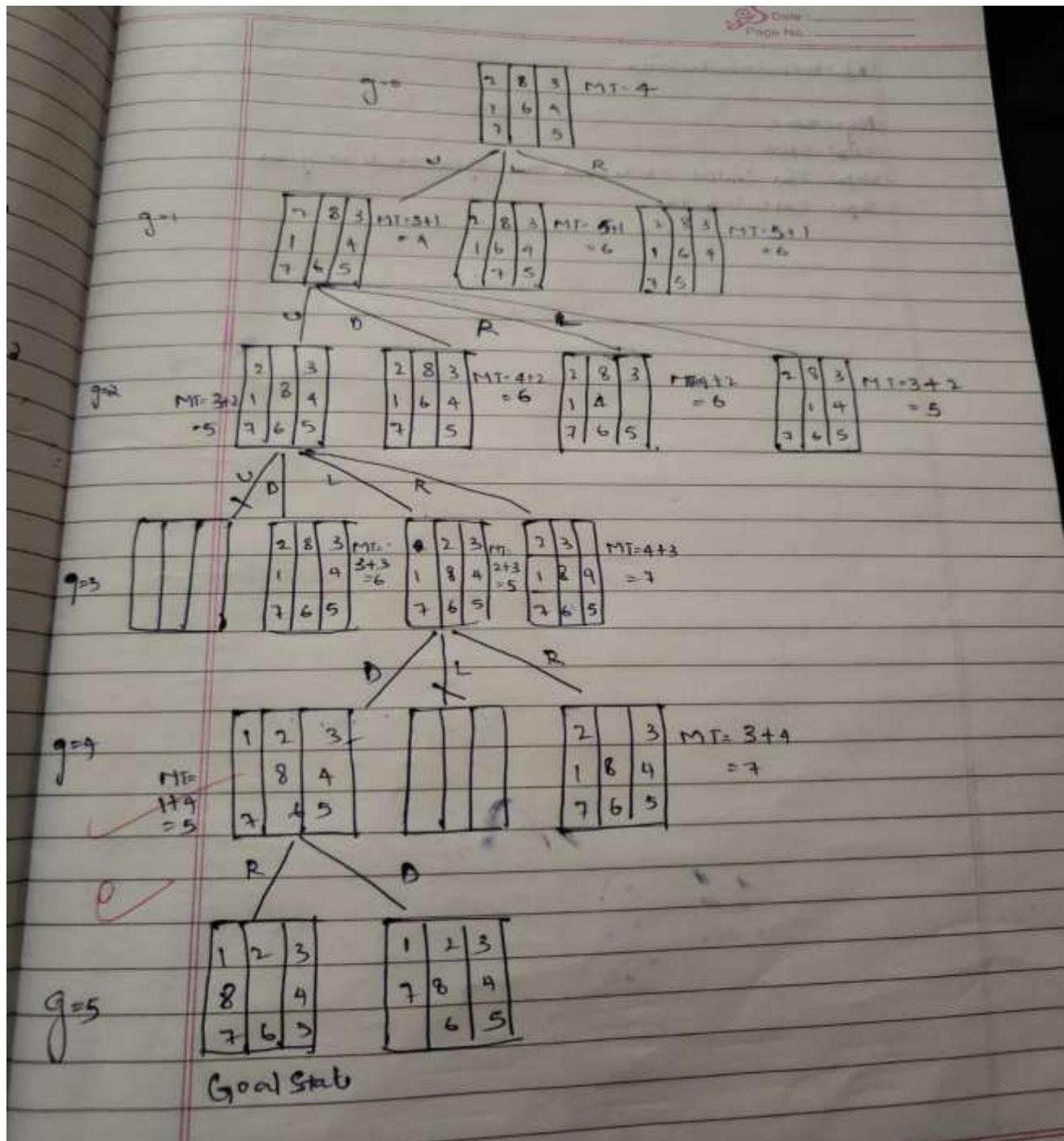
P.T.O

Q1: Enter initial & goal state :-

Initial Misplaced tiles count: 9

Step1:	Step2:	Step3:	Step4:
2 8 3	2 0 3	1 2 3	
1 6 4	1 8 4	0 8 9	
7 0 5	7 6 5	7 6 5	

Step1:	Step2:	Step3:	Step4:
2 8 3	0 2 3	1 2 3	
1 0 4	1 8 4	8 0 9	
7 6 5	7 6 5	7 6 5	



Code: from collections import deque

```
def solve_puzzle_all_paths(initial, goal, max_depth=50):
    visited = set()
    initial_t = tuple(map(tuple, initial))
    visited.add(initial_t)

    queue = deque()
```

```

queue.append((initial, [initial]))

while queue:
    current, path = queue.popleft()

    if current == goal:
        return path

    if len(path) > max_depth:
        continue

    neighbors_states = neighbors(current)
    misplaced_list = [(state, misplaced_tiles(state, goal)) for state in neighbors_states]

    if not misplaced_list:
        continue

    min_misplaced = min(m for _, m in misplaced_list)

    for state, m in misplaced_list:
        state_t = tuple(map(tuple, state))
        if m == min_misplaced and state_t not in visited:
            visited.add(state_t)
            queue.append((state, path + [state]))

return None

def main():
    initial_state = input_puzzle("initial")
    goal_state = input_puzzle("goal")

    print("\nInitial State:")
    print_state(initial_state)
    print("Goal State:")
    print_state(goal_state)

    misplaced = misplaced_tiles(initial_state, goal_state)
    print(f'Initial misplaced tiles count: {misplaced}\n')

    max_depth = int(input("Enter maximum search depth (e.g., 50): "))

    solution_path = solve_puzzle_all_paths(initial_state, goal_state, max_depth=max_depth)

    if solution_path is None:
        print("Could not solve the puzzle within the depth limit.")
    else:
        for step, state in enumerate(solution_path):

```

```
print(f'Step {step}:')
print_state(state)

if __name__ == '__main__':
    main()
```

Output:

Enter the initial puzzle state (use 0 for the blank):

Row 1: 1 2 3

Row 2: 4 0 6

Row 3: 7 5 8

Enter the goal puzzle state (use 0 for the blank):

Row 1: 1 2 3

Row 2: 4 5 6

Row 3: 7 8 0

Initial State:

1 2 3

4 0 6

7 5 8

Goal State:

1 2 3

4 5 6

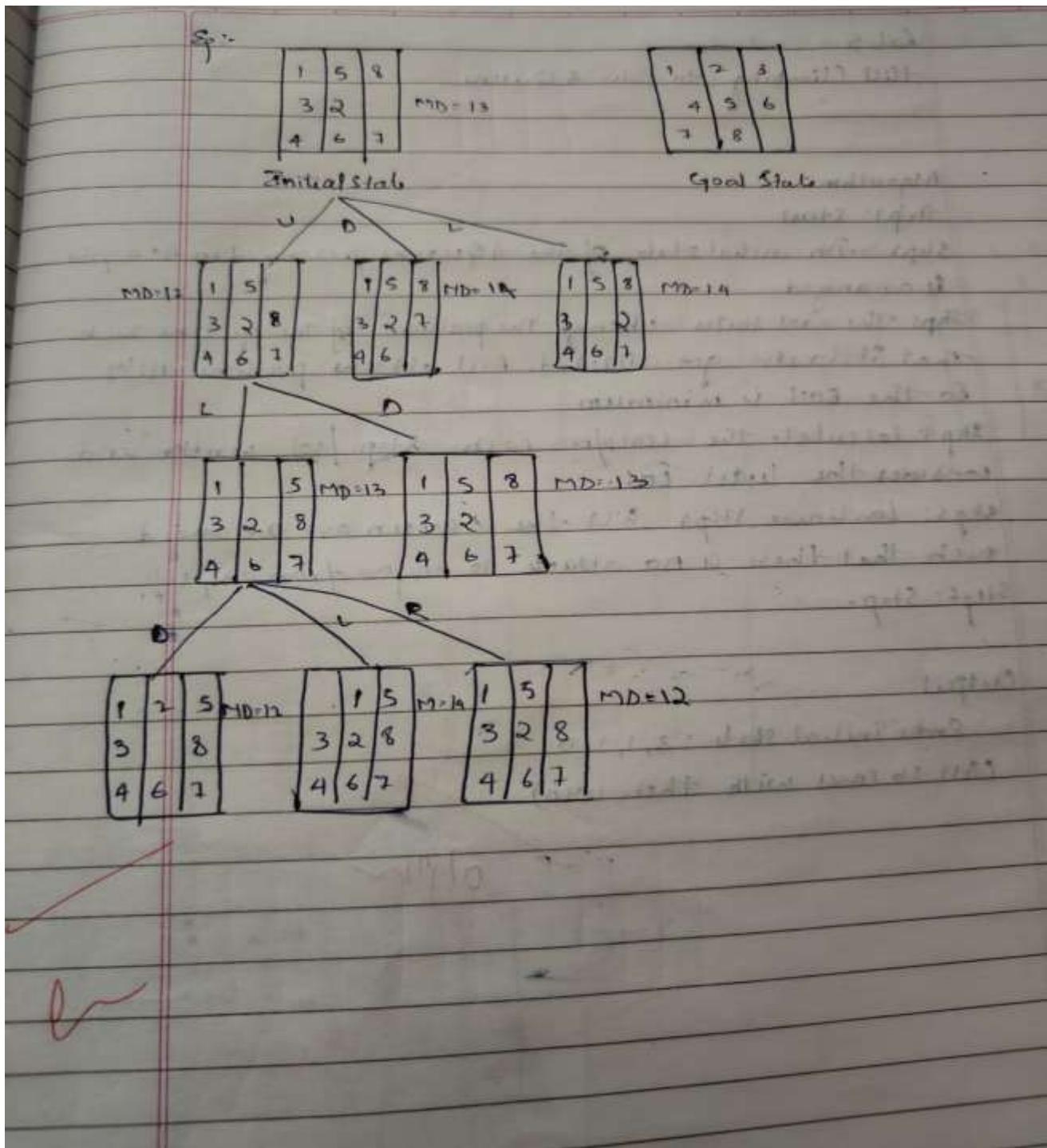
7 8 0

Initial misplaced tiles count: 3

Enter maximum search depth: 20

b) Manhattan Distance

Algorithm:



Code:

```
from heapq import heappush, heappop

class PuzzleState:
    def __init__(self, board, parent=None, move=None, depth=0):
        self.board = board
        self.parent = parent
        self.move = move
        self.depth = depth
        self.zero_pos = self.board.index(0)

    def is_goal(self, goal):
        return self.board == goal

    def get_moves(self):
        moves = []
        zero = self.zero_pos
        row, col = zero // 3, zero % 3

        directions = {
            'Up': (row - 1, col),
            'Down': (row + 1, col),
            'Left': (row, col - 1),
            'Right': (row, col + 1)
        }

        for move, (r, c) in directions.items():
            if 0 <= r < 3 and 0 <= c < 3:
                new_zero = r * 3 + c
                new_board = list(self.board)
                new_board[zero], new_board[new_zero] = new_board[new_zero], new_board[zero]
                moves.append(PuzzleState(tuple(new_board), self, move, self.depth + 1))
        return moves

    def manhattan_distance(self, goal):
        distance = 0
        for i, tile in enumerate(self.board):
            if tile != 0:
                goal_index = goal.index(tile)
                current_row, current_col = i // 3, i % 3
                goal_row, goal_col = goal_index // 3, goal_index % 3
                distance += abs(current_row - goal_row) + abs(current_col - goal_col)
        return distance

    def __lt__(self, other):
        return True
```

```

def a_star(start, goal):
    open_list = []
    closed_set = set()
    start_state = PuzzleState(start)
    heappush(open_list, (start_state.manhattan_distance(goal), start_state))

    while open_list:
        _, current = heappop(open_list)

        if current.is_goal(goal):
            return reconstruct_path(current)

        closed_set.add(current.board)

        for neighbor in current.get_moves():
            if neighbor.board in closed_set:
                continue
            cost = neighbor.depth + neighbor.manhattan_distance(goal)
            heappush(open_list, (cost, neighbor))

    return None

def reconstruct_path(state):
    path = []
    while state.parent is not None:
        path.append(state.move)
        state = state.parent
    path.reverse()
    return path

if __name__ == "__main__":
    start = (2, 8, 3,
             1, 6, 4,
             7, 0, 5)

    goal = (1, 2, 3,
            8, 0, 4,
            7, 6, 5)

    print("Spurthi Reddy P (1BM23CS338)")
    solution = a_star(start, goal)
    if solution:
        print(f"Solution found in {len(solution)} moves: {solution}")
    else:
        print("No solution found.")

```

Output:

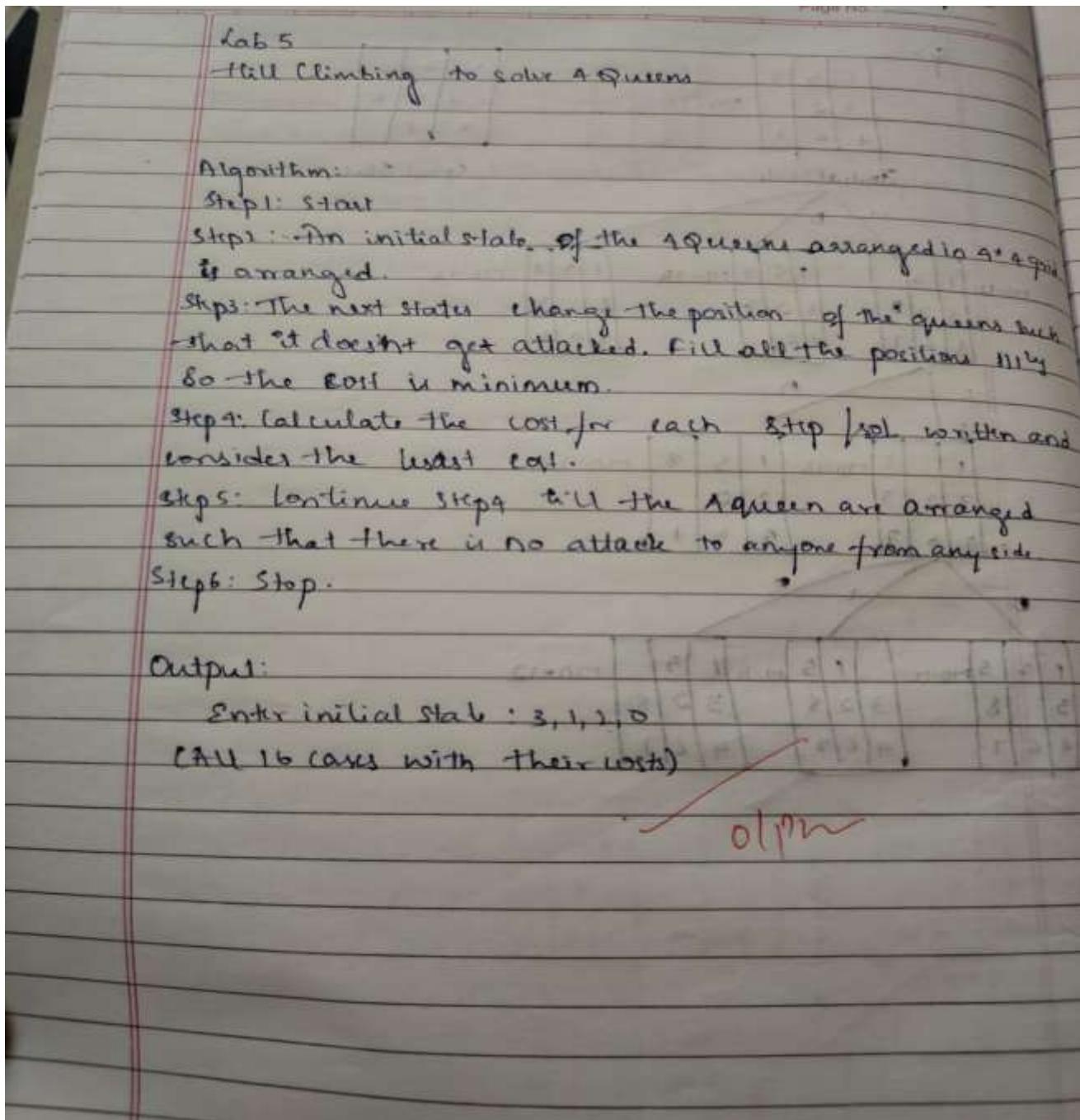
Spurthi Reddy P (1BM23CS338)

Solution found in 5 moves: ['Up', 'Up', 'Left', 'Down', 'Right']

Program4

Implement Hill Climbing search algorithm to solve N-Queens problem

Algorithm:



Page No. _____

Initial State $x_0=3, x_1=1, x_2=2, x_3=0$

lost = 2

2) $x_0=1, x_1=3, x_2=2, x_3=0$ lost = 1

x_0	Q		
x_1			Q
x_2		Q	
x_3	Q		

x_0	0	1	2	3
x_1	Q			
x_2		Q		
x_3			Q	Q

lost = 0

3) $x_0=2, x_1=1, x_2=3, x_3=0$ lost = 1

x_0		Q	
x_1	Q		
x_2		Q	Q
x_3	Q		

4) $x_0=0, x_1=1, x_2=2, x_3=3$ lost = 6

x_0	Q		
x_1		Q	
x_2		Q	
x_3			Q

~~Q, 1, 2, 3~~

5) $x_0=1, x_1=3, x_2=0, x_3=2$ lost = 0

x_0	Q		
x_1			Q
x_2	Q		
x_3			0

~~2, 0, 1, 3~~

Code:

```
from itertools import permutations

def compute_cost(state):
    cost = 0
    for i in range(4):
        for j in range(i+1, 4):
            if abs(state[i] - state[j]) == abs(i - j):
                cost += 1
    return cost

def print_board(state):
    board = ""
    for row in range(4):
        for col in range(4):
            board += " Q " if state[col] == row else ". "
        board += "\n"
    return board

def is_valid_permutation(state):
    return sorted(state) == [0, 1, 2, 3]

def main():
    all_perms = list(permutations(range(4)))
    print(f"Total permutations: {len(all_perms)}\n")

    while True:
        user_input = input("Enter initial state as 4 comma-separated integers from 0 to 3 (e.g. 1,3,0,2):")
        try:
            user_state = tuple(int(x.strip()) for x in user_input.split(','))
            if len(user_state) != 4 or not is_valid_permutation(user_state):
                print("Invalid input! Please enter a permutation of 0,1,2,3 (each number exactly once).")
                continue
            break
        except ValueError:
            print("Invalid input! Please enter integers separated by commas.")

    cost = compute_cost(user_state)
    print(f"\nYour input state: {user_state} | Diagonal Conflicts Cost: {cost}")
    print(print_board(user_state))
    print("-" * 30)

    print("Showing first 16 permutations with their costs:\n")
    for idx, perm in enumerate(all_perms[:16], 1):
        cost = compute_cost(perm)
        print(f"Case {idx}: {perm} | Diagonal Conflicts Cost: {cost}")
```

```

print(print_board(perm))
print("-" * 30)

if __name__ == "__main__":
    main()

Output:
Total permutations: 24.

Enter initial state as 4 comma-separated integers from 0 to 3 (e.g. 1,3,0,1): 3,1,2,0
Your input state: (3, 1, 2, 0) | Diagonal Conflicts Cost: 2
. . . Q
. Q . .
. . Q .
Q . . .

None
-----
Showing first 16 permutations with their costs:
Case 1: (0, 1, 2, 3) | Diagonal Conflicts Cost: 6
Q . . .
. Q . .
. . Q .
. . . Q

None
-----
Case 2: (0, 1, 3, 2) | Diagonal Conflicts Cost: 2
Q . . .
. Q . .
. . . Q
. . Q .

None
-----
Case 3: (0, 2, 1, 3) | Diagonal Conflicts Cost: 2
Q . . .
. . Q .
. Q . .
. . . Q

None
-----
Case 4: (0, 2, 3, 1) | Diagonal Conflicts Cost: 1
Q . . .
. . . Q
. Q . .
. . Q .

None
-----
Case 5: (0, 3, 1, 2) | Diagonal Conflicts Cost: 1
Q . . .
. . . Q
. . . Q
. Q . .

```

Program5

Simulated Annealing to Solve 8-Queens problem

Algorithm:

Simulated Annealing

Algorithm:

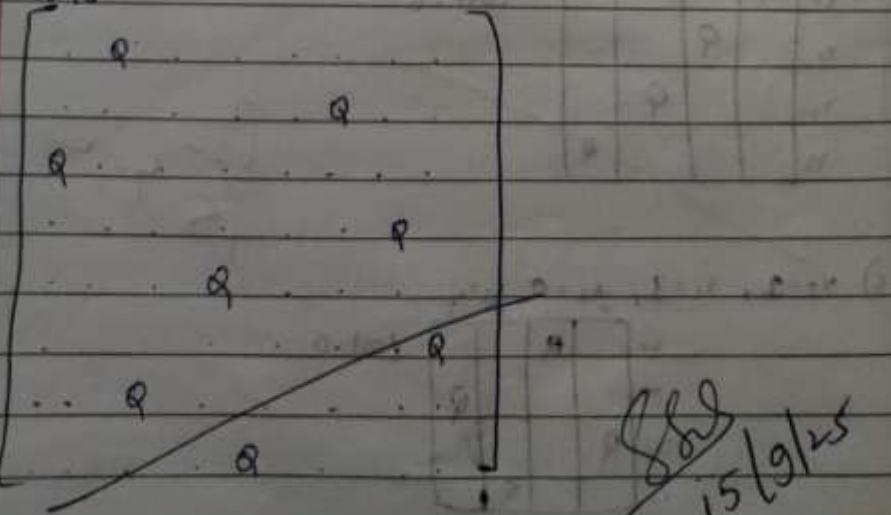
1. current \leftarrow initial state
2. $T \leftarrow$ a large position value
3. while $T > 0$ do
 4. next \leftarrow a random neighbour of current
 5. $\Delta E \leftarrow \text{current_val} - \text{next_val}$
 6. if $\Delta E > 0$ then
 7. $\text{current} \leftarrow \text{next}$
 8. else
 9. move next with probability $p = e^{\frac{\Delta E}{T}}$
 10. end if
 11. decrease T
 12. end while
 13. return current

Output:

Best position found: [2, 0, 6, 4, 7, 1, 3, 5]

No. of non attacking pairs: 23

Board



Sol
15/9/23

Code:

```
import random
import math

def cost(state):
    attacks = 0
    n = len(state)
    for i in range(n):
        for j in range(i + 1, n):
            if state[i] == state[j] or abs(state[i] - state[j]) == abs(i - j):
                attacks += 1
    return attacks

def get_neighbor(state):
    neighbor = state[:]
    i, j = random.sample(range(len(state)), 2)
    neighbor[i], neighbor[j] = neighbor[j], neighbor[i]
    return neighbor

def simulated_annealing(n=8, max_iter=10000):
    current = list(range(n))
    random.shuffle(current)
    current_cost = cost(current)

    temperature = 100.0
    cooling_rate = 0.95

    best = current[:]
    best_cost = current_cost

    for _ in range(max_iter):
        if temperature <= 0 or best_cost == 0:
            break

        neighbor = get_neighbor(current)
        neighbor_cost = cost(neighbor)
        delta = current_cost - neighbor_cost

        if delta > 0:
            current, current_cost = neighbor, neighbor_cost
            if neighbor_cost < best_cost:
                best, best_cost = neighbor, neighbor_cost
        else:
            probability = math.exp(delta / temperature)
            if random.random() < probability:
                current, current_cost = neighbor, neighbor_cost
```

```

temperature *= cooling_rate

return best, best_cost

def print_board(state):
    n = len(state)
    for row in range(n):
        line = ""
        for col in range(n):
            if state[col] == row:
                line += " Q "
            else:
                line += "."
        print(line)
    print()

if __name__ == "__main__":
    n = 8
    solution, cost_val = simulated_annealing(n)

    print("Best position found:", solution)
    print(f"Number of non-attacking pairs: {n*(n-1)//2 - cost_val}")
    print("\nBoard:")
    print_board(solution)

```

Output:

```

Best position found: [3, 1, 7, 5, 0, 2, 4, 6]
Number of non-attacking pairs: 28

```

Board:

```

. . . . Q . . .
. Q . . . . . .
. . . . . Q . .
Q . . . . . . .
. . . . . . Q .
. . . . Q . . .
. . . . . . . Q
. . Q . . . . .

```

Program6

Create a knowledge base using propositional logic and show that the given query entails the knowledge base or not.

Algorithm:

Kab-6

Propositional Logic

→ Truth-table for connectives

P	Q	$\neg P$	$P \wedge Q$	$P \vee Q$	$P \rightarrow Q$
false	false	true	false	false	true
false	true	true	false	true	false
true	false	false	false	true	false
true	true	false	true	true	true

→ Propositional Inference: Enumeration Method

$$\alpha = A \vee B$$

$$KB = (A \vee C) \wedge (B \vee \neg C)$$

Checking that $KB \models \alpha$

A	B	C	$A \vee C$	$B \vee \neg C$	KB	α
false	false	false	false	true	false	false
false	false	true	true	false	false	false
false	true	false	false	true	false	true
false	true	true	true	true	true	true
true	false	false	true	true	true	true
true	false	true	true	false	false	true
true	true	false	true	true	true	true
true	true	true	true	true	true	true

-Algorithm:

Step 1: Start

Step 2: The KB (knowledge base), α (propositional logic), α_c and a equation is given.

Step 3: Calculate/Solve the value for both KB and α based on the condition.

Step 4: Check in truth table if both the KB and α are true.

Step 5: If both values are true the op is also true

Step 6: If both are values k and α are false or either of them are false they are ignored.

Step 7: Assume a P value where it's true one and false, then recur with the rest.

Step 8: Combine the results with and operation

Step 9: If both branches are false then the whole check

Step 10: Stop

Output:

Truth Table

A	B	C	KB	α	KBNK
True	True	True	True	True	True
True	True	false	false	True	false
True	false	True	True	True	True
True	false	false	True	True	True
false	True	True	True	True	True
false	True	false	false	false	false
false	false	True	false	True	false
false	false	false	false	false	false

Models where KB and alpha are true:

{'A': True, 'B': True, 'C': True}

{'A': True, 'B': False, 'C': True}

{'A': True, 'B': False, 'C': False}

{'A': False, 'B': True, 'C': True}

Eg:- $a \sim (S \times T)$, $b : (C \wedge T)$, $c : (T \vee \neg T)$

S	T	a	b	c
false	false	true	false	true
false	true	false	false	true
true	false	false	false	true
true	true	false	true	true

$\Rightarrow a$ entails ~~b & c~~ false

a entails c : true (at $S = \text{false}$ and $T = \text{false}$)

869
82/9/05

```

Code:
def pl_true(sentence, model):
    if isinstance(sentence, str):
        return model.get(sentence, False)
    elif isinstance(sentence, tuple):
        operator = sentence[0]
        if operator == 'not':
            return not pl_true(sentence[1], model)
        elif operator == 'and':
            return all(pl_true(arg, model) for arg in sentence[1:])
        elif operator == 'or':
            return any(pl_true(arg, model) for arg in sentence[1:])
        elif operator == '=>':
            return (not pl_true(sentence[1], model)) or pl_true(sentence[2], model)
        elif operator == '<=>':
            return pl_true(sentence[1], model) == pl_true(sentence[2], model)
    return False

def tt_check_all(kb, alpha, symbols, model, true_models, all_symbols, col_widths):
    if not symbols:
        kb_true = pl_true(kb, model)
        alpha_true = pl_true(alpha, model)
        row_values = [str(model.get(s, False)) for s in all_symbols] + [str(kb_true), str(alpha_true),
        str(kb_true and alpha_true)]
        formatted_row = " | ".join(f"{{val:{col_widths[i]}}}" for i, val in
        enumerate(row_values)) + " | "
        if kb_true and alpha_true:
            print(f"\033[92m{formatted_row}\033[0m") # green for satisfying rows
            true_models.append(model.copy())
        else:
            print(formatted_row)
        return (not kb_true) or alpha_true
    else:
        P = symbols[0]
        rest = symbols[1:]
        model_true = model.copy()
        model_true[P] = True
        model_false = model.copy()
        model_false[P] = False
        return (tt_check_all(kb, alpha, rest, model_true, true_models, all_symbols, col_widths) and
        tt_check_all(kb, alpha, rest, model_false, true_models, all_symbols, col_widths))

def tt_entails(KB, alpha):
    symbols = set()

```

```

def extract_symbols(sentence):
    if isinstance(sentence, str):
        symbols.add(sentence)
    elif isinstance(sentence, tuple):
        for arg in sentence[1:]:
            extract_symbols(arg)

extract_symbols(KB)
extract_symbols(alpha)
symbols = list(sorted(symbols)) # sorted for consistent order

header_values = symbols + ["KB", "alpha", "KB ∧ α"]
col_widths = [max(len(str(s)), 5) for s in header_values]

total_width = sum(col_widths) + 3 * len(col_widths) + 1
border = "—" * total_width

print("\nTruth Table:")
print("Γ" + "⊤".join("—" * (col_widths[i] + 2) for i in range(len(header_values))) + "⊥")
header_string = " " + " ".join(f"{'val':^{col_widths[i]}}" for i, val in enumerate(header_values))
+ " "
print(header_string)
print(" " + " ".join("—" * (col_widths[i] + 2) for i in range(len(header_values))) + " ")

true_models = []
result = tt_check_all(KB, alpha, list(symbols), {}, true_models, all_symbols=symbols,
col_widths=col_widths)

print("L" + "L".join("—" * (col_widths[i] + 2) for i in range(len(header_values))) + "L")

print("\nModels where KB and alpha are true:")
if true_models:
    for model in true_models:
        print(model)
else:
    print("None")

return result

```

```

# Example
kb2 = ('and', ('or', 'A', 'B'), ('=>', 'B', 'C'))
alpha2 = ('or', 'A', 'C')
print(f"\nDoes KB entail alpha? {tt_entails(kb2, alpha2)}")

```

Output:

Truth Table:

A	B	C	KB	alpha	KB \wedge alpha
True	True	True	True	True	True
True	True	False	False	True	False
True	False	True	True	True	True
True	False	False	True	True	True
False	True	True	True	True	True
False	True	False	False	False	False
False	False	True	False	True	False
False	False	False	False	False	False

Models where KB and alpha are true:

```
{'A': True, 'B': True, 'C': True}  
{'A': True, 'B': False, 'C': True}  
{'A': True, 'B': False, 'C': False}  
{'A': False, 'B': True, 'C': True}
```

Does KB entail alpha? True

Program7

Implement unification in first order logic

Algorithm:

Lab-3
Unification in FLD
Algorithm:

Step 1: If ψ_1 or ψ_2 is a variable or constant then
a) If ψ_1 or ψ_2 are identical, then return NIL.
b) Else if ψ_1 is a variable,
a. Then if ψ_1 occurs in ψ_2 , then return FAILURE.
b. Else return $f(\psi_2/\psi_1)$.
c) Else if ψ_2 is a variable,
a. If ψ_2 occurs in ψ_1 , then return FAILURE.
b. Else return $f(\psi_2/\psi_1)$.
d) Else return FAILURE.

Step 2: If the initial predicate symbol in ψ_1 and ψ_2 are not same, then return FAILURE.

Step 3: If ψ_1 and ψ_2 have a different no. of arguments, then return FAILURE.

Step 4: Set substitution set (SUBST) to NIL.

Step 5: For $i \geq 1$ to the no. of elements

a. Call unify f^n with the i^{th} element of ψ_1 and

i^{th} element of ψ_2 , and put the result into s.

b. If $s = \text{failure}$ then return FAILURE .

c. If $s \neq \text{NIL}$ then do,

a. Apply s to the remainder of both ψ_1 and ψ_2 .

b. $\text{SUBST} = \text{APPEND}(s, \text{SUBST})$.

Step 6: Return SUBST.

Output:

Unification succeeded: $\{x : B, y : A\}$

Solve the following:-

Find Most General Unifier (MGU) of $\{p(b, x), f(g(z))\}$ and

$$P(z, f(y), f(g(z)))$$

$\Rightarrow P(b, z, f(g(z)))$] both have 3 arguments and predicate
 $P(z, f(y), f(y))$] are same

$$\text{So, } b = z$$

$$x = f(y)$$

$$f(g(z)) = f(y)$$

$$\therefore g(z) = y$$

$$\Rightarrow z = b$$

$$x = f(y)$$

$$y = g(z)$$

$$x = f(y) \text{ but } y = g(z)$$

$$\therefore x = f(g(z))$$

$$P(z, f(y), f(g(z))) \rightarrow b = z, x = f(y)$$

$$P(z, f(y), f(g(z))) \Rightarrow f(y) = f(g(y))$$

$$\text{Unifiers} = \{b/z, x/f(y), y/g(z)\}$$

2. Find MGU of $\{Q(a, g(x, a), f(y)) \text{ and } Q(a, g(f(b), a), x)$

$$\Rightarrow Q(a, g(x, a), f(y))$$

$$Q(a, g(f(b), a), x)$$

~~$$Q(a, g(f(b), a), f(y)) \quad x = f(b)$$~~

~~$$Q(a, g(f(b), a), f(y)) \quad x = f(y) = x$$~~

~~$$f(y) = f(b)$$~~

$$\therefore y = b$$

$$Q(a, g(f(b), a), f(b))$$

$$Q(a, g(f(b), a), f(b))$$

$$\text{Unifiers: } \{x/f(b)\}$$

3.5 Find MUV of $\{p(f(a), g(y)), p(x, x)\}$

$p(f(a), g(y))$

$p(x, x)$

If $x = f(a)$ and $x = g(y) \therefore x = f(a)$
 y is not possible
 $g(y) = x \rightarrow f(a) = g(y)$

\therefore No Unifies

a. Unify $\{ \text{prime}(x) \text{ and } \text{prime}(y) \}$

$\text{prime}(x)$ both have same predicate and same
 $\text{prime}(y)$ no of arguments.

$\therefore y = x$

$\text{prime}(x)$ Sub. $\{y/x\}$

$\text{prime}(x)$

5. Unify $\{\text{knows}(\text{John}, x), \text{knows}(y, \text{mother}(y))\}$

$\text{knows}(\text{John}, x)$

$\text{knows}(y, \text{mother}(y))$

Let $y = \text{John}$ and $x = \text{mother}(y)$

~~knows~~ $x = \text{mother}(\text{John})$

$\therefore \text{knows}(\text{John}, \text{mother}(\text{John}))$

~~knows~~ $(\text{John}, \text{mother}(\text{John}))$

6. Unify $\{\text{knows}(\text{John}, x), \text{John knows}(y, \text{Bill})\}$

$\text{knows}(\text{John}, x)$

Let $y = \text{John}$

$\text{knows}(y, \text{Bill})$

$x = \text{Bill}$

$\therefore \text{knows}(\text{John}, \text{Bill})$

$\text{knows}(\text{John}, \text{Bill})$

Code:

```
print('Spurthi Reddy P 1BM23CS338')
def unify(x, y, subst=None):
    if subst is None:
        subst = {}

    # If x or y is a variable or constant
    if is_variable(x) or is_constant(x):
        if x == y:
            return subst
        elif is_variable(x):
            return unify_var(x, y, subst)
        elif is_variable(y):
            return unify_var(y, x, subst)
        else:
            return None

    # If both x and y are compound expressions
    if is_compound(x) and is_compound(y):
        if x[0] != y[0] or len(x[1]) != len(y[1]):
            return None
        for xi, yi in zip(x[1], y[1]):
            subst = unify(xi, yi, subst)
        if subst is None:
            return None
        return subst
    return None

def is_variable(x):
    return isinstance(x, str) and x.islower() and x.isalpha()

def is_constant(x):
    return isinstance(x, str) and x.isupper() and x.isalpha()

def is_compound(x):
    return isinstance(x, tuple) and len(x) == 2 and isinstance(x[0], str) and isinstance(x[1], list)

def unify_var(var, x, subst):
    if var in subst:
        return unify(subst[var], x, subst)
    elif x in subst:
        return unify(var, subst[x], subst)
    elif occurs_check(var, x, subst):
```

```

        return None
else:
    subst[var] = x
    return subst

def occurs_check(var, x, subst):
    if var == x:
        return True
    elif is_variable(x) and x in subst:
        return occurs_check(var, subst[x], subst)
    elif is_compound(x):
        return any(occurs_check(var, arg, subst) for arg in x[1])
    else:
        return False

```

```

# Example usage:
# Let's say we want to unify P(x, A) and P(B, y)
x = ("P", ["x", "A"])
y = ("P", ["B", "y"])

```

```

result = unify(x, y)
if result is not None:
    print("Unification succeeded with substitution:", result)
else:
    print("Unification failed.")

```

Output:

Spurthi Reddy P 1BM23CS338
 Unification succeeded with substitution: {'x': 'B', 'y': 'A'}

Program8

Create a knowledge base consisting of first order logic statements and prove the given query using forward reasoning.

Algorithm:

Lab - 8

Create a Knowledge Base consisting of ^{order} first logic statements and prove the given query using forward reasoning.

Eg.:
Primitives: conclusions
 $P \Rightarrow Q$

$L \wedge M \Rightarrow P$

$B \wedge L \Rightarrow M$

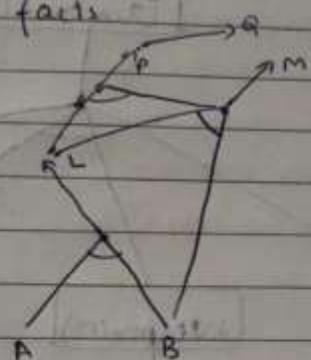
$A \wedge P \Rightarrow L$

$A \wedge B \Rightarrow L$

Rules

A
B] facts

Prove Q



Eg.: The law says that it is a crime for an American to kill weapons to hostile nations. The country none an enemy of America, has some missiles, and all of its missiles were sold to it by Colonel West, who is American. An enemy of America counts as "hostile".

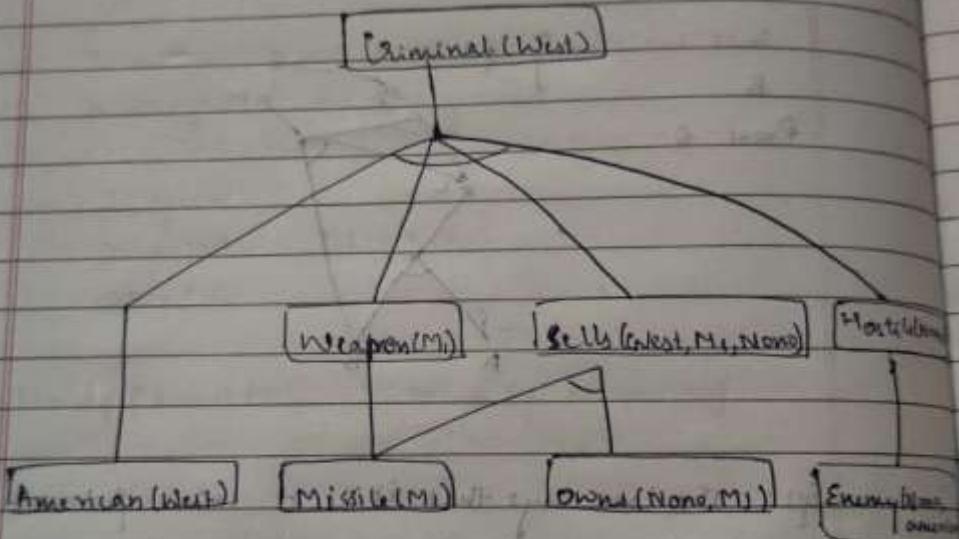
P.T "West is criminal"

Forward Chaining:

1. $\forall x, y, z \text{ American}(x) \wedge \text{Weapon}(y) \wedge \text{Sells}(x, y, z) \wedge \text{Hostile}(z)$
- $\Rightarrow \text{Criminal}(z)$

- Date _____
Page No. _____
2. $\forall x \text{ private}(x) \wedge \text{Owns}(\text{None}, x) \Rightarrow \text{Sells}(\text{West}, x, \text{None})$
 3. $\forall x \text{ isEnemy}(x, \text{America}) \Rightarrow \text{Missile}(x)$
 4. $\forall x \text{ Missile}(x) \Rightarrow \text{Weapon}(x)$
 5. $\text{American}(\text{West})$
 6. $\text{Enemy}(\text{None}, \text{America})$
 7. $\text{Owns}(\text{None}, M_1) \text{ and}$
 8. $\text{Missile}(M_1)$

Now we have (5, 6, 7, 8) facts and (2, 3, 4) rules.



Forward Reasoning Algorithm:

~~function FOL-FI-ASK(KB, α) returns a substitution or false
 input: KB , the knowledge base, a set of first-order definite clauses
 α , the query, an atomic sentence
 local var: new , the new sentences inferred on each iteration
 to start $new := \emptyset$, $new \neq \emptyset$
 for each rule in KB do~~

$(p_1, \dots, p_m) \rightarrow q_j$) STANDARDIZE-VARIABLES(α)

for each θ such that $SUBST(\theta, p_1, \dots, p_m) \models q_j$)
 $SUBST(\theta, p_1, \dots, p_m) \models q_j$
 for some $p_i \in p$ in KB

$q'_j \leftarrow SUBST(\theta, q_j)$

if q'_j does not unify with some sentence already in KB
 or new then

add q'_j to new

$\phi \leftarrow \text{UNIFY}(q'_j, \alpha)$

if ϕ is not fail then return ϕ

add new to KB

return false

Output:

New fact inferred: Criminal (West)

New fact inferred: SoldWeapons (West, None)

Final facts:

American (West)

Hostile (None)

Missiles (None)

Criminal (West)

SoldWeapons (West, None)

BB
10/26

```

Code:
facts = {
    'American(West)': True,
    'Hostile(Nono)': True,
    'Missiles(Nono)': True,
}
def rule1(facts):
    if facts.get('American(West)', False) and facts.get('Hostile(Nono)', False):
        return 'Criminal(West)'
    return None

def rule2(facts):
    if facts.get('Missiles(Nono)', False) and facts.get('Hostile(Nono)', False):
        return 'SoldWeapons(West, Nono)'

def forward_chaining(facts, rules):
    new_facts = facts.copy()
    inferred = True
    while inferred:
        inferred = False
        for rule in rules:
            result = rule(new_facts)
            if result and result not in new_facts:
                new_facts[result] = True
                inferred = True
                print(f'New fact inferred: {result}')
    return new_facts
rules = [rule1, rule2]

inferred_facts = forward_chaining(facts, rules)

print("\nFinal facts:")
for fact in inferred_facts:
    print(fact)

```

Output:

```

New fact inferred: Criminal(West)
New fact inferred: SoldWeapons(West, Nono)

```

```

Final facts:
American(West)
Hostile(Nono)
Missiles(Nono)
Criminal(West)
SoldWeapons(West, Nono)

```

Program9

Create a knowledge base consisting of first order logic statements and prove the given query using Resolution

Algorithm:

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Lab 9.

Create a KB consisting of FOL statements and prove the given query using Resolution.

Algorithm:

1. Eliminate biconditionals and implicants:
 - Eliminate \leftrightarrow replacing $\alpha \leftrightarrow \beta$ with $\alpha \rightarrow \beta \wedge \beta \rightarrow \alpha$
 - Eliminate \rightarrow replacing $\alpha \rightarrow \beta$ with $\neg \alpha \vee \beta$
2. Move \neg inwards:
 - $\neg(\forall x \phi) = \exists x \neg \phi,$
 - $\neg(\exists x \phi) = \forall x \neg \phi,$
 - $\neg(\alpha \vee \beta) = \neg \alpha \wedge \neg \beta,$
 - $\neg(\alpha \wedge \beta) = \neg \alpha \vee \neg \beta,$
 - $\neg \neg \alpha = \alpha$
3. Standardize variables apart by renaming them: each quantifier should use a different variable
4. Skolemize: each existential variable is replaced by a skolem constant or skolem function of the enclosing universally quantified variables.
 - For instance, $\exists x \text{Rich}(x)$ becomes $\text{Rich}(g_1)$ where g_1 is a new skolem constant.
 - "everyone has a heart" $\forall x \text{Person}(x) \rightarrow \exists y \text{Heart}(y)$ becomes $\forall x \text{Person}(x) \rightarrow \text{Heart}(h(x)) \wedge \text{Had}(x, h(x)),$ where h is a new symbol (skolem function).

QUESTION:

Proof by resolution

(Given KB on premises)

- John likes all kind of food.
- Apple and vegetables are food.
- Anything anyone eats and not killed is food.
- Anil eats peanut and still alive.
- Harry eats everything that Anil eats.
- Anyone who is alive implies not killed.
- Anyone who is not killed implies alive.

Prove by resolution

John likes peanut.

- Representation in FOL

- a) $\forall x : \text{food}(x) \rightarrow \text{Likes}(\text{John}, x)$
- b.) $\text{food}(\text{Apple}) \wedge \text{food}(\text{Vegetables})$
- c.) $\forall x \forall y : \text{eats}(x, y) \wedge \neg \text{killed}(x) \rightarrow \text{food}(y)$
- d.) $\text{eats}(\text{Anil}, \text{Peanut}) \wedge \text{Alive}(\text{Anil})$
- e.) $\forall x : \text{eats}(\text{Anil}, x) \rightarrow \text{eats}(\text{Harry}, x)$
- f.) $\forall x : \neg \text{killed}(x) \rightarrow \text{alive}(x)$
- g.) $\forall x : \text{alive}(x) \rightarrow \neg \text{killed}(x)$
- h.) $\text{Likes}(\text{John}, \text{Peanut})$

- Eliminate Implication

- a) $\forall x \neg \text{food}(x) \vee \text{Likes}(\text{John}, x)$
- b.) $\text{food}(\text{Apple}) \wedge \text{food}(\text{Vegetables})$
- c.) $\forall x \forall y \neg [\text{eats}(x, y) \wedge \neg \text{killed}(x)] \vee \text{food}(y)$
- d.) $\text{eats}(\text{Anil}, \text{Peanuts}) \wedge \text{Alive}(\text{Anil})$
- e.) $\forall x \neg \text{eats}(\text{Anil}, x) \vee \text{eats}(\text{Harry}, x)$

- f) $\forall x \neg \rightarrow \text{killed}(x) \wedge \neg \text{alive}(x)$
g) $\forall x \neg \text{alive}(x) \vee \rightarrow \text{killed}(x)$
h) Likes (John, Peanuts)

→ Move negation (\neg) inwards and rename

- a) $\forall x \neg \text{food}(x) \vee \text{Likes}(\text{John}, x)$
b) food (Apple) \wedge food (vegetable)
c) $\forall x \forall y \rightarrow \text{eats}(x, y) \wedge \text{killed}(x) \vee \text{food}(y)$
d) eat (Anil, peanuts) \wedge alive (x)
e) $\forall x \neg \text{eat}(\text{Anil}, x) \vee \text{eat}(\text{Harry}, x)$
f) $\forall x \neg \text{killed}(x) \wedge \text{alive}(x)$
g) $\forall x \neg \text{alive}(x) \vee \neg \text{killed}(x)$
h) Likes (John, Peanuts)

→ Rename Variable or Standardize Variables

- a) $\forall x \neg \text{food}(x) \vee \text{Likes}(\text{John}, x)$
b) food (Apple) \wedge food (vegetable)
c) $\forall y \forall z \rightarrow \text{eats}(y, z) \vee \text{killed}(y) \vee \text{food}(z)$
d) eat (Anil, Peanuts) \wedge alive (Anil)
e) $\forall x \neg \text{eat}(\text{Anil}, x) \vee \text{eat}(\text{Harry}, x)$
f) $\forall x \neg \text{killed}(x) \wedge \text{alive}(x)$
g) $\forall x \neg \text{alive}(x) \vee \neg \text{killed}(x)$
h) Likes (John, Peanuts)

→ Rename variable or Standardize variables

- a) $\forall x \neg \text{food}(x) \vee \text{Likes}(\text{John}, x)$
b) food (Apple) \wedge food (vegetable)
c) $\forall y \forall z \rightarrow \text{eats}(y, z) \vee \text{killed}(y) \vee \text{food}(z)$
d) eat (Anil, Peanuts) \wedge alive (Anil)
e) $\forall w \neg \text{eats}(\text{Anil}, w) \vee \text{eats}(\text{Harry}, w)$
f) $\forall q \neg \text{killed}(q) \wedge \text{alive}(q)$

- g) $\neg x \rightarrow \text{alive}(x) \vee \neg \text{killed}(x)$
 h) Likes(John, Peanut)

Drop universe

- a. $\neg \text{food}(x) \vee \text{Likes}(\text{John}, x)$
- b. food(Apple)
- c. food(vegetables)
- d. $\neg \text{eats}(y, z) \vee \text{killed}(y) \vee \text{food}(z)$
- e. eats(Anil, Peanut)
- f. alive(Anil)
- g. $\neg \text{eats}(\text{Anil}, w) \vee \text{eats}(\text{Harry}, w)$
- h. killed(q) $\vee \text{alive}(q)$
- i. $\neg \text{alive}(k) \vee \neg \text{killed}(k)$
- j. likes(John, Peanut)

$\neg \text{Likes}(\text{John}, \text{Peanut})$

$\neg \text{food}(x) \vee \text{Likes}(\text{John}, x)$

{Peanuts / x }

$\neg \text{food}(\text{Peanuts})$

$\neg \text{eats}(y, z) \vee \text{killed}(y) \vee \text{food}(z)$

{Peanuts / z }

$\neg \text{eats}(y, \text{Peanuts}) \vee \text{killed}(y)$

eats(Anil, Peanut)

{Anil / y }

killed(Anil)

$\neg \text{alive}(k) \vee \neg \text{killed}(k)$

{Anil / k }

$\neg \text{alive}(\text{Anil})$

alive(Anil)

{ } \vdash Thus proved.

Code:

```
def negate_literal(lit):
    return lit[1:] if lit.startswith("~") else "~" + lit
```

```
def resolve(ci, cj):
    ci = set(ci)
    cj = set(cj)
    resolvents = []

    for di in ci:
        ndi = negate_literal(di)
        if ndi in cj:
            new_clause = (ci - {di}) | (cj - {ndi})
            if len(new_clause) == 0:
                resolvents.append({"res": set(), "pair": (ci, cj)})
            else:
                resolvents.append({"res": new_clause, "pair": (ci, cj)})
    return resolvents
```

```
# CLAUSES (CNF)
clauses = [
    {"~Food(x)", "Likes(John,x)"},  

    {"~Eats(x,y)", "~Killed(y)", "Food(y)"},  

    {"Eats(Anil,Peanut)"},  

    {"Alive(Anil)"},  

    {"~Alive(z)", "~Killed(z)"},  

    {"~Likes(John,Peanut)"} # Negated Query
]
```

```
# Resolution Steps Storage
steps = []
```

```
changed = True
while changed:
    changed = False
    new = []

    for i in range(len(clauses)):
        for j in range(i+1, len(clauses)):
            ci = clauses[i]
            cj = clauses[j]
            resolvents = resolve(ci, cj)
```

```
for r in resolvents:
    res = r["res"]
    if res == set(): # NIL Found
```

```

        steps.append((ci, cj, set()))
        print("\n☒ NIL (Contradiction Found)")
        print("=> Query Proven TRUE")
        changed = False
        break

    if res not in clauses and res not in new:
        new.append(res)
        steps.append((ci, cj, res))
        changed = True
    if changed is False and resolvents and res == set():
        break

    for c in new:
        clauses.append(c)

print("    RESOLUTION STEPS")

for (a, b, c) in steps:
    if c == set():
        print(f'{a} + {b} => NIL')
    else:
        print(f'{a} + {b} => {c}')

# PRINT CLAUSES AFTER DERIVATION
print("\nRemaining Clauses:")
for c in clauses:
    print(c)

```

Output:

```

FOL resolution, 1BM23CS338: SPURTHI REDDY P

Knowledge base clauses:
Food(vegetable)
Alive(Anil)
Food(apple)
Alive(x) OR ~Killed(x)
~Eats(Anil,x) OR Eats(Harry,x)
~Killed(x) OR ~Alive(x)
Killed(y) OR ~Eats(x,y) OR Food(y)
Eats(Anil,peanuts)
~Food(x) OR Likes(John,x)

Query: Likes(John,peanuts)
Negated query clause will be added to KB and resolution attempted.

Result: True | Derived empty clause (success)

```

Program10

Implement Alpha-Beta Pruning.

Algorithm:

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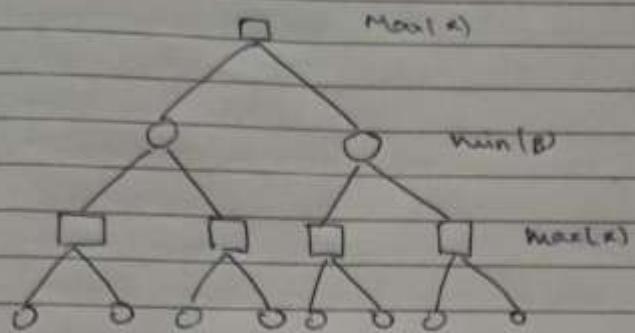
Lab-10

Adversarial Search

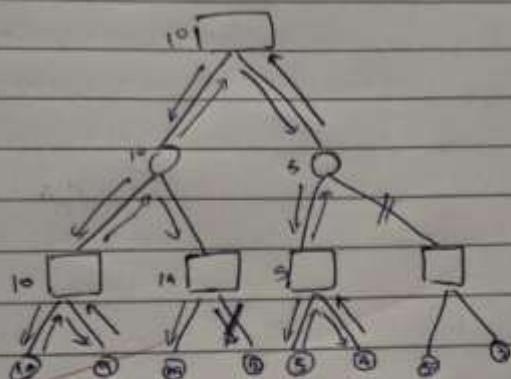
Implement Alpha-Beta Pruning

Algorithm

- Since at the root node (current game) the current player is either max or min.
- Initialize $\alpha = -\infty$, $\beta = \infty$.
- If terminal node (end of game)
→ return the utility (score) of that node.
- a. If it's a max player
 - Set value = $-\infty$.
 - For each child of this node:
 - Compute child value:
 - Alpha Beta (child, depth-1, α , β , False)
 - Update value = $\max(\text{value}, \text{child-value})$
 - Update $\alpha = \max(\text{value}, \text{child-value})$
 - If $\alpha \geq \beta$ then break → (prune remaining branches)
 - Return value.
 - b. If it's a min player:
 - Set value = $+\infty$.
 - For each child value:
 - Alpha Beta (child, depth-1, α , β , True)
 - Update value = $\min(\text{value}, \text{child-value})$
 - Update $\beta = \min(\beta, \text{value})$
 - If $\alpha \leq \beta$, then break → (prune remaining branch)
return value.



Solution



Ans
27/21

Code:

```
def alpha_beta(node_index, depth, max_depth, alpha, beta, is_max, values, explored, pruned, path):

    # Number of leaves = 2^max_depth
    total_leaves = len(values)

    # If we reached a leaf node, return its value
    if depth == max_depth:
        leaf_index = node_index - (2 ** max_depth - 1)
        if 0 <= leaf_index < total_leaves:
            val = values[leaf_index]
            explored.append((list(path), val))
            return val
        else:
            return 0 # Safety fallback

    if is_max:
        value = float('-inf')
        for i in range(2): # left & right children
            child_index = node_index * 2 + i + 1
            path.append(child_index)
            value = max(value, alpha_beta(child_index, depth + 1, max_depth,
                                           alpha, beta, False, values, explored, pruned, path))
        path.pop()
        alpha = max(alpha, value)
        if beta <= alpha:
            pruned.append((node_index, child_index, 'Beta cutoff'))
            break
        return value

    else:
        value = float('inf')
        for i in range(2):
            child_index = node_index * 2 + i + 1
            path.append(child_index)
            value = min(value, alpha_beta(child_index, depth + 1, max_depth,
                                           alpha, beta, True, values, explored, pruned, path))
        path.pop()
        beta = min(beta, value)
        if beta <= alpha:
            pruned.append((node_index, child_index, 'Alpha cutoff'))
            break
        return value

if __name__ == "__main__":
```

```

values = [3, 5, 6, 9, 1, 2, 0, -1] # leaf node values
max_depth = 3                      # since  $2^3 = 8$  leaves
explored, pruned = [], []
print("Spurthi Reddy P : 1BM23CS338")
print("Leaf node values:", values)

result = alpha_beta(0, 0, max_depth, float('-inf'), float('inf'),
                    True, values, explored, pruned, [0])

print("\nValue of root node (MAX mode):", result)
print("\nExplored leaf paths:")
for p, val in explored:
    print(f"Path {p} -> Value {val}")

print("\nPruned branches:")
for item in pruned:
    print(item)

```

Output:

```

Spurthi Reddy P : 1BM23CS338
Leaf node values: [3, 5, 6, 9, 1, 2, 0, -1]

Value of root node (MAX mode): 5

Explored leaf paths:
Path [0, 1, 3, 7] -> Value 3
Path [0, 1, 3, 8] -> Value 5
Path [0, 1, 4, 9] -> Value 6
Path [0, 2, 5, 11] -> Value 1
Path [0, 2, 5, 12] -> Value 2

Pruned branches:
(4, 9, 'Beta cutoff')
(2, 5, 'Alpha cutoff')

```