

$\vec{E} = \sigma \vec{J} \rightarrow$ Electric field is proportional through a constant σ and current density \vec{J}

$\nabla \cdot \vec{J} = 0 \rightarrow$ Electric charge is conserved (constraint)

$\vec{J} \cdot \hat{n} = I/A \rightarrow$ Current density across a boundary \hat{n} is related to I/A .

$\vec{J} \cdot \hat{n} = 0 \rightarrow$ Current density \perp to \hat{n} is '0'. (No flow of charge across surface)

$J \rightarrow 0$ as $x \rightarrow \infty \rightarrow$ Current density becomes small as you move away

$\vec{E} = -\nabla \phi \rightarrow$ Electric field is the negative gradient of potential

$\nabla^2 \phi = 0 \rightarrow$ Laplace eq for Elec pot, in a region with no charges, Elec pot doesn't vary from point to point.

$\nabla \phi \cdot \hat{n} = \bar{\rho} I / A \sigma \rightarrow$ across pads this is how it's related

$\nabla \phi \cdot \hat{n} = 0 \rightarrow$ Elec potential normal to surface is 0, no change in pot across the surface.