

---

```
disp(factor(8));
disp(aprox_pi(6));
disp(aprox_pi_iterations(pi));
```

#### `%Exercici 4`

```
v_x = 5;
a = -3.2;
t = (0:1/100:1);
x = v_x.*t + (1/2)*a*t.^2;
figure(1);
plot(t, x);
```

#### `%Exercici 5`

```
x = (-4:1/1000:4);
y = exp(-x).*sin(2.*x);
figure(2);
plot(x, y);
```

#### `%Exercici 6`

```
h = (0:1/100:30);
p = 1035.*exp(-0.12*h);
figure(3);
plot(h, p);
```

#### `%Exercici 7`

```
s = sum(1./[1:10]);
```

#### `%Exercici 8`

```
n = 10;
A = zeros(n, n);
for i = 1:10
    for j = 1: 10
        if j == i
            A(i, j) = 2 * pi / n;
        elseif j < i
            A(i, j) = i*j;
            %otherwise the value is already 0
        end
    end
end
```

#### `%Exercici 9`

---

```

function fact = factor(n)
    fact = 1;
    for i = 1:n
        fact = fact*i;
    end
end

%Exercici 9

function a_pi = aprox_pi(N)
    a_pi = 0;
    for i = 0:N
        a_pi = a_pi+ 16 ^(-i) * ((4 / (8*i + 1)) - (2 / (8*i + 4)) - (1 /
(8*i + 5)) - (1/ (8*i + 6)));
    end
end
%Para N = 6 ya se obtienen 10 cifras de precision

function i = aprox_pi_iterations(num)
    a_pi = 0;
    i = 0;
    while (a_pi ~= num)
        a_pi = a_pi+ 16 ^(-i) * ((4 / (8*i + 1)) - (2 / (8*i + 4)) - (1 /
(8*i + 5)) - (1/ (8*i + 6)));
        i = i + 1;
    end
    i = i -1;
end
% Para n=10 ya se obtienen los mismos digitos de precision que el que tiene
% guardado MatLab.

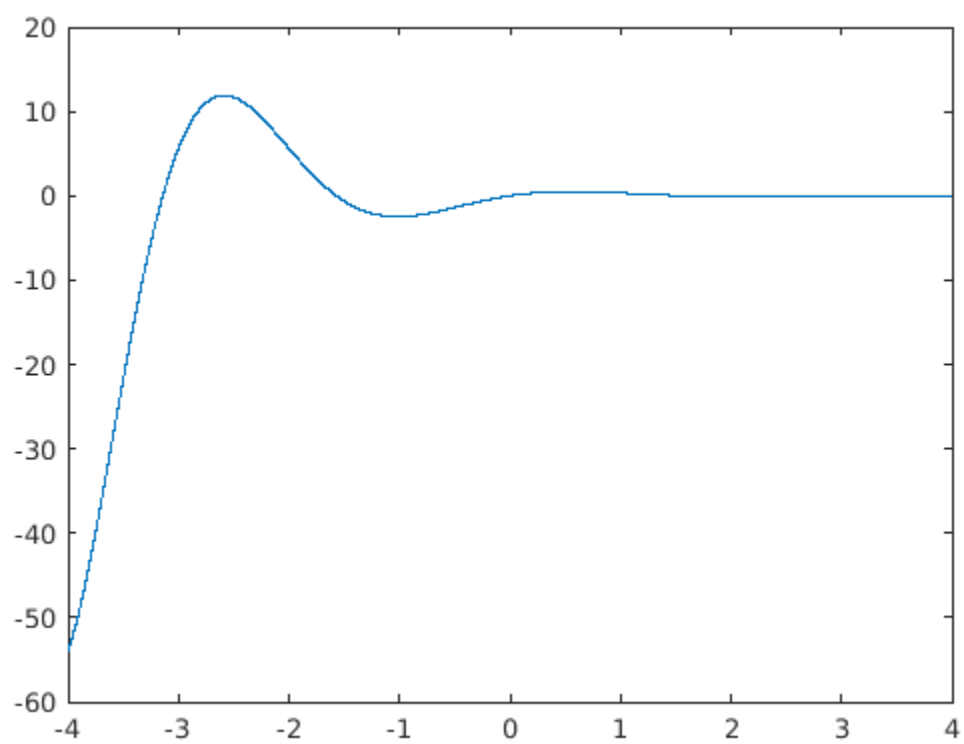
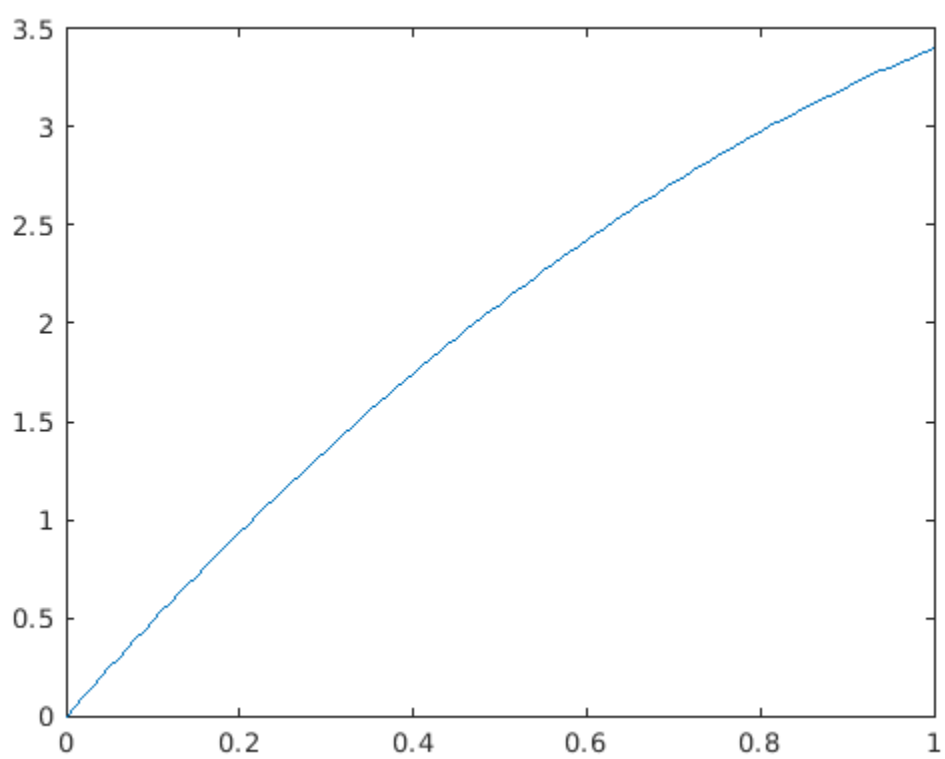
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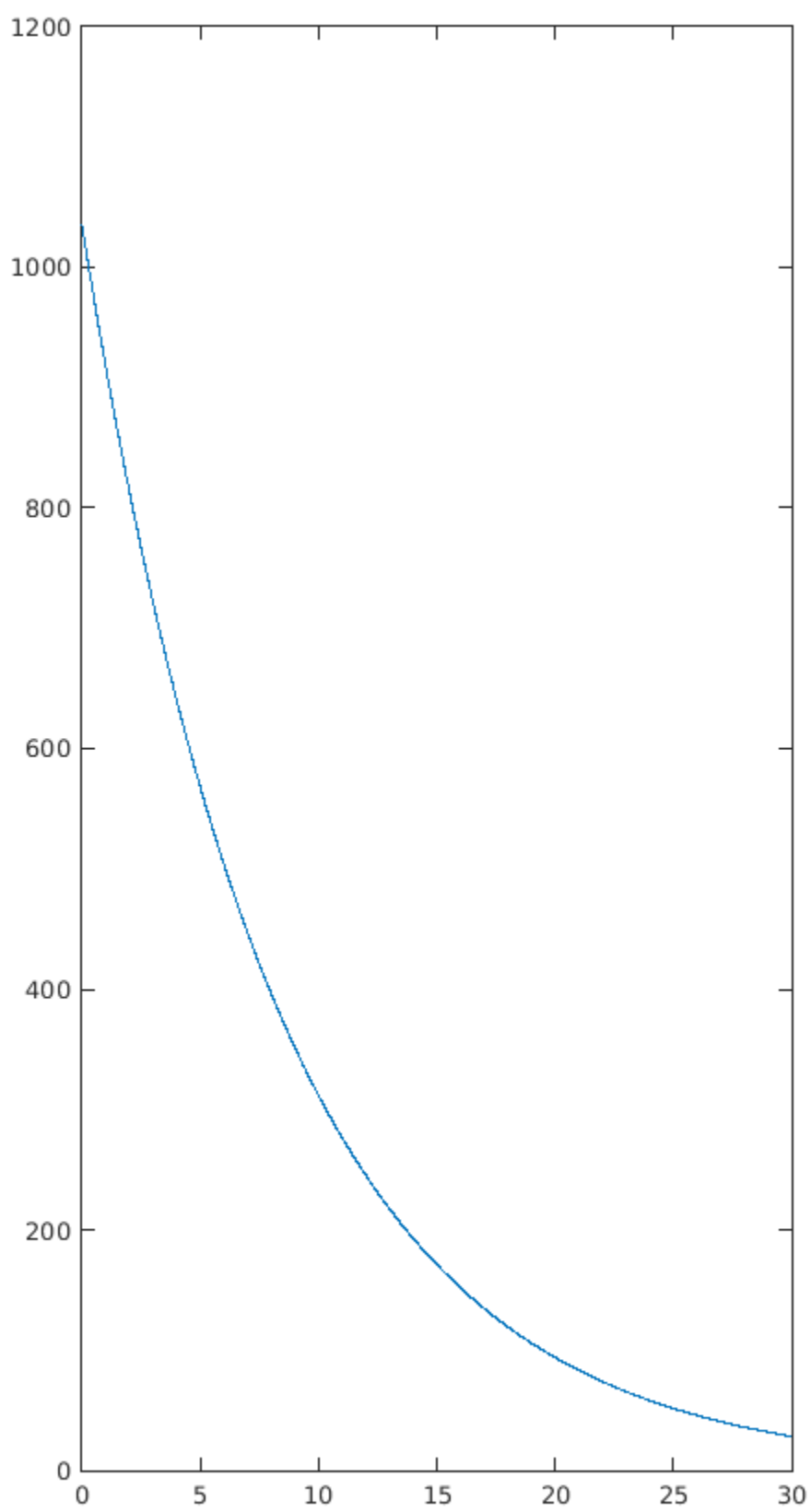
3.14159265357288

10

```

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