

ProgrammierParadigmen

Übung - Gruppe 1 & 2

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Eigene Operatoren/Precedences

Prec-	Left associative	Non-associative	Right associative
edence	operators	operators	operators
9	!!		.
8			^, ^^, **
7	*, /, `div`,		
	`mod`, `rem`, `quot`		
6	+, -		
5			:, ++
4		==, /=, <, <=, >, >=,	
		`elem`, `notElem`	
3			&&
2			
1	>>, >>=		
0			`, \$!, `seq`

<https://www.haskell.org/onlinereport/decls.html#sect4.4.2>

Klammerung

1. Explizite Klammern (plus besondere Syntax wie *let..in*)

$$4 * (5 + 6) \Rightarrow (4 * (5 + 6))$$

2. Lambdaausdrücke erfassen alles auf der rechten Seite

$$\backslash x \rightarrow \backslash y \rightarrow y + y \Rightarrow (\backslash x \rightarrow (\backslash y \rightarrow (y + y)))$$

3. Funktionsapplikation

$$f a \Rightarrow (f a)$$

$$f a b \Rightarrow (f a) b$$

$$f a f b \Rightarrow (((f a) f) b)$$

Unabhängig davon, was f ist

4. Operatoren mit Precedences und Associativity

$$a + b * c \Rightarrow (a + (b * c))$$

$$a + b + c \Rightarrow ((a + b) + c)$$

$$a \wedge b \wedge c \Rightarrow (a \wedge (b \wedge c))$$

$$a + b c + d \Rightarrow \text{~~(a + b)(c + d)~~}$$

$$\Rightarrow a + (b c) + d$$

$$\backslash x \rightarrow x z \Rightarrow \text{~~(\backslash x \rightarrow x) z~~}$$

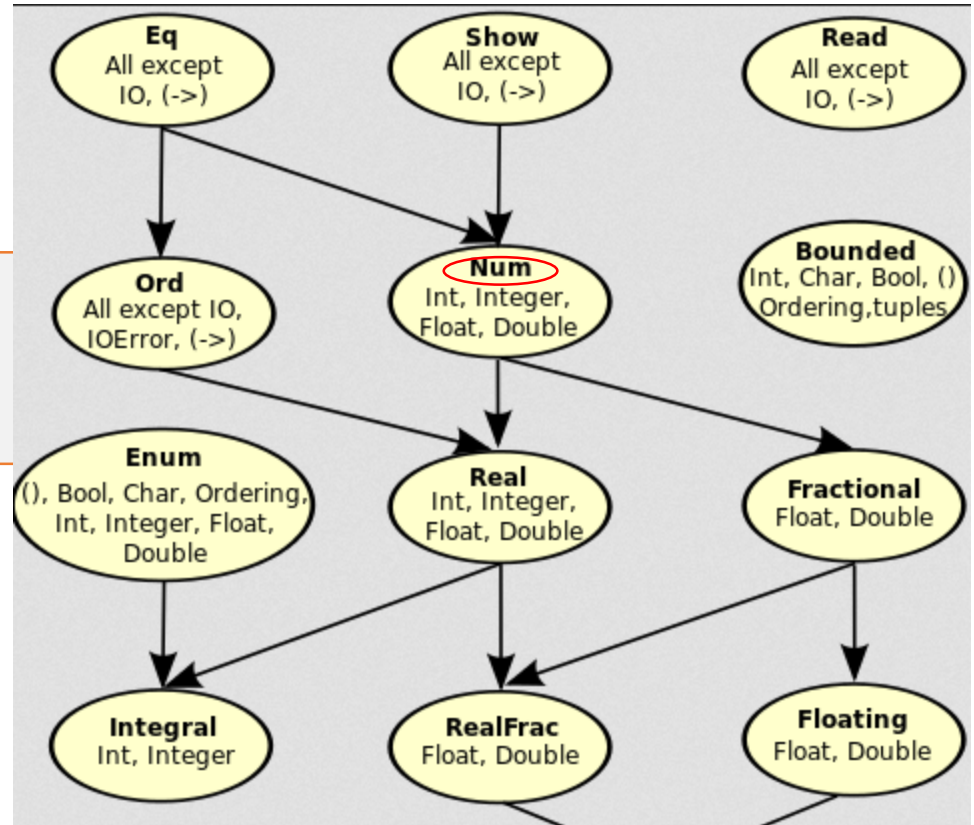
$$\Rightarrow \backslash x \rightarrow (x z)$$

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:t 3

:t 3

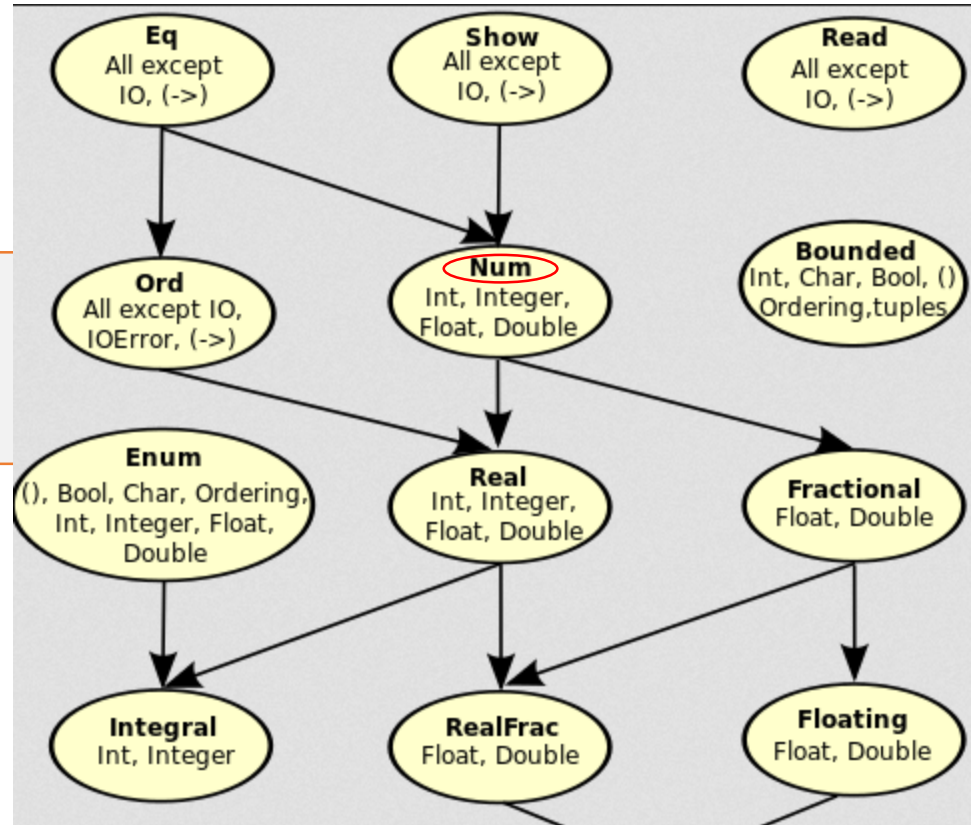
$\Rightarrow 3 :: \text{Num } t \Rightarrow t$



:t 3

:t 3

=> 3 :: Num t => t



Haskell-Report Sektion [6.4.1](#)

Das ist die „3“

“... An integer literal represents the application of the function fromInteger to the appropriate value of type Integer. ...”

fromInteger :: (Num a) => Integer -> a

:t 3

“... An integer literal represents the application of the function fromInteger to the appropriate value of type Integer. ...”

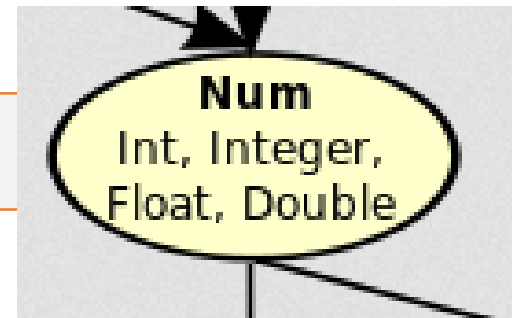
```
fromInteger :: (Num a) => Integer -> a
```

a ist im Fall unten Double

```
x :: Double
```

```
x = fromInteger 3
```

-- ist wie ,x = 3‘



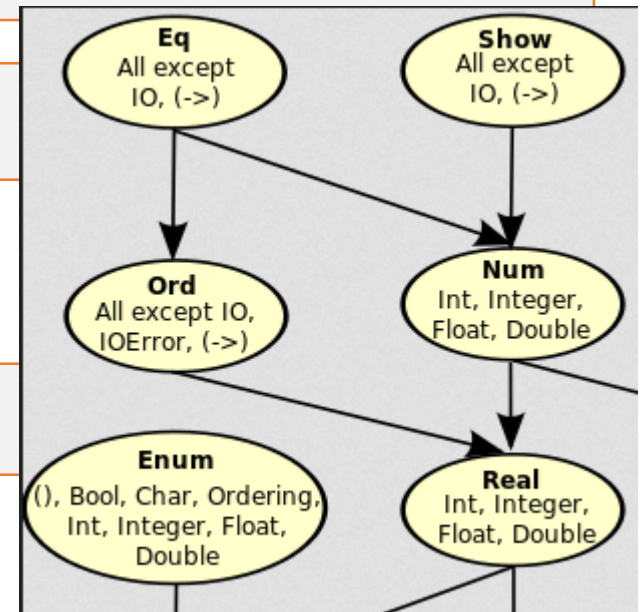
:t 3 ... Ord?

fromInteger :: (Num a) => Integer -> a

(<) :: (Ord a) => a -> a -> a

a ?

(fromInteger 4) < (fromInteger 3)



:t 3 ... Ord?

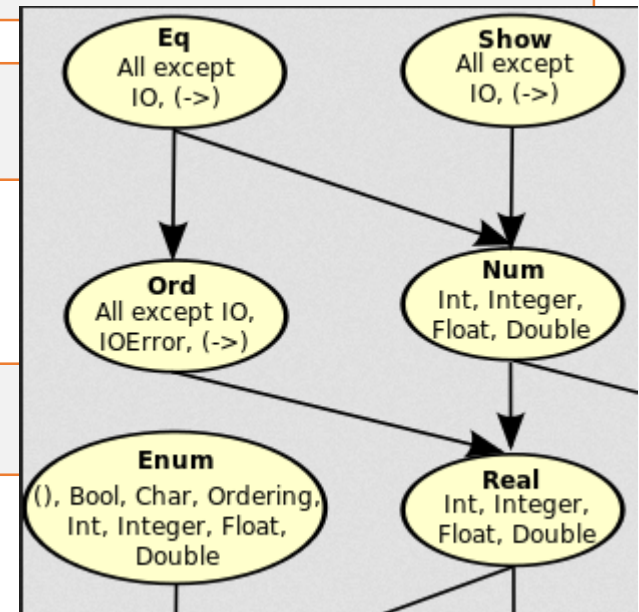
`fromInteger :: (Num a) => Integer -> a`

`(<) :: (Ord a) => a -> a -> a`

a wird Integer

`(fromInteger 4) < (fromInteger 3)`

Haskell-Report [Sektion 4.3.4](#)



“... Ambiguities in the class Num are most common, so Haskell provides another way to resolve them—with a default declaration: `default (t1 , ... , tn) ...`”

Blatt 3

- Fibonacci Zahlen
- Collatz-Vermutung
- Primepowers
- (Hamming-Zahlen)
- (Pseudozufallszahlen)

Laziness und unendliche Listen

- Vergleiche:

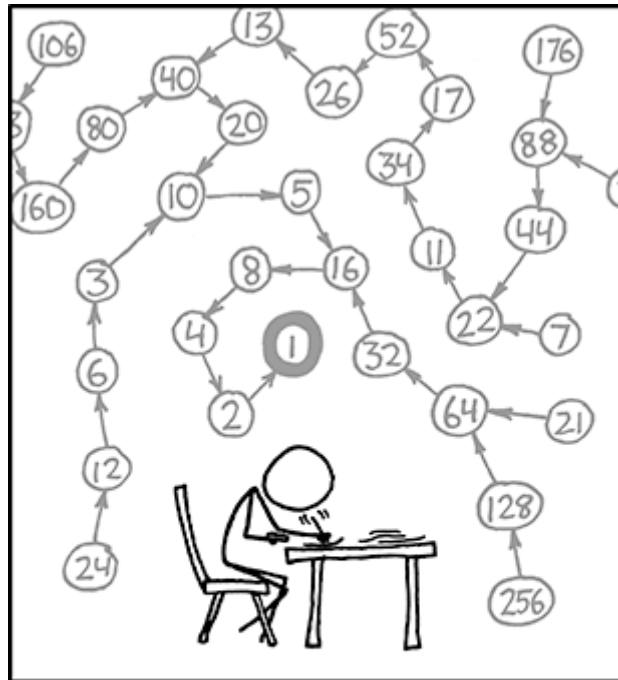
```
even      = 2 : map (+2) even
multiple n = n : map (+n) (multiple n)
```

- Fix?

Unendliche Listen

1. Definiere eine unendliche Liste Zs die alle ganzen Zahlen \mathbb{Z} enthält.
2. Definiere eine unendliche Liste Qs die alle positiven rationalen Zahlen \mathbb{Q} enthält.
3. Definiere eine unendliche Liste Rs die alle positiven reellen Zahlen \mathbb{R} enthält?

Collatz Conjecture



THE COLLATZ CONJECTURE STATES THAT IF YOU PICK A NUMBER, AND IF IT'S EVEN DIVIDE IT BY TWO AND IF IT'S ODD MULTIPLY IT BY THREE AND ADD ONE, AND YOU REPEAT THIS PROCEDURE LONG ENOUGH, EVENTUALLY YOUR FRIENDS WILL STOP CALLING TO SEE IF YOU WANT TO HANG OUT.

<https://xkcd.com/710/>