

**RAJSHAHI UNIVERSITY OF ENGINEERING & TECHNOLOGY**  
**Online Lab Final**

COURSE NAME: SESSIONAL BASED ON CSE-2201  
COURSE CODE: CSE-2102

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Problem 1: Sort a given set of elements using the Quicksort method and determine the time required to sort the elements in millisecond. Repeat the experiment for 3 different values of  $n$  (i.e.,  $n$  should be  $> 1000$  for each case) which the number of elements in the list to be sorted should be ~~read~~ create a bar graph of the time taken versus  $n$ . The number of element  $n$  to be sorted should be ~~read~~ from a file "quicks1.txt", "quicks2.txt", "quicks3.txt" and generate the lists of numbers randomly.

### Algorithm:

```

Quicksort (arr, left, right)
if left < right
    then pi ← partition (arr, left, right)
        Quicksort (arr, left, pi - 1)
        Quicksort (arr, right, pi + 1, right)
    
```

(To sort an entire array arr, we initially call is Quicksort (arr, 1, length[arr]))

```

Partition (arr, left, right)
pi ← arr [right]
i ← left - 1
for j ← left to right - 1
    
```

do it  $\text{arr}[j] \leq pi$   
 then  $i \leftarrow i+1$ .  
 exchange  $\text{arr}[i] \leftrightarrow \text{arr}[j]$   
 exchange  $\text{arr}[i+1] \leftrightarrow A[\text{right}]$   
 return  $(i+1)$ .

### Code:

```

#include<bits/stdc++.h>
using namespace std;
using namespace std::chrono;
void swap(int *a, int *b)
{
  int t;
  t = *a;
  *a = *b;
  *b = t;
}

int partition (int arr[], int left, int right)
{
  int i=left-1;
  int j;
  int pi = arr[right];
  for(j=left; j <=right-1; j++)
  {
    if(arr[j] < pi)
    {
      i++;
      swap(&arr[i], &arr[j]);
    }
  }
}
  
```

```

y
swap(&arr[i+1], &arr[right]);
return(i+1);

void Quicksort(int arr[], int left, int right)
{
    if (left < right)
    {
        int pi = partition(arr, left, right);
        Quicksort(arr, left, pi-1);
        Quicksort(arr, pi+1, right);
    }
}

void printarray(int arr[], int size)
{
    int i;
    for(i=0; i < size; i++)
    {
        cout << arr[i] << " ";
    }
    cout << endl;
}

int main()
{
    int n, i=0, a[100000];
    ifstream file;
    file.open("quick1.txt");
    if(file)

```

```

    {
        while (file >> n)
        {
            a[i++] = n;
        }
    }
    else
        cout << "file can't open" << endl;
    file.close();
    auto count1 = chrono::steady_clock::now();
    Quicksort(a, 0, i);
    auto count2 = chrono::steady_clock::now();
    double d = double(chrono::duration_cast
                      <chrono::nanoseconds>(count2 - count1).count())

```

cout << "the time required to sort the elements  
 of 'quick1.txt': " << (double)(d \* 1.0 / 1000000)  
 << "millisecond" << endl;

N.B. [Similarly we will do same steps for taking  
 data from "quick2.txt" and "quick3.txt".]

}

Code for file generation:

```

#include <bits/stdc++.h>
using namespace std;
int main()
{
    st - strand(time(NULL));

```

```

ofstream fout;
long i=0, n=0;
int num[10000];
fout.open("quick1.txt");
cout << "Give how many number you want
to generate in \"quick1.txt\"";
cin >> n;
for(i=0; i<n; ++i)
{
    num[i] = rand();
    fout << num[i] << endl;
}
fout.close();

```

No. [we will do these steps for generating  
file for "quick2.txt" and "quick3.txt"]

y

Input:

quick1.txt - Notepad							
File	Edit	Format	View	Help			
20626	8868	12947	30857	27853	1852	13611	^
19163	9671	4541	9626	14581	20353	8626	
4751	20187	24001	21596	31381	19961	5394	
423	9530	12728	19724	1372	6001	25166	
10197	10392	10038	2522	25320	16253	29296	
16304	9493	20263	15643	32241	28105	20450	
31398	5472	2448	24474	1690	4976	12248	
30867	20605	20130	11768	90	32502	3341	
17265	17147	20018	31038	4979	11892	11653	
22851	20387	25194	24661	15363	27	26651	
9780	4305	3250	9876	11852	23872	27518	
26403	23040	1336	6296	32272	4816	22857	
15135	27528	14205	24384	7040	2266	25710	
2296	20212	5606	6995	19827	15434	15057	
3592	22569	24038	20990	4284	17056	25866	
3642	30546	3133	8788	20791	25095	17498	
22408	17980	15702	6809	22160	5402	31001	
18807	4545	16738	15088	3876	352	2517	
4070	10386	613	23580	24914	715	4734	
12474	12540	5769	3415	25406	24705	8704	

## Output:

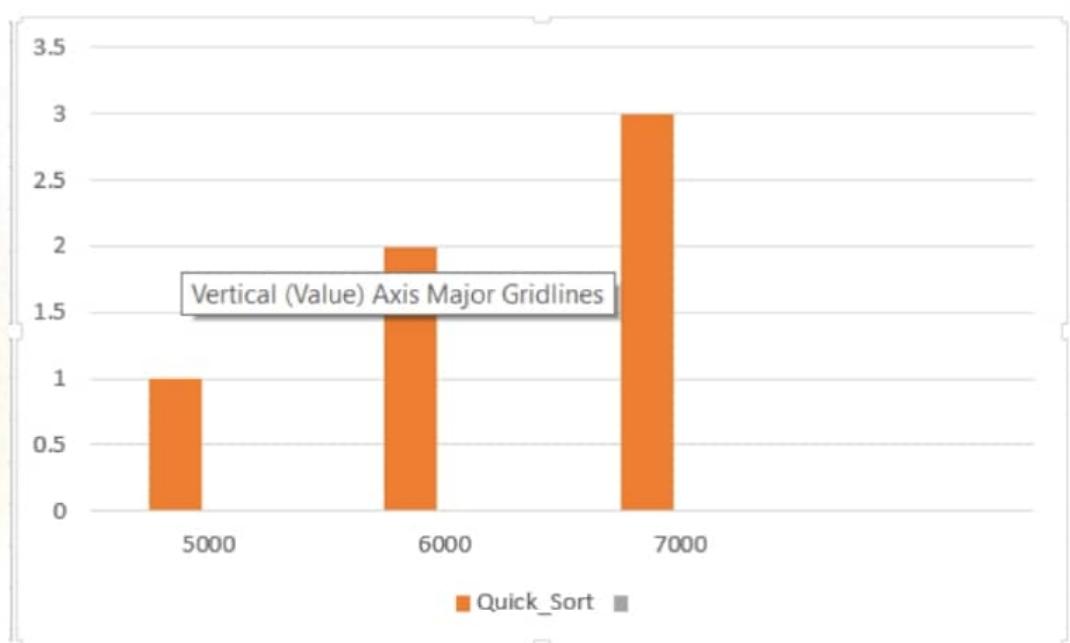
```
□ "E:\2-2\computer algorithm\Lab Final\1\Quick_SortExe"
the time required to sort the elements of 'quick1.txt': 1 millisecond
the time required to sort the elements of 'quick2.txt': 1.99 millisecond
the time required to sort the elements of 'quick3.txt': 2.991 millisecond

Process returned 0 (0x0) execution time : 0.132 s
Press any key to continue.
```

## Table:

number of inputs	Quick_Sort
5000	1
6000	1.99
7000	2.991

## Graph:



Problem 2: Solve the experiment defined at Q1 using Merge Sort algorithm. Create a bar graph for same problem and compare the required time of merge sort with the Quicksort algorithm.

Algorithm: Mergesort( $l, h$ )

```

    {
        if ( $l < h$ )
            {
                {
                     $m = (l+h)/2;$ 
                    Mergesort(arr, l, m);
                    Mergesort(arr, m+1, h);
                    merge(arr, l, m, h);
                }
            }
    }
```

merge( $l, m, h$ )

$i \leftarrow l, j \leftarrow m+1, k \leftarrow l.$

while(( $i \leq m$ ) and ( $j \leq h$ ))

```

    {
        if (arr[i] ≤ arr[j])
    }
```

$b[k++] = arr[i++];$

}

else

{

$b[k++] = arr[j++];$

}

```

if ( i > m )
{
    while ( j ≤ h )
    {
        b [ k ++ ] := arr [ j ++ ];
    }
}
else
{
    while ( i ≤ m )
    {
        b [ k ++ ] := arr [ i ++ ];
    }
}
for ( p ← l to h )
    arr [ p ] := b [ p ]

```

Code:

```

#include <bits/stdc++.h>
using namespace std;
int arr[100000];
void merge ( int arr [ ], int l, int m, int h )
{
    int b [ h ], i = l, j = m + 1, k = l;
    while ( i <= m && j <= h )
    {
        if ( arr [ i ] <= arr [ j ] )

```

```

    }
    b[k++]=arr[i++];
}
else
{
    b[k++]=arr[j++];
}
}

if(i>m)
{
    while(j<=h)
    {
        b[k++]=arr[j++];
    }
    else
    {
        while(i<=m)
        {
            b[k++]=arr[i++];
        }
    }
}

for(int p=l; p<=h; p++)
{
    arr[p]=b[p];
}
}

```

```

void Merge sort (int arr[], int l, int h)
{
    int m;
    if (l < h)
    {
        m = (l+h)/2;
        Merge - sort (arr, l, m);
        Merge - sort (arr, m+1, h);
        merge (arr, l, m, h);
    }
}

int main()
{
    int i;
    int j=0;
    ifstream file;
    file.open ("merge1.txt");
    while (!file.eof())
    {
        file >> arr[j];
        j++;
    }
    file.close();
    auto count1 = chrono::steady_clock::now();
    Merge - sort (arr, 0, j-1);
    auto count2 = chrono::steady_clock::now();
    double d = double(chrono::duration_cast<chrono::nanoseconds>(count2 - count1).count());

```

`cout << "the time required to sort the element of 'merge1.txt': " < (double) (d * 1.0 / 1000000) << " millisecond" << endl;`  
`j=0;`

[N.B: Similarly we will do same steps for taking data from 'merge2.txt' and 'merge3.txt']

### Input:

merge1.txt - Notepad						
File	Edit	Format	View	Help		
20204	31347	2228	6881	7993	19592	5320
3565	9596	11210	28706	8899	15254	4070
25546	11798	5120	4039	24594	32703	7354
2230	5930	25348	3716	16582	9711	29723
31825	2159	16132	28394	30457	8057	3108
23313	6446	24859	14774	14634	4017	31589
24738	5455	29125	13787	16996	8925	32229
2915	2911	17784	3762	7009	3955	11088
23599	13856	13521	23714	23856	2164	270
25729	23824	10909	31863	30422	6563	5743
24485	14246	32107	18608	16209	1939	18959
4546	10857	31142	18184	22913	28258	22091
18590	23151	30161	20381	8979	6159	30005
19172	24094	5262	23063	25436	15515	2472
12374	2617	27776	10442	29116	26599	29459
9844	29652	25238	10586	5346	26624	28150
23763	20971	8646	2111	26726	3113	5995
2165	22936	9050	20675	8682	30209	26630
14407	16644	13568	32355	616	9536	429
26741	7971	23671	22799	31609	27094	865

## Output:

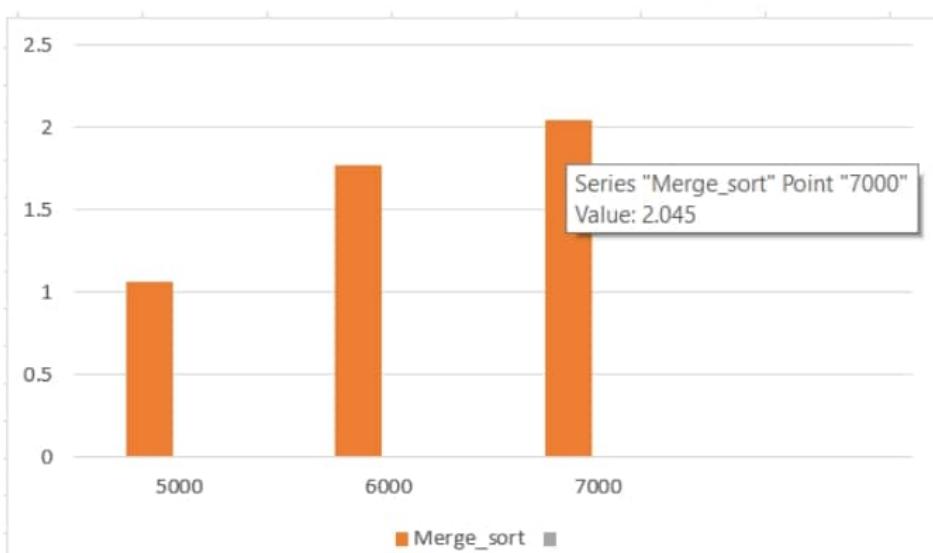
```
E:\2-2\computer algorithm\Lab Final\2\merge_sort.exe
the time required to sort the elements of 'merge1.txt': 1.063 millisecond
the time required to sort the elements of 'merge2.txt': 1.768 millisecond
the time required to sort the elements of 'merge3.txt': 2.045 millisecond

Process returned 0 (0x0) execution time : 8.003 s
Press any key to continue.
```

## Table:

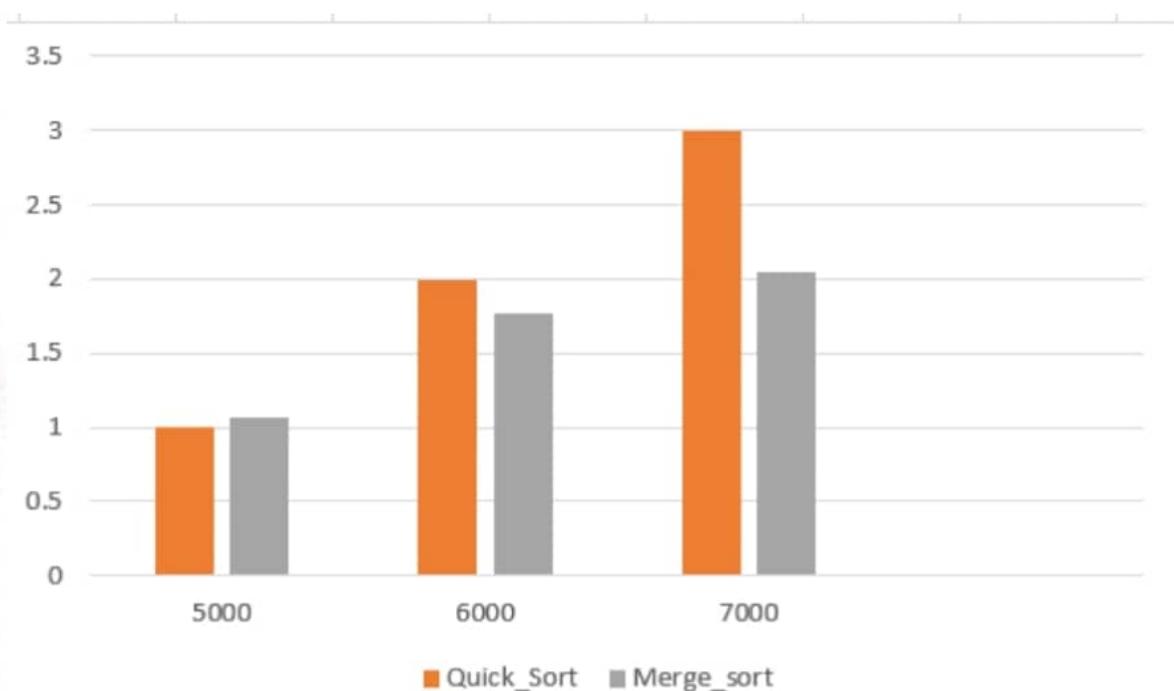
	A	B	C
1	number of inputs	Merge_sort	
2	5000	1.063	
3	6000	1.768	
4	7000	2.045	
5			

## Graph:



A bar graph for comparing the required time of merge sort with the quick sort algorithm:

number of inputs	Quick_Sort	Merge_sort
5000	1	1.063
6000	1.99	1.768
7000	2.991	2.045



Problem 3) Implement 0/1 and fractional knapsack problem using Dynamic and Greedy approach programming. Consider the following dataset for the above problems: A knapsack of size 11kg, there are 5 items need to be chosen for the given task and their weight and values are as follows: weights ( $w_1, w_2, w_3, w_4, w_5$ ) = (1, 2, 5, 6, 7) and values ( $v_1, v_2, v_3, v_4, v_5$ ) = (1, 6, 18, 22, 28). Using the 0/1 and fractional knapsack approach fill up the knapsack to maximize the values. Print out the optimal solution for each of the knapsack problem and compare the results.

Algorithm: (0/1 knapsack)

```

DKP( arr[], obj-no, c )
{
    # dynamic allocation of obj-no. and c .
    for( i=01 to obj-no )
    {
        for(j=0 to c )
        {
            if ( j-obj-arr[i], w < 0 )
                arr[i][j] := arr[i-1][j];
        }
    }
}

```

else

$\text{arr}[i][j] := \max[\text{arr}[i-1][j], \text{arr}[i-1][j - \text{obj}] + \text{arr}[i][j]]$

else

$\text{arr}[i][j] := \max[\text{arr}[i-1][j], \text{arr}[i-1][j - \text{obj}] + \text{arr}[i][j], \text{arr}[i][j] - \text{arr}[i].w]$   
 $+ \text{obj} - \text{arr}[i].p)$

# here w is the weight and p is the profit.

}  
 }  
 }

Code:

```
#include <bits/stdc++.h>
using namespace std;
```

class obj

{ public:

int p;

int w;

bool f;

};

class knapsack

{

int arr[100][100];

int obj-no;

```

int c;
public:
    knapsack()
{
    for(int i=0; i<100; i++)
        for(int j=0; j<100; j++)
            arr[i][j]=0;
}
void print()
{
    cout<<"\n Maximum profit: "<<arr[obj-no][c]
        <<endl;
}
void sort(obj obj-arr[], int size)
{
    for(int i=1; i<size; i++)
        for(int j=i+1; j<=size; j++)
            if(obj-arr[j].w < obj-arr[i].w)
            {
                obj-tmp=obj-arr[j];
                obj-arr[j]=obj-arr[i];
                obj-arr[i]=tmp;
            }
}
}

```

```

void Dkp(obj obj-arr[], int obj-no, int c)
{
    this->obj-no = obj-no;
    this->c = c;
    for (int i = 1; i <= obj-no; i++)
    {
        for (int j = 0; j <= c; j++)
        {
            if (j - obj-arr[i].w < 0)
                arr[i][j] = arr[i - 1][j];
            else
                arr[i][j] = max(arr[i - 1][j],
                                 arr[i - 1][j - obj-arr[i].w]
                                 + obj-arr[i].p);
        }
    }
};

int main()
{
    int n, k;
    obj arr[10];
    knapsack ob;
    cout << "Total item: ";
    cin >> n;
    cout << "knapsack capacity: ";

```

```

cin >> k;
cout << endl;
cout << "profit: weight: " << endl;
arr[0].p = 0;
arr[0].w = 0;
for (int i = 1; i <= n; i++)
{
    cin >> arr[i].p >> arr[i].w;
    arr[i].f = false;
}
ob.sort(arr, n);
ob.Dkp(arr, n, k);
ob.print();
return 0;
}

```

### Input & Output:

Total item: 5

knapsack capacity: 11

profit weight

1 1

6 2

18 5

22 6

28 7

Maximum profit: 40.

Output:

Maximum profit: 40.

Algorithm (Fractional knapsack):

```

knapsack(arr[], size, c)
{
    t ← c;
    for( i = 0 to size )
        if( arr[i].w > t )
            break;
        arr[i].d := t / arr[i].w;
        t := t - arr[i].w;
}

```

Code:

```

#include <bits/stdc++.h>
using namespace std;
struct obj {
    int w;
    int p;
    float d;
};

```

```

void knapsack(obj arr[], int size, int d)
{
    int t = c;
    for (int i = 0; i < size; i++) {
        if (arr[i].w > t)
            break;
        arr[i].d = float(float)t / arr[i].w;
        t -= arr[i].w;
    }
}

int main()
{
    obj arr[100];
    int n, m;
    float maxp = 0.0;
    cout << "Total item: ";
    cin >> n;
    cout << "Knapsack capacity: ";
    cin >> m;
    cout << endl;
    cout << "Profit weight" << endl;
    for (int i = 0; i < n; i++) {
        cin >> arr[i].p;
        cin >> arr[i].w;
        arr[i].d = 0;
    }
}

```

```

for (int i = 0; i < n - 1; i++)
    for (int j = i + 1; j < n; j++) {
        if ((float)arr[j].p / arr[j].w > (float)
            arr[i].p / arr[i].w)
            {
                obj temp = arr[i];
                arr[i] = arr[j];
                arr[j] = temp;
            }
    }
knapsack(arr, n, m);
for (int i = 0; i < n; i++) {
    if (arr[i].d != 0.0) {
        maxpt = arr[i].p + arr[i].d;
    }
}
cout << endl;
cout << "Maximum profit: " << maxpt << endl;
return 0;
}.

```

Input:

Total item: 5

knapsack capacity: 11

profit weight

1 1

6 2

18 5

22 6

28 7

Maximum profit: 42.6667.

Discussion: We can see from the output of 0/1 knapsack and fractional knapsack that, for maximum profit of fractional knapsack is more than 0/1 knapsack because in fractional knapsack, the ratio of weight and p value has taken.

Problem 4) Sorting in linear time: Counting Sort

- (i) Generate N random integers within range 0 to 10000 in a file named input.txt.
- (ii) Implement bubble sort to sort the numbers (from input.txt) and count the time.
- (iii) Implement counting sort to sort the numbers (from input.txt) and count the time.
- (iv) Increase the value of N (upto 100000) and plot the performance
- (v) Write your comments on the findings.

Algorithm: (Bubble sort)

```

Bubblesort(ar)
    for all the elements of array ar
        if ar[i] > ar[i+1]
            swap(list[i], list[i+1])
        end if
    end for
    return ar
.end Bubblesort.

```

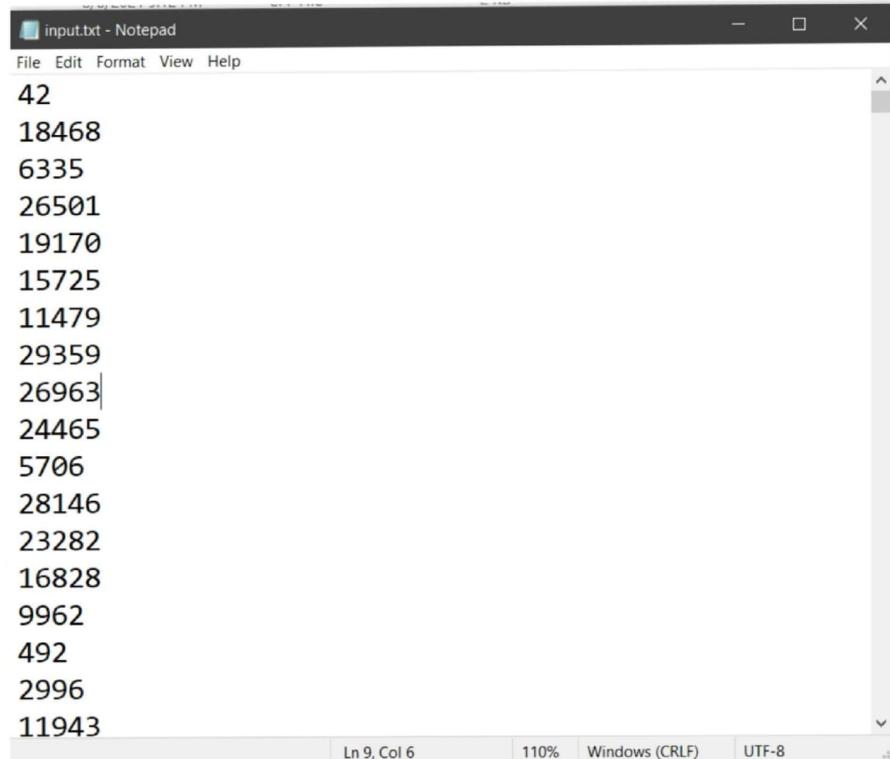
Code:

```
#include <bits/stdc++.h>
using namespace std;
int main()
{
    int cnt, n, i, j, temp;
    long long ar[40000], num;
    ifstream input;
    input.open ("input.txt");
    for(cnt = 1; cnt <= 30000; cnt++)
    {
        n = rand() % 30000 + 1;
        input << n << endl;
    }
    input.close();
    n = 0;
    ifstream file;
    file.open ("input.txt");
    if(file)
    {
        while(file >> num)
        {
            ar[n++] = (num);
        }
    }
    else
        cout << "file can't open" << endl;
}
```

```

auto count1 = chrono::steady_clock::now();
for (i=0; i<n; i++)
{
    for (j=1; j<n-i; j++)
    {
        if (ar[j]>ar[j+1])
        {
            temp=ar[j];
            ar[j]=ar[j+1];
            ar[j+1]=temp;
        }
    }
}
auto count2 = chrono::steady_clock::now();
cout<<endl;
double difference = double(chrono::duration_cast<chrono::nanoseconds>(count2-count1).count());
cout<<"Time required for bubble sort: " <<
double(difference * 1.0/1000000)<<
" millisecond" << endl;

```

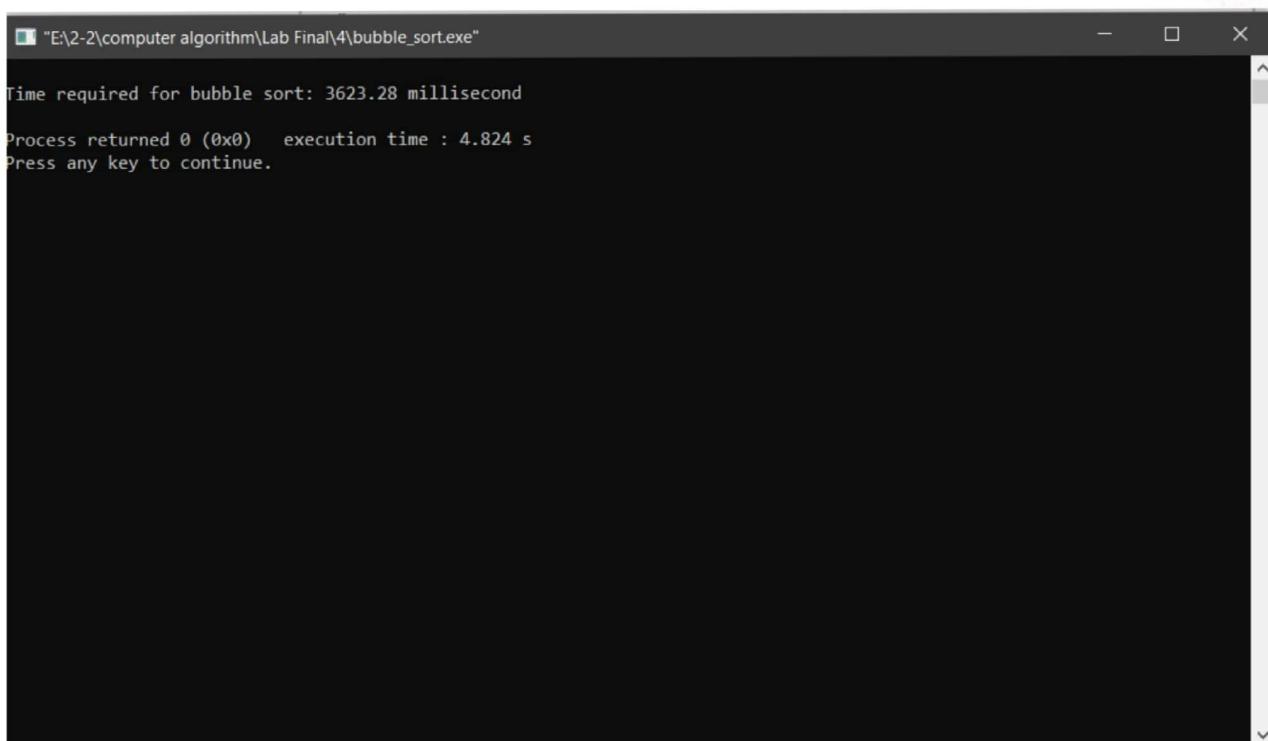
Input:

input.txt - Notepad

File Edit Format View Help

42  
18468  
6335  
26501  
19170  
15725  
11479  
29359  
26963|  
24465  
5706  
28146  
23282  
16828  
9962  
492  
2996  
11943

Ln 9, Col 6 110% Windows (CRLF) UTF-8

Output:

"E:\2-2\computer algorithm\Lab Final\4\bubble\_sort.exe"

Time required for bubble sort: 3623.28 millisecond

Process returned 0 (0x0) execution time : 4.824 s

Press any key to continue.

Algorithm: (Counting sort)

```

CountingSort(ar[], n, b[])
{
    for i=0 to n
        b[ar[i]]++;

    for i=1 to maximum
        b[i] := b[i-1] + b[i];

    for i=n-1 to 0
        ar1[b[ar[i]] - 1] := ar[i];
        b[ar[i]]--;
}

```

Code:

```

#include <bits/stdc++.h>
#include <chrono>
#include <ctime>
using namespace std;
int main()
{
    int cnt, n, i;
    long long ar[2000], ar1[2000] = {0}, num;
    ifstream input;
    input.open("input.txt");

```

```

for (cnt = 1; cnt <= 6000; cnt++)
{
    n = rand() % 3000 + 1
    input << n << endl;
}
input.close();
n = 0;
ifstream file;
file.open("input.txt");
if (file)
{
    while (file >> num)
    {
        arr[n] = (num);
        n++;
    }
}
else
{
    cout << "file can't open" << endl;
}

auto count1 = chrono::steady_clock::now();
long long maximum = *max_element(arr, arr+n),
b[maximum+5] = {0};

for (i = 0; i < n; i++)
{
    b[arr[i]]++;
}

```

~~1Title:~~ for( $i = 1; i \leq \text{maximum}; i++$ )  
 {  
 $b[i] = b[i-1] + b[i];$   
 }

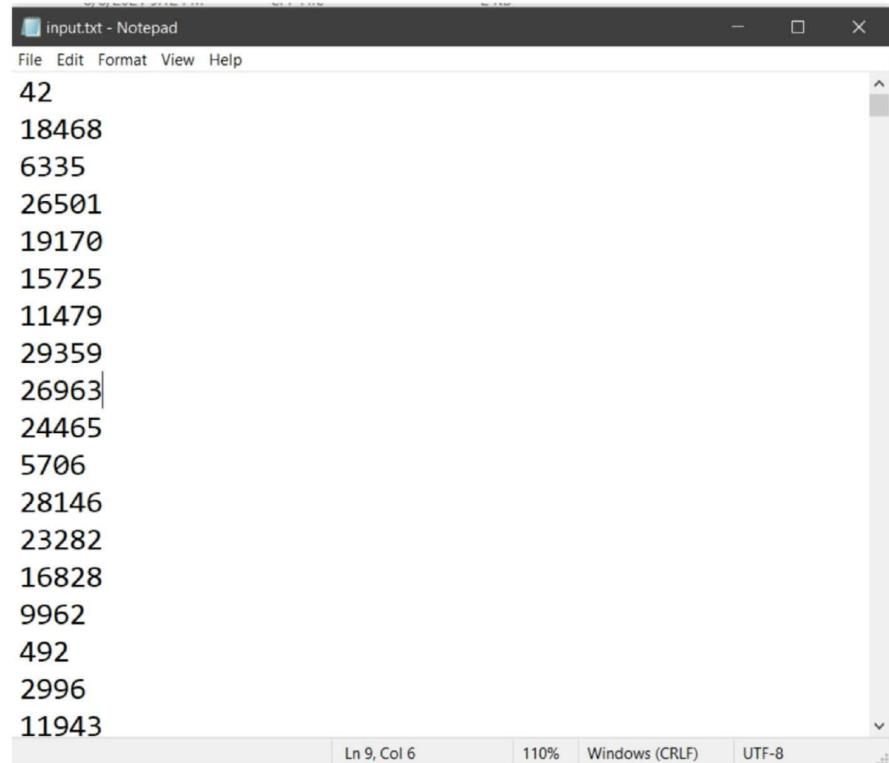
for ( $i = n-1; i \geq 0; i--$ )  
 {  
 $\text{ans}[b[\text{ans}[i]] - 1] = \text{ans}[i];$   
 $b[\text{ans}[i]]--;$   
 }

auto count2 = chrono::steady\_clock::now();  
double difference = (double)(chrono::duration  
cast<chrono::nanoseconds>  
(count2 - count1).count());

cout << "Time required for counting sort:"  
<< (double)(difference \* 1.0 / 1000000) <<  
" millisecond" << endl;

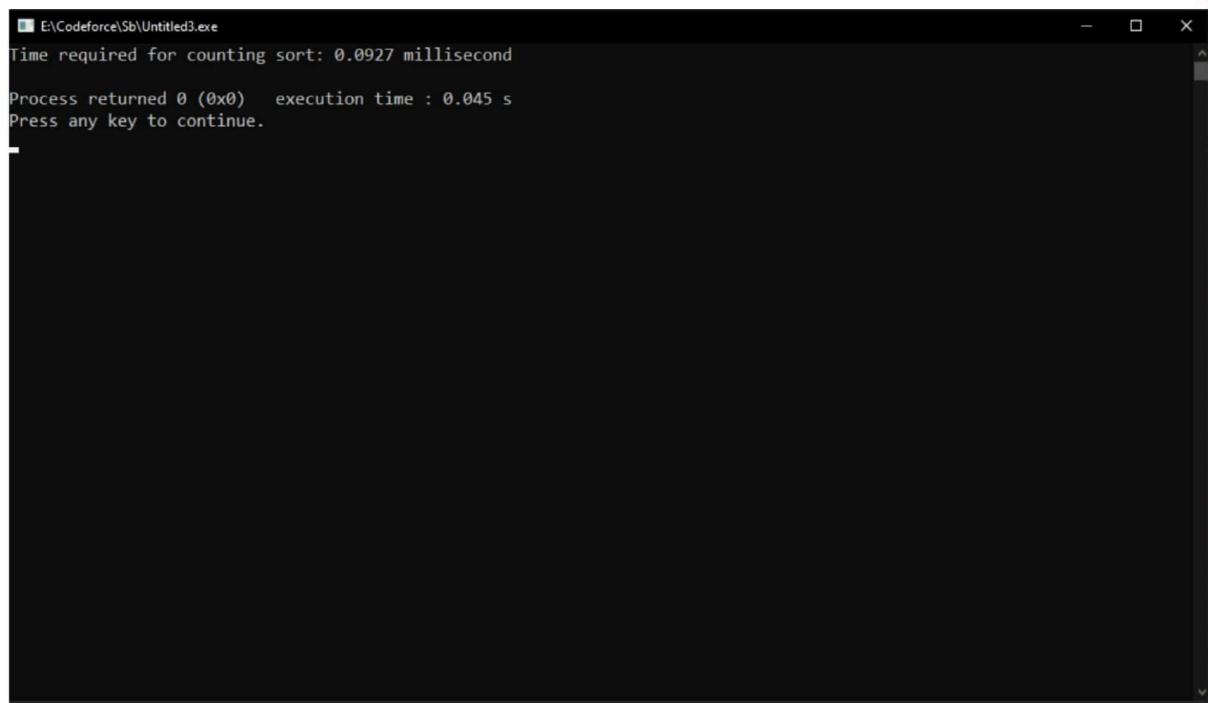
}

## Input:



A screenshot of a Windows Notepad window titled "input.txt - Notepad". The window shows a list of integers, each on a new line. The numbers are: 42, 18468, 6335, 26501, 19170, 15725, 11479, 29359, 26963, 24465, 5706, 28146, 23282, 16828, 9962, 492, 2996, and 11943. The Notepad interface includes a menu bar with File, Edit, Format, View, and Help, and a status bar at the bottom indicating Ln 9, Col 6, 110%, Windows (CRLF), and UTF-8.

## Output:

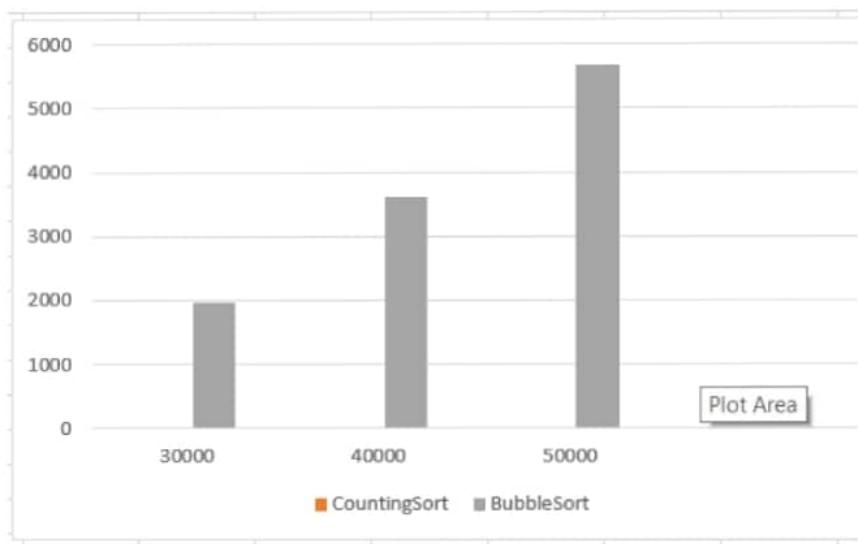


A screenshot of a terminal window showing the output of a program named "Untitled3.exe". The window title is "E:\Codeforce\Sb\Untitled3.exe". The output text is as follows:

```
Time required for counting sort: 0.0927 millisecond
Process returned 0 (0x0)   execution time : 0.045 s
Press any key to continue.
```

For various input (up to 100000), the performance graph of bubble sort versus counting sort:

number of inputs	CountingSort	BubbleSort
30000	0.6593	1972.57
40000	0.8875	3623.28
50000	1.0754	5673.95



Discussion: We know that, counting sort is a stable sort with a space complexity of  $O(k+n)$ . It is a very efficient algorithm. On the other hand, the complexity of bubble sort algorithm is  $O(n^2)$ , where  $n$  is the number of items. So, it is clear that the counting time of bubble sort is many more than counting sort.

Problem 5) Print all the nodes reachable from a given starting node in a digraph using BFS method.

Algorithm: Bfs(a)

```

    {
        for i=1 to n
        {
            if (arr[a[i]] && !r[i])
                q[++w] := i;
        }
        if (p <= w)
        {
            r[q[p]] := 1;
            Bfs(q[p++]);
        }
    }
}

```

Code:

```

#include <bits/stdc++.h>
using namespace std;
int arr[100][100], q[100], n, w = -1;
int i, j, p = 0
bool r[100];
void Bfs(int a)
{
}

```

```

for(i = 1; i <= n; i++)
{
    if(arr[a][i] && !n[i])
        q[++w] = i;
}
if(p <= w)
{
    n[q][p] = 1;
    Bfs(q[p + 1]);
}
}

int main()
{
    int t;
    cout << "Enter the number of vertices";
    cin >> n;
    cout << endl;
    cout << "Enter graph data in matrix
form: " << endl;
    for(int i = 1; i <= n; i++)
    {
        for(int j = 1; j <= n; j++)
        {
            cin >> arr[i][j];
        }
    }
    cout << "Enter the starting vertex: ";
}

```

```

cin >> t;
Bfs(t);
cout << "the node which are reachable are:"
      << endl;

for(int i=1; i<=n; i++)
{
    if(x[i])
        cout << i << "\t";
    else
        cout << "-";
}

```

### Input & Output:

Enter the number of vertices: 4

Enter the graph data in matrix form:

0	1	1	1
0	0	0	1
0	0	0	0
0	0	1	0

Enter the starting vertex: 1

The node which are reachable are:

2 3 4 -

Problem 6) Implement N Queen's problem using Back Tracking. N should be read from a file queen.txt and N should not be <4. Determine at least two solutions and print the number of iteration needed for each solution

Algorithm:

```

n-queen()
{
    for i=0 to n
        bool var=false;
        r.pushback(i);
        for j=k to j<0
            if(var) break;
            if(arr[j][i])
                var=true;
        for j=k, l=i to j>=0
            if(var) break;
            if(arr[j][l])
                var:=true;
        for j=k, l=i. to j>=0
            if(var) break;
            if(arr[j][l])
                var:=true;
}

```

Code:

```
#include<bits/stdc++.h>
using namespace std;
int arr[1000][1000], k=0, n, iteration=0, cnt;
vector<int>r;
void n-queen(){
    for(int i=0; i<n; i++)
    {
        iteration++;
        bool var=false;
        r.push_back(i);
        for(int j=k; j>=0; j--)
        {
            if(var)
                break;
            if(arr[j][i])
                var=true;
        }
        for(int j=k, l=i; j>=0; j--, l--)
        {
            if(var)
                break;
            if(arr[j][l])
                var=true;
        }
        for(int j=k, l=i; j>=0; j--, l++)
        {
            if(var)
                break;
        }
    }
}
```

```

if(arr[j][l])
    var=true;
}
arr[k][i]=1;
if(var)
{
    arr[k][i]=0;
    r.pop_back();
    continue;
}
if(r.size()==n)
{
    cout<<"iteration: "<<iteration<<endl;
    cnt++;
    cout<<"solution: "#<<cnt<<endl;
    for(int x=0;x<n;x++)
    {
        for(int y=0;y<n;y++)
        {
            if(arr[x][y])
                cout<<"Q ";
            else
                cout<<"* ";
        }
        cout<<endl;
    }
    r.pop_back();
    arr[k][i]=0;
    return;
}

```

```

    }
    k++;
    n-queen();
    n.pop_back();
    k--;
    arr[k][i] = 0;
}
return;
}

```

### Input:



### Output:

```

Start "E:\2-2\computer algorithm\Lab Final\6\n-queen_problem_by_backtracking.exe"
iteration: 24
Solution: #1
* Q * *
* * * Q
Q * * *
* * Q *
iteration: 34
Solution: #2
* * Q *
Q * * *
* * * Q
* Q * *

Process returned 0 (0x0) execution time : 0.206 s
Press any key to continue.

```