Lab Report

Course: Data Analytics in R (CS6E23L)

Course Instructor: Dr. Kavi Mahesh

Lab Instructor: Pragya Verma

By:

Paka Sravan Kumar Yadav

6th Semester

3rd Year

16CS11

Dharwad

ज्ञानेन विकासः

Lab – 03 (3rd Feb 2019)

Time Series Analysis

```
library(timeSeries)
## Warning: package 'timeSeries' was built under R version 3.5.3
## Loading required package: timeDate
library(xts)
## Warning: package 'xts' was built under R version 3.5.3
## Loading required package: zoo
## Warning: package 'zoo' was built under R version 3.5.3
##
## Attaching package: 'zoo'
## The following object is masked from 'package:timeSeries':
##
##
      time<~
## The following objects are masked from 'package:base':
##
##
      as.Date, as.Date.numeric
library(zoo)
library(forecast)
## Warning: package 'forecast' was built under R version 3.5.3
library(fUnitRoots)
## Warning: package 'fUnitRoots' was built under R version 3.5.3
## Loading required package: fBasics
## Warning: package 'fBasics' was built under R version 3.5.3
library(lmtest)
library(FitAR)
## Warning: package 'FitAR' was built under R version 3.5.3
## Loading required package: lattice
## Loading required package: leaps
```

```
## Loading required package: ltsa

## Loading required package: bestglm

## Warning: package 'bestglm' was built under R version 3.5.3

##

## Attaching package: 'FitAR'

## The following object is masked from 'package:forecast':

##

## BoxCox
```

1. Build a timeSeries object with the data.

```
data("fdeaths")
```

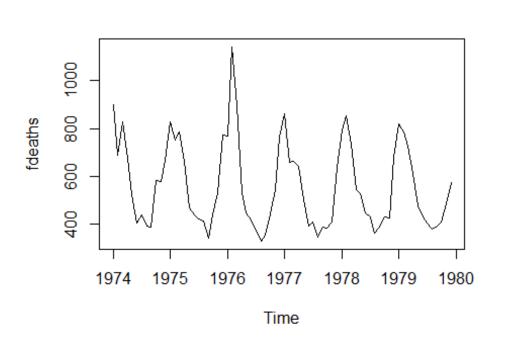
Warning in data("fdeaths"): data set 'fdeaths' not found

fdeaths

```
## Jan Feb Mar Apr May Jun Jul Aug Sep Oct Nov Dec ## 1974 901 689 827 677 522 406 441 393 387 582 578 666 ## 1975 830 752 785 664 467 438 421 412 343 440 531 771 ## 1976 767 1141 896 532 447 420 376 330 357 445 546 764 ## 1977 862 660 663 643 502 392 411 348 387 385 411 638 ## 1978 796 853 737 546 530 446 431 362 387 430 425 679 ## 1979 821 785 727 612 478 429 405 379 393 411 487 574
```

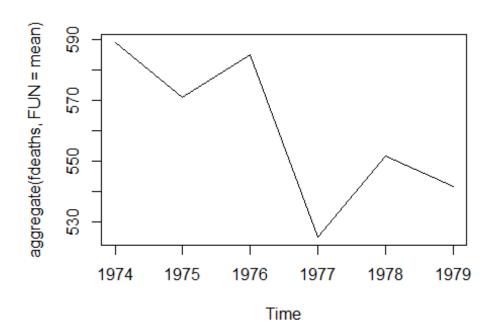
2. Plot the yearly (or other suitable periodic) mean values

plot(fdeaths)





3. Plot the monthly (or other suitable periodic) boxplots plot(aggregate(fdeaths, FUN = mean))

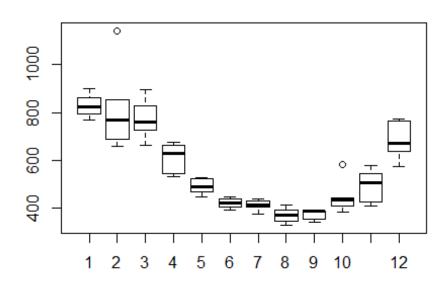


class(fdeaths)

[1] "ts"

frequency(fdeaths)

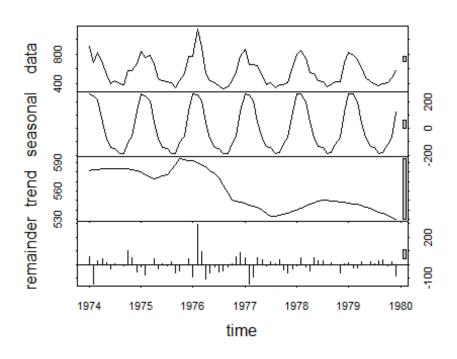
```
## [1] 12
cycle(fdeaths)
     Jan Feb Mar Apr May Jun Jul Aug Sep Oct Nov Dec
                4
                  5
                     6 7
                          8 9 10 11 12
## 1975 1
           2
                  5 6 7
             3 4
                          8 9 10 11 12
## 1976 1 2 3 4 5 6 7
                          8 9 10 11 12
           2 3 4 5 6 7 8 9 10 11 12
## 1977
        1
                  5 6 7 8 9 10 11 12
## 1978 1 2 3 4
## 1979 1 2 3 4
                  5
                     6 7 8 9 10 11 12
boxplot(fdeaths ~ cycle(fdeaths)
```



4. Decompose the time series using the stl function. What type of trend does it show

नन । शकासः

```
t1 <- stl(fdeaths, s.window = 12) plot(t1)
```



5. What type of seasonality?

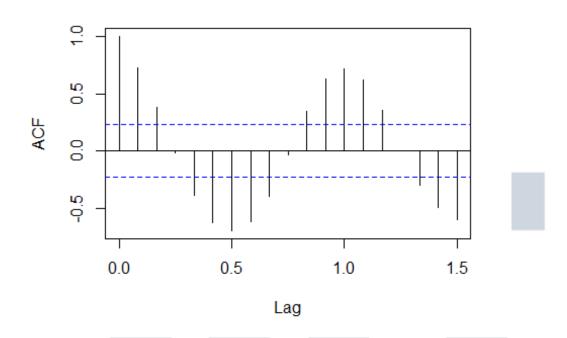
Yearly

acf(fdeaths)

Dharwad

ज्ञानेन विकासः

Series fdeaths



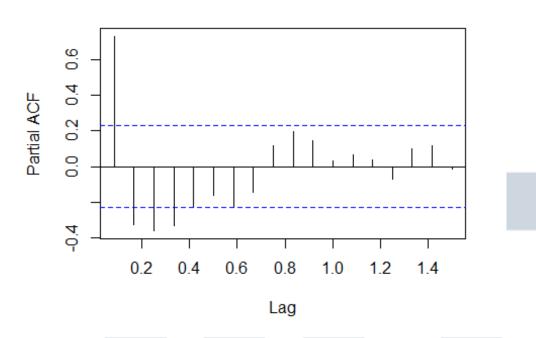
pacf(fdeaths)

6. How is the residue after you remove trend and seasonality?

Noise.



Series fdeaths



```
## ## Box-Pierce test
## ## data: fdeaths
## X-squared = 38.318, df = 1, p-value = 6.009e-10

head(fdeaths)

## Jan Feb Mar Apr May Jun
## 1974 901 689 827 677 522 406

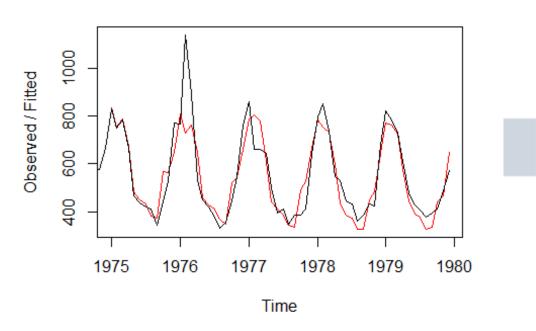
tail(fdeaths)

## Jul Aug Sep Oct Nov Dec
## 1979 405 379 393 411 487 574
```

7. Build a model of the data using the HoltWinters method for the period u pto about 75% of the data (e.g., up to December 2015 if it were for the CO2 data set). Use suitable values of alpha, beta and gamma.

hw = HoltWinters(fdeaths) plot(hw)

Holt-Winters filtering

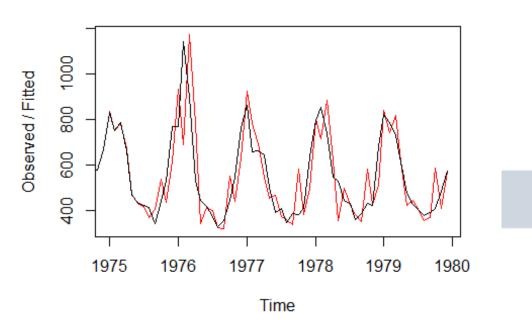


hw = HoltWinters(fdeaths, alpha = 1) plot(hw)

Dharwad

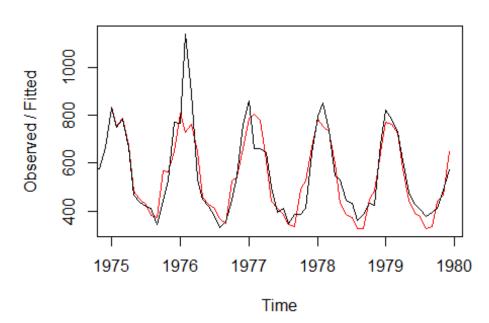
ज्ञानेन विकासः

Holt-Winters filtering



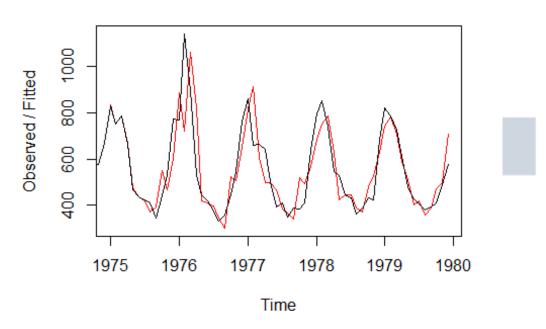
hw = HoltWinters(fdeaths, beta = 1)
plot(hw)

Holt-Winters filtering



hw = HoltWinters(fdeaths, gamma = 1) plot(hw)

Holt-Winters filtering

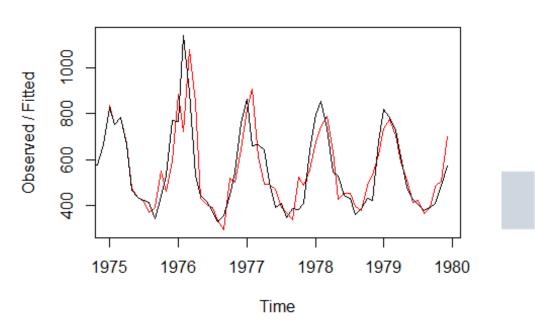


hw = HoltWinters(fdeaths, alpha = 0.7, beta = 0.1, gamma = 0.8) plot(hw)

Dharwad

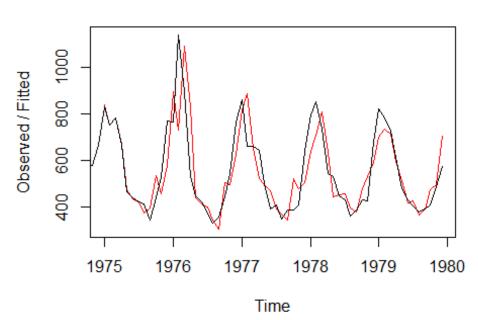
ज्ञानेन विकासः

Holt-Winters filtering



hw = HoltWinters(fdeaths, alpha = 0.7, beta = 0.1, gamma = 0.8, seasonal = 'multiplicative')
plot(hw)

Holt-Winters filtering



```
rollmean (fdeaths, 2)
##
       Jan Feb Mar Apr May Jun Jul Aug Sep Oct
## 1974 795.0 758.0 752.0 599.5 464.0 423.5 417.0 390.0 484.5 58
0.0
## 1975 791.0 768.5 724.5 565.5 452.5 429.5 416.5 377.5 391.5 48
## 1976 954.0 1018.5 714.0 489.5 433.5 398.0 353.0 343.5 401.0 4
95.5
## 1977 761.0 661.5 653.0 572.5 447.0 401.5 379.5 367.5 386.0 39
## 1978 824.5 795.0 641.5 538.0 488.0 438.5 396.5 374.5 408.5 42
## 1979 803.0 756.0 669.5 545.0 453.5 417.0 392.0 386.0 402.0 44
9.0
##
       Nov Dec
## 1974 622.0 748.0
## 1975 651.0 769.0
## 1976 655.0 813.0
## 1977 524.5 717.0
## 1978 552.0 750.0
## 1979 530.5
#HOLTWINTER'S METHOD
#Since time series data is atomic, it cannot be divided.
#So library Zoo is used to convert the time series data, divided and again conv
erted to timeseries
```

8. Build a model of the data using the HoltWinters method for the period u pto about 75% of the data (e.g., up to December 2015 if it were for the CO2 data set). Use suitable values of alpha, beta and gamma.

```
fz = as.zoo(fdeaths)

length(fdeaths)

## [1] 72

fz_75 = fz[1:54]

fz_25 = fz[55:72]

fdeaths_75 = as.ts(fz_75)

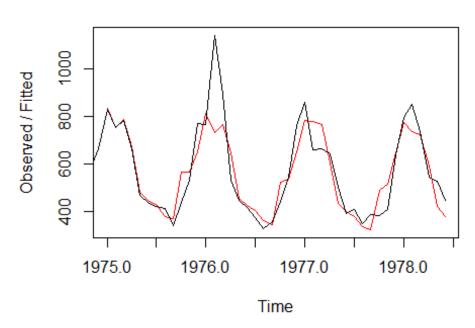
fdeaths_25 = as.ts(fz_25)

fdeaths_25
```

```
Jan Feb Mar Apr May Jun Jul Aug Sep Oct Nov Dec
## 1978
                    431 362 387 430 425 679
## 1979 821 785 727 612 478 429 405 379 393 411 487 574
fdeaths 75
      Jan Feb Mar Apr May Jun Jul Aug Sep Oct Nov Dec
## 1974 901 689 827 677 522 406 441 393 387 582 578 666
## 1975 830 752 785 664 467 438 421 412 343 440 531 771
## 1976 767 1141 896 532 447 420 376 330 357 445 546 764
## 1977 862 660 663 643 502 392 411 348 387 385 411 638
## 1978 796 853 737 546 530 446
hw_75 = HoltWinters(fdeaths_75, alpha = NULL, beta = NULL, gamma = 0.1)
699511)
hw 75
## Holt-Winters exponential smoothing with trend and additive seasonal com
ponent.
##
## Call:
## HoltWinters(x = fdeaths_75, alpha = NULL, beta = NULL, gamma = 0.16
99511)
##
## Smoothing parameters:
## alpha: 0
## beta:0
## gamma: 0.1699511
##
## Coefficients:
##
         [,1]
## a
      513.530303
## b
     ~1.850379
## s1 ~149.245252
## s2 ~193.962954
## s3 ~194.745018
## s4 ~57.692010
## s5 ~28.245002
## s6 120.855387
## s7 254.814095
## s8 236.182973
## s9 208.542830
## s10 66.091368
## s11 ~74.423026
## s12 ~124.137802
```

plot(hw_75)

Holt-Winters filtering

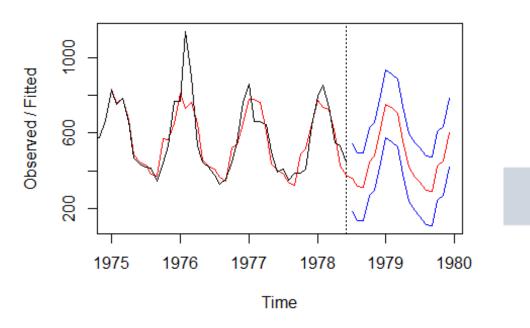


9. Predict the values for the next 25% of the time (e.g., for the CO2 data set, all of 2016 and the first 3 months of 2017).

fdeaths_predict = predict(hw_75, 18, prediction.interval = TRUE) plot(hw_75, fdeaths_predict)

ज्ञानेन विकासः

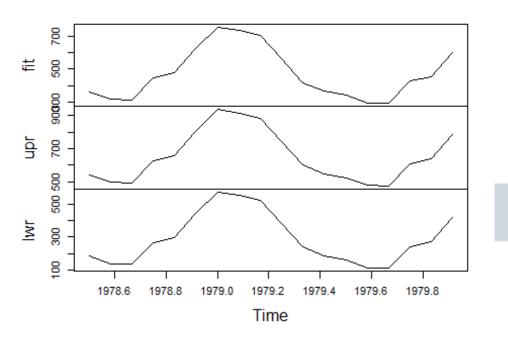
Holt-Winters filtering



```
predict_zoo = as.zoo(fdeaths_predict)
predict_fitted <~ fdeaths_predict[, 'fit']
class(predict_fitted)
## [1] "ts"
plot(fdeaths_predict)</pre>
```



fdeaths_predict



```
fitted <- matrix(predict_fitted, ncol = 12, byrow = FALSE)

## Warning in matrix(predict_fitted, ncol = 12, byrow = FALSE): data length
## [18] is not a sub-multiple or multiple of the number of columns [12]

#fitted

matrix_fd_25 <- as.matrix(fz_25)

#matrix_df_25

actual <- matrix(matrix_fd_25, ncol = 12, byrow = FALSE)

## Warning in matrix(matrix_fd_25, ncol = 12, byrow = FALSE): data length
[18]

## is not a sub-multiple or multiple of the number of columns [12]

#actual
```

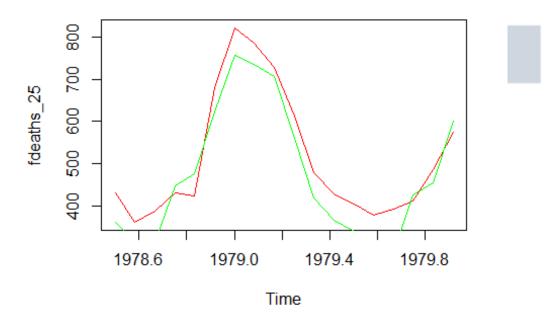
10. Compute the rms error between the predicted and actual values.

```
RMSE = function(fitted, actual) {
    sqrt(mean((fitted ~ actual)^2))
}
RMSE(fitted, actual)
```

[1] 56.92811

11. Plot the predicted values along with the actual values to compare them

```
plot(fdeaths_25, col = "red")
lines(predict_zoo$fit, col = "green")
```

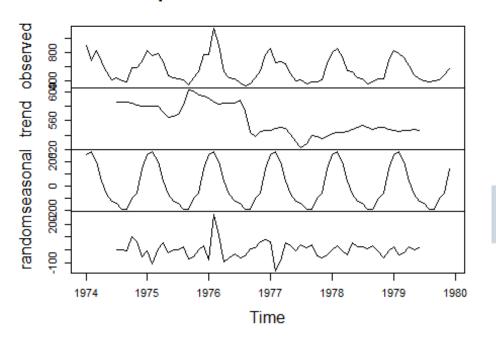


```
class(fdeaths_25)
## [1] "ts"

#ARIMA

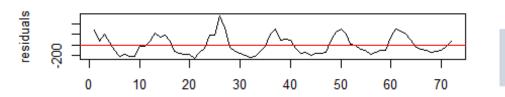
components.ts = decompose(fdeaths)
plot(components.ts)
```

Decomposition of additive time series

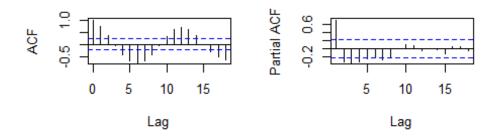


urkpssTest(fdeaths, type = c("tau"), lags = c("short"), use.lag = NULL, doplot = TRUE)

Residuals from test regression of type: tau with 3 lags

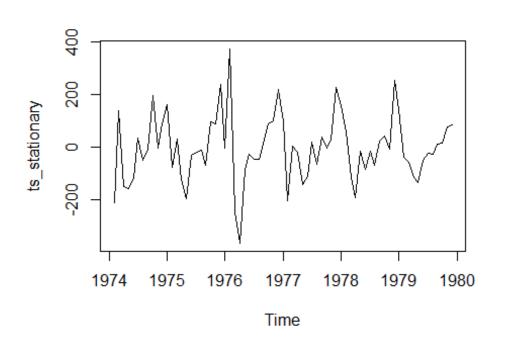


Autocorrelations of ResidualPartial Autocorrelations of Resid



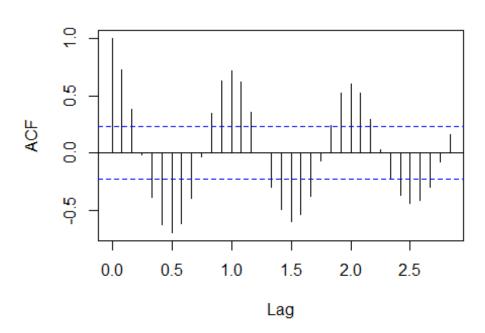
```
##
## Title:
## KPSS Unit Root Test
##
## Test Results:
## NA
##
## Description:
## Fri May 03 16:26:33 2019 by user: kumar

ts_stationary = diff(fdeaths, differences=1)
plot(ts_stationary)
```



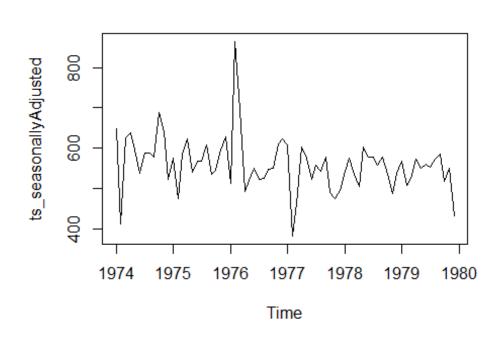
acf(fdeaths, lag.max = 34)

Series fdeaths



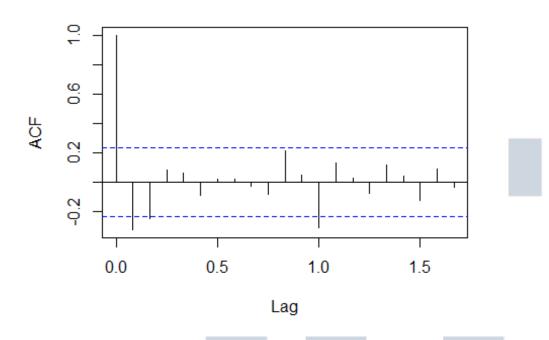
ts_seasonallyAdjusted <~ fdeaths~ components.ts\$seasonal ts_stationary <~ diff(ts_seasonallyAdjusted, differences=1)

plot(ts_seasonallyAdjusted)



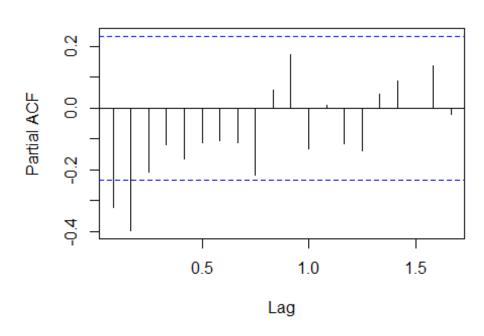
 $acf(ts_stationary, lag.max = 20)$

Series ts_stationary



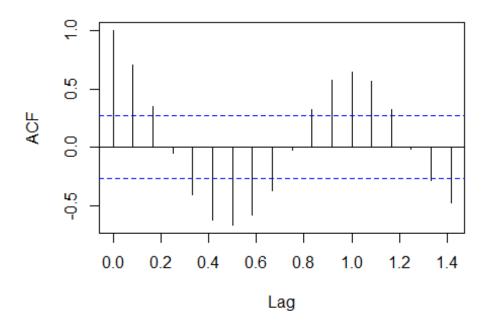
pacf(ts_stationary, lag.max = 20)

Series ts_stationary



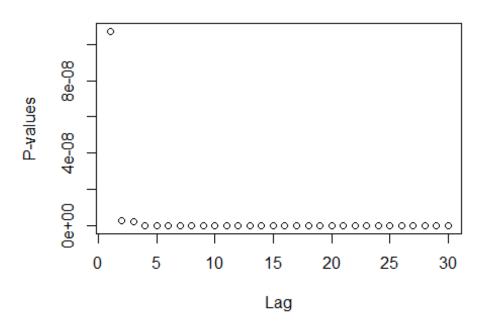
```
Arima_fdeaths <\sim arima(fdeaths_75, order=c(0,0,0.1699511),seasonal = list(
order = c(0,0,0.1699511), period = 12), method="ML")
coeftest(Arima fdeaths)
##
## z test of coefficients:
##
##
         Estimate Std. Error z value Pr(>|z|)
## intercept 576.926
                        25.236 22.861 < 2.2e~16 ***
## ~~~
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
confint(Arima_fdeaths)
##
           2.5 % 97.5 %
## intercept 527.4635 626.3884
acf(Arima fdeaths$residuals)
```

Series Arima_fdeaths\$residuals



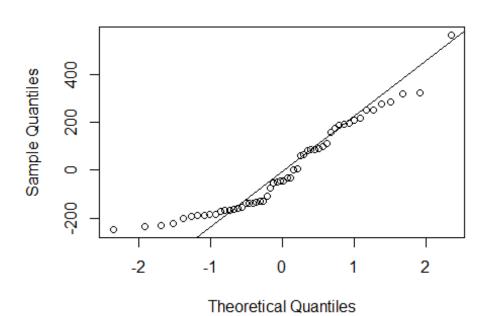
boxresult<-LjungBoxTest (Arima_fdeaths\$residuals,k=2,StartLag=1)
plot(boxresult[,3],main= "Ljung-Box Q Test", ylab= "P-values", xlab= "Lag")

Ljung-Box Q Test



qqnorm(Arima_fdeaths\$residuals)
qqline(Arima_fdeaths\$residuals)

Normal Q-Q Plot



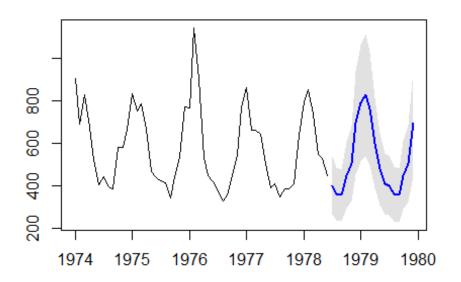
12. Build an ARIMA model for the period up to about 75% of the data (e.g., for the CO2 data, up to December 2015) using auto.arima()

```
auto.arima(fdeaths_75, trace=TRUE)
##
## ARIMA(2,0,2)(1,1,1)[12] with drift
                                          : Inf
## ARIMA(0,0,0)(0,1,0)[12] with drift
                                          : 528.6231
## ARIMA(1,0,0)(1,1,0)[12] with drift
                                          : 518.8591
## ARIMA(0,0,1)(0,1,1)[12] with drift
                                          : Inf
## ARIMA(0,0,0)(0,1,0)[12]
                                       : 526.9322
## ARIMA(1,0,0)(0,1,0)[12] with drift
                                          : 530.5452
## ARIMA(1,0,0)(1,1,1)[12] with drift
                                          : Inf
## ARIMA(1,0,0)(0,1,1)[12] with drift
                                          : Inf
## ARIMA(0,0,0)(1,1,0)[12] with drift
                                          : 516.6078
## ARIMA(0,0,0)(1,1,1)[12] with drift
                                          : Inf
## ARIMA(0,0,0)(0,1,1)[12] with drift
                                          : Inf
## ARIMA(0,0,1)(1,1,0)[12] with drift
                                          : 518.6871
## ARIMA(1,0,1)(1,1,0)[12] with drift
                                          : 520.487
## ARIMA(0,0,0)(1,1,0)[12]
                                       : 515.8743
## ARIMA(0,0,0)(1,1,1)[12]
                                       : Inf
## ARIMA(0,0,0)(0,1,1)[12]
                                       : Inf
## ARIMA(1,0,0)(1,1,0)[12]
                                       : 517.7598
## ARIMA(0,0,1)(1,1,0)[12]
                                       : 517.5001
## ARIMA(1,0,1)(1,1,0)[12]
                                       : 519.2975
##
## Best model: ARIMA(0,0,0)(1,1,0)[12]
## Series: fdeaths 75
## ARIMA(0,0,0)(1,1,0)[12]
##
## Coefficients:
##
        sar1
##
       ~0.5069
## s.e. 0.1176
##
## sigma^2 estimated as 10738: log likelihood=~255.78
## AIC=515.57 AICc=515.87 BIC=519.04
```

13. Predict the values for the next 15 months (e.g., for the CO2 data, all of 2016 and the first 3 months of 2017).

```
arimaPred <- predict(Arima_fdeaths,n.ahead = 708) futurVal <- forecast(fdeaths_75,h=18, level=c(99.5)) plot(futurVal)
```

Forecasts from ETS(M,N,M)



futurVal

```
##
        Point Forecast Lo 99.5 Hi 99.5
              401.3461 264.2365 538.4557
## Jul 1978
## Aug 1978
               362.4939 238.2996 486.6882
## Sep 1978
               355.1583 233.1279 477.1887
## Oct 1978
               447.3793 293.2235 601.5352
## Nov 1978
               504.1969 329.9699 678.4239
## Dec 1978
               693.9247 453.4596 934.3898
## Jan 1979
              788.2058 514.3028 1062.1089
## Feb 1979
              826.0859 538.2179 1113.9538
## Mar 1979
               760.2726 494.6031 1025.9422
## Apr 1979
               600.7350 390.2345 811.2355
## May 1979
               479.1535 310.7946 647.5124
## Jun 1979
              408.9998 264.8980 553.1016
## Jul 1979
              401.3461 259.5556 543.1367
## Aug 1979
               362.4939 234.0832 490.9046
## Sep 1979
               355.1584 229.0080 481.3087
## Oct 1979
               447.3794 288.0476 606.7111
## Nov 1979
               504.1970 324.1522 684.2417
## Dec 1979
               693.9248 445.4739 942.3757
```

#Arima RMSE

diffArima <- (sqrt(mean((fdeaths_25 ~ arimaPred\$pred)^2))) diffArima

[1] 159.0115

