# **ASSIGNMENT-2.1**

Name :D. Sravika Reddy Hall Ticket No: 2403A510d0

Batch No:06 Course: Al Assisted Coding

# Task Description #1

• Use Google Gemini in Colab to write a Python function that reads a list of numbers and calculates the mean, minimum, and maximum values.

# **Expected Output #1**

• Functional code with correct output and screenshot.

```
def analyze_numbers(numbers):
      Calculates the mean, minimum, and maximum of a list of numbers.
      Args:
        numbers: A list of numbers.
      Returns:
       A dictionary containing the mean, minimum, and maximum values.
      if not numbers:
        return {"mean": None, "min": None, "max": None}
      mean value = sum(numbers) / len(numbers)
      min_value = min(numbers)
      max value = max(numbers)
      return {"mean": mean_value, "min": min_value, "max": max_value}
    # Example usage
    my_list = [10, 20, 30, 40, 50]
    results = analyze_numbers(my_list)
    print(results)
```

→ {'mean': 30.0, 'min': 10, 'max': 50}

TT B  $\mathcal{I}$  <> GP  $\square$  99  $\stackrel{1}{\models}$   $\stackrel{1}{\models}$  —  $\psi$  2  $\stackrel{\dots}{\longleftarrow}$  about the analyze\_numbers function and the provided code:

Error Handling: The function includes a check for an empty list (if not numbers:). If the input list is empty, it returns a dictionary with None values for mean, min, and max, preventing a ZeroDivisionError when trying to calculate the mean.

Efficiency: For calculating the mean, sum(numbers) and len(numbers) are efficient built-in Python operations. Similarly, min(numbers) and max(numbers) are efficient for finding the minimum and maximum values, especially for moderately sized lists.

moderately sized lists.

Readability: The code is well-structured with a clear function definition, a docstring explaining its purpose, arguments, and return value, and a simple example usage. This makes the code easy to understand and maintain.

Return Type: The function returns a dictionary, which is a convenient way to group the three calculated values (mean, min, and max) and label them clearly. Data Types: The mean is returned as a float (30.0), while the min and max are returned as integers (10 and 50), which is consistent with the input data.

about the analyze\_numbers function and the provided code:

Error Handling: The function includes a check for an empty list (if not numbers:). If the input list is empty, it returns a dictionary with None values for mean, min, and max, preventing a ZeroDivisionError when trying to calculate the mean. Efficiency: For calculating the mean, sum(numbers) and len(numbers) are efficient built-in Python operations. Similarly, min(numbers) and max(numbers) are efficient for finding the minimum and maximum values, especially for moderately sized lists. Readability: The code is well-structured with a clear function definition, a docstring explaining its purpose, arguments, and return value, and a simple example usage. This makes the code easy to understand and maintain. Return Type: The function returns a dictionary, which is a convenient way to group the three calculated values (mean, min, and max) and label them clearly. Data Types: The mean is returned as a float (30.0), while the min and max are returned as integers (10 and 50), which is consistent with the input data.

• Compare Gemini and Copilot outputs for a Python function that checks whether a number is an Armstrong number. Document the steps, prompts, and outputs.

### Expected Output #2

Side-by-side comparison table with observations and screenshots

### Gemini's Code:

```
def is armstrong(number):
 # Store the original number to compare later
 original number = number
 # Calculate the number of digits
 num digits = len(str(number))
 # Initialize the sum of powers
 sum_of_powers = 0
 # Loop through each digit
 while number > 0:
   # Get the last digit
   digit = number % 10
   # Add the digit raised to the power of the number of digits to the sum
   sum of powers += digit ** num digits
   # Remove the last digit
   number //= 10
 # Return True if the sum equals the original number, otherwise False
 return sum_of_powers == original_number
# Example usage:
print(is_armstrong(153)) # Output: True
print(is armstrong(123)) # Output: False
True
False
```

# Copilots code:

```
def is_armstrong(number):
    """Checks if a number is an Armstrong number."""
    # Convert number to string to find the number of digits
    num_str = str(number)
    num_digits = len(num_str)

# Calculate the sum of the digits raised to the power of num_digits
    armstrong_sum = sum(int(digit) ** num_digits for digit in num_str)

# Return true if the sum equals the original number
    return armstrong_sum == number

# Example usage
print(is_armstrong(153)) # True
print(is_armstrong(9474)) # True
print(is_armstrong(123)) # False

True
True
True
True
False
```

### Side-by-Side Comparison

| Feature          | Gemini's Output  | Copilot's Output   | Observations  |
|------------------|--|--|---|
| Code Style       | Verbose and procedural. Uses a while loop with intermediate variables.                       | Concise and Pythonic. Uses a list comprehension and the sum() function.                                | Copilot's approach is more compact, while Gemini's is easier to follow for someone new to Python.                         |
| Explanation      | Detailed. Includes a docstring and inline comments explaining each step of the algorithm.    | <b>Minimal</b> . Provides a short docstring and no inline comments.                                    | Gemini acts more like a teacher, providing a thorough explanation. Copilot assumes the user is familiar with the concept. |
| Readability      | <b>High.</b> The explicit steps and comments make the logic very clear for all skill levels. | High (for experienced Python users). The one-liner is elegant but may be less intuitive for beginners. | Both are readable, but for different audiences. Gemini is more beginner-friendly.   |
| Output<br>Format | A complete code block with an explanation of the logic and a single example.                 | A complete code block with a one-line explanation and multiple examples.                               | Gemini's output is designed for learning, while Copilot's is designed for productivity.                                   |

### Gemini's Observation:

#### **Observations:**

- Gemini's code is highly readable due to descriptive variable names and a well-structured docstring.
- The function uses a while loop, which is a common and efficient approach for this problem.
- It provides a clear, detailed explanation of the logic, making it suitable for both beginners and experienced developers.
- The code includes comments that explain each step, which is an excellent practice for maintainability.

# Copilots Observation:

#### **Observations:**

- Copilot's code is more **concise**, using a list comprehension and the <code>sum()</code> function to calculate the result in a single line. This is a very "Pythonic" way to solve the problem.
- The docstring is much shorter, focusing only on the function's purpose.
- It provides multiple examples, which is a good practice for demonstrating functionality.
- The output is minimal and straight to the point, which is useful for experienced programmers
  who prefer a cleaner, less verbose response.

- Ask Gemini to explain a Python function (e.g., is\_prime(n) or is\_palindrome(s)) line by line.
- Choose either a prime-checking or palindrome-checking function and document the explanation provided by Gemini.
   Expected Output #3

• Detailed explanation with the code snippet and Gemini's response.

### Gemini's code:

#### Gemini's Detailed Explanation

Gemini provides a clear, line-by-line breakdown of the function's logic. It starts with a summary and then goes through the code sequentially, explaining what each line or block of code does and why it's there. This is a very helpful approach for someone trying to understand the code's mechanics.

# Code Snippet:

### Here's the code snippet:

```
Python

def is_prime(n):
    if n <= 1:
        return False
    for i in range(2, int(n**0.5) + 1):
        if n % i == 0:
            return False
    return True</pre>
```

#### Here is Gemini's response:

"This Python function, <code>is\_prime(n)</code>, is an efficient way to determine if a given number <code>n</code> is prime. A prime number is a natural number greater than 1 that has no positive divisors other than 1 and itself.

Here's the line-by-line explanation:

- 1. def is\_prime(n):
  - This line defines a function named is\_prime.
  - It takes one argument, n, which is the number we want to check.
  - All the code indented beneath this line belongs to this function.
- 2. if n <= 1:
  - This is the first line of code that executes inside the function.
  - It checks if the number n is less than or equal to 1.
  - By definition, prime numbers must be greater than 1. So, any number that is 1 or less is not prime.

#### 3. return False

- If the condition n <= 1 is true, this line executes immediately.
- It returns False, which means the function stops executing and gives the result
   False. The rest of the code in the function is skipped.
- 4. for i in range(2, int(n\*\*0.5) + 1):
  - This line starts a for loop. This loop is the core of the primality test.
  - It iterates through a range of numbers.
  - The range starts at 2 because we've already handled numbers less than or equal to 1, and every number is divisible by 1.
  - The loop's end condition is int(n\*\*0.5) + 1. This is a key optimization. If a number n has a divisor, at least one of its divisors must be less than or equal to its square root. So, we only need to check for divisors up to the square root of n. The + 1 ensures that the range includes the square root itself if it's an integer.
- 5. [if n % i == 0:]
  - Inside the loop, this line checks if there is **any remainder** when n is divided by the current number i.
  - The modulus operator ( % ) returns the remainder of the division.
  - If the remainder is 0, it means i is a divisor of n.
- 6. return False
  - If the condition n % i == 0 is true, this line executes.
  - It returns False because if we find even one divisor (other than 1 and itself), the number is not prime.
  - The function stops here, and we don't need to check any further numbers.
- 7. return True
  - This line is only reached if the for loop completes without finding any divisors.
  - If the loop finishes, it means n was not divisible by any number in the range from 2 up to its square root.

- Install and configure Cursor AI. Use it to generate a Python function (e.g., sum of the first N natural numbers) and test its output.
- Optionally, compare Cursor Al's generated code with Gemini's output.

### **Expected Output #4**

 Screenshots of Cursor Al setup, prompts used, and generated code with output.

```
def sum_first_n(n: int) -> int:
   Return the sum of the first n natural numbers (0 through n) using Gauss's formula.
       TypeError: if n is not an integer
       ValueError: if n is negative
   if not isinstance(n, int):
       raise TypeError("n must be an int")
       raise ValueError("n must be >= 0")
   return n * (n + 1) // 2
if __name__ == "__main__":
   for n in (0, 1, 5, 10):
       print(f"sum_first_n({n}) = {sum_first_n(n)}")
   assert sum_first_n(0) == 0
   assert sum_first_n(1) == 1
   assert sum_first_n(5) == 15
   assert sum_first_n(10) == 55
   print("All tests passed.")
```

#### 🖶 Comparison: Cursor Al vs. Gemini

While a direct, side-by-side comparison with screenshots of Cursor AI is not possible, I can provide a conceptual comparison of how both tools typically handle such a request.

- Gemini's Output (as demonstrated above): Gemini often provides a complete, well-documented function with a clear docstring, an explanation of the logic (like using a formula instead of a loop), and a test case. Its responses are comprehensive and educational, explaining not just the what but also the why. It focuses on providing a full solution and context around it.
- Cursor Al's Output: Cursor Al, as an in-editor Al, would likely be more integrated and
  responsive. When you type def sum\_first\_n\_naturals(n): , Cursor would likely offer a
  code completion suggestion for the entire function body. Its primary value is in real-time
  assistance and a seamless coding experience. The output would be a concise, correct
  function, possibly without the extensive comments or explanations that Gemini provides. It's
  designed to be a coding copilot, focused on speed and efficiency within the development
  environment, rather than a standalone educational tool.

```
def sum first n(n: int) -> int:
    if not isinstance(n, int):
        raise TypeError("n must be an int")
    if n < 0:
        raise ValueError("n must be >= 0")
    return n * (n + 1) // 2
if __name__ == "__main__":
    # Demonstration
   for n in (0, 1, 5, 10):
        print(f"sum first_n({n}) = {sum first_n(n)}")
    # Simple correctness checks
    assert sum first n(0) == 0
    assert sum first n(1) == 1
    assert sum_first_n(5) == 15
    assert sum first n(10) == 55
    print("All tests passed.")
```

```
sum_first_n(0) = 0
sum_first_n(1) = 1
sum_first_n(5) = 15
sum_first_n(10) = 55
All tests passed.
```

- Students need to write a Python program to calculate the sum of odd numbers and even numbers in a given tuple.
- Refactor the code to improve logic and readability.

### Expected Output #5

 Student-written refactored code with explanations and output screenshots.

```
def sum_even_odd_numbers(numbers_tuple):
    # Use a dictionary to store the sums for better readability.
    sums = {'even_sum': 0, 'odd_sum': 0}
    # Iterate through each number in the tuple directly.
    # This is more readable than using `range(len(numbers_tuple))`.
    for number in numbers tuple:
        if number % 2 == 0:
           # If the number is even, add it to the even_sum.
           sums['even_sum'] += number
       else:
            # If the number is odd, add it to the odd_sum.
            sums['odd_sum'] += number
    return sums
# Given tuple of numbers
my_numbers = (1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11)
# Call the function and get the result
result = sum_even_odd_numbers(my_numbers)
# Print the results
print(f"The original tuple is: {my_numbers}")
print(f"Sum of even numbers: {result['even sum']}")
print(f"Sum of odd numbers: {result['odd_sum']}")
The original tuple is: (1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11)
```

### Sum of even numbers: 30 Sum of odd numbers: 36

#### Explanation and Output

This refactored code improves on the original student-written version in a few key ways:

- 1. Readability: Instead of using a traditional for i in range(len(tuple)) loop, we use a more "Pythonic" for number in numbers\_tuple loop. This makes the code easier to read and understand, as you are directly working with the number itself rather than an index.
- 2. Clarity: By using a dictionary ( sums ) to hold the results, the code is much clearer. You can access the sums using descriptive keys like 'even sum' and 'odd sum', which is more intuitive than using separate variables.
- 3. Efficiency: The logic remains a single pass through the tuple, making it efficient for tuples of any size.

The output will clearly show the sums of both the even and odd numbers in the given tuple.