

```
#import libraries
import numpy as np
import pandas as pd
import matplotlib as plt
import seaborn as sns
from sklearn.model_selection import train_test_split
from sklearn.tree import DecisionTreeRegressor
from sklearn.metrics import mean_absolute_error, r2_score, mean_squared_error
```

```
#read the dataset
df = pd.read_csv("/content/WEC_Sydney_100.csv")
```

```
#data analysis
df.info()

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 2318 entries, 0 to 2317
Columns: 302 entries, X1 to Total_Power
dtypes: float64(302)
memory usage: 5.3 MB
```

```
#print the first five rows of df
df.head()
```

	X1	Y1	X2	Y2	X3	Y3	X4	Y4	X5	Y5	X6	Y6	
0	1.0	1.0	1.00	51.00	1.00	101.00	1.00	151.0	398.0	0.0	397.46	75.07	397.46
1	198.0	0.0	197.18	80.53	193.59	150.00	77.58	198.0	598.0	0.0	597.18	80.53	593.59
2	198.0	0.0	197.07	76.64	192.74	155.74	84.67	198.0	798.0	0.0	797.07	76.64	792.74
3	1.0	1.0	1.00	51.00	1.00	101.00	1.00	151.0	398.0	0.0	397.07	76.56	392.74
4	198.0	0.0	197.46	75.07	197.18	149.14	149.00	198.0	598.0	0.0	597.46	75.07	597.18
5 rows × 302 columns													

```
df.describe()
```

	X1	Y1	X2	Y2	X3	Y3
count	2318.000000	2318.000000	2318.000000	2318.000000	2318.000000	2318.000000
mean	177.162584	8.159819	204.669676	64.119892	228.071639	124.794698
std	174.211383	52.395345	172.438092	79.224562	181.670898	96.549059
min	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000
25%	48.000000	0.000000	100.000000	51.000000	192.570000	101.000000
50%	198.000000	0.000000	197.070000	72.520000	193.700000	148.350000
75%	198.000000	1.000000	201.000000	77.580000	250.000000	150.000000
max	1398.000000	1381.090000	1414.000000	1316.750000	1400.000000	1413.430000
8 rows × 302 columns						

```
#checking the correlation between the features
correlation = df.corr()
print(correlation)
```

	X1	Y1	X2	Y2	...	Power99	Power100	qW	Total_Power
X1	1.000000	-0.034881	0.783537	0.355123	...	-0.037404	-0.348752	-0.619046	-0.646574
Y1	-0.034881	1.000000	0.033723	0.114210	...	-0.210102	0.112654	0.081276	0.098505
X2	0.783537	0.033723	1.000000	0.060164	...	-0.263693	-0.032276	-0.473338	-0.497733
Y2	0.355123	0.114210	0.060164	1.000000	...	0.057008	-0.235218	-0.258693	-0.269956
X3	0.664383	0.168309	0.865011	-0.021378	...	-0.413115	0.132155	-0.372082	-0.386883
...
Power98	-0.039002	-0.183879	-0.249736	0.020680	...	0.822807	-0.267783	0.063329	0.076519
Power99	-0.037404	-0.210102	-0.263693	0.057008	...	1.000000	-0.203896	0.030976	0.059592
Power100	-0.348752	0.112654	-0.032276	-0.235218	...	-0.203896	1.000000	0.387624	0.416024
qW	-0.619046	0.081276	-0.473338	-0.258693	...	0.030976	0.387624	1.000000	0.958786
Total_Power	-0.646574	0.098505	-0.497733	-0.269956	...	0.059592	0.416024	0.958786	1.000000

[302 rows x 302 columns]

```
#splitting the data into dependent and independent variables
I_v = df.drop(columns=['Total_Power'])
D_v = df['Total_Power']
```

```
#print the shape of the independent and dependent variables
I_v.shape
```

```
(2318, 301)
```

```
D_v.shape
```

```
(2318,)
```

```
#split the data into to 80% training - 20% testing
I_train, I_test, D_train, D_test = train_test_split(I_v, D_v, test_size=0.20)
```

```
#fitting the model
regressor = DecisionTreeRegressor(criterion = 'poisson', max_depth = 15, max_features= 'sqrt', random_state = 0)
regressor.fit(I_train,D_train)
```

```
▼
DecisionTreeRegressor
DecisionTreeRegressor(criterion='poisson', max_depth=15, max_features='sqrt',
                      random_state=0)
```

```
y_pred_test = regressor.predict(I_test)
y_pred_test
```

```
array([[7205436.37333333, 7304092.54, 7258766.2,
       7185252.54428571, 7196990.22, 7295406.54,
       7357367.85, 7276371.11, 7017266.39,
       7268309.15, 7163270.145, 7114007.29,
       7169825.7775, 7038654.06, 7237270.8040625,
       7230668.86, 7226136.24, 7165698.89,
       7242551.42, 7258766.2, 7076453.41,
       7168407.82, 7283629.93, 7146937.35,
       7309508.07, 7147690.16, 6814552.39,
       7126065.74, 7227849.61, 7258766.2,
       7276371.11, 7181933.6725, 7304092.54,
       7258766.2, 7189834.05108108, 7208115.21,
       7206458.5, 7349789.01, 7291462.52,
       7242155.05, 7172634.24666667, 6950219.93,
       6998846.87, 7303589.25, 7227849.61,
       6816198.02, 7016760.05, 7059628.12,
       7255804.23, 7251063., 7220031.87,
       7227849.61, 7142644.95, 7222658.47,
       7188178.65, 7066280.97, 7112981.34,
       7168407.82, 6860425.08, 7121262.11,
       7186497.97, 7259731.84, 7162324.28,
       7102044.06, 7189834.05108108, 7189834.05108108,
       7142644.95, 7225451.87727273, 7137474.57,
       7240286.34, 7136966.05, 7357367.85,
       7155722.51909091, 7171109.75, 7106146.32,
       7149866.79, 7162324.28, 7172366.8,
       7157264.42, 7216360.14, 7217706.26,
       7082012.41, 7215804.98, 7181933.6725,
       7221037.94, 7276571.95, 7163463.94,
       7228326.3, 7142927.25, 7186497.97,
       7076453.41, 7168407.82, 7199211.325,
       7283629.93, 7162230.18, 7175355.57,
       7157922.86, 7152632.05, 7169825.7775,
       7162324.28, 7225451.87727273, 7230923.61,
       7215804.98, 7284975.88, 6885951.52,
       7164299.26, 6993053.5, 7145294.71,
       7153337.38, 7256766.47, 6915686.35,
       6936153.34, 7281746.12, 7248032.92,
       7222658.47, 7142953.59, 7227849.61,
       7224925.764, 7115246.43, 7227849.61,
       7185633.31, 6950701.22, 7300092.26,
       6939421.71, 7148342.69, 7162828.6725,
       7226226.76, 7085192.54, 7280289.68,
       7003293.26, 6827667.72, 7237270.8040625,
       7096067.01, 7178962.84, 6962332.43,
       7119962.04, 7119312.6325, 6865455.83,
       7004908.69375, 6899891.58, 7206977.62,
       7204305.58, 7189834.05108108, 7183381.805,
       7047737.89, 7140618.58, 7106146.32,
       6927411.53, 6956604.35, 7153707.64,
       7196856.98, 7255990.61, 7175507.47,
       7182239.59, 7227849.61, 7259731.84,
       6937949.03, 7085192.54, 7227494.668,
       7025512.68, 7029318.69, 7104965.1,
       7244392.76, 7171319.59, 7266566.44,
       7013897.75, 7226136.24, 7169278.04,
       7232338.65, 7065836.645, 7015720.3,
       7202064.95, 7257796.79, 7276371.11,
```

```
# Calculate Mean Absolute Error (MAE)
mae_test = mean_absolute_error(D_test, y_pred_test)
print("The MAE is:", mae_test)
```

The MAE is: 18640.9590491914

```
mse = mean_squared_error(D_test, y_pred_test)
print("Mean Squared Error:", mse)
```

Mean Squared Error: 1837853157.9263809

```
#to check the accuracy
r2 = r2_score(D_test, y_pred_test)
print("The R-squared Score is:", r2)
```

The R-squared Score is: 0.8286421413212698

```
import seaborn as sns
import matplotlib.pyplot as plt
sns.distplot(D_test, color='#6495ED', label='Actual')
sns.distplot(y_pred_test, color='#FFA07A', label='Predicted')
plt.xlabel('Actual_values')
plt.ylabel('Density')
plt.title('Density Plot of Actual vs. Predicted Values')
plt.legend()
plt.show()
```

/tmp/ipykernel_10602/734506330.py:3: UserWarning:

`distplot` is a deprecated function and will be removed in seaborn v0.14.0.

Please adapt your code to use either `displot` (a figure-level function with similar flexibility) or `histplot` (an axes-level function for histograms).

For a guide to updating your code to use the new functions, please see

<https://gist.github.com/mwaskom/de44147ed2974457ad6372750bbe5751>

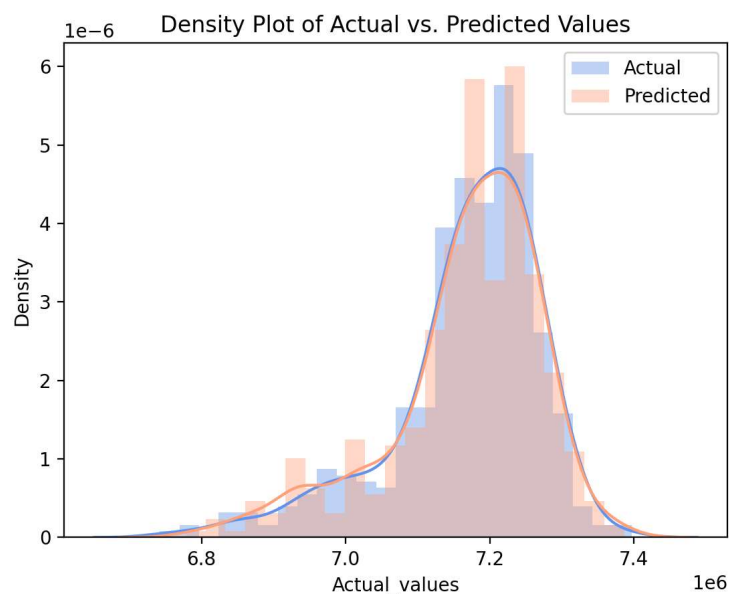
/tmp/ipykernel_10602/734506330.py:4: UserWarning:

`distplot` is a deprecated function and will be removed in seaborn v0.14.0.

Please adapt your code to use either `displot` (a figure-level function with similar flexibility) or `histplot` (an axes-level function for histograms).

For a guide to updating your code to use the new functions, please see

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My observation to criterion was: when I am Using squared error, the error rate is increasing as well as the model accuracy performed only an accuracy of 77 with max depth 10.