

# Conceptual Issues

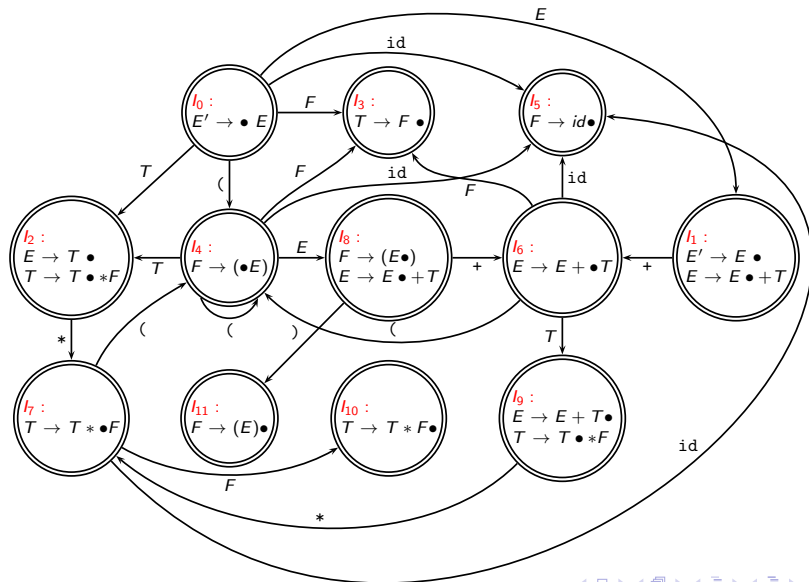
- 1 What information do the states contain?
- 2 Where exactly is handle detection taking place in the parser?
- 3 Why is *FOLLOW* information used to create the reduce entries in the action table ?

To answer these questions, we need to see the canonical collection of LR(0) items as a DFA.

- A node labeled  $I_i$  is constructed for each member of C.
- For every nonempty  $\text{goto}(I_i, X) = I_j$ , a directed edge  $(I_i, I_j)$  is added labeled with  $X$ .
- The graph is a deterministic finite automaton if the node labeled  $I_0$  is treated as the *start* state and all other nodes are made final states.

*What does the automaton recognize?*

# The DFA of an LR parser



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- 2 Viable prefixes are precisely the set of symbols that can ever appear on the stack of a LR parser
- 3 A viable prefix either contains a handle or contains a part of a handle.
- 4 For a viable prefix, it is useful to identify the portion of the handle that it contains.



# Viable Prefix and Valid Items

A LR(0) item  $A \rightarrow \beta_1 \bullet \beta_2$  is defined to be *valid* for a viable prefix,  $\alpha\beta_1$ , provided  $S \xRightarrow{*}_{rm} \alpha A w \Rightarrow_{rm} \alpha\beta_1\beta_2 w$

- 1 There could be several distinct items which are valid for the same viable prefix  $\gamma$ .
- 2 It is interesting to note that in above, if  $\beta_2 = B\gamma$  and  $B \rightarrow \delta$ , then  $B \rightarrow \bullet\delta$  is also a valid item for this viable prefix.
- 3 A particular item may be valid for many distinct viable prefixes.

# Viable Prefixes and Valid Items

- For the LR-automaton shown earlier, consider the path labeled by the viable prefix  $(E+$  ending in  $I_6$ . The items valid for  $(E+$  are:
  - 1  $E' \Rightarrow_{rm} E \Rightarrow T \Rightarrow F \Rightarrow (E) \Rightarrow (E + T)$  shows that  $E \rightarrow E + \bullet T$  is a valid item for  $(E+$ .
  - 2  $E' \Rightarrow E \Rightarrow T \Rightarrow F \Rightarrow (E) \Rightarrow (E + T) \Rightarrow (E + T * F)$  shows that  $T \rightarrow \bullet T * F$  is also a valid item.
  - 3  $E' \xRightarrow{*}_{rm} (E + T) \Rightarrow (E + F)$  shows that  $T \rightarrow \bullet F$  is another such item.
  - 4  $E' \xRightarrow{*}_{rm} (E + T) \Rightarrow (E + F) \Rightarrow (E + (E))$  shows that  $F \rightarrow \bullet (E)$  is also a valid item for  $(E+$ .
  - 5 Finally,  $E' \xRightarrow{*}_{rm} (E + F) \Rightarrow (E + id)$  shows that  $F \rightarrow \bullet id$  is a valid item for  $(E+$ .

It should be noted that there are no other valid items for this viable prefix.

# Viable Prefixes and Valid Items

Given a LR(0) item, say  $T \rightarrow T \bullet * F$ , there may be several viable prefixes for which it is valid.

- ①  $E' \Rightarrow_{rm} E \Rightarrow T \Rightarrow T * F$  shows that this item is valid for the viable prefix  $T$ .
- ②  $E' \Rightarrow E \Rightarrow T \Rightarrow F \Rightarrow (E) \Rightarrow (T) \Rightarrow (T * F)$  shows that it is also valid for  $( T$ .
- ③  $E' \Rightarrow E \Rightarrow T \Rightarrow T * F \Rightarrow T * (E) \Rightarrow T * (T) \Rightarrow T * (T * F)$  shows that it is valid also for  $T * ( T$ .
- ④  $E' \Rightarrow E \Rightarrow E + T \Rightarrow E + T * F$  shows validity for  $E + T$ .

There may be several other viable prefixes for which this item is valid.

# Theory of LR Parsing

**THEOREM** : Starting from  $I_0$ , if traversing the LR(0) automaton  $\gamma$  results in state  $j$ , then set items in  $I_j$  are the only valid items for the viable prefix  $\gamma$ .

- The theorem stated without proof above is a key result in LR Parsing. It provides the basis for the correctness of the construction process we learnt earlier.
- An LR parser does not scan the entire stack to determine when and which handle appears on top of stack ( compare with shift-reduce parser ).
- The state symbol on top of stack provides all the information that is present in the stack.
- In a state which contains a complete item a reduction is called for. However, the lookahead symbols for which the reduction should be applied is not obvious.
- *In SLR(1) parser the FOLLOW information is used to guide reductions.*