



# Course Completion Certificate

Sriharshitha Deepala

has successfully completed 100% of the self-paced training course

MATLAB Onramp

  
DIRECTOR, TRAINING SERVICES

10 November 2020

## Progress Report

**Name:** Sriharshitha Deepala  
**Course:** MATLAB Onramp  
**Progress:** 100% complete (as of 10 November 2020)

### Chapters

- |  |                         |
|--|-------------------------|
| 1. Course Overview 100%                    | 12. Logical Arrays 100% |
| 2. Commands 100%                           | 13. Programming 100%    |
| 3. MATLAB Desktop and Editor 100%          | 14. Final Project 100%  |
| 4. Vectors and Matrices 100%               | 15. Conclusion 100%     |
| 5. Indexing into and Modifying Arrays 100% |                         |
| 6. Array Calculations 100%                 |                         |
| 7. Calling Functions 100%                  |                         |
| 8. Obtaining Help 100%                     |                         |
| 9. Plotting Data 100%                      |                         |
| 10. Review Problems 100%                   |                         |
| 11. Importing Data 100%                    |                         |

## QUESTIONS

1. **Arithmetic operations:** Compute the following quantities:

- $\frac{2^5}{2^5-1}$  and compare with  $(1 - \frac{1}{2^5})^{-1}$ .
- $3 \frac{\sqrt{5}-1}{(\sqrt{5}+1)^2} - 1$ . The square root  $\sqrt{x}$  can be calculated with the command `sqrt(x)` or `x^0.5`.
- Area =  $\pi r^2$  with  $r = \frac{1}{\pi^{\frac{1}{3}}} - 1$ . ( $\pi$  is `pi` in MATLAB.)

2. **Exponential and logarithms:** The mathematical quantities  $e^x$ ,  $\ln x$ , and  $\log x$  are calculated with `exp(x)`, `log(x)`, and `log10(x)`, respectively. Calculate the following quantities:

- $e^3$ ,  $\ln(e^3)$ ,  $\log_{10}(e^3)$ , and  $\log_{10}(10^5)$ .
- $e^{\pi\sqrt{163}}$ .
- Solve  $3^x = 17$  for  $x$  and check the result. (The solution is  $x = \frac{\ln 17}{\ln 3}$ . You can verify the result by direct substitution.)

3. **Trigonometry:** The basic MATLAB trigonometric functions are `sin`, `cos`, `tan`, `cot`, `sec`, and `csc`. The inverses, e.g., `arcsin`, `arctan`, etc., are calculated with `asin`, `atan`, etc. The same is true for hyperbolic functions. The inverse function `atan2` takes two arguments,  $y$  and  $x$ , and gives the four-quadrant inverse tangent. The argument of these functions must be in radians. Calculate the following quantities:

- $\sin \frac{\pi}{6}$ ,  $\cos \pi$ , and  $\tan \frac{\pi}{2}$ .
- $\sin^2 \frac{\pi}{6} + \cos^2 \frac{\pi}{6}$ . (Typing `sin^2(x)` for  $\sin^2 x$  will produce an error).
- $y = \cosh^2 x - \sinh^2 x$ , with  $x = 32\pi$ .

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```

fprintf("Question-1\n");
fprintf("(a). \t");
syms a b
a= 2^5/(2^5-1);
b=inv(1-(1/2^5));
if(a==b)
    fprintf ("a = b \n");
elseif(a>b)
    fprintf ("a > b \n");
else
    fprintf ("a < b \n");
end
fprintf("(b).\t");
sym m
m= 3*((sqrt(5)-1)/(sqrt(5)+1)^2)-1;
fprintf('%f\n',m);
fprintf("(c). \t");
syms r Area
r = (pi)^(1/3)-1;
Area = pi*(r^2);
fprintf('Area = %f', Area)

```

```

Question-1
(a).  a = b
(b).
ans =

```

```

m

```

```

-0.645898
(c).  Area = 0.678099

```

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```
fprintf("Question-2\n");
fprintf("(a).\t");
fprintf("%f\t",exp(3));
fprintf("%f\t",log10(exp(3)));
fprintf("%f\n",log10((10)^5));
fprintf("(b).\t");
fprintf("%d\t", exp((pi*sqrt(163))));
fprintf("\n");
fprintf("(c).\t");
syms x y
y= 3^x==17;
sol= solve(y);
fprintf("%f\t",sol);
fprintf("%f",3^sol);
```

Question-2

(a). 20.085537 ,1.302883 ,5.000000

(b). 262537412640768256

(c). 2.578902 ,17.000000

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```
fprintf("Question-3\n");
fprintf("(a).\t");
fprintf('sin(pi/6) = %f\t',sin(pi/6));
fprintf('cos(pi) = %f\t',cos(pi));
fprintf('tan(pi/2) = %f\n',tan(pi/2));
fprintf('(b).\t');
fprintf('%d\n',(sin(pi/6))^2+(cos(pi/6))^2);
fprintf('(c).\t');
syms x y
x = 32*pi;
y = (cosh(x))^2-(sinh(x))^2;
fprintf('y = %d\t',y);

Question-3
(a). sin(pi/6) = 0.500000 ,cos(pi) = -1.000000 ,tan(pi/2) =
16331239353195370.000000
(b). 1
(c). y = 0
```

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