

Today's Content

→ Binary Tree

→ Traversal

→ Iterative traversals

→ Construct B.T from Preorder to Inorder

DSA Certification

DSA
certified $\xrightarrow{\text{DSA}}$ Company

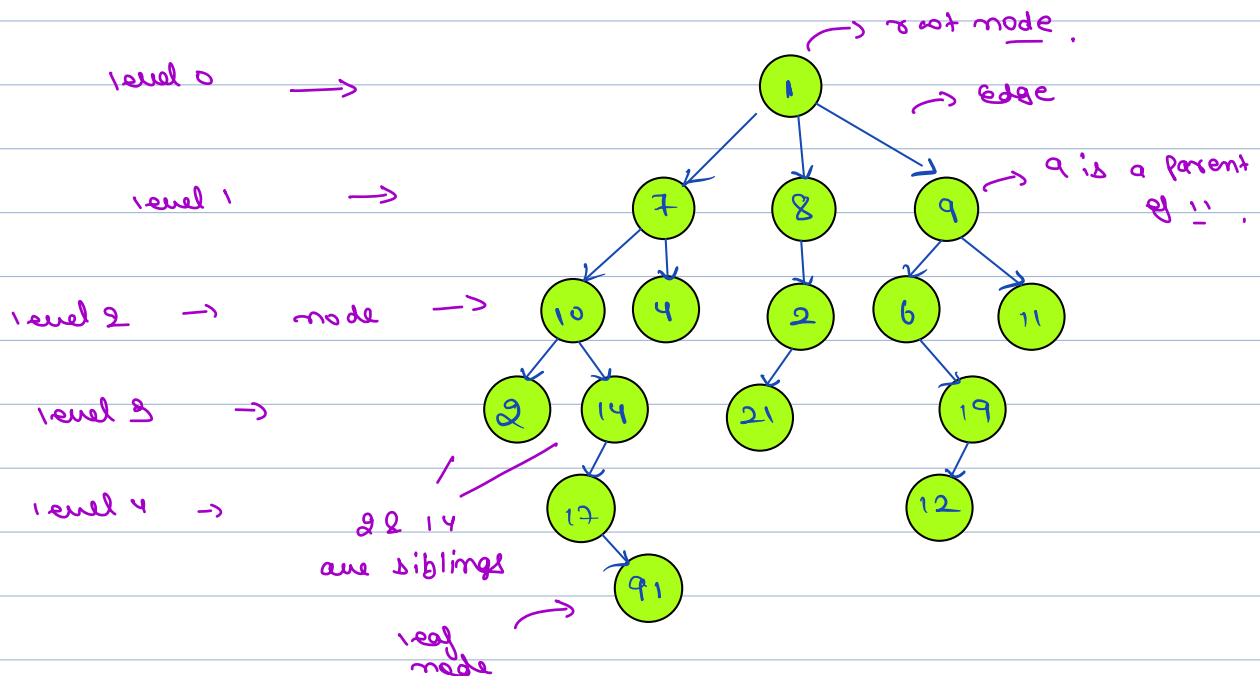
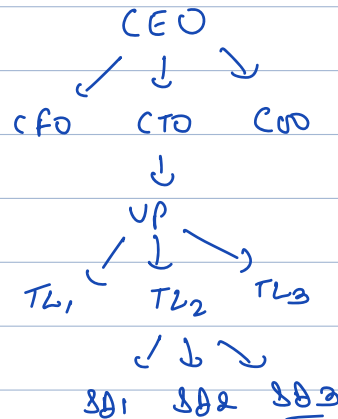
↓
Mock Interview of DSA +
Contest of DSA

→ After last class of MO
→ 30 days, 1 Mock Interview.
→ last Contest of DSA.

Trees Basics & terminologies

1) Linear data structures \rightarrow arrays, stacks, ll.

1) Hierarchical :-

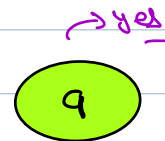
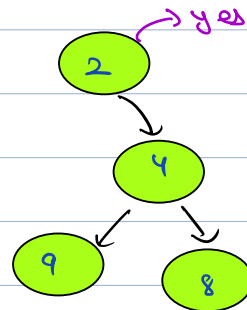
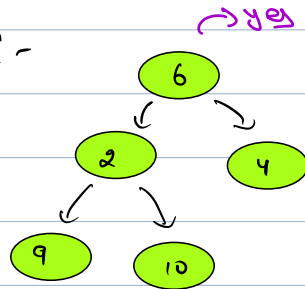


root \rightarrow It is a node with no parent.

leaf \rightarrow It is a node with no children.

Binary Tree :- for every node, no. of children ≤ 2 .

Ex 1 :-



class Node {

int data;

Node left;

Node right;

Node(x) {

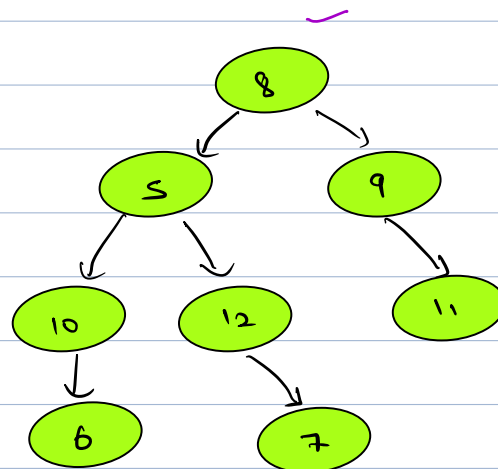
data = x;

left = null;

right = null;

}

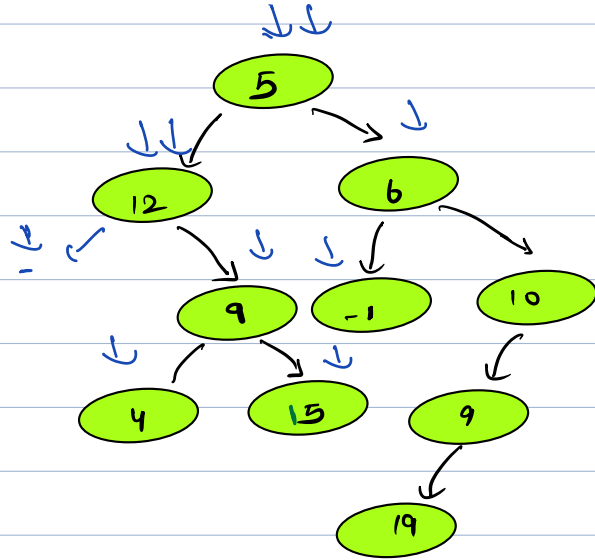
}



Tree Traversals :-

- Inorder ✓
- Preorder
- Postorder

1) großes ($L \geq R$)


$$\begin{array}{r} 12 \\ \hline \end{array} \quad \begin{array}{r} 4 \\ \hline \end{array} \quad \begin{array}{r} 9 \\ \hline \end{array} \quad \begin{array}{r} 15 \\ \hline \end{array} \quad \begin{array}{r} 5 \\ \hline \end{array} - 1 \quad \begin{array}{r} 6 \\ \hline \end{array}$$

19 9 10

$$\begin{array}{l} \text{im}(10) \\ \text{im}(6) \\ \text{im}(5) \end{array}$$

```
void inorder ( node root) {
    if (root == null) { return 3
    inorder (root.left);
    print (root.data);
    inorder (root.right);
}
```

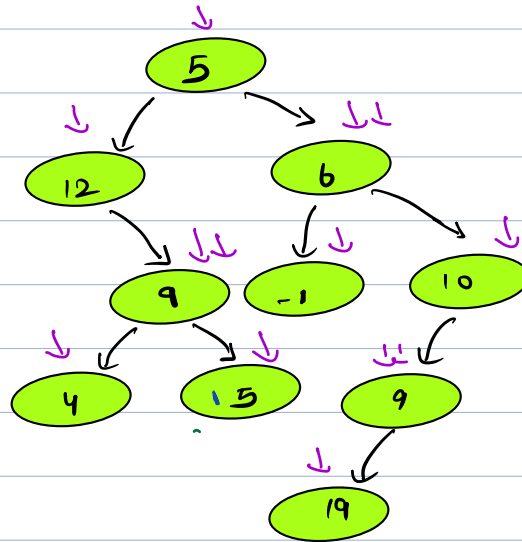
$T.C \rightarrow O(n)$

$$\text{S.C} \rightarrow \underline{\text{OH}}$$

- \rightarrow H \rightarrow Max_m $O(n)$. (Skewed)
- \rightarrow H \rightarrow min $O(\log n)$ (Balanced)

2) PreOrder

D L R



5 12 9 4 15 6 -1 10 9 19

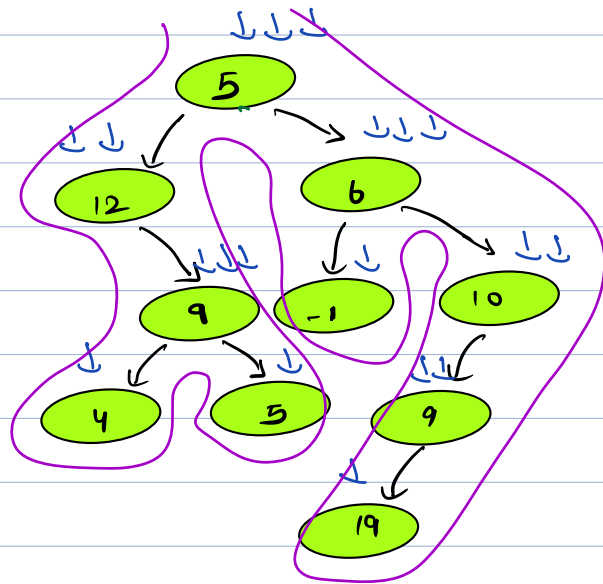
```
void PreOrder (Node root) {
    if (root == null) { return; }
    print (root.data);
    PreOrder (root.left);
    PreOrder (root.right);
}
```

T.C $\rightarrow O(n)$

S.C $\rightarrow O(1)$

3) Post Order :- L R D

4 5 9 12 -1
19 9 10 6 5



void Post Order (Node root) {

if (root == null) { return; }

Post Order (root.left);

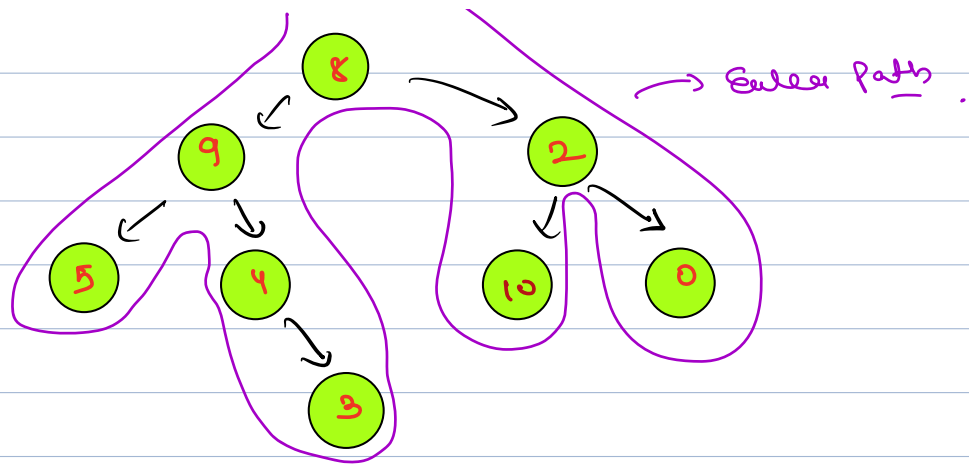
Post Order (root.right);

print (root.data);

}

T.C $\rightarrow O(n)$

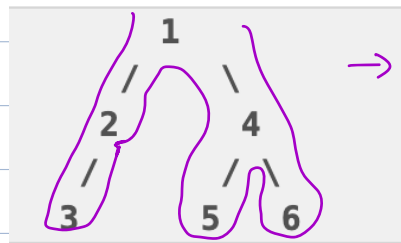
S.C $\rightarrow O(1)$



Inorder (LDR) :- 5 9 4 3 8 10 2 0

Preorder (DLR) :- 8 9 5 4 3 2 10 0

Postorder (LRD) :- 5 3 4 9 10 0 2 8

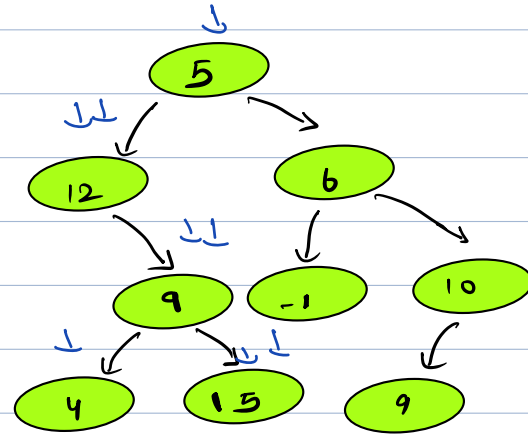
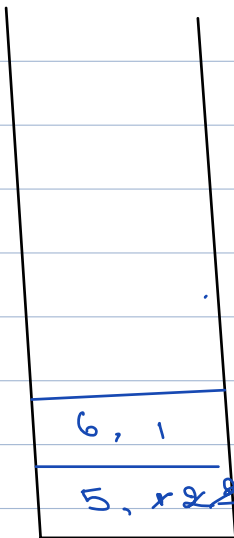


→ 3 2 1 5 4 6 ←

InOrder Iterative :- (LDR).

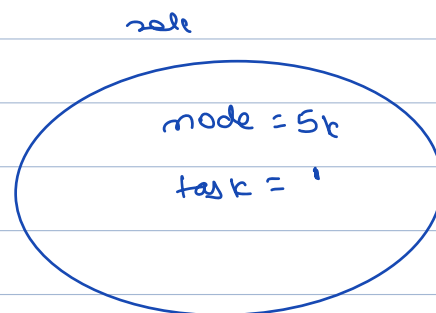
- ① call left child
- ② Print data
- ③ call right child.

12, 4, 9, 15, 5



```

class Pair {
    Node node;
    int task;
    Pair (Node t) {
        node = t;
        task = 1;
    }
}
    
```

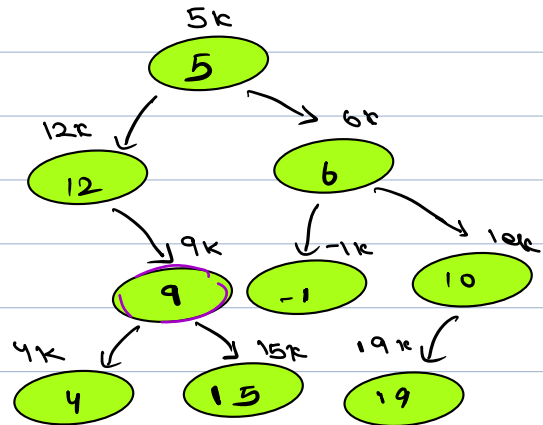


mode = 9k
task = 1

mode = 12k
task = 2

mode = 5k
task = 2

→ top



public void inorder (Node root) {

Stack <Pair> st;

Pair p = new Pair (root);

st.push(p);

while (st.size() > 0) {

Pair top = st.peek();

if (top.task == 1) {

top.task++;

if (top.mode.left != null) {

Pair tmp = new Pair
(top.mode.left);

st.push(tmp);

3

else if (top.task == 2) {

top.task++;

print (top.mode.data);

3

else if (top.task == 3) {

top.task++;

```

    }
    }
    if (top->next != null) {
        Pair tmp = new Pair
            (top->next);
        st.push(tmp);
    }
    else {
        st.pop();
    }
}

```

T.C $\rightarrow O(n)$

S.C $\rightarrow \underline{O(1)}$

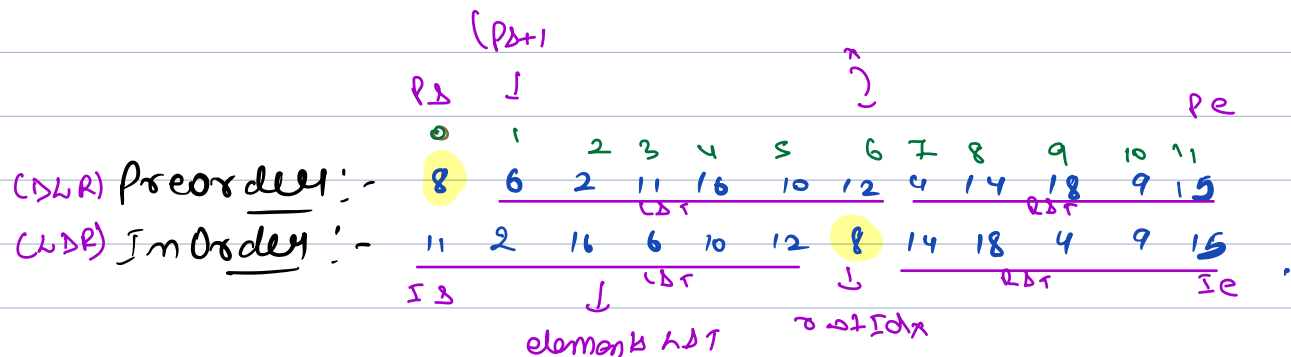
$elementsLST = (is, rootIdx-1);$

$\Rightarrow rootIdx - 1 - is + 1$

$\Rightarrow rootIdx - is;$

$(p_{s+1}, r) = elementsLST$

$\Rightarrow r - p_{s+1} + 1 = elementsLST \Rightarrow r = elementsLST + p_{s+1}$



Node Create (int p_s , int p_e , int is , int ie) {

if ($p_s > p_e$ || $is > ie$) return null

$rootData = Pre[p_s];$

Node $root =$ new Node ($rootData$);

int $rootIdx =$ find ($is, ie, rootData$);

int $elementsLST = rootIdx - is;$

$root.left =$ create ($p_{s+1}, is, rootIdx-1$);

$root.right =$ create ($rootIdx+1, p_e, ie$);

$elementsLST + p_{s+1}$

|

see then to it,

2

T.C \rightarrow 30m)

S.C \rightarrow 0CH),

