

* Program Efficiency

Efficiency is all about time and space complexity.

* Dynamic Programming

In Greedy approach whatever is the solution of the problem given in the first go is fixed as the final solution.

Note? This is not the best approach for all the scenarios. However, it also works for some cases.

* In dynamic Programming we will be finding out all the possible solutions for the given problem out of which the best will be selected.

* Time and Space complexity* Asymptotic Notations: there are 3

1. Big O

2. Omega [Ω]

3. Theta [Θ]

* Soajith is having 1 lakh his account bank account in that. Rate of interest is 12% per annum in the 5th month. He withdraws 25k rupees in order to buy gift for his loved ones. In 9th month 10k rupees is deposited for his 2nd loved ones. End of the financial year how much his having in his account. [S:I]

8th may - 1 lakh

8th may - 25k deposited \leftarrow

9th Sep - 10k deposited withdrawal

1 year = 12 months

1 month = 12k increase

$$\text{total } A = 1,000,000$$

$$T = 1 \text{ Y}$$

$$R = 12\% \rightarrow 12000$$

5th

$$A = 750000$$

$$T = 7 \text{ mo} \approx \frac{1}{7}$$

$$R =$$

\rightarrow 1 lakh \approx thousand

\rightarrow 25k \rightarrow 250 I per month

\rightarrow 41750 \approx 3000.

\rightarrow 75+10 \rightarrow 850000 + 12%.

$$\rightarrow 850 \text{ I} \times 4$$

$$\frac{850}{3400} = \underline{\underline{3400}}$$

$$\begin{array}{r} 4000 \\ 3000 \\ 3400 \\ \hline 6400 \\ 4000 \\ \hline 10400 \end{array}$$

* Space Complexity

Structure

{ int - 4 bytes

int - 4 bytes

{ int - 4

double - 8 }

space \geq 12 bytes

Space = 8 bytes

* double - 8

char - 1

\Rightarrow Space = 8 + 1 + 7

= 16.

Struct

{ int - 4

char - 1 }

Space = 8 bytes

union

union

{

int - 4

char

int - 4

}

space = 4

union

{

int - 4

double - 8

Space = 8

union

{

int - 4

char - 1

{

Space \leq 4.

struct

{

int - 4

char - 1

double - 8

}

space = 21

ICF

4 + 4 + 8 + 1 + 7

* Time complexity of statements.

Type 1

for ($i=0$; $i<5$; $i++$)

{

statements - -

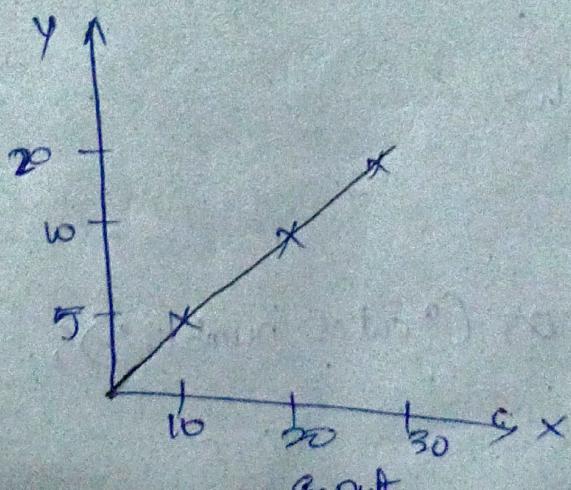
}

$\Rightarrow n+1$ times the loop is executed

$\Rightarrow \text{Big } O(n)$ — for polynomial theorem $\Rightarrow f(n) = \text{Big } O(n+1)$

Big $O(n)$

Time taken



```

* #include <stdio.h>
int main()
{
    int i, n = 5;
    for (i=0; i<n; i++)
        printf("final %d\n", i);
    printf("final %d\n", i);
    return 0;
}

```

OP: 5

∴ Time complexity: $O(n)$.

* $\text{for } (i=1; i<5; i+2)$

OP: 1, 3

Statements

3

⇒ If $f(n) = \frac{n}{2}$ degree of polynomial is $\log n$.
 $f(n) = n$

So the time complexity is also $O(n)$.

⇒ So irrespective of iteration time is gonna be the same.

* Get one number as input and find the sum of the digits of the given input

#include <stdio.h>

int main()

{

int number = ~~0~~ ("enter number");
 while (~~n > 0~~)

}

```

#include <stdio.h>           using while loop.

int main()
{
    int rem, n; printf("Enter number");
    scanf("%d", &n);
    int sum = 0;
    while (n > 0)
    {
        rem = n % 10;
        n = n / 10;
        sum = sum + rem;
    }
    printf("%d\n", sum);
}

```

Outputs Enter a number: 153

→ 9.

* using for loop

```
#include <stdio.h>
```

```
int main()
```

```
{
```

```
    int rem, n, i;
```

```
    printf("Enter the number: ");
```

```
    scanf("%d", &n);
```

```
    int sum = 0;
```

```
    for (i = 0; i < 5; i++)
```

```
{
```

```
        rem = n % 10;
```

```
        n = n / 10;
```

```
{
```

```
        sum = sum + rem;
```

```
    printf("%d\n", sum);
```

```
    return 0;
```

```
{
```