

COMPUTER ORGANIZATION

(Machine Instructions, Addressing Models, ALU & Data Path)

SOLUTIONS

1. Which of following may not definitely occur in an instruction cycle?

- (i) Fetch cycle
- (ii) Execution cycle
- (iii) Indirect cycle

- (a) (i) only
- (c) (iii) only

- (b) (i) and (ii)
- (d) (ii) and (iii)

Solution: Option (c)

Explanation:

For direct addressing mode, indirect cycle will not happen.

2. Most relevant addressing mode to write position independent code is

- (a) Direct
- (c) Relative

- (b) Indirect
- (d) Indexed Mode

Solution: Option (c)

Explanation:

Relative mode always finds based on PC value.

3. Which set of instruction transfers the memory word specified by the effective address to AC or Load to AC?

(a) $DR \leftarrow M[AR]$
 $AC \leftarrow AC + DR, E \leftarrow C_{OUT}, SC \leftarrow 0$

(b) $DR \leftarrow M[AR]$
 $AC \leftarrow DR, SC \leftarrow 0$

(c) $M[AR] \leftarrow AC, SC \leftarrow 0$

(d) $DR \leftarrow M[AR]$
 $AC \leftarrow AC \wedge DR, SC \leftarrow 0$

Solution: Option (b)

Explanation:

Memory word should be loaded into DR first, and then into AC.

4. A certain machine uses expanding opcode. It has 16-bit instructions and 6-bit addresses. It supports one address and two address instructions only. If there are 'n' two address instructions, the maximum number of one address instruction is

- (a) $2^{16} - n$ (b) $2^{10} - n$
(c) $(2^4 - n) \times 2^6$ (d) 2^{10}

Solution: Option (c)

5. Booth's algorithm is used in floating point

- (a) Addition (b) Subtraction
(c) Multiplication (d) Division

Solution: Option (c)

6. Consider the following format of 32 bit floating point number:

Sign: 1 bit

Exponent: 8 bits

Mantissa: 23 bits

The mantissa is normalized and has an implied "1" on the left of the point. Normalized form of mantissa is 1.MMMMM.....

The exponent is formatted using excess-127 notation, with an implied base of 2

What will be the decimal value of the following 32 floating point number stored in above mentioned format?

1 1000010 11110110000000000000000

- (a) - 15.6875 (b) - 19.8976
(c) 14.1123 (d) None of these

Solution: Option (a)

Explanation:

Mantissa: $1.1111011_2 = 1.9609375_{10}$

Exponent: $10000010_2 = 130_{10}$ (because is excess - 127) = 3

Sign 1: negative number, $-1.9609375 * 2^3 = -15.6875$

7. For a carry look ahead adder, the general formula for g_i and p_i are

$g_i = a_i \cdot b_i$ where g_i is the 'generate' part and p_i is the 'propagate' part
 $P_i = a_i + b_i$

Assume you are adding two 4 – bit numbers $a_3a_2a_1a_0 + b_3b_2b_1b_0$

and c_0 is the carry-in to the least significant bit (LSB) (normally, a ripple-carry adder has no carry-in to the LSB, but pretend you have a full adder adding the LSB).

Write a formula for c_2 for a carry look ahead adder.

- (a) $(a_1b_1) + ((a_0b_0)(a_1 + b_1) + (a_1 + b_1)(a_0 + b_0)c_0)$
- (b) $(a_1b_1) + (a_1b_1)(a_0 + b_0) + (a_1 + b_1)(a_0 + b_0)c_0$
- (c) $(a_1b_1) + (a_0b_0)(a_1 + b_1)c_0 + (a_1 + b_1)(a_0 + b_0)c_1$
- (d) $(a_1b_1) + (a_0b_0)(a_1 + b_1) + (a_1 + b_1)(a_0 + b_0)$

Solution: Option (a)

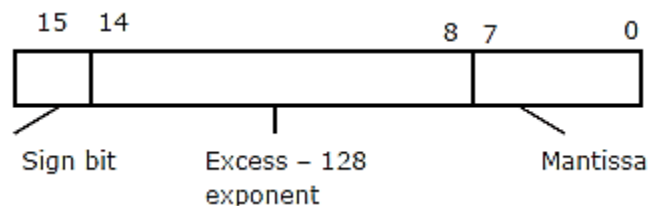
Explanation:

The general carry formula is: $c_{i+1} = g_i + p_i c_i$

$$\therefore c_2 = g_1 + p_1 c_1, c_1 = g_0 + p_0 c_0$$

Putting the formula of c_1 in c_2 we get, $c_2 = g_1 + p_1(g_0 + p_0 c_0)$
 $= (a_1b_1) + (a_0b_0)(a_1 + b_1) + (a_1 + b_1)(a_0 + b_0)c_0$

8. Consider the following floating –point format:



Mantissa is in fraction in sign magnitude form.

What will be the value of mantissa in hexadecimal for number 56.75?

- (a) D3 (b) E3
(c) F3 (d) A3

Solution: Option (b)

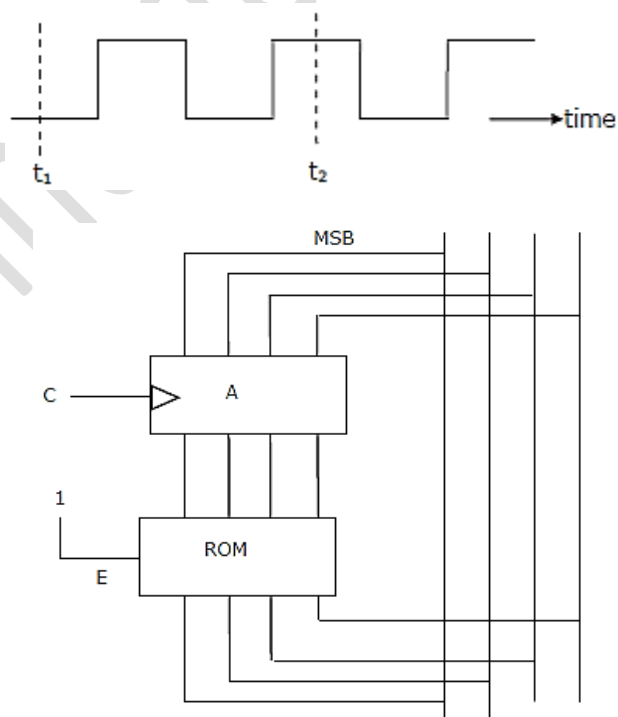
Explanation:

Number 56.75 is represented as, $111000.11 \times 20 = .11100011 \times 2^6$

Sign bit = 0, Exponent = 6 + 128, Mantissa = .11100011 = E3

9. In the figure, A is a parallel – in, parallel – out 4 bit register which loads at the rising edge of the clock C. The input lines are connected to a 4 bit bus W. Its output acts as the input to a 16×4 ROM whose output is floating when the enable input E is a 0. A partial table of the contents of the ROM is as follows:

Address	0	2	4	6	8	10	11	14
Data	0011	1111	0100	1010	1011	1000	0010	1000



The clock to the register is shown and the data on the W bus at time t_1 is 0110. The data on the bus at time t_2 is

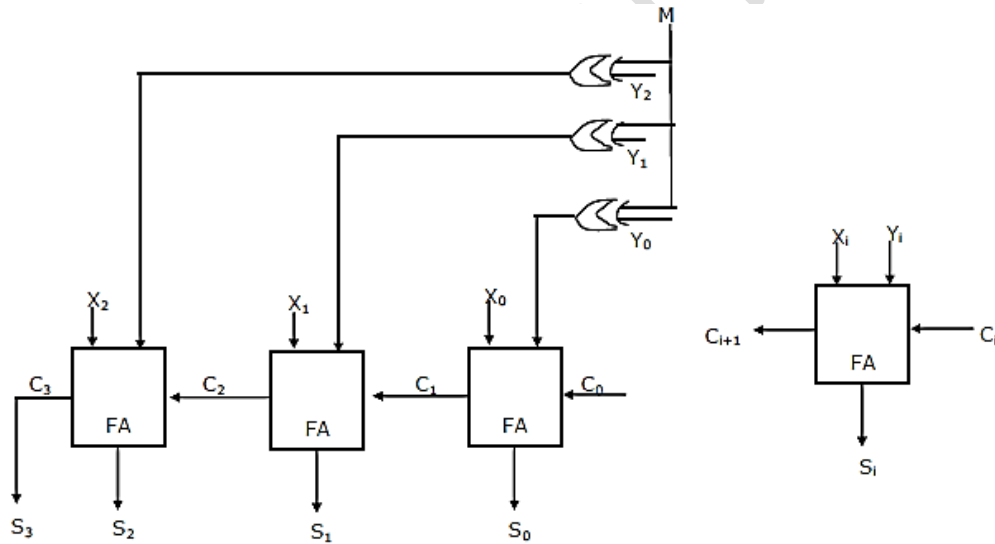
Solution: From 1030 To 970

Explanation:

At the first rising edge of clock after $t = t_2$, O/P of shift register is 0110 = 6 in decimal. At the address 6 data 1010 is stored which is applied to the I/P of shift register and at the next rising edge, the O/P of register is 1010 = 10. At the address 10 of ROM, it contains 1000.

10. In the adder circuit shown below, $X = X_2X_1X_0$, $Y = Y_2Y_1Y_0$ are the inputs, and $S = S_3S_2S_1S_0$ is the output. M and C are control input lines, and FA refers to a full adder.

In this problem + represents binary addition, and – represents binary subtraction in either one's or two's complement form.



The logic expressions describing a full adder are

- (a) $S_i = X_i \oplus Y_i \oplus C_i$, $C_{i+1} = C_i \cup X_i Y_i$
- (b) $S_i = X_i \oplus Y_i \oplus C_i$, $C_{i+1} = (X_i \oplus Y_i) C_i \cup X_i Y_i$
- (c) $S_i = X_i \oplus Y_i \oplus C_i$, $C_{i+1} = C_i \cap X_i Y_i$
- (d) $S_i = X_i \oplus Y_i \oplus C_i$, $C_{i+1} = C_i (X_i \cup Y_i)$

Solution: Option (b)

Explanation:

The truth table for a full adder is given below:

X_i	Y_i	C_i	S_i	C_{i+1}
0	0	0	0	0
0	0	1	1	0
0	1	0	1	0
0	1	1	0	1
1	0	0	1	0
1	0	1	0	1
1	1	0	0	1
1	1	1	1	1

From this table it can be shown that

$$S_i = X_i \oplus Y_i \oplus C_i$$

and

$$C_{i+1} = (X_i \oplus Y_i)C_i \cup X_i Y_i$$