

Linked List

int A[5];

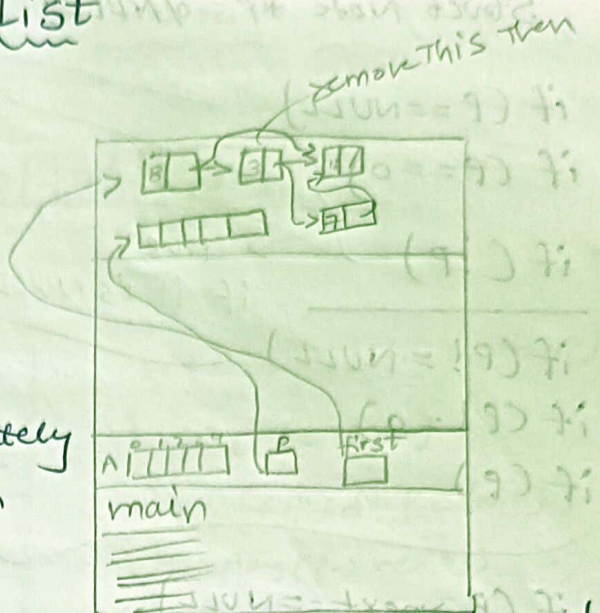
int *P = new int[5];

→ Size can ↑ (or) ↓ in LL

→ Node = elem + pointer.

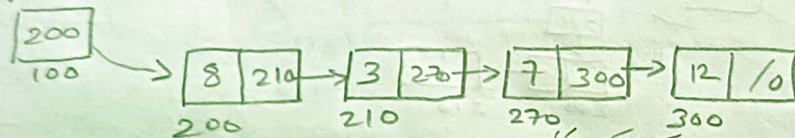
→ for each element in LL

memory is allocated separately
if we remove an element then
memory also.



def: LL is a collection of nodes where each node
contains data & pointer to next node.

first (or) Head.



all nodes aren't side by side
but through links they maintain that
continuity

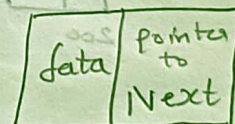
→ LL created in Heap (bcz it's not static)

→ bcz they can dynamically expand when needed
without worrying about memory consumption.

Struct Node *P;

P

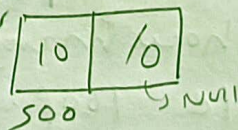
1500



Struct Node

P = (struct Node*) malloc(sizeof(struct Node)); - in C lang

P = new Node; - in C++



P->data = 10;

P->next = 0;

int data;
struct Node *next;

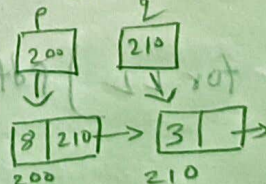
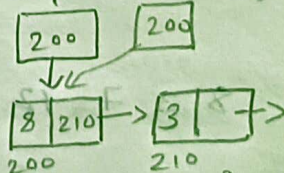
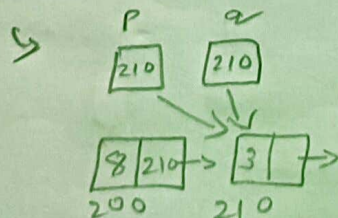
More about LL

struct Node *P, *Q;

1. Q = P;

2. Q = P->next;

3. P = P->next;



struct Node *p = 0/NULL;

if (p == NULL)

if (p == 0)

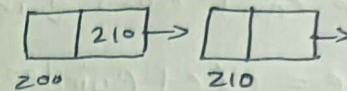
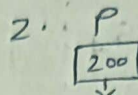
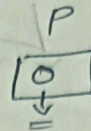
if (!p)

True
if it's NULL

if (p != NULL)

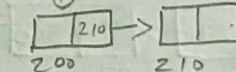
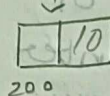
if (p != 0)

if (p)



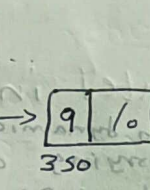
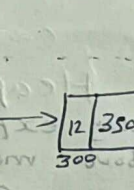
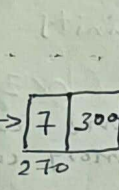
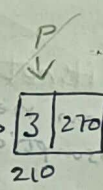
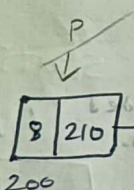
if (p->next == NULL)

if (p->next != NULL)



Display LL

first



struct Node *p = first;

p = p->next;

We don't know how many times to repeat it
So use while loop.

while (p != 0) (or) NULL

printf("%d", p->data);
p = p->next;

}

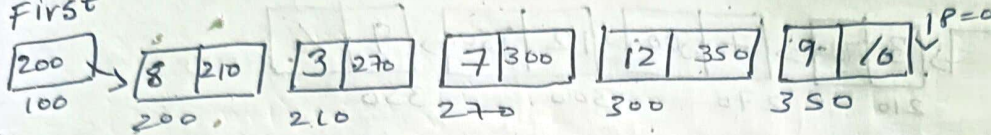
(0/p => 8 3 7 12 9)

* (Code Display for LL) Pdf,, understand ✓

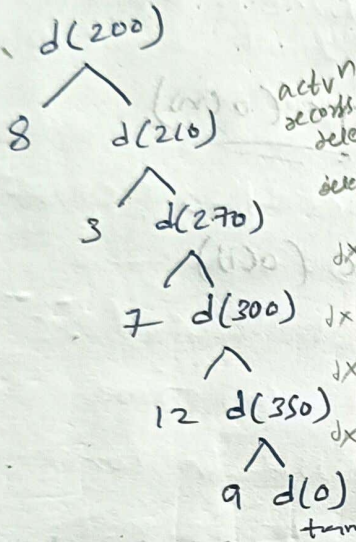
Recursive Display of LL

→ recursion uses system stack.

First



Stack.



P = 0
P = 350
P = 300
P = 270
P = 210
P = 200

void Display (struct Node *P)

```

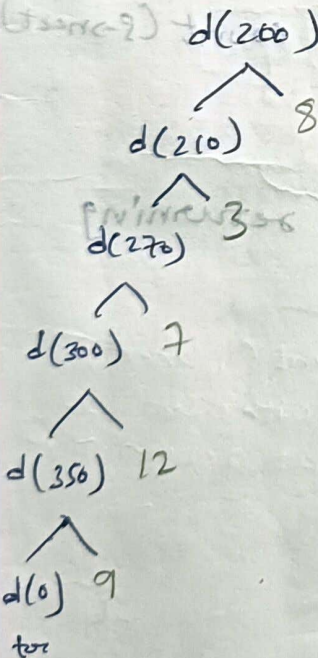
1 if (P != NULL)
2 {
3     printf("%d", P->data);
4     Display (P->next);
5 }
  
```

Display (first).

TC = O(N)

SC = O(N)

O/P = 8, 3, 7, 12, 9



stack same

O/P = 9, 12, 7, 3, 8

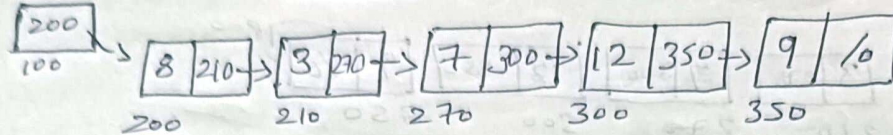
TC) same
SC) same

(code) pdf, under ✓

Counting Nodes in a LL

first

iterative



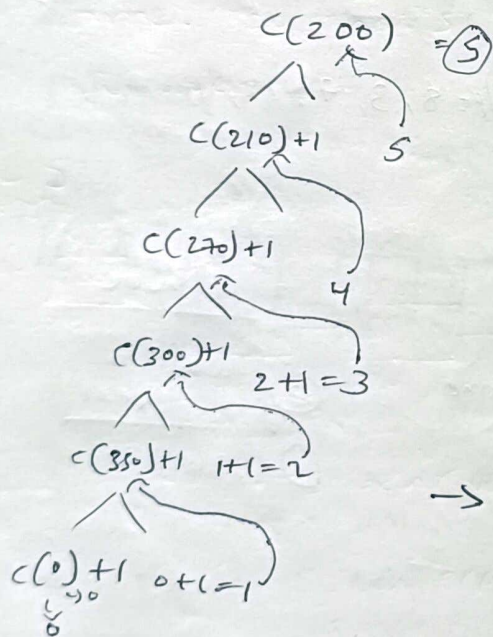
```
int count(struct Node *p)
```

```
{
    int c=0;
    while(p!=0)
    {
        c++;
        p=p->next;
    }
    return c;
}
```

TC (O(n))

SC (O(1))

Recursive Process



→ addⁿ done at returning time

```
int count(struct Node *p)
```

```
{
    if(p==0)
        return 0;
    else
        return (count(p->next) + 1);
}
```

$T \rightarrow O(n)$

$S \rightarrow O(n)$

Sum of all elements in a LL

Ans(first)

```
int Add(struct Node *p)
```

```
{
    int sum=0;
    while(p)
    {
        sum=sum+p->data;
        p=p->next;
    }
}
```

return sum

Now using recursion

```
int Add(struct Node *p)
{
    if (p == 0)
        return 0;
    else
        return Add(p->next) + p->data;
}
```

code for count & Sum PDF ✓

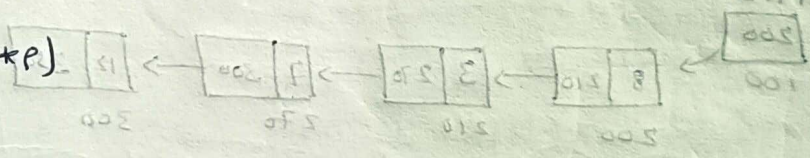
Max ele in a LL

```
int max(Node *p)
{
    max = MIN_INT;
    while (p)
    {
        if (p->data > max)
            max = p->data;
        p = p->next;
    }
    return max;
}
```

recursive

```
int max(Node *p)
{
    int x = 0;
    if (p == 0)
        return MIN_INT;
    else
    {
        x = max(p->next);
        if (x > p->data)
            return x;
        else
            return p->data;
    }
}
```

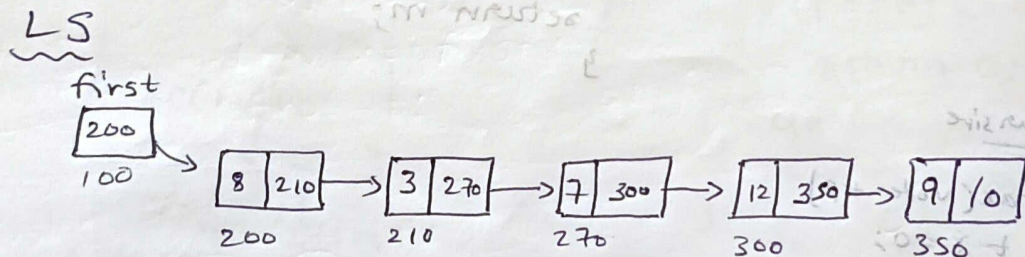
code ^{pdf} ✓



Searching in a LL

- ✓ 1. Linear search \rightarrow it checks one by one
- X2 - Binary Search \rightarrow This will work only on:
Sorted list & it'll check in the middle of a list. if ele is found, it's okay, if small check left otherwise right

That BS procedure we cannot perform upon LLs, bcz we cannot directly go into the middle of a LL. we have to traverse from first node. So traversing takes $O(n)$ time we cannot reach in the middle in constant time. So that's the reason BS is not suitable.



Note * Search(Node *P, int Key)

{

while(P != NULL)

{

if (Key == P->data)

{

return P;

}

P = P->next;

}

return NULL;

}

recursive

Node* Search(Node *p, int Key)

```
{
    if (p == NULL)
        return NULL;
    if (Key == p->data)
        return p;
    return Search(p->next, Key);
}
```

Improve Searching in LL

1. Transposition

2. Move to Head/front

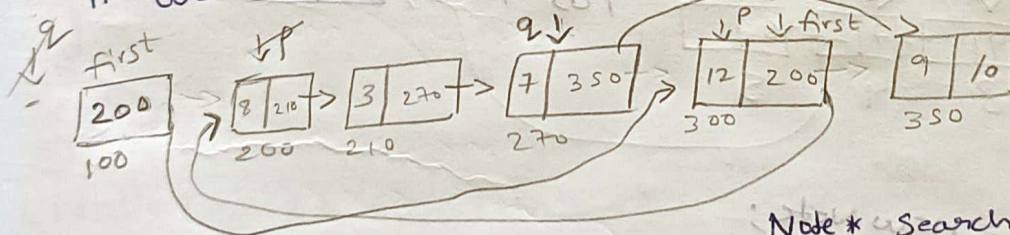
→ These are useful, if we again search for a key we can find it in less time.

→ So transposition was a method where we interchange the value with the previous value

→ Move to head means the key value should be brought in the beginning.

→ In LL we don't do transposition bcz we avoid movement of data we prefer movement of nodes. So it's better

if we take out this node & add in into front.



Key = 12

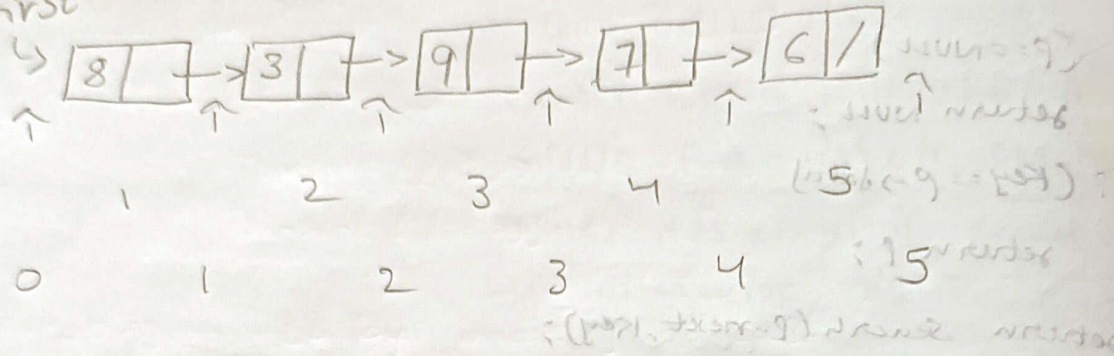
Node* Search (Node *p, int Key)

```
{
    Node *q = NULL;
    while (p != NULL)
    {
        if (Key == p->data)
        {
            q->next = p->next;
            p->next = first;
            first = p;
        }
        q = p;
        p = p->next;
    }
}
```

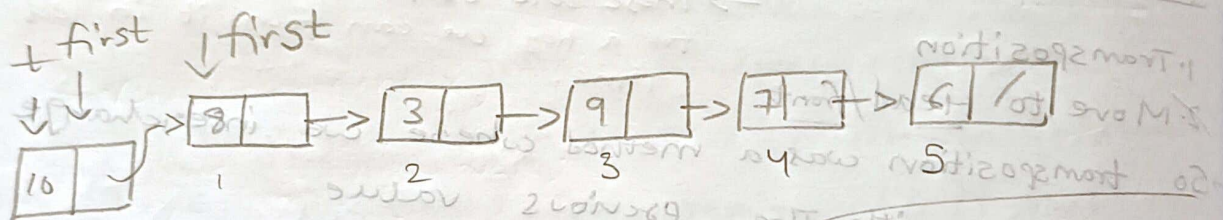

code searching in LL p44 ✓

Inserting in a LL

first



1. insert before first node
2. inserting after given position.



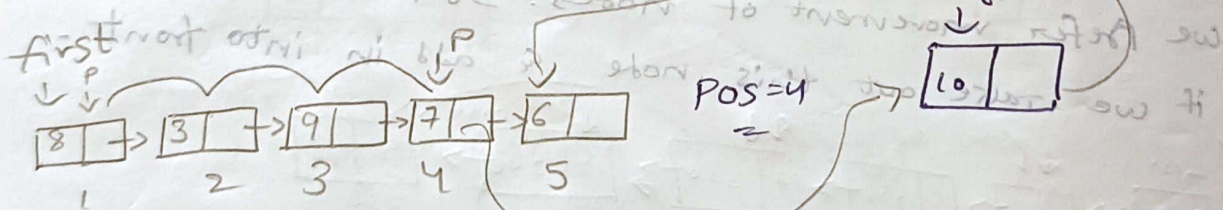
Node *t = new Node;

Before
first
node

t->data = x;

t->next = first;

first = t;



Node *t = new Node;

t->data = x;

P = first;

for (i = 0; i < pos - 1; i++)

P = P->next;

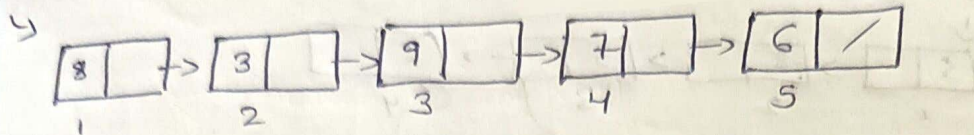
t->next = P->next;

P->next = t;

$O(n)$ max

$O(1)$ min

first



void Insert(int pos, int x)

Node *t, *p;

if (pos == 0)

t = new Node;

t->data = x;

t->next = first;

first = t;

else if (pos > 0)

p = first;

for (i = 0; i < pos - 1 && p; i++)

p = p->next;

if (p)

t = new Node;

t->data = x;

t->next = p->next;

p->next = t;

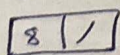
Code ✓ insert for LL

Creating a LL using insert

first

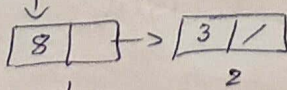
↓ pointer first in null

Insert(0, 8); (when null we can insert at only 0)

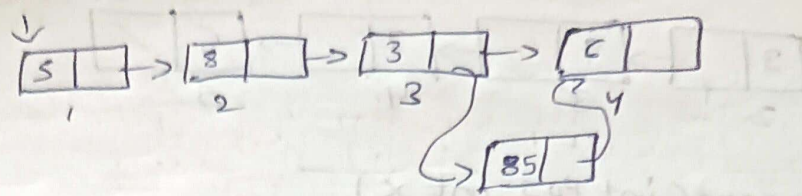


Insert(1, 3);

first



first



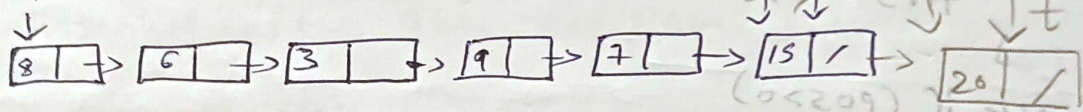
Insert(2, 6);

Insert(0, 5);

Insert(3, 85);

creating a LL by inserting at Last

first



Void Insert^{last}(int x)

{ Node *t = new Node;

t->data = x;

t->next = NULL;

if (first == NULL)

{ first = last = t;

}

else

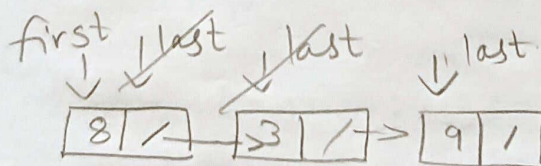
{

last->next = t;

last = t;

}

}

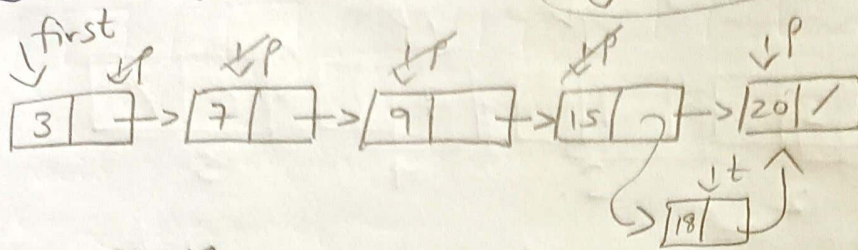


Insertlast(8)

Insertlast(3)

Insertlast(9)

Inserting in a Sorted LL



$x = 18$

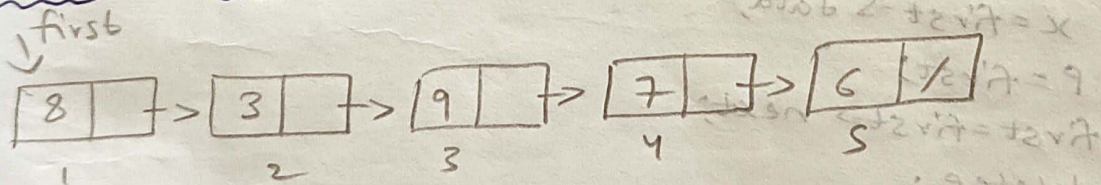
```

P = first;
q = NULL;
while (P && P->data < x)
{
    q = P;
    P = P->next;
}
t = new node;
t->data = x;
t->next = q->next;
q->next = t;
    
```

→ Some edge cases code still not done
in program code it will be completed.

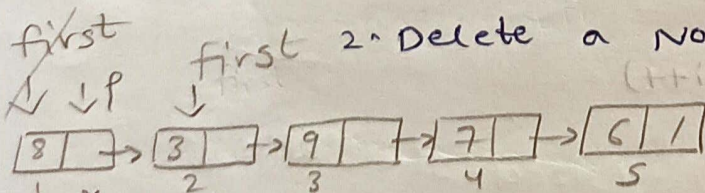
code insert in sorted LL ✓

Deleting from LL



1) Delete first node

2) Delete a node at given position.

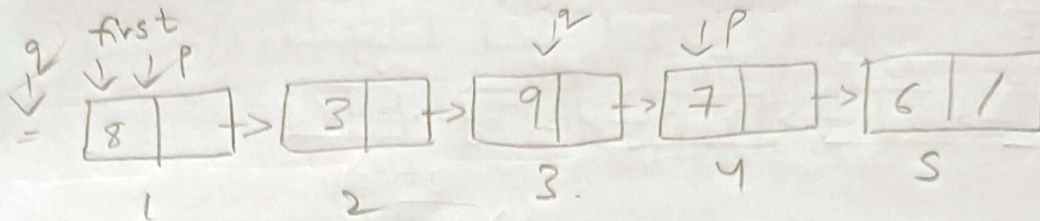


1)

```

Node *p = first;
first = first->next;
x = p->data;
delete p;
    
```


2) pos = 4.



Node *p = first;

Node *q = NULL;

for (i=0; i<pos-1; i++)

{ q = p;

p = p->next;

}

q->next = p->next;

x = p->data;

delete p;

function

int Delete(int pos)

{ Node *p, *q;

int x=-1, i;

if (pos==1)

{ x = first->data;

p = first;

first = first->next;

delete p;

else

{ p = first;

q = NULL;

for (i=0; i<pos-1; i++)

{ q = p;

p = p->next;

}

if (p)

{ q->next = p->next;

x = p->data;

delete p;

} return x;

min o(1)
max o(n)

Deleting from LL

node *p = first;
first = first->next;
x = p->data;
delete p;