

Register No: 21MIS1044

Name: Srinivasan JP

Logistic regression

```
In [ ]: import numpy
        from sklearn import linear_model
```

Creating the X and Y dataset here x is independent variable and y is dependent variable with only 2 classes

```
In [ ]: X = numpy.array([3.78, 2.44, 2.09, 0.14, 1.72, 1.65, 4.92, 4.37, 4.96, 4.52, 3.69, 5.8
y = numpy.array([0, 0, 0, 0, 0, 0, 1, 1, 1, 1, 1, 1])
```

Using the sklearn's predefined model the x and y is trained

```
In [ ]: logr = linear_model.LogisticRegression()
        logr.fit(X, y)
```

```
Out[ ]: LogisticRegression
        LogisticRegression()
```

The logistic function (also known as the sigmoid function) is used to transform the linear combination of features into probabilities:

$$P(y=1 | x) = 1 / (1 + e^{-(\beta_0 + \beta_1 x_1 + \beta_2 x_2 + \dots + \beta_n x_n)})$$

```
In [ ]: def logit2prob(logr, X):
        log_odds = logr.coef_ * X + logr.intercept_
        odds = numpy.exp(log_odds)
        probability = odds / (1 + odds)
        return probability
```

```
In [ ]: odds = logit2prob(logr, X)
        numpy.set_printoptions(precision=2)
        for i in odds:
            if(i<0.5):
                print(i*100,"False", sep="---->")
            else:
                print(i*100,"True", sep="---->")
```

```
[60.75]---->True
[19.27]---->False
[12.77]---->False
[0.96]---->False
[8.04]---->False
[7.34]---->False
[88.36]---->True
[77.9]---->True
[88.92]---->True
[81.29]---->True
[57.72]---->True
[96.66]---->True
```