

Deep Learning

Objective of DL :-

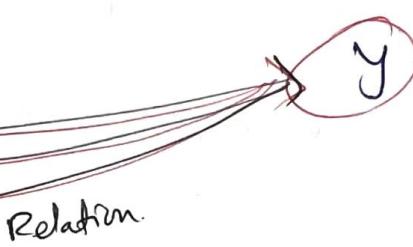
To build an AI system capable enough to predict & take decision on the behalf of human being.

* Machine learning :-

independ. Var.

$x_1 \quad x_2 \quad x_3 \quad x_4 \quad \dots$

Depend. Var



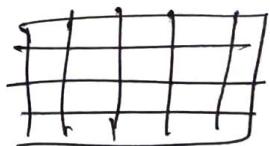
* Drawback of ML :-

↳ It is only suitable for structure Data.
(column + rows)

* DL is applicable on Unstructured Data.]

- Text
- Image
- Video
- Audio.

Image :-



↳ pixel

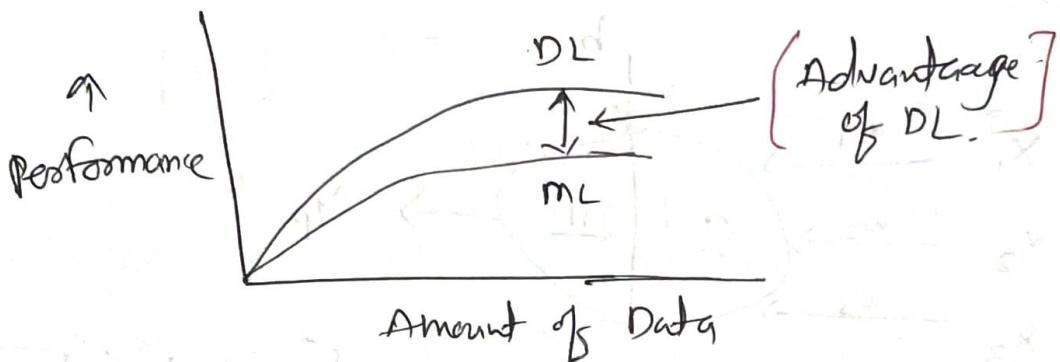
15 inches → Laptop Screen

↳ Resolution (Count of pixels)

1366×768

↳ 10 Latch

* Performance graph of DL & ML :-



ML \Rightarrow Data preprocessing \rightarrow Model refinement & Development

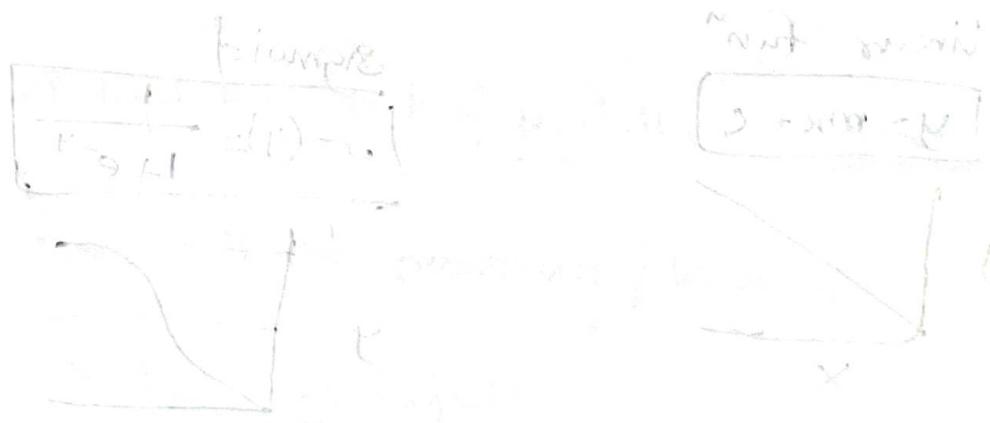
60 to 70%
work

① Feature engg.

- missing value Handling
- outliers detection & Handling
- Encoding
- Data balancing
- Normalization

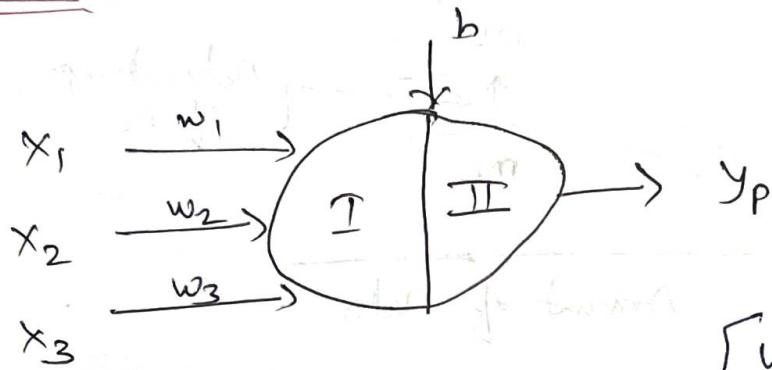
② Feature selection techniques.

DL \Rightarrow [itself act as a feature selector.]



note for further proceeding with DL -

Neuron (Perception) :-



$[w, b \rightarrow \text{External parameters}]$

Stage I \rightarrow Summation funⁿ

$$z = \sum_{i=1}^n w_i \cdot x_i + b$$

Stage II \rightarrow Activation funⁿ (Sigmoid)

$$\sigma(z) = \frac{1}{1+e^{-z}} = y_p$$

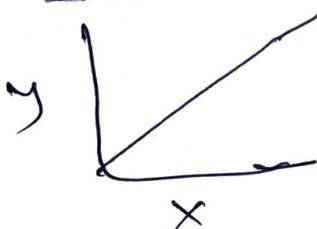
- This whole process called as perception & perception is nothing but neuron in NN.)

Sigmoid Activation funⁿ :-

- It is used to add non-linearity.

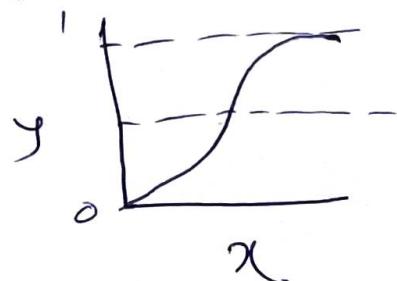
linear funⁿ

$$y = mx + c$$



sigmoid

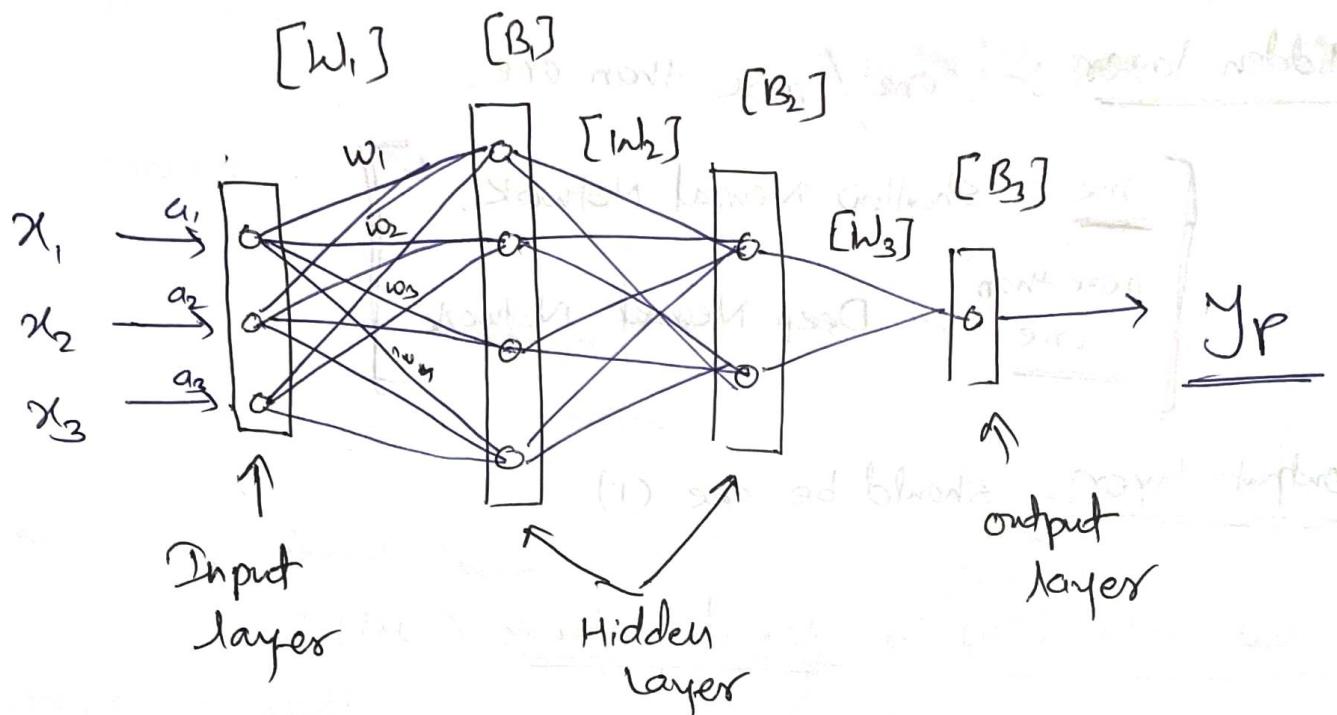
$$\sigma(y) = \frac{1}{1+e^{-y}}$$



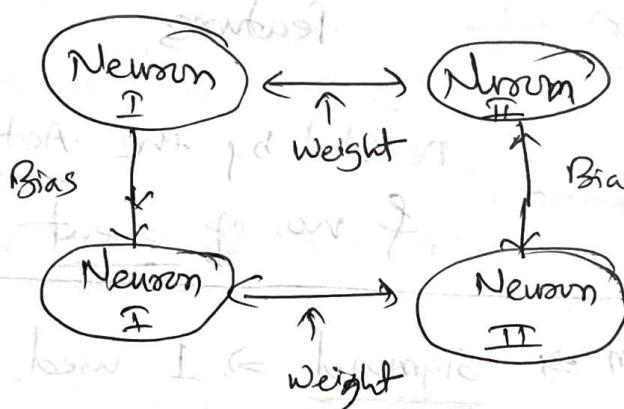
- It gives probability value of any class.



Structure of Neural Network (NN) :-



weight



Bias

$$[W_1] = [w_{11}, w_{12}, w_{13}, w_{14}, \dots, w_{1n}]$$

$$[B_1] = [b_1, b_2, b_3, b_4]$$

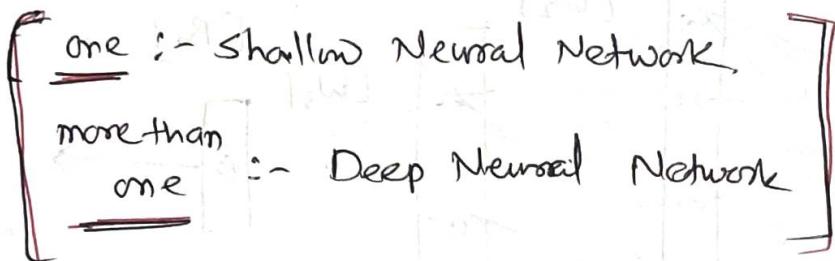
Input layer :- It holds the input and feed them to hidden layer

Hidden layer :- Done all the processing / learning.

Output layer :- It shows the output

Input layer :- Should be one (1)

Hidden layer :- one / more than one



Output layer :- Should be one (1)

How Data flow in Neural Network (NN) :-

No. of neurons in input layer = No. of input features

No. of neurons in output layer = Decided by the Activation funⁿ & no. of event.

① Binary classification \Rightarrow Sigmoid \Rightarrow 1 used. (Neuron in o/p)

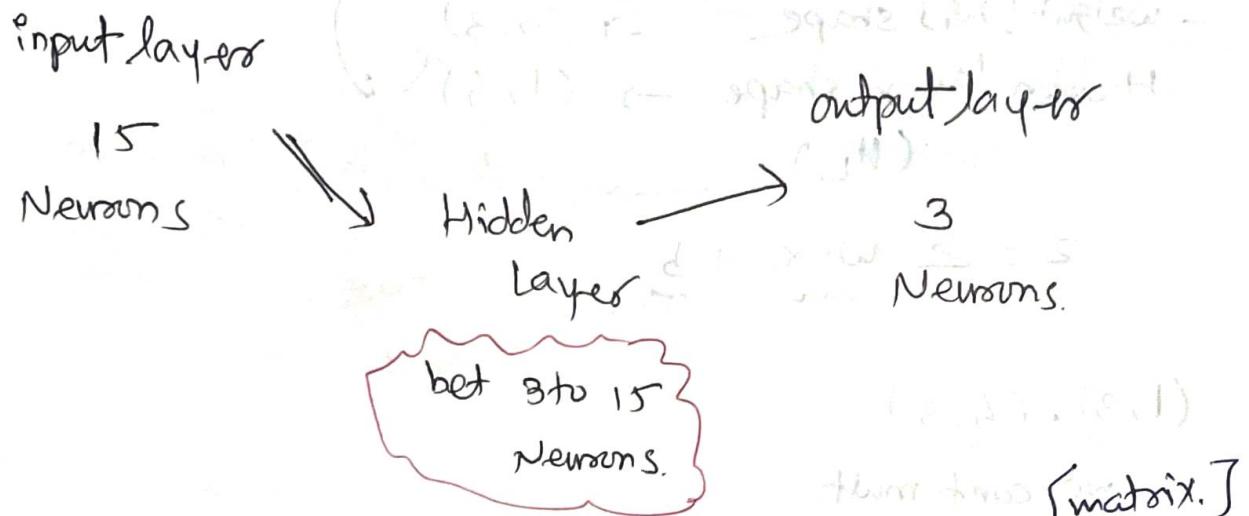
② Multiclass classification \Rightarrow Softmax \Rightarrow (3 neuron in o/p)

③ Regression problem \Rightarrow Relu \Rightarrow 1

④ [No. of Neuron in Hidden layer] \Rightarrow Not fixed.

→ If we want to work on small things

General Thumb Rule



- shape of input layer = $(1, 3)$ [matrix.]
 $[in_1] = (3, 3)$
(1st layer & 3 neurons) → Stage I
- shape of Hidden layer = $(1, 5)$
 H_{L1} → $[in_2] = (2, 3)$
- shape of Hidden layer = $(1, 2)$
 H_{L2} → Stage II
- Shape of output layer = $(1, 1)$ → Stage III

How to control shape of the layers :-

let's say we start from 3 Neuron & ends with 4 neurons.

$$\begin{array}{|c|c|} \hline & w_1 \\ \hline 0 & | 0 \\ 0 & | 0 \\ 0 & | 0 \\ \hline \end{array} \quad \begin{array}{|c|c|} \hline & w_2 \\ \hline 0 & | 0 \\ 0 & | 0 \\ 0 & | 0 \\ 0 & | 0 \\ \hline \end{array} \quad w_1 \rightarrow 12 \text{ weights.}$$

Input layer shape $\rightarrow (1, 3)$
 weight matrix shape $\Rightarrow (4, 3)$
 output layer shape $\rightarrow (1, 4)$

eq:-

- Input layer shape $\rightarrow (1, 3)$
- weight [WL] shape $\rightarrow (4, 3)$
- Hidden layer shape $\rightarrow (1, 4) \text{ } (HL_1)$

$$z = \sum_{i=1}^n w_i x_i + b$$

$$(1, 3) \cdot (4, 3)$$

[we can't mult.]

so, we Transpose the matrix.

$$(8, (1, 3)) \cdot (3, 4) = (1, 4)$$

$$z = \sum_{i=1}^m w_i^\top (x_i) + b \quad \leftarrow \text{Transpose}$$

$$(3, 4) = \begin{bmatrix} 1 & 2 & 3 & 4 \end{bmatrix}$$

Importance of Bias

Bias \Rightarrow one dimensional array

$$\boxed{z = \sum_{i=1}^n w_i x_i + b} \quad \leftarrow \text{Bias term of input.}$$

$$\begin{bmatrix} 1 & 3 \\ 3 & 5 \end{bmatrix} + 2 = \begin{bmatrix} 3 & 5 \\ 5 & 7 \end{bmatrix}$$

↳ Reason is when above formula is run twice we get 2x2.

$$(2, 2) \rightarrow \begin{bmatrix} 1 \\ 1 \end{bmatrix} \quad (2, 2)$$

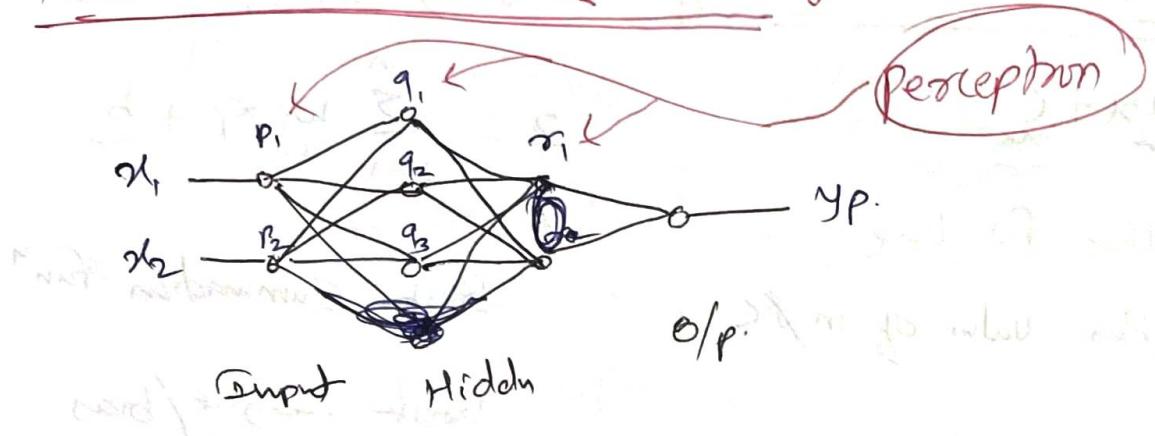
$$\begin{bmatrix} 0 \\ 0 \\ 0 \\ 0 \end{bmatrix}$$

$\rightarrow (8, 1) \in \text{single input-target}$

$(8, 2) \in \text{single output-target}$

$\rightarrow I(8, 1) \in \text{single input-target}$

How Neural Networks Learn :-



Chain Rule :-

$$x_1 \rightarrow p_1 \rightarrow q_1 \rightarrow \sigma_1 \rightarrow y_{P_1}$$

$$x_1 \rightarrow p_1 \rightarrow q_2 \rightarrow \sigma_1 \rightarrow y_{P_2}$$

$$x_1 \rightarrow p_1 \rightarrow q_3 \rightarrow \sigma_1 \rightarrow y_{P_3}$$

$$x_2 \rightarrow p_2 \rightarrow q_1 \rightarrow \sigma_1 \rightarrow y_{P_4}$$

$$x_2 \rightarrow p_2 \rightarrow q_2 \rightarrow \sigma_1 \rightarrow y_{P_5}$$

$$x_3 \rightarrow p_2 \rightarrow q_3 \rightarrow \sigma_1 \rightarrow y_{P_6}$$

chain.

$$x_1 \rightarrow q_1 \xrightarrow{\text{Stage I}} z_1 = w_1 x_1 + b_1$$

$$\xrightarrow{\text{Stage II}} \sigma(z_1) = \frac{1}{1+e^{-z_1}} = q_1$$

$$q_1 \rightarrow \sigma_1 \xrightarrow{\text{Stage I}} z_2 = w_2 q_1 + b_2$$

$$\xrightarrow{\text{Stage II}} \sigma(z_2) = \frac{1}{1+e^{-z_2}} = y_{P_1}$$

$$y_q - y_{P_1} \Rightarrow \text{loss.}$$

Linear Regression

$$y = mx + c$$

↳ Best fit line

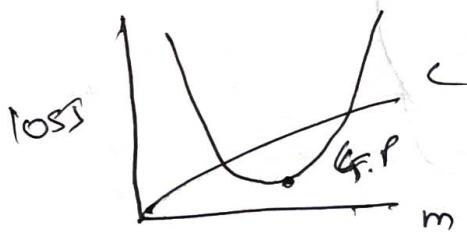
Best value of $m \neq c$

- Gradient Descent algo.

(local minima)

$$m_{\text{new}} = m_{\text{old}} - \alpha \frac{\partial L}{\partial m}$$

$$c_{\text{new}} = c_{\text{old}} - \alpha \frac{\partial L}{\partial c}$$



Deep learning

$$z = \sum_{i=1}^n w_i x_i + b$$

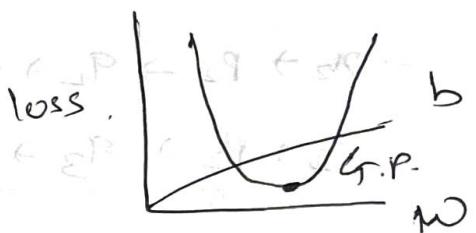
↳ Best summation funⁿ

Best weight/bias.

- Gradient Descent algo.
(local minima)

$$w_{\text{new}} = w_{\text{old}} - \alpha \frac{\partial L}{\partial w}$$

$$b_{\text{new}} = b_{\text{old}} - \alpha \frac{\partial L}{\partial b}$$



$$\min [L_1, L_2, L_3, \dots, L_n]$$

minimum

Best w & b.

Best Summation funⁿ

$$z = \sum_{i=1}^n w_i x_i + b$$

Activation funⁿ

$$\sigma(z) = \frac{1}{1+e^{-z}} = \underline{y_p \text{ final}}$$

- ① Forward propagation (F.P)
- ② Backward propagation (B.P.)

left to right \Rightarrow F.P.

right to left \Rightarrow B.P.

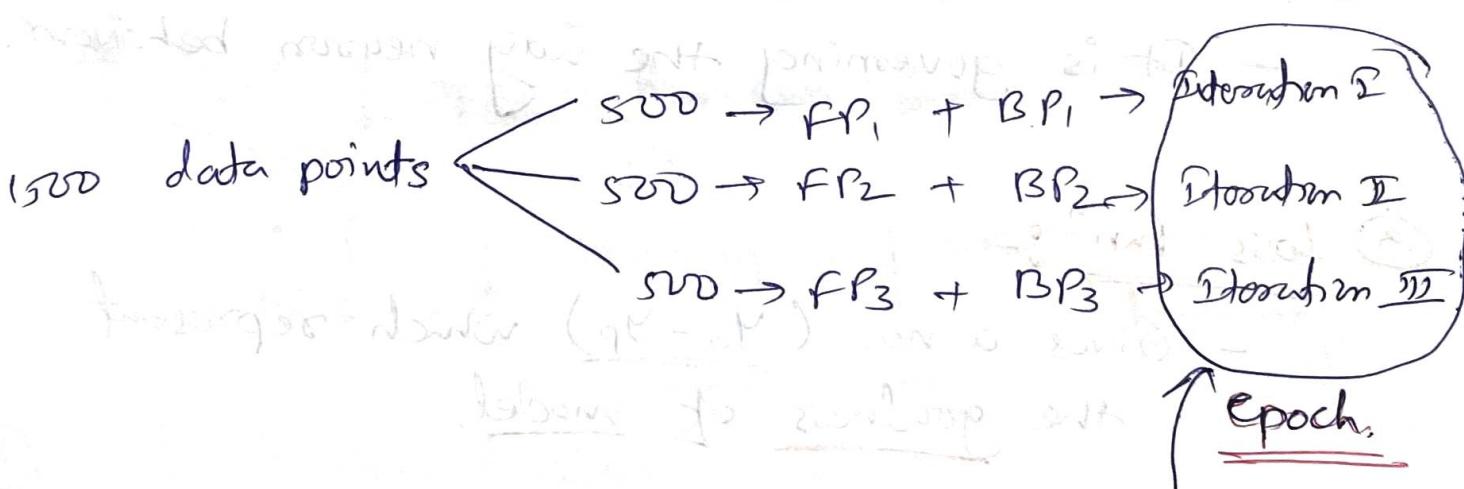
#

F.P \Rightarrow y_p , loss

B.P \Rightarrow to update the parameters

Epoch / Iteration :-

1500 data points \Rightarrow F.P + B.P \Rightarrow 1 complete epoch



1500 data points \Rightarrow 1 complete epoch

* Types of "fun" use in Neural Network :-

① Optimization fun".

② Activation fun".

③ loss fun".

① Optimization fun" :-

- To minimize/optimize error/loss.
- Used to find best value for parameters.
 $(w, b, \text{learning rate})$
- Achieve convergence/global minima point.

② Activation fun" :-

- Used to control output/neuron behaviour.
- It is governing the way neuron behaviour.

③ loss fun" :-

- Gives a no. ($y_a - y_p$) which represent the goodness of model.

- Help to update the external parameters.

(w, b, α)

α learning rate

① Optimization funⁿ

Optimize

min

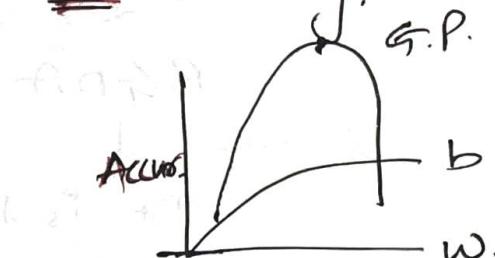
max

loss funⁿ

Gain funⁿ

eq:- loss/error

eq:- Accuracy.



- optimization funⁿ required.

taking minimum time (↓) of resources consumption to converge.

* Types of optimization funⁿ

①

weight &
bias

②

to learning

③

weight, bias of
learning

① Gradient Decent algorithm:

B.P.



- on whole data.



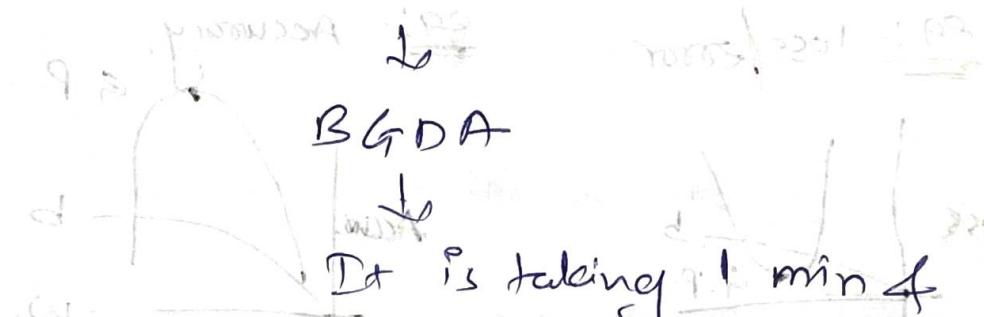
epoch get perform



No matter how big our data.

- suppose,

we have 1000 data points



- now, we have 1 lakh data.

- \therefore , BGDA is not suitable for big data size.

* How Batch Gradient Descent work in Backend :-
(BGPA).

$$[x]_{1000} + [y]_{1, w_0}$$

BGDA

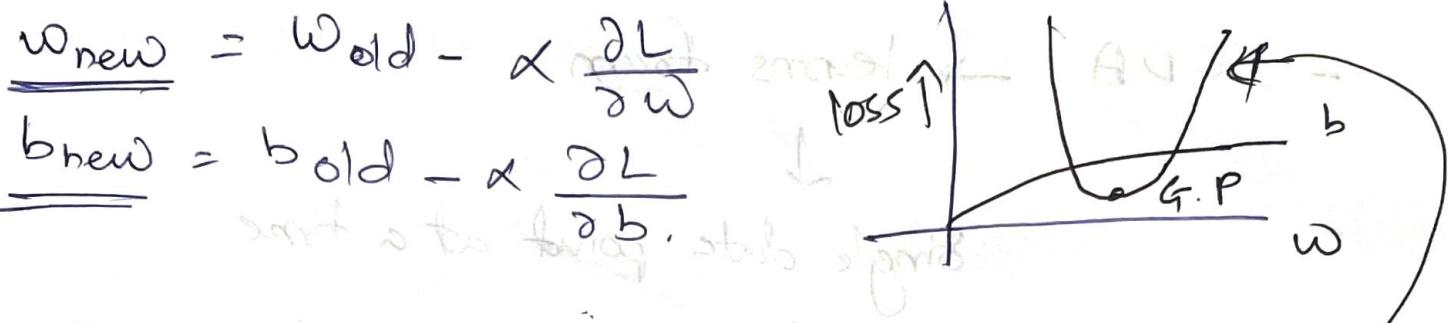
real to

$$[y_{pred}]_{1000}$$

$$loss]$$

1000

w_{new}, b_{new}



* Advantage of BGDA :-

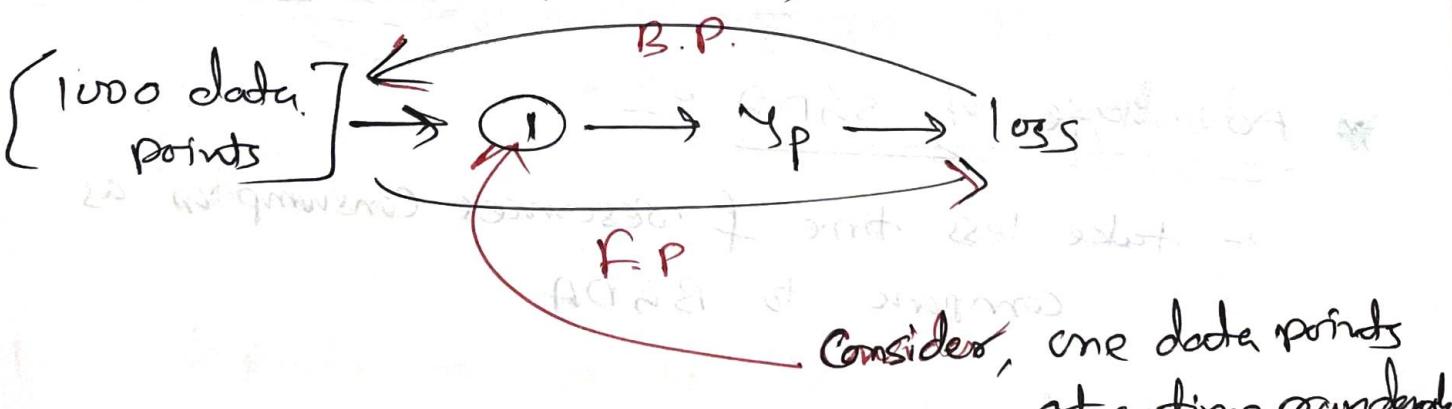
- we get smooth learning curve.

* Disadvantage of BGDA :-

- we can't use BGDA in case of Big data.

② Stochastic Gradient Decent algorithm (SGDA) :-

↳ (Randomness / Random.)



- In SGDA \rightarrow 1 epoch \rightarrow 1 iteration per point \downarrow
 \downarrow
'N' no. of iterations. (N - no. of data point)

- SGDA \rightarrow learns form
 ↓
 Single data point at a time.
 ↓
 learning curve become
 very noisy.

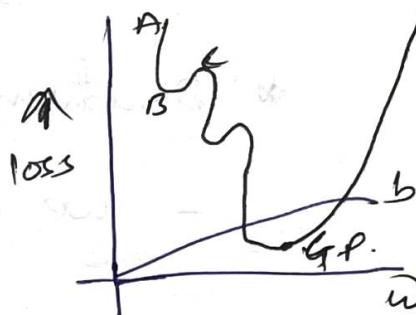


$\rightarrow 2, 5, 6, 8, 10, 12, 14, 16, 18, 20.$

1st iteration $\rightarrow 10 \rightarrow y_p \rightarrow \text{loss}_1$

$\xrightarrow{\text{B.P.}}$ $\xrightarrow{2^{\text{nd}} \text{ iteration}} 5 \rightarrow y_p \rightarrow \text{loss}_2$

$\xrightarrow{\text{B.P.}}$ $\xrightarrow{3^{\text{rd}} \text{ iteration}} 8 \rightarrow y_p \rightarrow \text{loss}_3$



* Advantages of SGDA :-

- take less time & resources consumption as compare to BGDA.

* Disadvantage :-

- very prone to local minima

- very noisy curve

③ Mini Batch Stochastic Gradient Descent Algo :-

(MBSGDA)

BGDA

+ SGDA

Smooth
learning
curve

Step by step
learning



1500 data
point

sGD (MB_1) $\rightarrow Y_{pMB_1} \rightarrow loss_{MB_1} \rightarrow w, b$

sGD (MB_2) $\rightarrow Y_{pMB_2} \rightarrow loss_{MB_2} \rightarrow w', b'$

sGD (MB_3) $\rightarrow Y_{pMB_3} \rightarrow loss_{MB_3}$

(Random Sampling.)

* Random Sampling :-

1800
data Point

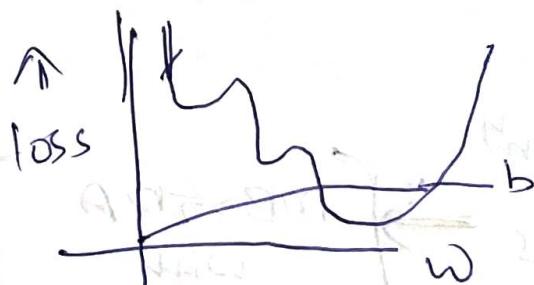
sGD Batch,

sGD Batch₂

sGD Batch₃

100 data points \rightarrow 10 Batches

\hookrightarrow 100 data points / per batch



- In MBSGDA, we learn from mini Batch.
- Here, we have sufficient amount of learning to overcome local minima.

- * Advantage: it's fast
- much better than BGD & SGD

Disadvantage :-

- Noise is still present

⑤ Mini Batch Stochastic Gradient Decent with momentum :-

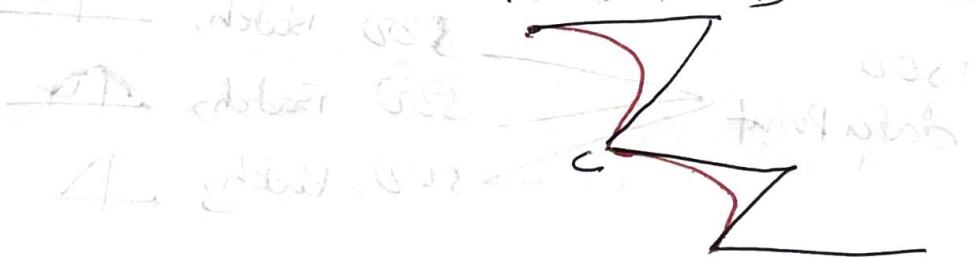
$$w_{\text{new}} = w_{\text{old}} - \alpha \frac{\partial L}{\partial w}$$

$$b_{\text{new}} = b_{\text{old}} - \alpha \frac{\partial L}{\partial b}$$

momentum
 $v dw, vdb$

Gradient \rightarrow Energy

A B (calculate from formula)



* Advantage of MBSGDA with momentum :-

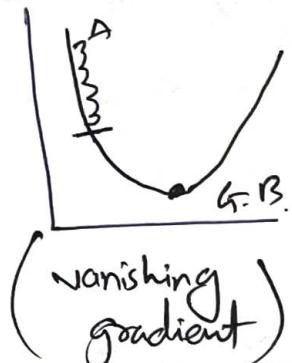
- Better than mBGDA.

Best optimization func
for weight + bias

MBSGDA
with
Momentum.

* ~~Why~~ Why learning rate need to be dynamically updated?

① If learning rate become too small :-



- training time \uparrow exponentially.
- we face vanishing gradient issue.
- we never achieve our Global minima.

② If learning rate become too big :-



- we face over shooting issue
- due to over shooting we face exploding gradient issue

(Exploding Gradient)

~~learning rate~~ \rightarrow Dynamically Update

\Rightarrow initialize learning rate (α)

$$= \left(\frac{\Delta C}{\Delta C} \right) (2\pi - 1) \xrightarrow{0.1} \text{too big}$$

\Rightarrow initialize learning rate (α) \downarrow - decrease

$$\xrightarrow{0.0001}$$

\downarrow too small

\rightarrow increase

- ① AdaGrad (Adaptive Gradient) ~~learning Rate~~
- ② AdaDelta (RMS prop) (Root Mean Squared Propagation)

① AdaGrad (Adaptive Gradient)

$$w_{\text{new}} = w_{\text{old}} - \alpha_{\text{new}} \frac{\partial L}{\partial w}$$

$$b_{\text{new}} = b_{\text{old}} - \alpha_{\text{new}} \frac{\partial L}{\partial b}$$

$$\alpha_{\text{new}} = \frac{\alpha_{\text{old}}}{\sqrt{\eta + \epsilon}}$$

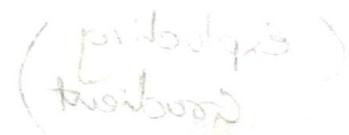
$$\eta = \sum_{i=1}^n \left(\frac{\partial L}{\partial w_i} \right)^2$$



② AdaDelta (RMS prop)

$$w_{\text{new}} = w_{\text{old}} - \alpha_{\text{new}} \frac{\partial L}{\partial w}$$

$$b_{\text{new}} = b_{\text{old}} - \alpha_{\text{new}} \frac{\partial L}{\partial b}$$



$$\alpha_{\text{new}} = \frac{\alpha_{\text{old}}}{\sqrt{Sd\omega \epsilon + \epsilon}}$$

$$Sd\omega_t = \beta + Sd\omega_{t-1} + (1-\beta) \left(\frac{\partial L}{\partial w} \right)^2$$

$$\begin{cases} \beta = \text{Smoothing parameter} \\ \beta \in [0, 1] \end{cases}$$

Smoothed - $Sd\omega$

Best optimization funⁿ for w'f'b'

- Mini Batch Gradient Decent
with momentum
(MB SGD with Momentum)

Best optimization funⁿ for learning rate

- Ada Delta (RMS prop)

Adam :- (Adaptive moment estimation)

⇒ MBGDA with Momentum

$$\begin{cases} w_{\text{new}} = w_{\text{old}} - \alpha \cdot v_{dw} \\ b_{\text{new}} = b_{\text{old}} - \alpha \cdot v_{db} \end{cases}$$

⇒ Ada Delta (RMS prop)

$$\begin{cases} w_{\text{new}} = w_{\text{old}} - \alpha_{\text{new}} \frac{\partial L}{\partial w} \\ b_{\text{new}} = b_{\text{old}} - \alpha_{\text{new}} \frac{\partial L}{\partial b} \end{cases}$$

$$\alpha_{\text{new}} = \frac{\alpha_{\text{old}}}{\sqrt{s_{dw} + \epsilon}}$$

⇒ Adam

$$\begin{cases} w_{\text{new}} = w_{\text{old}} - \frac{\alpha_{\text{old}}}{\sqrt{s_{dw} + \epsilon}} v_{dw} \\ b_{\text{new}} = b_{\text{old}} - \frac{\alpha_{\text{old}}}{\sqrt{s_{db} + \epsilon}} v_{db} \end{cases}$$

- # Activation funⁿ - [it contains o/p layer]
- ① linear activation fun
 - ② Sigmoid activation fun \rightarrow Binary classification.
 - ③ tanh activation fun \Rightarrow Binary classification.
 - ④ Softmax \rightarrow Multiclass classification.
 - ⑤ Relu \rightarrow Base activation funⁿ for Regression
 - ⑥ leaky Relu
 - ⑦ P-Relu
 - ⑧ Elu
 - ⑨ Swish
- } Variants of Relu.

Sigmoid activation funⁿ

$$\sigma(z) = \frac{1}{1 + e^{-z}} \quad \therefore z = \text{summation fun}$$

$$z = \sum_{i=1}^n w_i x_i + b$$

- Range \Rightarrow 0 to 1
- It gives probability value of any one class

e.g.: Cat / Dog - two classes.

$$P(\text{Dog}) = -$$

$$P(\text{Cat}) = 1 - P(\text{Dog})$$

- It adds non-linearity.



* Advantages :- (Sigmoid funⁿ)

If we use sigmoid in our o/p layer.

① Sigmoid gives uniform result.

Range - 0 to 1

② On the basis of probability values, we can take decision confidently.

* Why use not sigmoid activation funⁿ in our Hidden layer. :-

① zero centrality :-

$$\text{mean}(f(x)) \approx 0$$

→ zero centric funⁿ

$$\text{mean}(f(x)) \neq 0$$

→ Non-zero centric funⁿ

- zero center funⁿ converges faster than non-zero center funⁿ.

Sigmoid - Range - 0 to 1

→ non-zero centric funⁿ

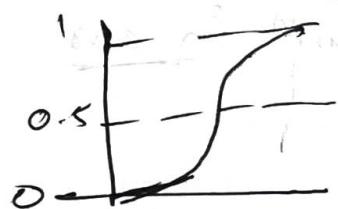
- Since, Sigmoid is non-zero centric funⁿ if non-zero centric funⁿ takes longer time to converge, so we avoid it. use in Hidden layer.

② \tanh :-

Sigmoid

$$- \sigma(z) = \frac{1}{1 + e^{-z}}$$

- range -0 to 1
- Non-zero centre funⁿ

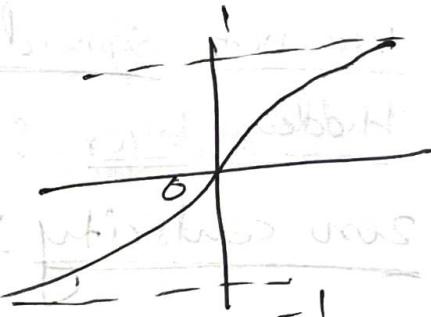


Tanh

$$- \tanh(z) = \frac{e^z - e^{-z}}{e^z + e^{-z}}$$

- range = -1 to 1

- zero centre funⁿ



* Advantage

- zero centre funⁿ

* Disadvantage

- It is computationally heavy compare to sigmoid

③ ReLU (Rectified Linear Unit)

- Non-zero centre funⁿ

$$\boxed{\text{relu}(z) = \max(0, z)}$$

$$\text{eg: } z = 55 \text{ or } z = -55$$

$$\text{where, } z = 55$$

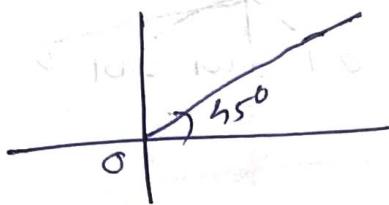
$$\text{relu}(55) = \max(0, 55)$$

$$\boxed{\text{relu}(z) = 55}$$

Where, $z = -55$

$$\text{relu}(z) = \max(0, -55)$$

$$(\text{relu}(z) = 0)$$



- 5% Chances - $z(-ve)$

* Advantages

- we can avoid vanishing gradient issue by using relu.

* Disadvantages

- non-zero centric funⁿ
- we might face Dead neuron / Dead relu issue

$$(S) \frac{d}{dz} 100.0 = 0$$

$$\left[100.0 = (S) \frac{d}{dz} \frac{0}{z} \right]$$



④ Leaky Relu

$$\text{relu}(z) = \max(0, z)$$

$$\text{lr}(z) = \max(0.001z, z)$$

0.1 0.001 0.01 0

Condition ① $z = +ve$

$$\frac{\partial}{\partial z} \text{lr}(z) = \frac{\partial}{\partial z} \max(0.001z, z)$$

$$= \frac{\partial}{\partial z} (z)$$

$$\boxed{\frac{\partial}{\partial z} \text{lr}(z) = 1}$$

Condition ② $z = -ve$

$$\frac{\partial}{\partial z} \text{lr}(z) = \frac{\partial}{\partial z} \max(0.001z, z)$$

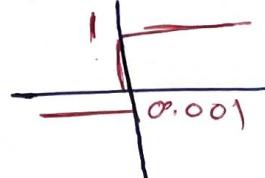
$$= -0.001 \frac{\partial}{\partial z} (z)$$

$$\boxed{\frac{\partial}{\partial z} \text{lr}(z) = -0.001}$$

Relu



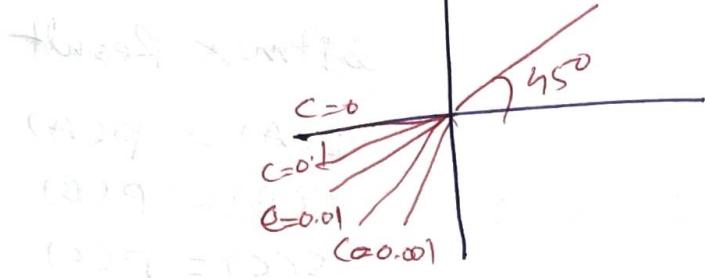
Leaky Relu



⑤ Poelu (Parametric ReLU)

$$\text{Poelu}(z) = \max(0.001z, z) - 18.$$

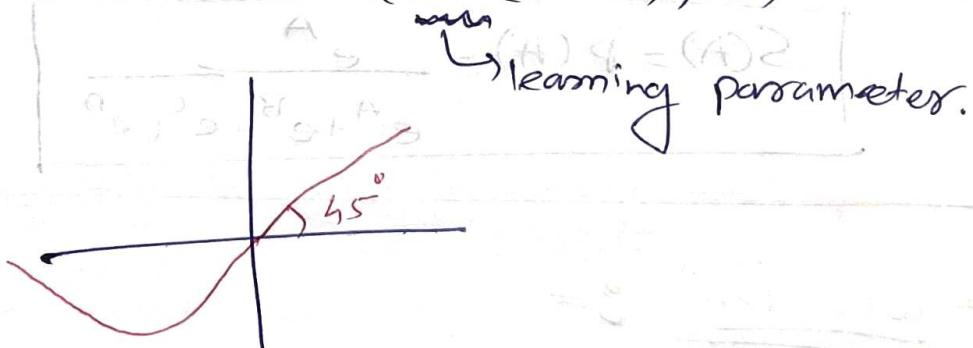
Leaky ReLU.



⑥ Elu (Exponential Linear Unit)

→ We get smooth learning. (work in case of Elu & it is also a zero centered fun).

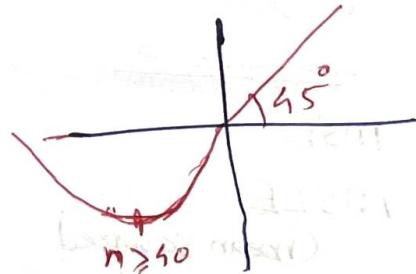
$$\text{Elu}(z) = \max(\alpha(e^{-z}-1), z)$$



⑦ Swish

$$\text{Swish}(z) = z \times \sigma(z)$$

$$\text{Swish}(z) = z \times \frac{1}{1+e^{-z}}$$



we can't use swish in case of shallow neural network.

only use $N \geq 40$, (N) No. of hidden layers.

⑧ Softmax :-

- It is a modified version of sigmoid fun.
- only use in multiclass classification.

classes

A

B

C

D

softmax Result

$$S(A) = p(A)$$

$$S(B) = p(B)$$

$$S(C) = p(C)$$

$$S(D) = p(D)$$

$$p(A) + p(B) + p(C) + p(D) = 1$$

$$\Rightarrow \max(p(A), p(B), p(C), p(D))$$

↳ classification

$$S(A) = p(A) = \frac{e^A}{e^A + e^B + e^C + e^D}$$

loss funⁿ :-

Regression loss

① MSE

② MSLE

(mean squared logarithmic error)

③ MAE

→ ReLU, LeakyReLU,
PReLU, ELU, Swish

Binary classif. loss

① Binary cross entropy loss funⁿ

② Hinge loss

→ Sigmoid

multiclass classif. loss

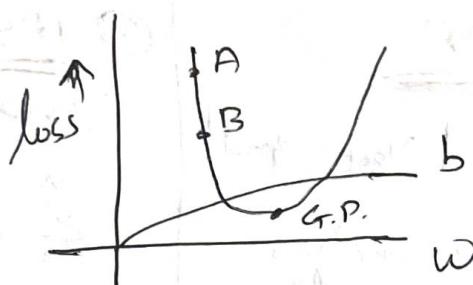
① multi-class entropy

Categorical crossentropy loss funⁿ

② Sparse multi-class sparse categorical

→ Softmax

Initializer \Leftrightarrow (Distribution)



works

Always same

Weight

Initializer (Distribution)

He initializer

Glorot initializer

He Uniform distribution

He normal distribution

Glorot Uniform

Glorot normal

* General thumb Rule :-

① Regression problem \Rightarrow He initializer

② Classification problem \Rightarrow Glorot initializer

Losses & weights are direct. \Rightarrow Repetition

It's like adding layers

① Regression loss fun

① MSE

$$= \sum_{i=1}^n (y_{act} - y_{pred})^2$$

- Use squared term
- can't use, when outliers present

② MAE

$$= \sum_{i=1}^n |y_{act} - y_{pred}|$$

- we use outliers are present.

③ MSLE

(mean squared logarithmic errors)

$$\sum_{i=1}^n (y_{act} - y_{pred})^2$$

(addition) ~~we will discuss~~

② Binary classification

loss fun

① Binary cross entropy log fun / log loss fun

$$f_{cross} = -\frac{1}{N} \sum_{i=1}^N [y_a \log y_p + (1-y_a) \log (1-y_p)]$$

Condition,

① classification \Rightarrow Binary

② output layer \Rightarrow Sigmoid

③ target variable \Rightarrow 0 / 1

② Hinge loss

Condition

① classification \Rightarrow Binary

② o/p layer \Rightarrow tanh

③ target variable \Rightarrow -1 / +1

③ multiclass classification loss funⁿ :-

④ multiclass cross ~~entropy~~ entropy loss funⁿ :-

conditions :-

① classification \rightarrow multi class

② o/p layer \rightarrow softmax

③ activation funⁿ



$$\text{loss} = \sum_{i=1}^M y_a \log(y_p).$$

② Sparse categorical cross entropy loss funⁿ :-

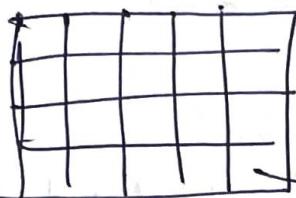
① classification \rightarrow multi class

② o/p layer \rightarrow softmax

activation funⁿ

CNN :- (Convolutional Neural Network)

→ Image processing



→ Image classification

image

↑ pixel

→ Resolution

→ pixels (64x64)

→ count app pixel

Laptop Screen

→ 15 inches



1366 x 768

→ 10 Lakh pixels.

1366

768

Pixel

→ if we take any 3 primary color of

if we change the color intensity of
brightness intensity. we can form
any required color.

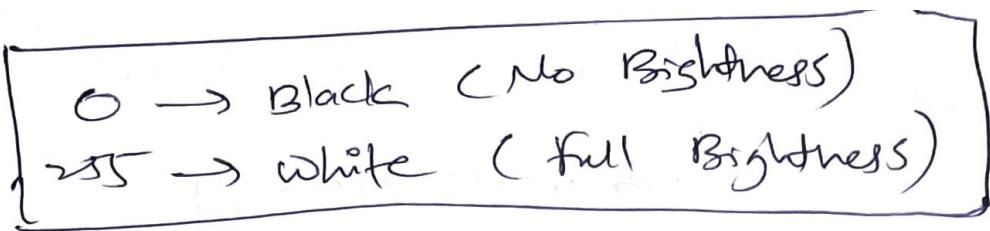
* RGB Format/Scale :-

- Color images form by using 'RGB' scale

- RGB scale we have 3 primary color.

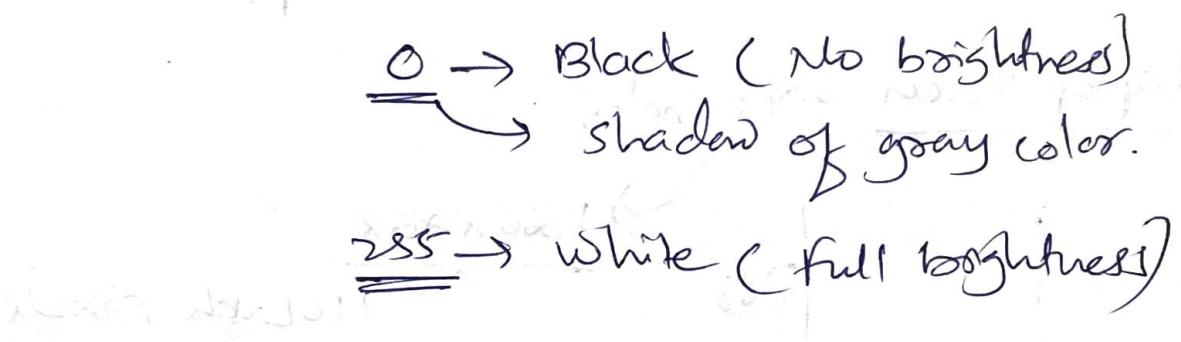
Range → 0 to 255

(Red, Green, Blue)



Gray Scale :-

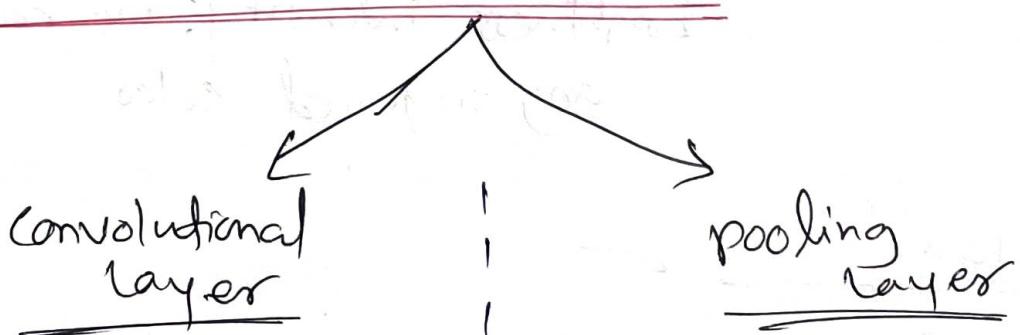
- Gray scale is use increase black & white image.
- In Gray scale, we have only one primary color.
- Range \Rightarrow 0 to 255



Note :-

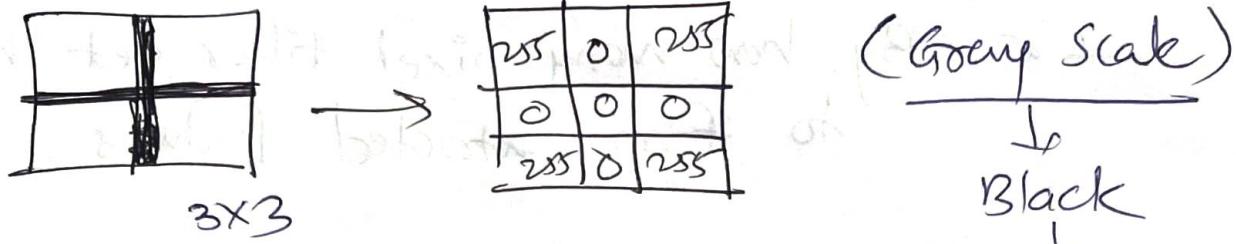
"In case of image processing & image classification each pixel act as individual features."

* Convolutional Neural Network :-



- It is used to extract features from the original image.

- It is used to reduce size of extracted features.



$$\text{No. of features} \Rightarrow 3 \times 3 \times 1 = 9$$

Color

Color image :-

RGB	RGB	RGB
+	-	-
.	-	-

3x3

Primary color \rightarrow 3

$$\text{No. of features} = 3 \times 3 \times 3 = 27$$

Color

* Color depth / Depth of Color :-

① Black & white image \rightarrow Black \rightarrow Color depth is one

(primary color) (100×100)
 $(100 \times 100 \times 1)$

② Color image \rightarrow 3 primary colors \rightarrow Color depth is three

(RGB) $(100 \times 100 \times 3)$
 $(100 \times 100 \times RGB)$

* Stride: By how many pixel filter get moved to form extracted features

* pooling layer: ~~the result of stride~~

- ① max pooling
- ② Avg pooling
- ③ sum pooling

* If we have bad quality img. (that means pixels are not good)

↳ [being good quality values pixel, we use max pooling]

* If we have good quality img. (that means pixels are good).

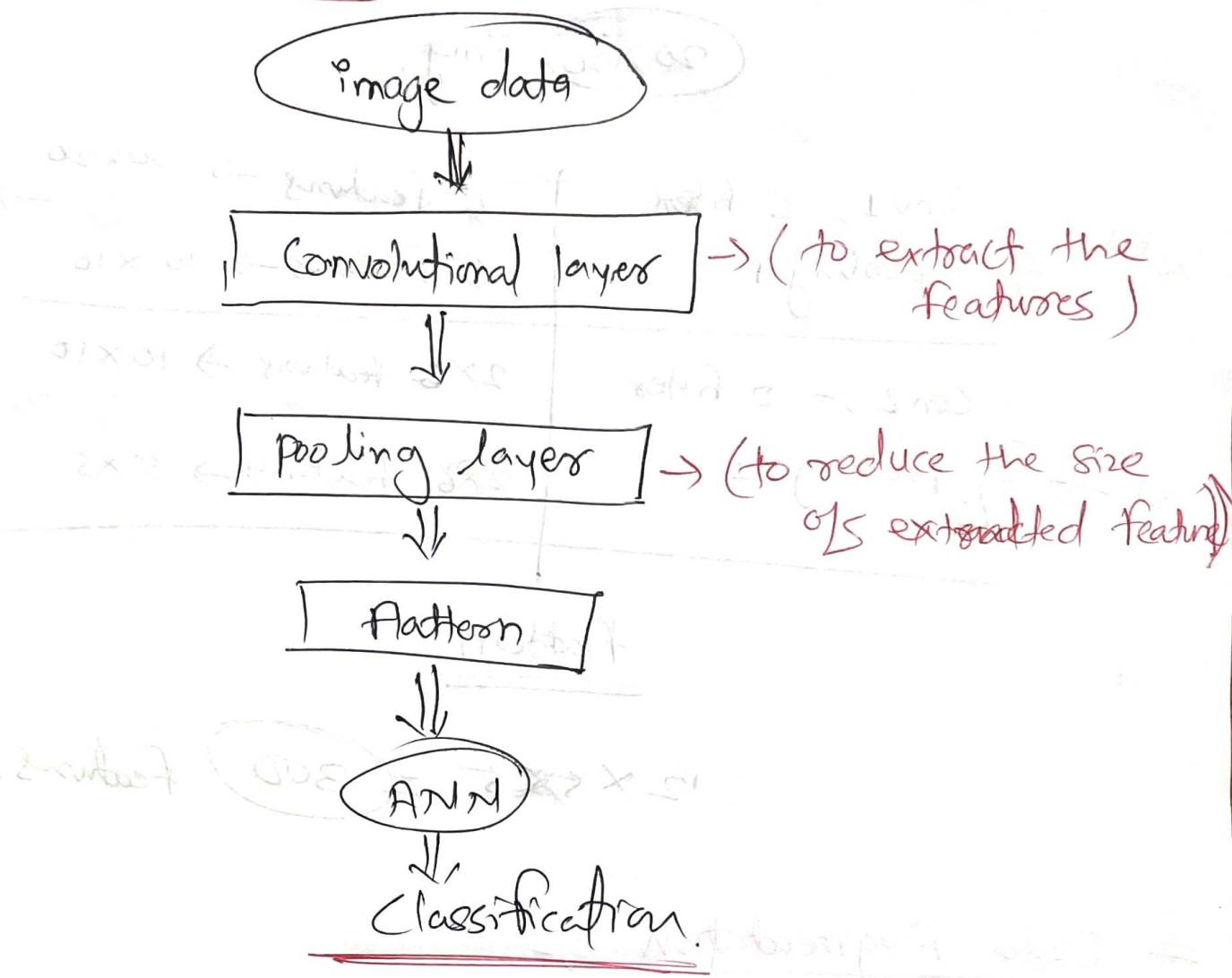
↳ [we use Avg pooling]

Note

① Bad quality image \Rightarrow Max pooling

② Good quality image \Rightarrow Avg pooling.

Flow of CNN :-



⇒ Suppose we have 2 image of size 3×3 .

	p	q	r
a	0	121	25
b	123	255	236
c	235	145	125

cat

	p	q	r
a	12	125	25
b	34	40	52
c	125	0	35

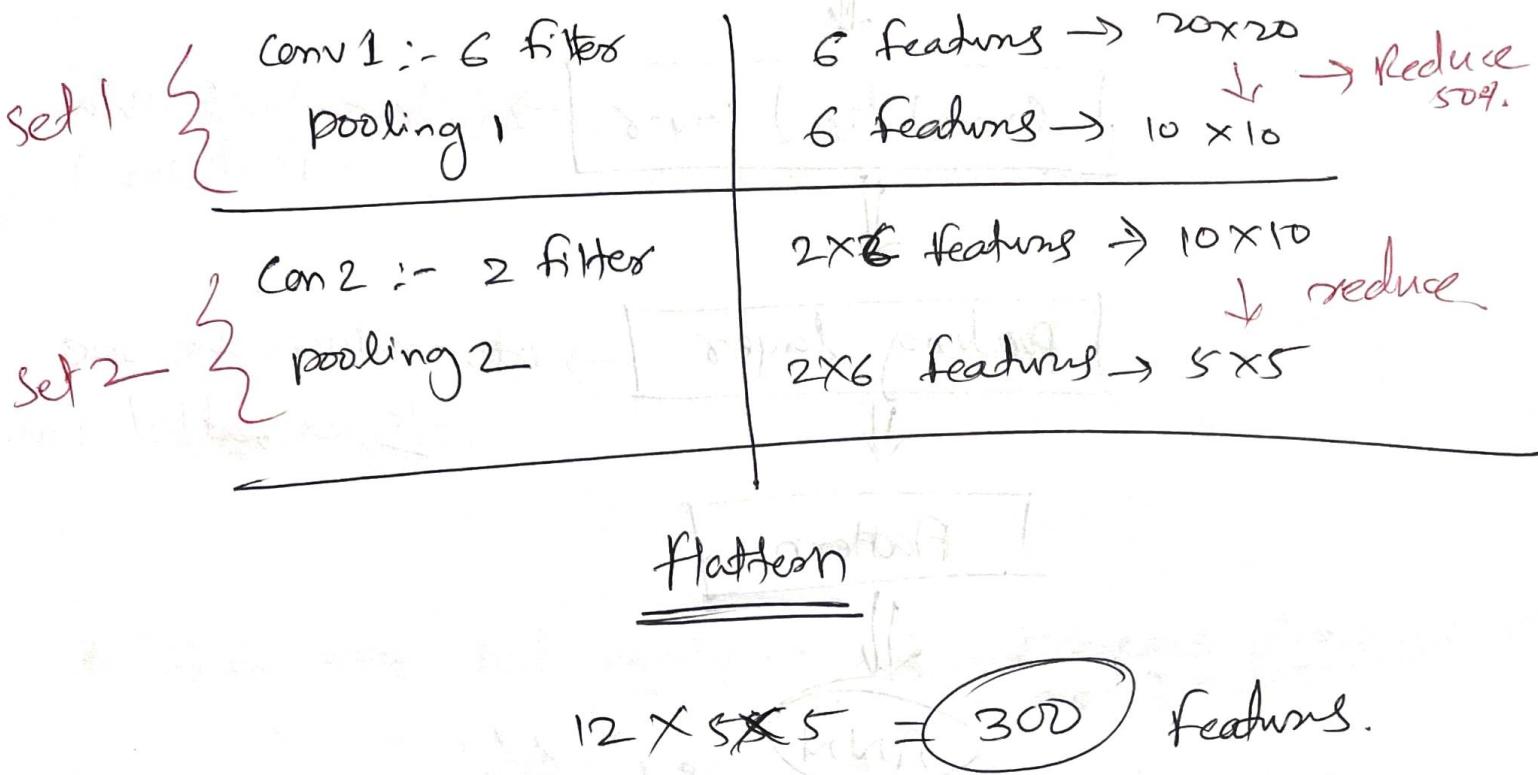
Dog

feature Names →

ap, aq, ar
bp, bq, br } 9 features.
cp, cq, cr

⇒ Suppose we have 20×20 image

20×20 img.



Data Augmentation :-

We are trying to generate synthetic copies from the original image by considering different logic.



• 60% crop \rightarrow more context
• 20% crop \rightarrow less context
• 50% crop \rightarrow same context