

## 55. Jump Game

Medium

👍 10730

💬 615

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You are given an integer array `nums`. You are initially positioned at the array's **first index**, and each element in the array represents your maximum jump length at that position.

Return `true` if you can reach the last index, or `false` otherwise.

### Example 1:

**Input:** `nums = [2,3,1,1,4]`

**Output:** `true`

**Explanation:** Jump 1 step from index 0 to 1, then 3 steps to the last index.

### Example 2:

**Input:** `nums = [3,2,1,0,4]`

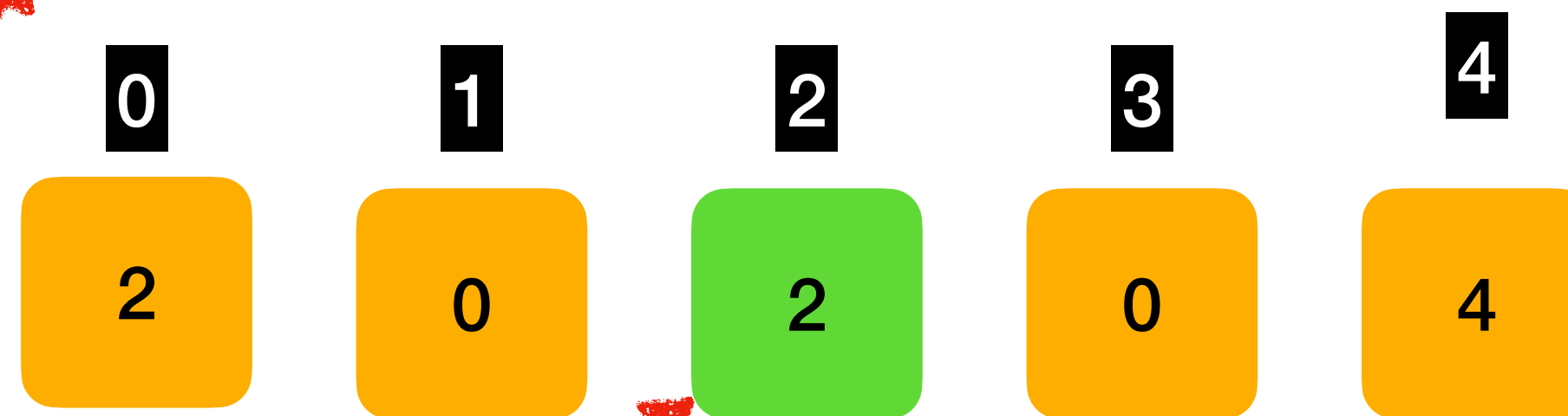
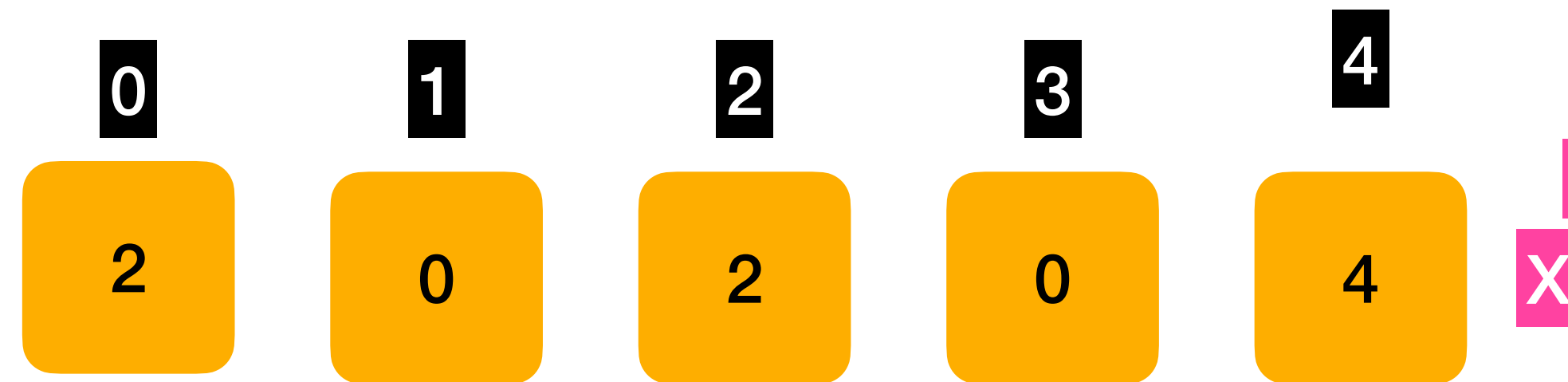
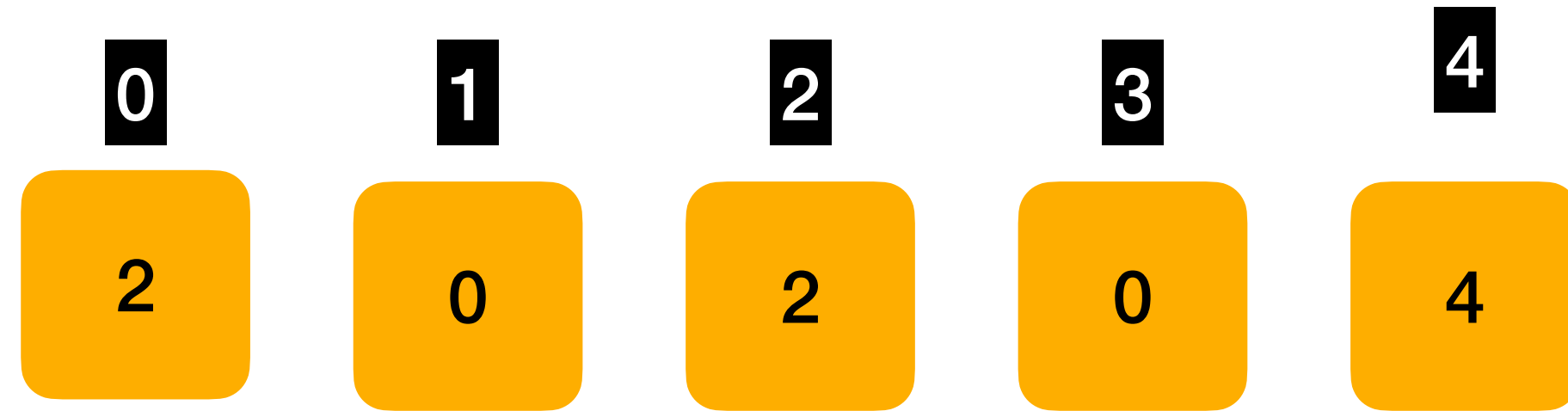
**Output:** `false`

**Explanation:** You will always arrive at index 3 no matter what. Its maximum jump length is 0, which makes it impossible to reach the last index.

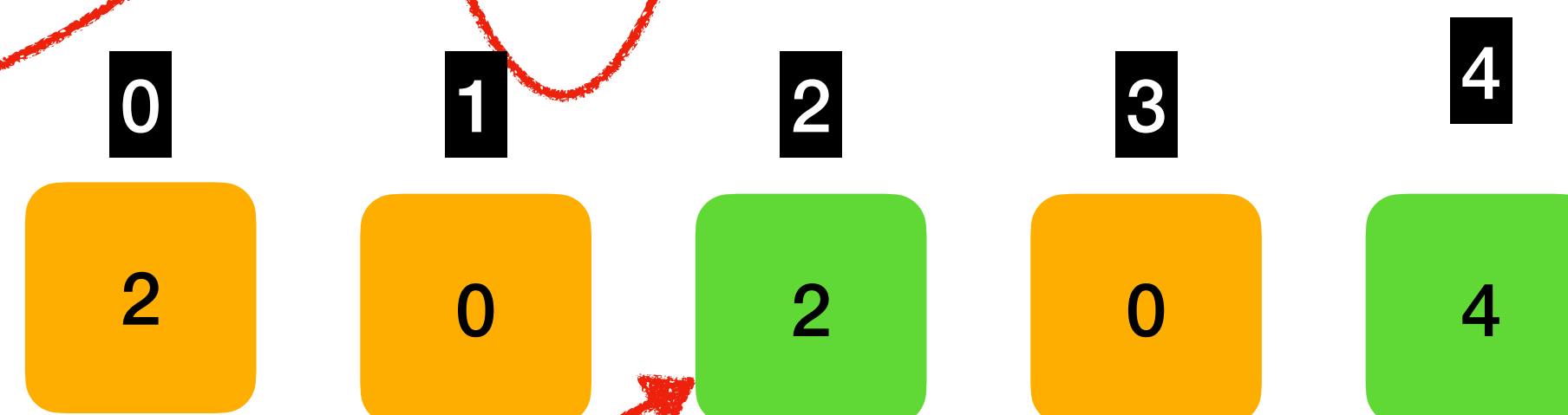
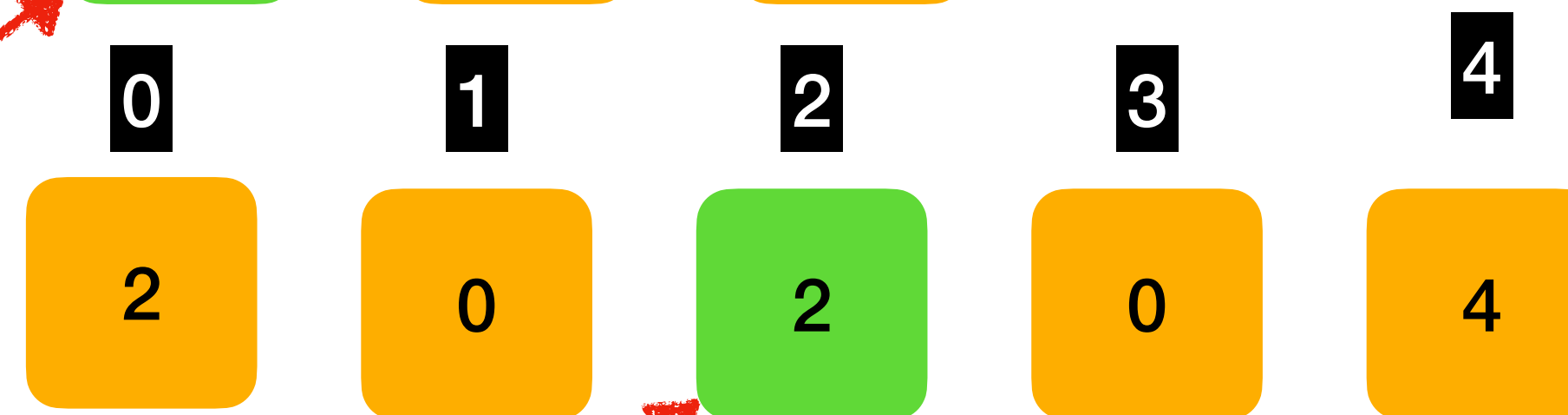
### Constraints:

- `1 <= nums.length <= 104`
- `0 <= nums[i] <= 105`

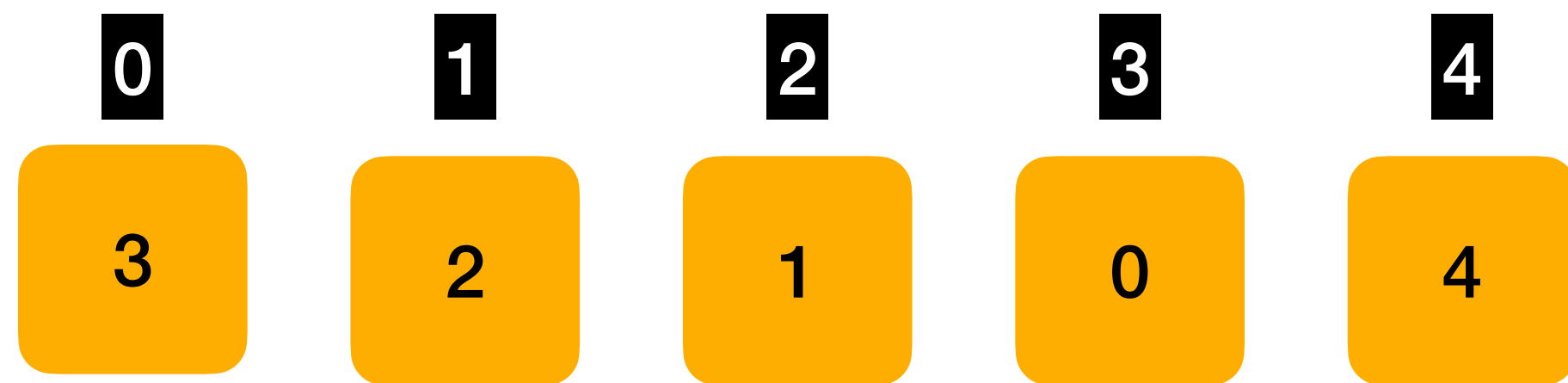
At each  $i^{\text{th}}$  index, at max we can take `nums[i]` jumps



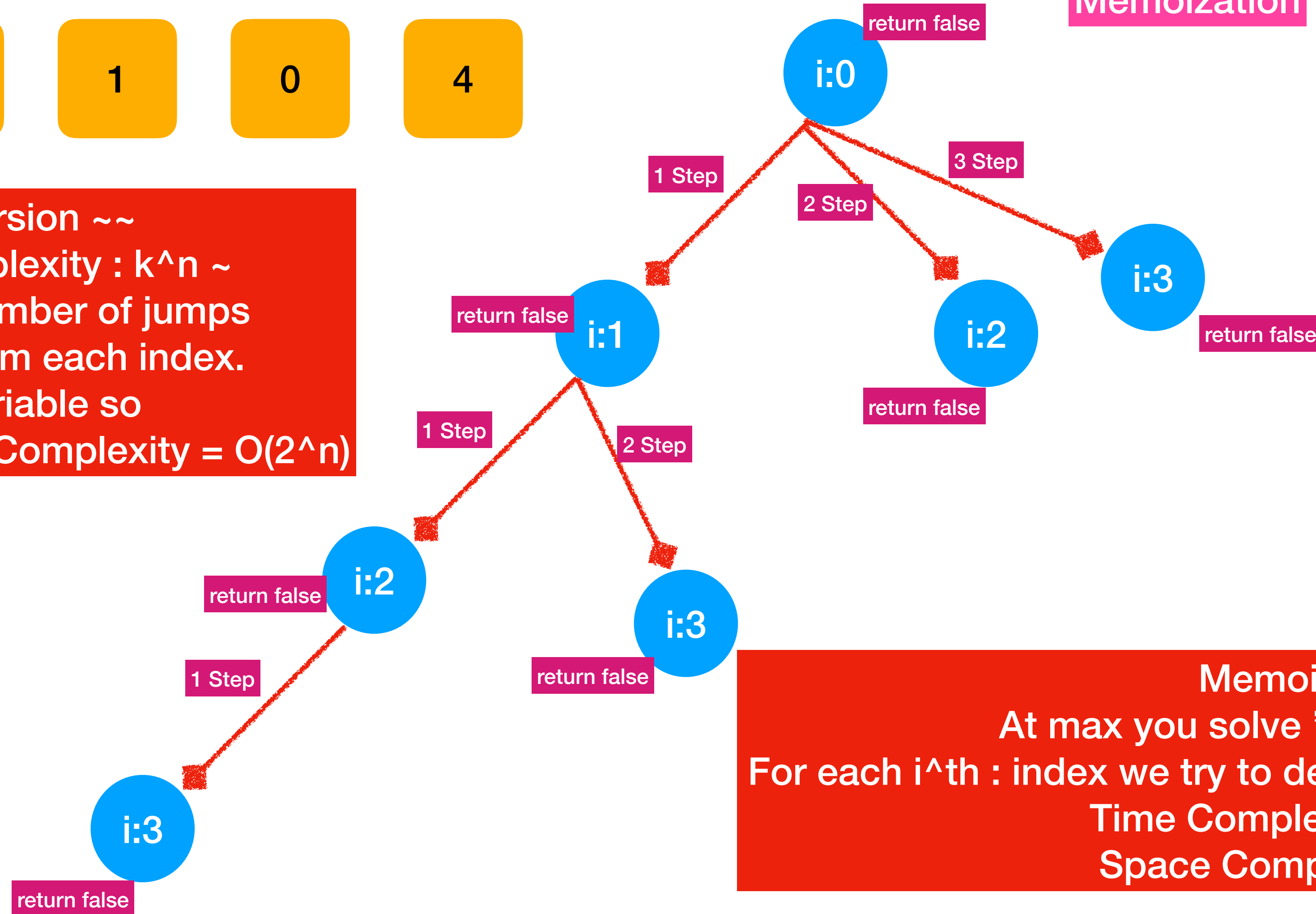
Lets take 2 jump's from index:0 so we can reach to index:2



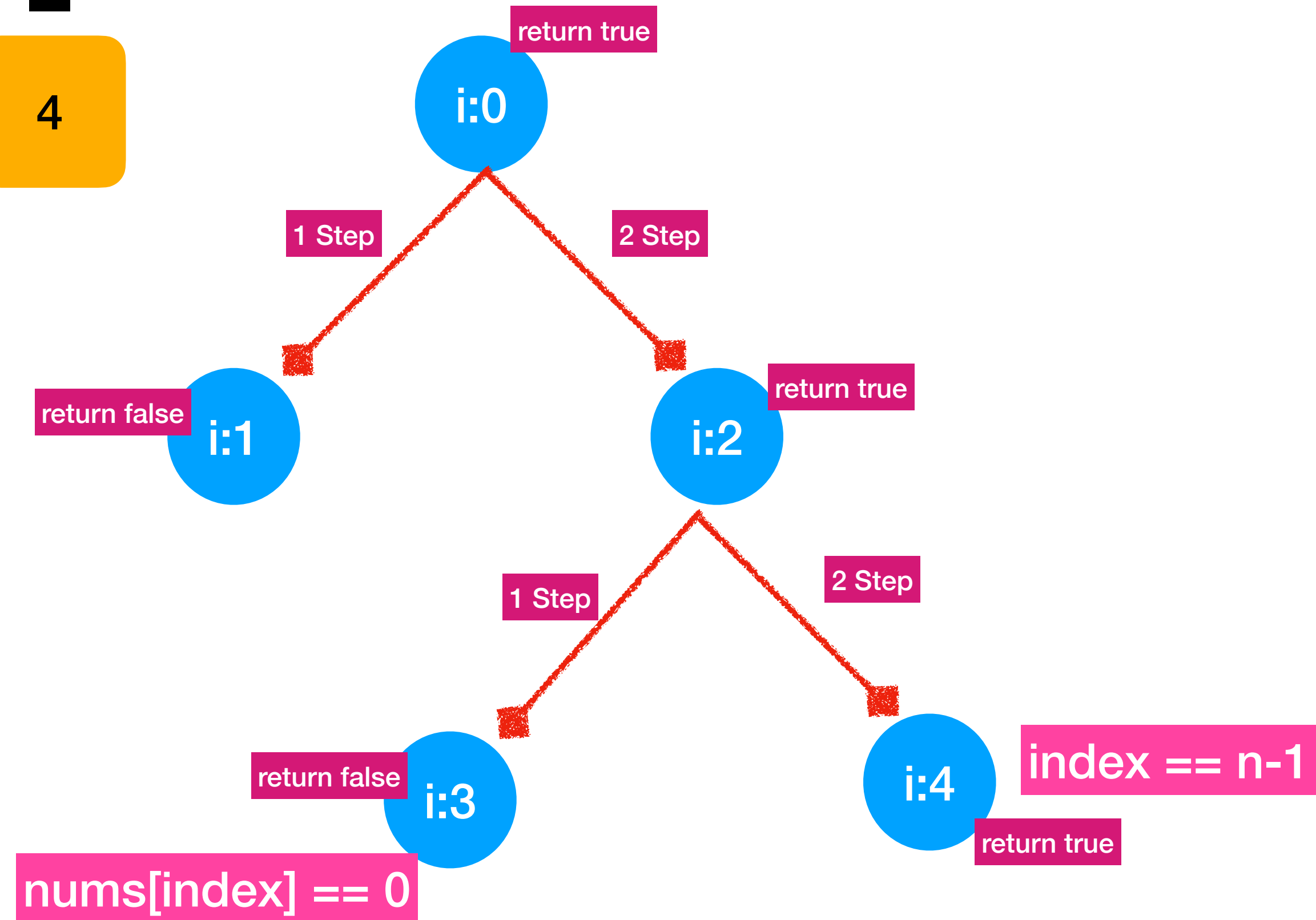
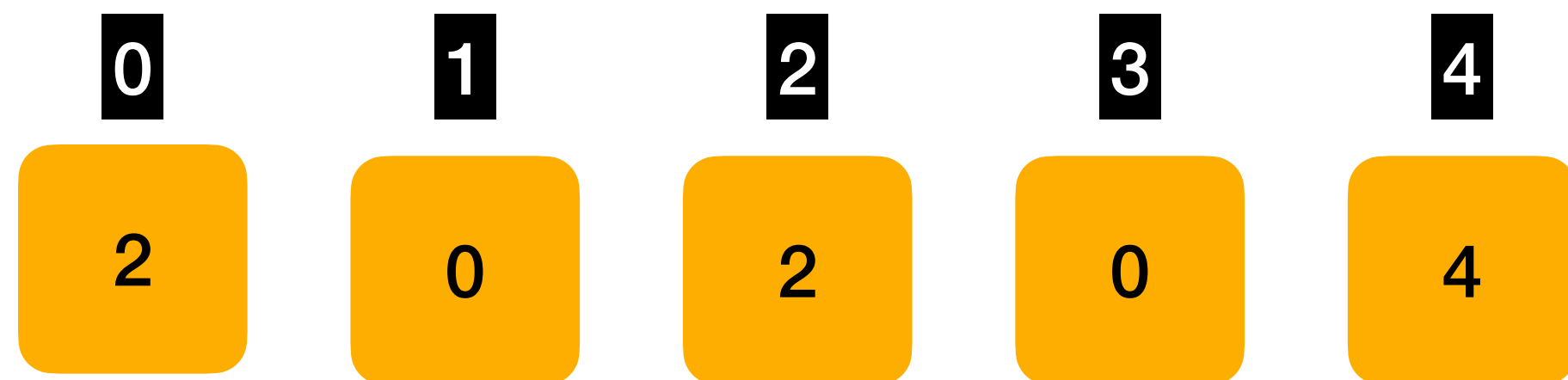
From index:2  
By taking 2 jump's  
you can reach the target.



Recursion ~~  
Time Complexity :  $k^n$  ~  
Here k is number of jumps  
we take from each index.  
Its variable so  
on and avg Time Complexity =  $O(2^n)$

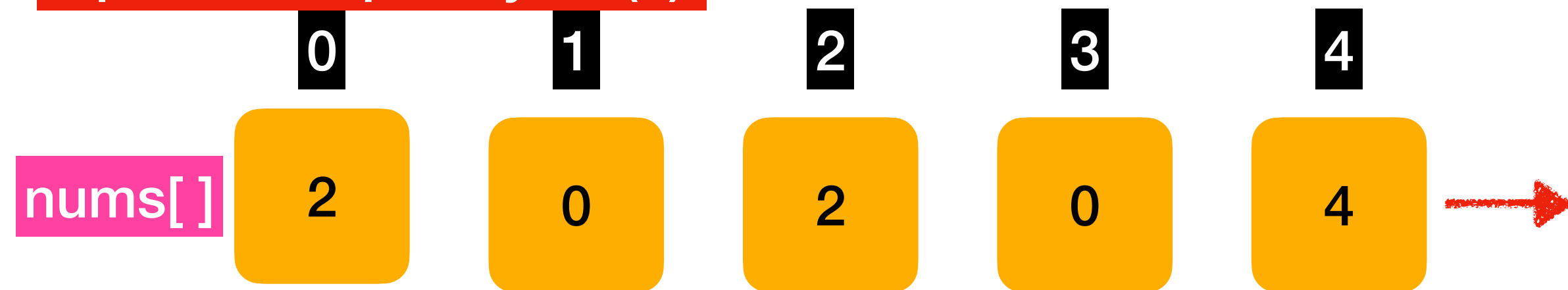


Memoization  
At max you solve 'n' Sub Problems.  
For each  $i^{\text{th}}$  : index we try to derive  $(i+1)$  to  $(n-1)$  sub problems.  
Time Complexity :  $O(n^2)$   
Space Complexity :  $O(n)$



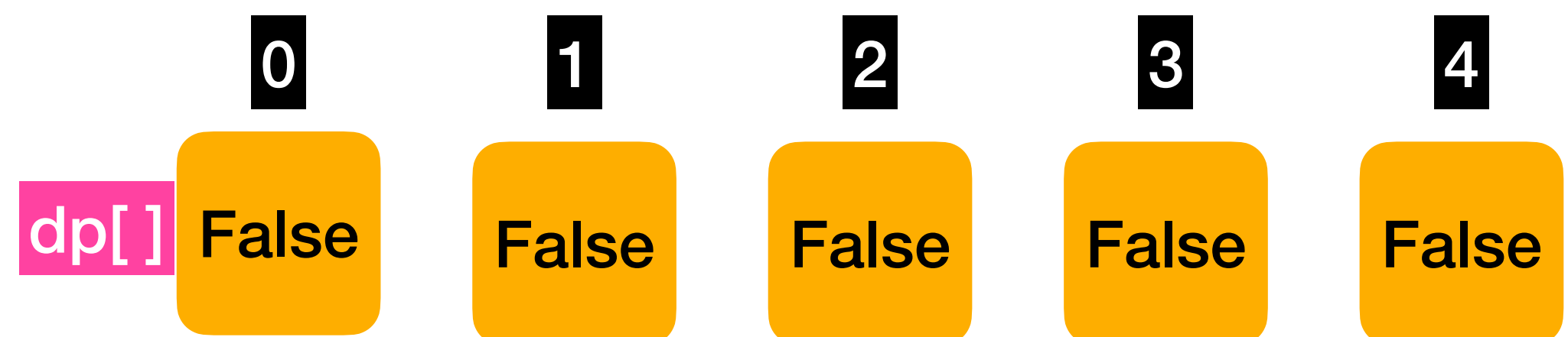
**Memoization**  
At max you solve 'n' Sub Problems.  
For each i<sup>th</sup> : index we try to derive (l+1) to (n-1) sub problems.  
Time Complexity :  $O(n^2)$   
Space Complexity :  $O(n)$

Tabulation  
Time Complexity :  $O(n^2)$   
Space Complexity :  $O(n)$



Tabulation

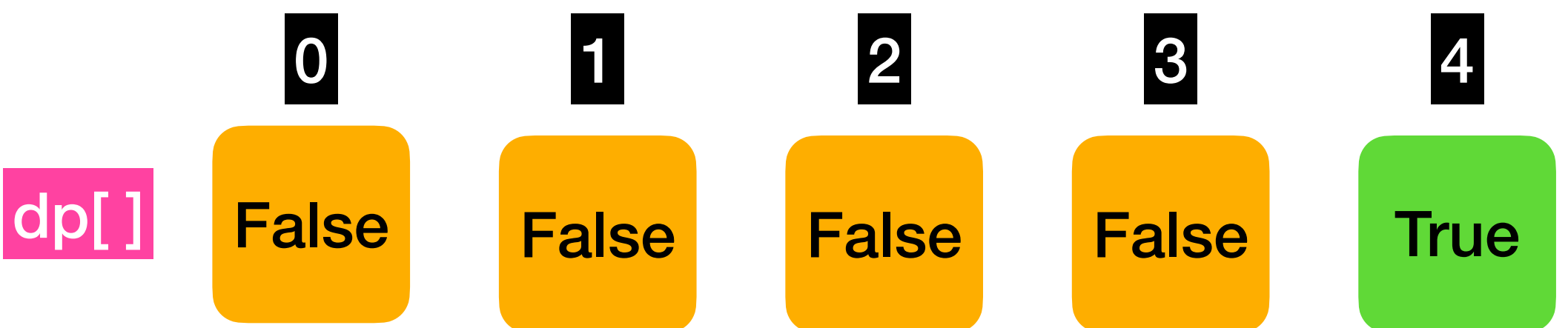
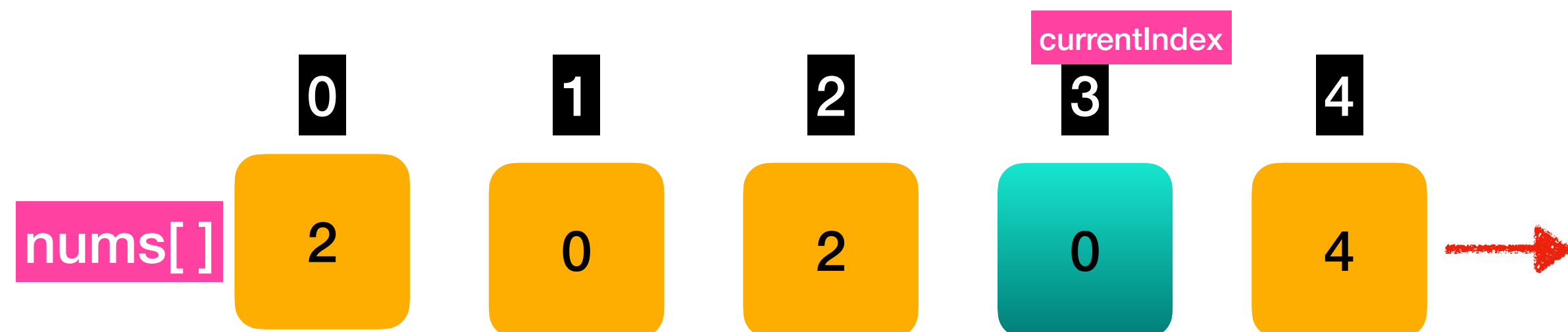
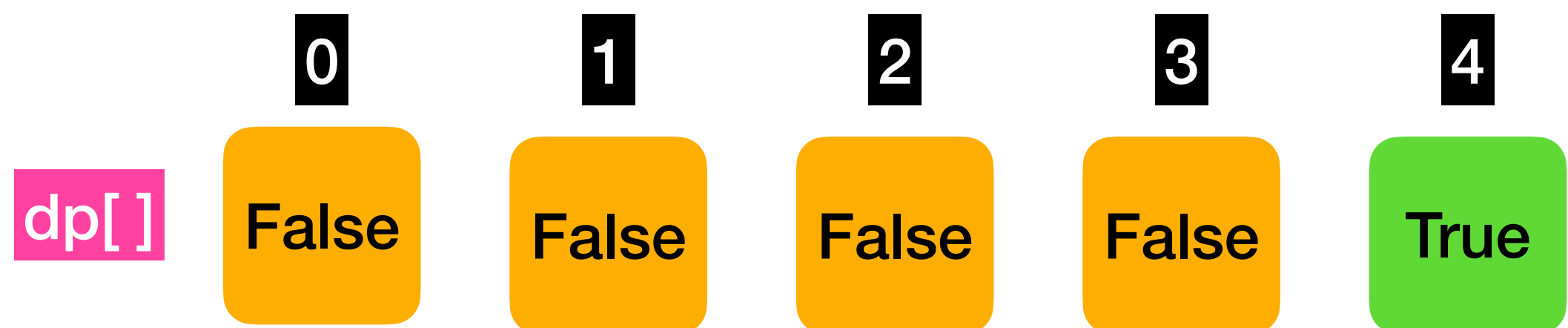
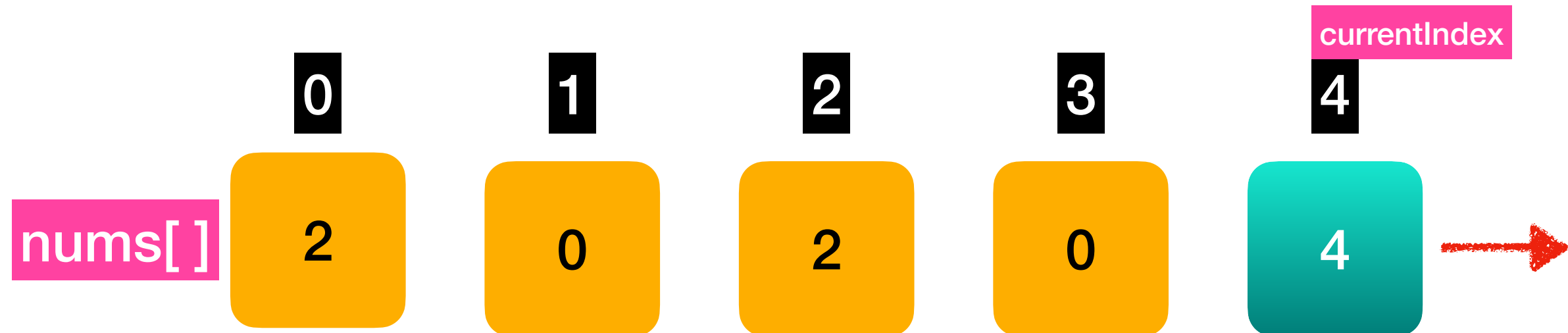
Bottom-Up Approach,  
we solve the subproblem then reuse in next sub problem.



We should start from n-1 index to achieve bottom up approach

Feeding SubProblem Results

If you are at n-1 index,  
it always be true.  
 $dp[n-1] = \text{True}$



MaxJumps you can take is zero  
so no update on dp[ ]

