

Find the number of subset arrays count to form targetSum.

<https://www.codingninjas.com/>

( Number Of Subsets )

nums[i] →

All are positive integers

int[] {1,3,7,6,2,9} : targetSum = 9

{1,6,2} = 9

{3,6} = 9

{7,2} = 9

{9} = 9

Return : No.Of Ways 4

int[] {1,1} : targetSum = 1

{1} = 1 → From index :0

{1} = 1 → From index:1

Return : No.Of Ways 2

int[] {1} : targetSum = 1

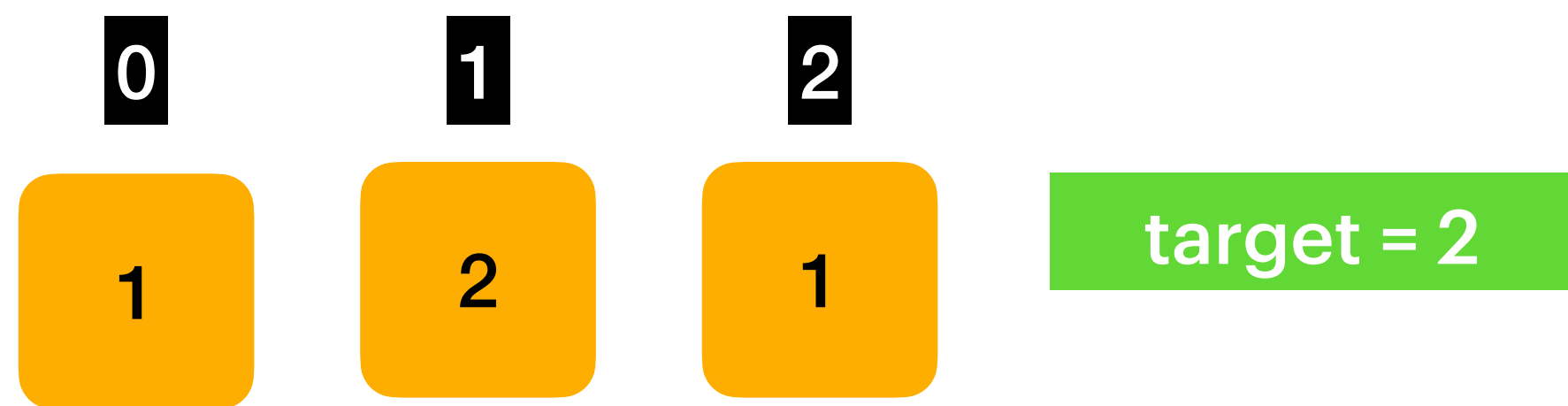
{1} = 1

Return : No.Of Ways 1

int[] {1,3,1} : targetSum = 2

{1,1} = 2

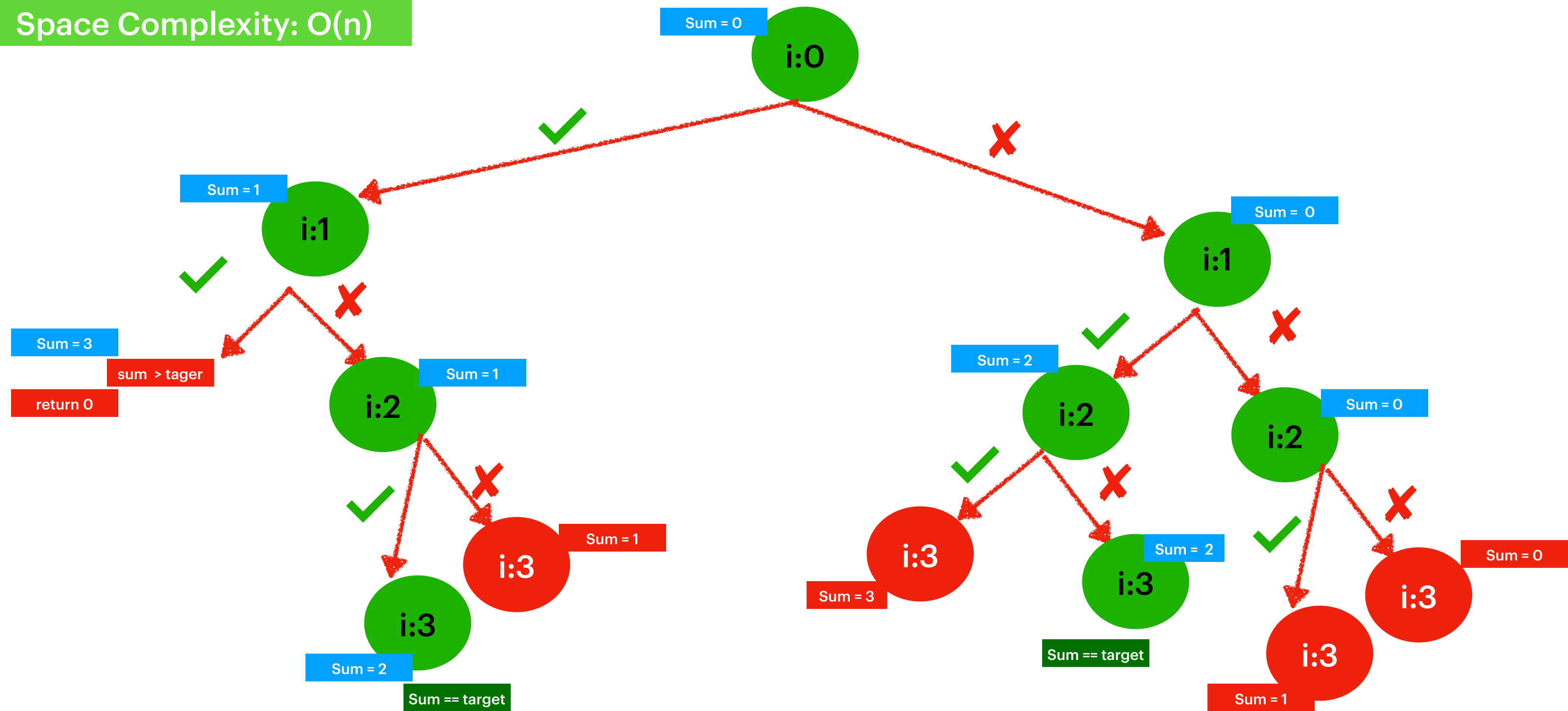
Return : No.Of Ways 1

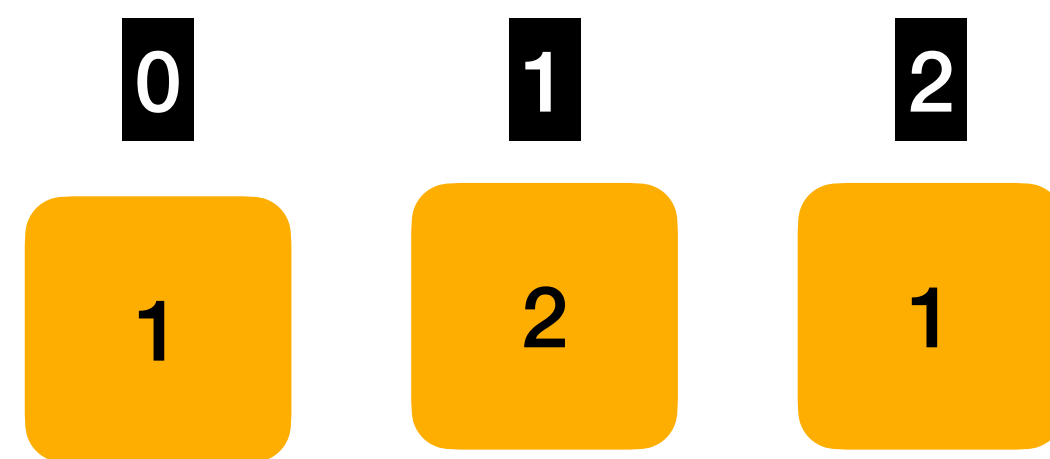


Recursive :  
Time Complexity :  $O(2^n)$   
Space Complexity:  $O(n)$

Nums : {1,2,1}  $\rightarrow$  target : 2

{1,1} = 2  
{2} = 2  
No.Of Ways = 2





target = 2

int[][] dp =  
new int[nums.length][target+1];

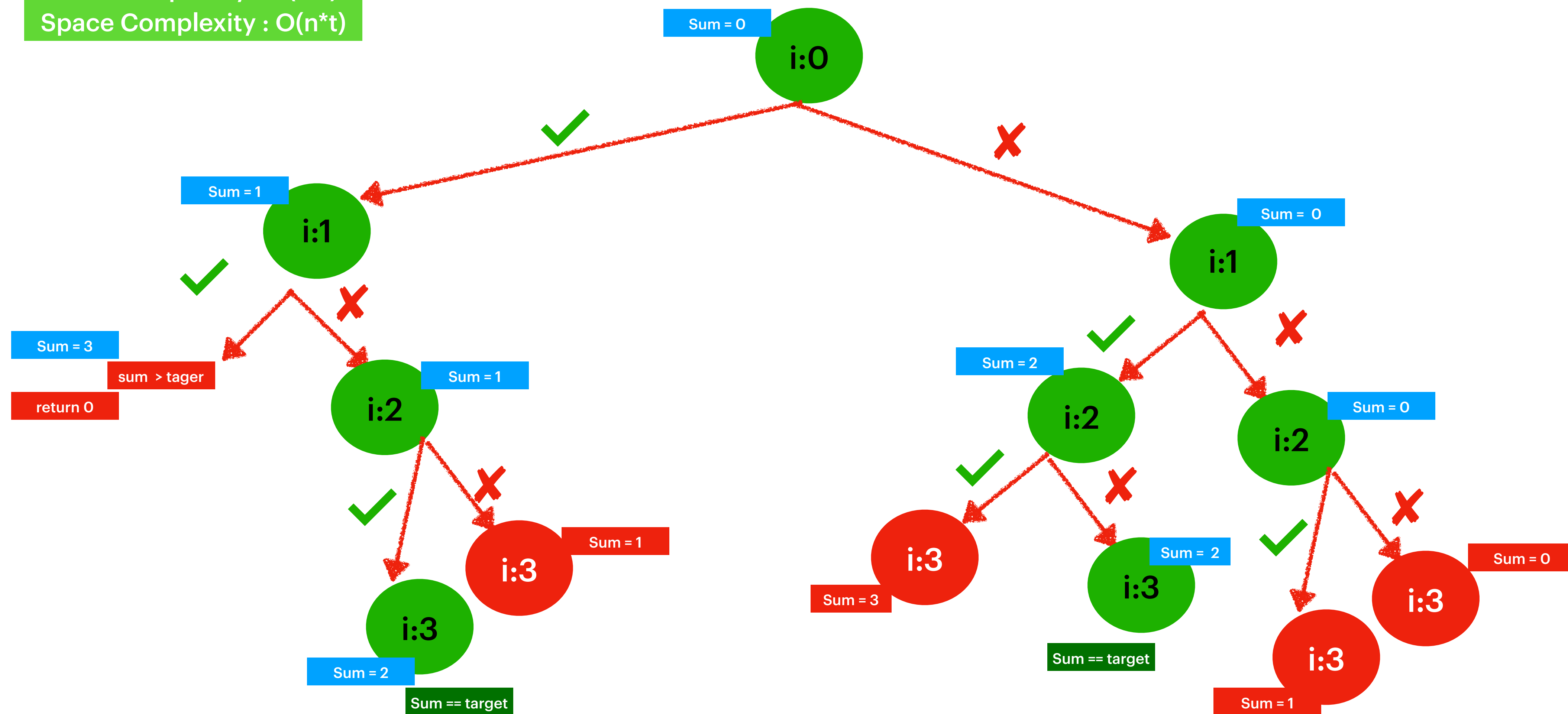
Time Complexity :  $O(n \cdot t)$   
Space Complexity :  $O(n \cdot t)$

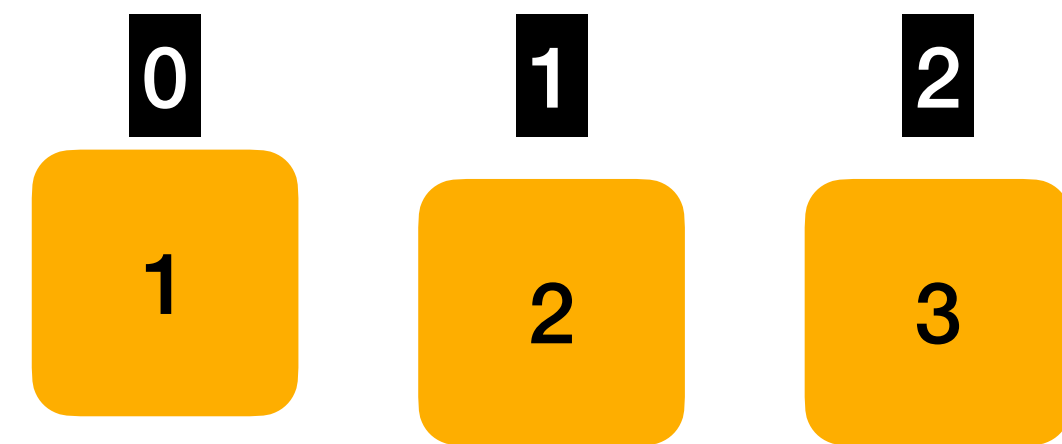
Nums : {1,2,1}  $\rightarrow$  target : 2

{1,1} = 2

{2} = 2

No.Of Ways = 2





target = 3

`int[][] dp = new [nums.length] [target+1]`

An Empty SubSet represents 0 so for 0 always counter will be 1.

Possible Subsets.  
{1,2} {3}  
Output: 2

Time Complexity :  $O(n \cdot t)$   
Space Complexity :  $O(n \cdot t)$

Column Target

t:0	t:1	t:2	t:3
1	1	0	0
1	1	1	1
1	1	1	2

i<sup>th</sup> Element  
Element

`nums[i] <= capacity`

`nums[i] > capacity`

Take  
IncludeCount + excludeCount  
result

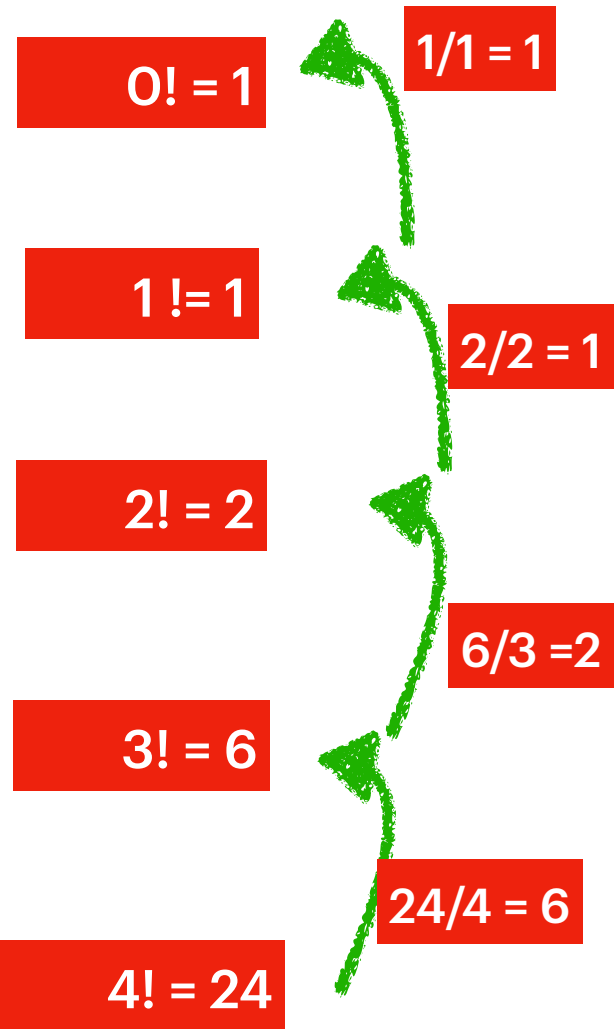
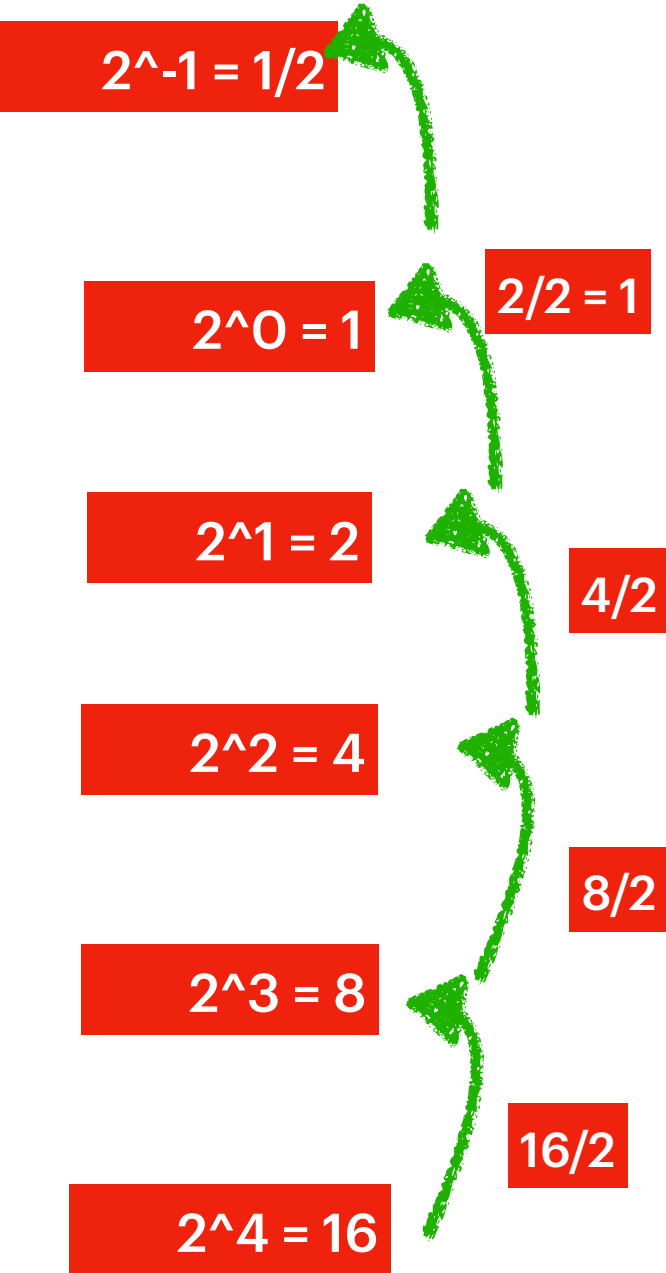
Take Exclude Count  
`dp[i-1][c]`

`dp[i-1][c-nums[i]] + dp[i-1][c]`

1 i:0 -> {1}

1 2 i:1 -> {1,2}

1 2 3 i:2 -> {1,2,3}



0	{ }	1
1	{ 1 }	1
2		