

UNIT 1

PROBLEM SOLVING

1) A robot is tasked with finding a path from a starting point to destination in an unknown terrain represented the graph.

- Implement and demonstrate the working of ucs to find the optimal path
- compare the ucs algorithm with bcs and dfs for the same problem.

Ans:-

Robot Navigation is a generalization of the route finding problem. A robot can move in a continuous space with an infinite set of possible action and states. For a circular robot moving on a flat surface space is essentially 2D. When the robot has arms and legs or wheel then it must be controlled in many dimensions.

1) States:-

Locations, positions.

2) Initial state:- start (depends on task)

3) Function :-

Movements

4) Goals

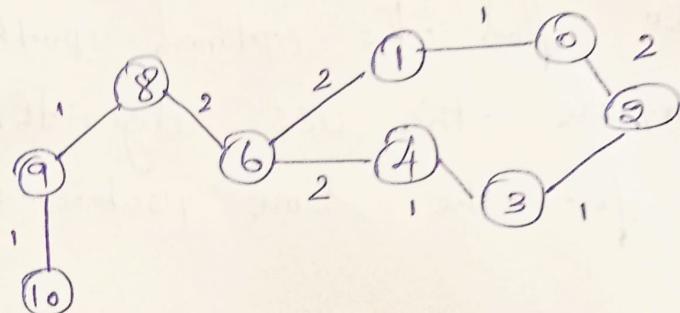
Tasks

5) Path :-

Distance, Energy.

Simple Random representation :-

Start pose

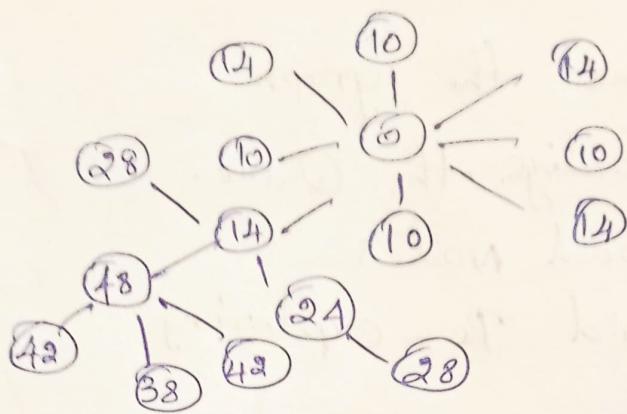


Goal pose

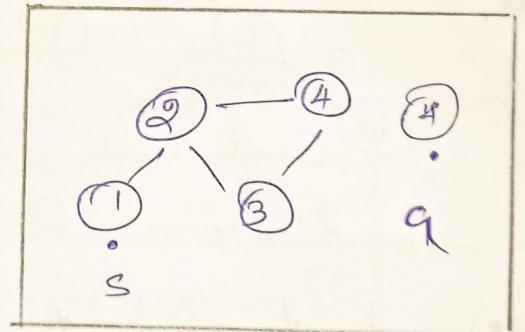
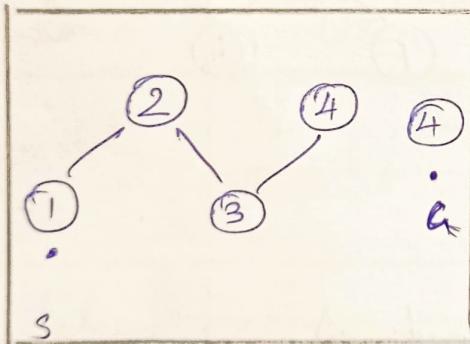
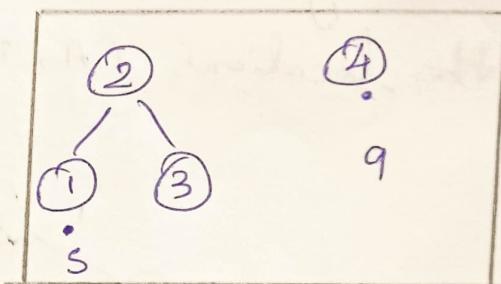
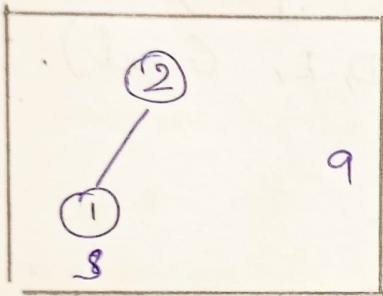
54	44	34	24	14	10	74	34
50	40	30	20	10	9	10	20
54	44	34	24	14	10	14	24
58	48	38	48	24	20	24	28
62	52	42	38	34	30	34	38
60	56	52	48	44	40	44	48

→ Optimal path

A* Search



\therefore no need to search fall path



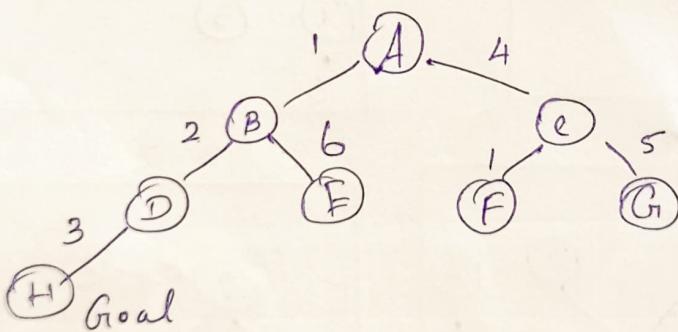
a) uniform cost search (ucs) is an uninformed search algorithm that finds the least cost path from start node to goal node. It is similar to Dijkstra's algorithm and ensures the optimal path in a weighted graphs:

Steps:-

1. Define the graph
2. Initialize the Queue.
3. Expand Nodes
4. Avoid Re-exploring.

Example:-

Imagine a robot navigating a warehouse with locations (A, B, C, D, E, Goal). The cost to



execution:-

i) start at A (cost 0).

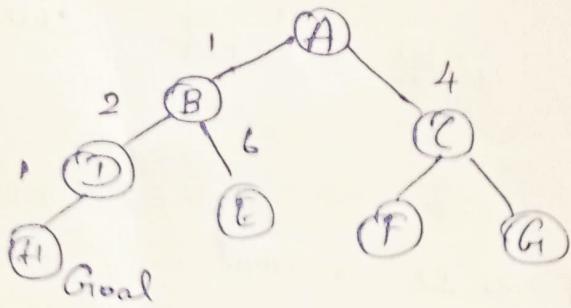
Expand to B (cost 1)

Expand to C (cost 4)

ii) B is taken as parent due to low cost (.)

Expand B(.) \rightarrow D (3), E (6)

D is taken due to its low cost.



step (iii) Expand D:

H is taken

∴ Goal node is achieved.

b) Compare the UCS algorithm with BFS and DFS for the same problem.

Comparison:-

Criteria	UCS	BFS	DFS
optimality	Always finds the least cost path	Finds the shortest path	Does not guarantee optimality
completeness	Always completes if a solution exists	Always completes if a solution exists	May get stuck in infinite loop
Time complexity	$O(b^d)$	$O(b^d)$	$O(b^d)$
Space complexity	$O(b^d)$	$O(b^d)$	$O(b^d)$

1. COS::
expands node with least cumulative cost.

Path: A → B → D → Goal
cost = 6

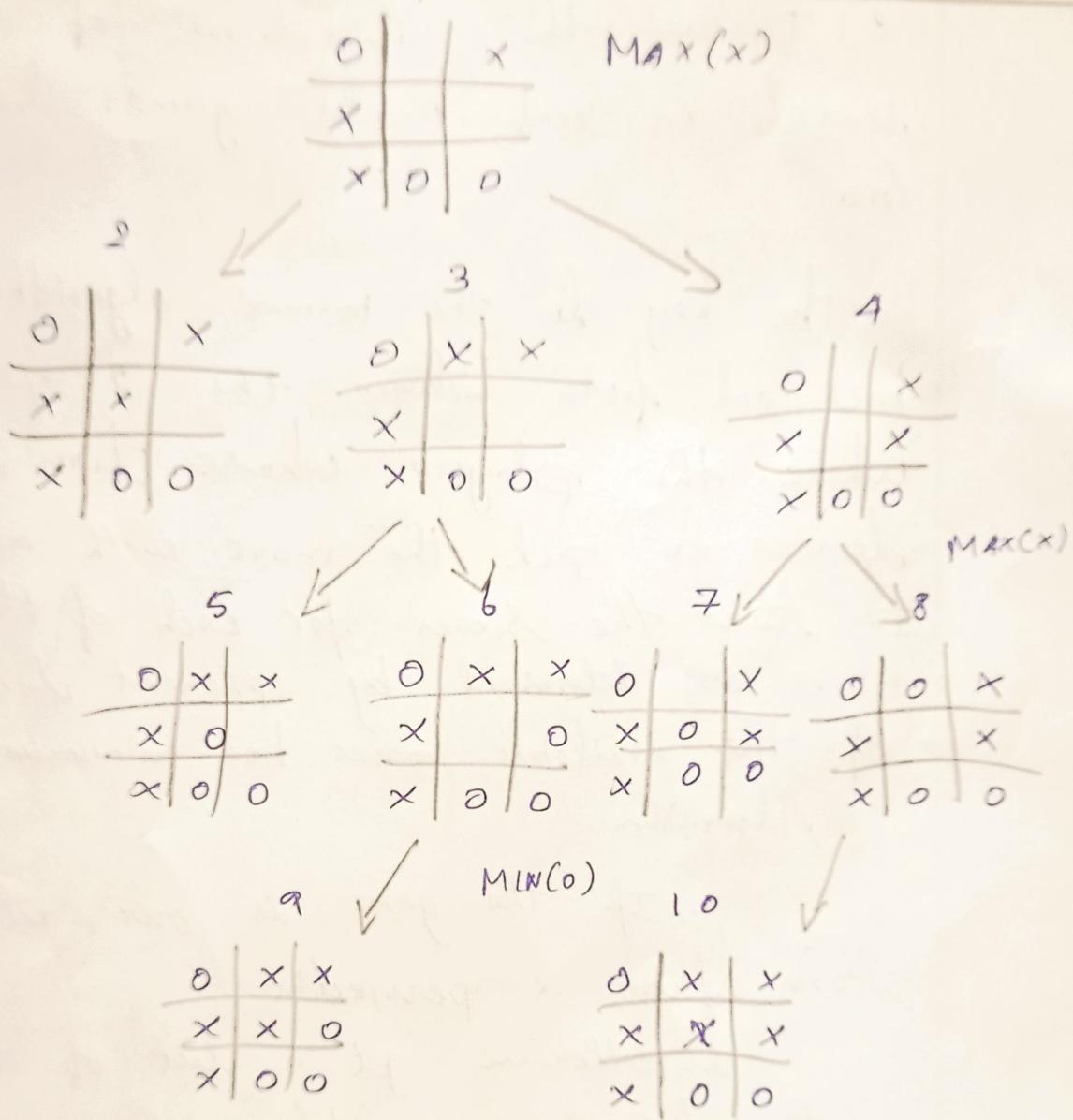
2. BFS::
Expands all at current level

Path: A → B → D → Goal
All costs are so all but not optimal

3. DRS::
Explores as deep as possible.

Possible path: A → C → B → Goal
cost = 7

- 2) Develop a two player game and implement the minimax algorithm for game.
- a) extend the implementation with Alpha Beta pruning to improve efficiency
 - b) compare the performance of minimax with and without alpha beta pruning



The implementation of Alpha-Beta pruning with the min max algorithm for tic tac toe. If focus on creating a computer player that uses alpha beta pruning as a search algorithm.

($\alpha - \beta$) pruning is a search algorithm commonly used in game theory to improve decision-making algorithm.

Result:

e) Discuss the limitations of adversarial search in real world games like chess or Go.

The key to the minimax algorithm is a back and forth between the 2 players, where the player whose turn it is desires to pick the move with max score. In turns the scores for each of the available moves are determined by opponent decides which of the available moves has minimum score.

Algorithm:

1. If the game is over, return the score from X perspective
2. otherwise get a list of new game states for every possible moves.
3. Create a score list.
4. For each state add minimax result of the state
5. If its X's turn, return the max score
6. If its O's turn return the min score

Let's show why algorithmically, the instant winning move will be picked.

b) MinMax Vs $\alpha - \beta$ Pruning

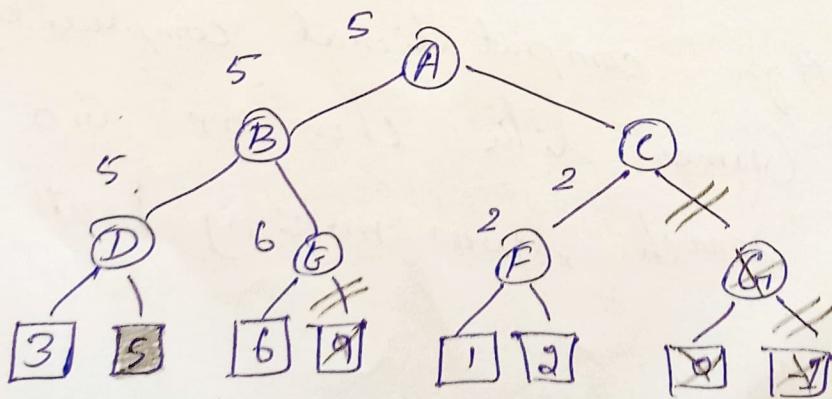
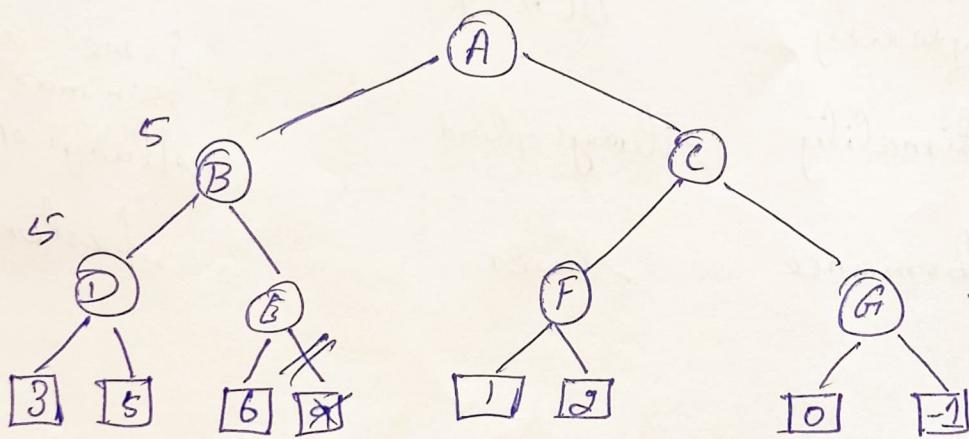
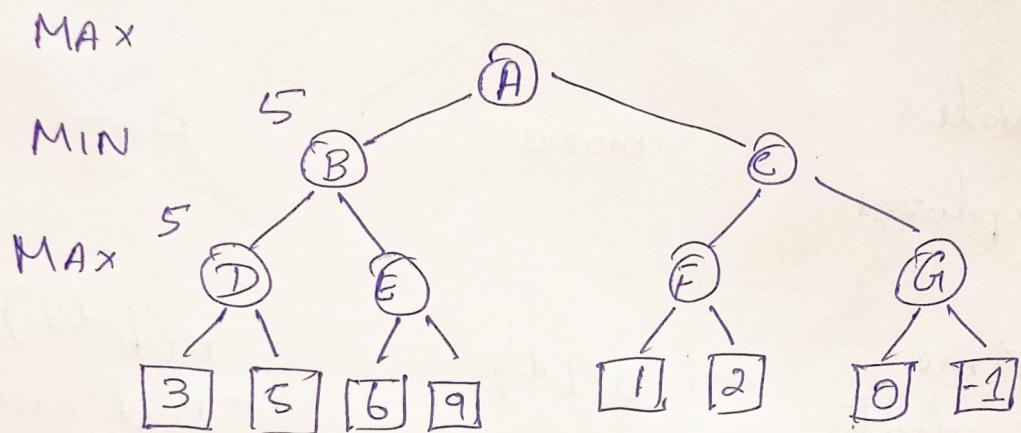
Features	without pruning	with Pruning
Nodes Explored	more	Fewer
Time complexity	$O(b^d)$	$O(b^{d/2})$ Best case
Space complexity	$O(b^d)$	$O(bd)$ Same as min max Always optimal
Optimality	Always optimal	Always optimal
Performance	slower	faster.

c) Limitations:

1. High computational complexity:

Games like chess or Go have enormous search spaces making brute-force MinMax.

- 1) -1 if the player 'o' that seeks min wins
- 2) 0 if its a tie
- 3) 1 if player 'x' wins \Rightarrow max wins



The optimal value is : 5

2. Depth limitation:

Due to time constraints the search depth is limited leading a suboptimal decision.

3. Heuristic Dependency

Strong AI relies heuristics which may or not have accurate.

4. Handling uncertainty

5. Memory constraints

6. Real - Time Decision making

7. Human Intuition Gap:

AI lacks creativity and long-term planning compared to human intuition.

These are the some of the limitations of Adversarial Search in Games like chess or Go.

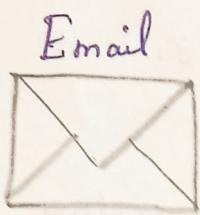
May be in future the limitations will be resolved.

UNIT - 2

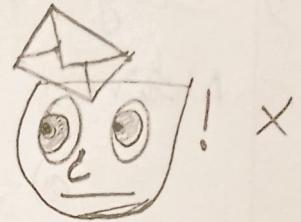
PROBABILISTIC REASONING

- I) Design a Spam email classifier using the Naïve Bayes Algorithm.
- Explain the assumptions behind the Naïve Bayes model
 - Implement the algorithm to classify emails into "Spam" or "Not Spam" based on word frequencies
- Naïve Bayes classifiers are supervised machine learning algorithms used for classification tasks, based on Bayes theorem to find probabilities.
- Naïve - assume the presence of one feature does not affect other.
- Bayes - refers to basis in Bayes theorem.

S. No	outlook	temperature	humidity	play Golf
0	Rainy	Hot	High	No
1	Rainy	Hot	High	No
2	Overcast	Mild	Hight	Yes
3	Sunny	Cool	Normal	Yes
4	Sunny	Cool	Normal	Yes
5	Sunny	Hot	High	No



Machine
Learning
Model



Calculation helps to understand:

$$S[+] = \frac{C_{\text{spam}(T)}}{C_{\text{spam}(T)} + C_{\text{ham}(T)}}$$

Where $C_{\text{spam}(T)}$ and $C_{\text{ham}(T)}$ are the no. of Spam or ham messages containing token T , respectively. To calculate the possibility for a message M with tokens $\{T_1, \dots, T_n\}$, one needs to combine the individual tokens spamminess to evaluate the overall message spamminess.

2 stages:-

1. Training

2. Testing

a) Assumptions:-

1. conditional Independence Assumption:-

Features are assumed to be independent of each other given the class label. This simplifies computation but may not always hold in real-world data.

2. Features Relevance:

Each feature contributes independently

to the probability of a given class

3. Equal importance of features :-

All features contributes equally

4. Data follows a distribution.

i) Gaussian Naive Bayes

ii) Multinomial Naive

iii) Bernoulli Naive

b) Implementation :-

1. preprocess the Emails:

Tokenize and clean Text

2. Calculate word Frequencies:

compute probabilities of words
given Spam and not spam.

3. Apply Bayes Theorem:-

use probabilities to classify new
emails.

List of stop words:-

["i", "me", "my", "him", "his", "himself", "it", "its", "itself",
"they", "them", "myself", "did", "doing", "do", "from", "further",
"most", "only", "will", "can", "just", "done" ... etc ...]

4 parameters:-

- Accuracy : $(TP + TN) / (TP + FP + FN + TN)$
- Precision : $TP / (TP + FP)$
- Sensitivity : $TP / (TP + FN)$
- Specificity : $TN / (TN + FP)$

Gmail, yahoo, outlook :

Gmail :-

Google data centers use thousands of rules to filter spam emails. They provide the weightage to different parameters based on that they filter the emails. It is an "state of art technique".

Yahoo :-

It is the world's first free webmail service provider with more than 320M active users. They have their own filtering techniques to emails. Basic methods are:

- 1) URL filtering
- 2) email content
- 3) user spam complaints

Outlook :

Microsoft owned mailing platform Microsoft renamed hotmail and windows live mail to outlook. It has 400M active users.

It uses

- 1) Safe senders list
- 2) safe Recipients list
- 3) Blocked senders
- 4) Blocked top level Domains
- 5) Blocked Encodings.

2) Using Crypt Arithmetic expression solve

BAS E

B A L L
G A M E S

Conditions :-

- 1) Each character should have unique value
- 2) Digits should be (0-9)
- 3) Starting character cannot be 0
- 4) Only one solution should be there
- 5) If you are adding two same characters then our output should be even
- 6) In case of addition of 2 numbers if there is a carry to next step then the carry be only one.

Solving the expression:

$$\begin{array}{r} & ^9 \\ & \text{B} & \text{A} & \text{S} & \text{E} \\ (+) & \text{B} & \text{A} & \text{L} & \text{L} \\ \hline (.) & \text{G} & \text{A} & \text{M} & \text{E} & \text{S} \\ \hline \end{array}$$

B - 5
A - 0
S
E
L
G - 1
M

i) G = 1

ii) $\begin{array}{r} 5 \\ 5 \\ \hline 10 \end{array}$ 0
 $B \geq 5 \alpha$

B - 6
A - 2
S
E
L
a - 1
M

iii)

6	2	
6	2	
1	2	4

3rd column:

$$S + L = E$$

(or)

$$S + L = B + 10$$

4th column:

$$B + L = S$$

$$B + L = S + 10$$

$$B = 7$$

$$L = \underline{\underline{5}}$$

$$S = \underline{\underline{12}}$$

$$S + L + L = S + 10$$

$$S = 2$$

$$2L = 10$$

$$L = 5$$

iv)

6	2	
6	2	
1	2	4

5 5

3rd column:

$$S + 5 = B$$

$$B + 5 = S$$

$$(8, 3)(9, 4) \times$$

$$S = 8, B = 3$$

v) 7 4 8 3
 7 4 5 5
 1 4 9 3 8

$\therefore B=7, A=4, S=8, B=3, L=5,$

$a=1, M=9.$

\therefore All conditions satisfied.

Advantages :-

- 1) Enhances logical thinking
- 2) strengthens Mathematical skills
- 3) Encourages Algorithmic thinking
- 4) Improves Attention to detail.
- 5) Fun and Engaging.
- 6) useful in exams.

Disadvantages :-

- 1) Time consuming
- 2) Limited practical use
- 3) High complexity
- 4) Frustration for Beginners