

Kerr Effect

April 22, 2019

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In [2]: from math import*
import numpy as np
import matplotlib.pyplot as plt
import scipy.special as sp

from matplotlib import pylab

from numpy import arange,array,ones
from scipy import stats
from scipy import optimize

In [3]: U = [14,300,325,350,375,400,425,450,475,500,525,550,575,600,625,650,675,700]
I = [.029,.055,.060,.065,.074,.090,.110,.125,.141,.164,.169,.175,.141,.120,.086,.070,.07
I_o = 0.194
rel_I = [(x/I_o) for x in I]
delta = [(360/np.pi)*np.arcsin(sqrt(x)) for x in rel_I]

In [4]: delta[12] = 360 - delta[12]
delta[13] = 360 - delta[13]
delta[14] = 360 - delta[14]
delta[15] = 360 - delta[15]
delta[16] = 360 + delta[16]
delta[17] = 360 + delta[17]

In [5]: Usqr = [u**2 for u in U]

In [6]: slope, intercept, r_value, p_value, std_err = stats.linregress(delta,Usqr)

In [7]: slope

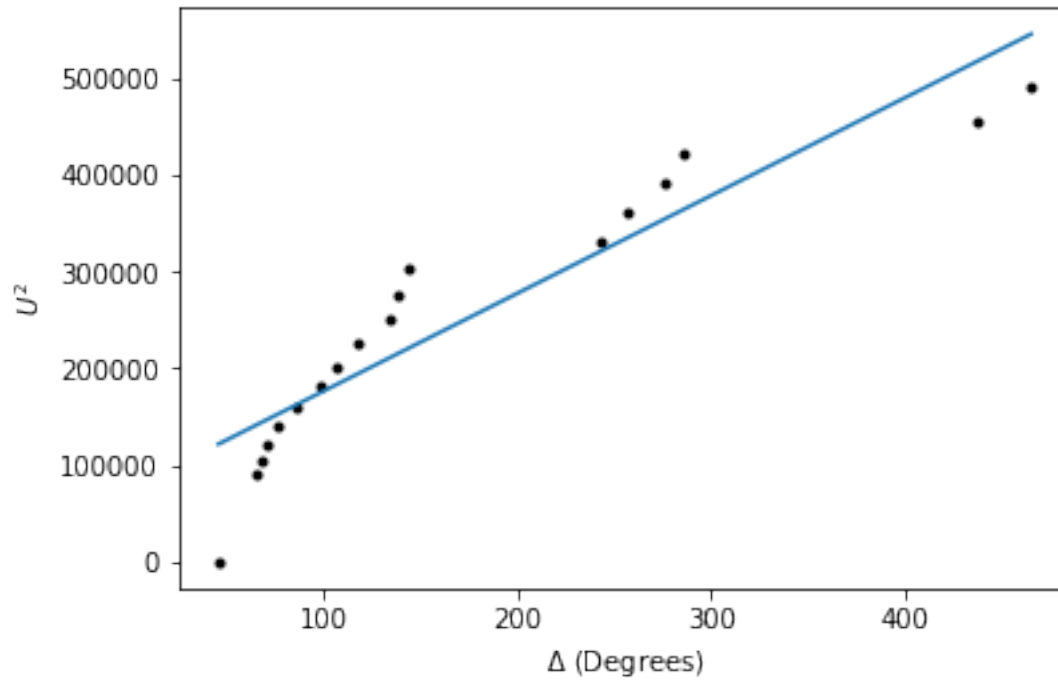
Out[7]: 1007.8946121033131

In [8]: intercept

Out[8]: 76005.9884206331

In [9]: plt.plot(delta, Usqr, '.k');
plt.ylabel(r'$U^2$');
plt.xlabel(r'$\Delta$ (Degrees)');

fit = [(slope*x + intercept) for x in delta]
plt.plot(delta,fit);
```



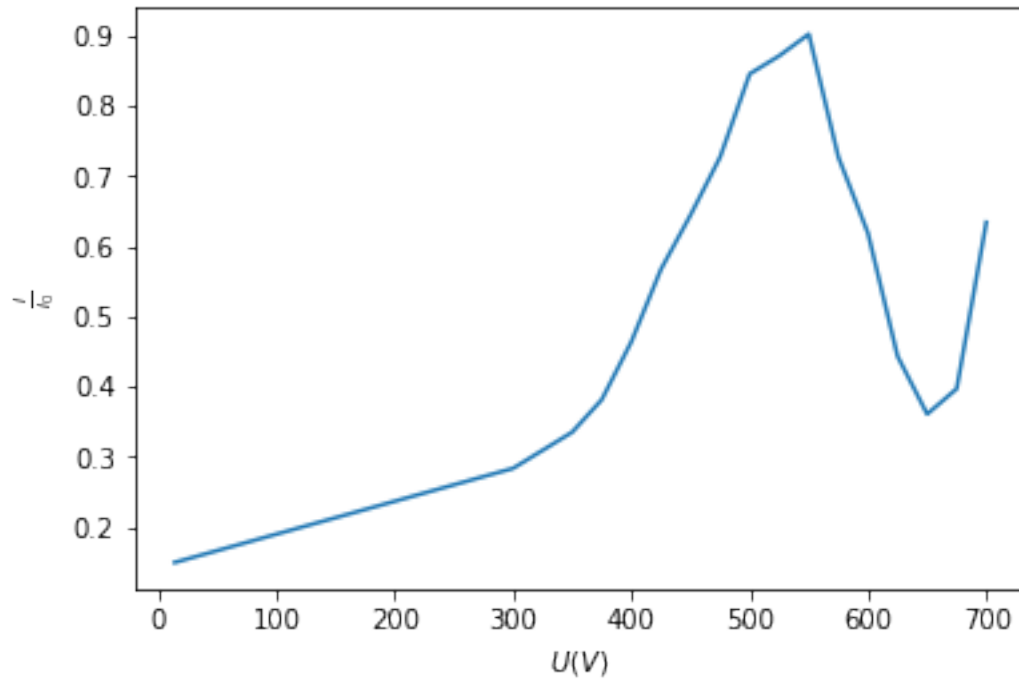
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In [12]: slope
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Out[12]: 1007.8946121033131
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In [11]: def test_func(x, a, b, c):
          return a * np.sin(b * x**2)**2 + c
```

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params, params_covariance = optimize.curve_fit(test_func, U, rel_I, p0=[0.6,0.000009,0.])
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plt.plot(U,rel_I);
plt.xlabel(r'$U$ (V)');
plt.ylabel(r'$\frac{I}{I_0}$');
```



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In [13]: params[0]
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Out[13]: 0.6178369978101451
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In [14]: fitt = [test_func(x,params[0],params[1],params[2]) for x in U]
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In [18]: plt.plot(U,rel_I,'.k');
plt.xlabel(r'$U$ (V)$');
plt.ylabel(r'$\frac{I}{I_0}$');
plt.plot(U,fitt);
```

