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**Time taken** 10 hours 24 mins

**Marks** 10.00/10.00

**Grade** **100.00** out of 100.00

**Question 1** | Correct Mark 1.00 out of 1.00

Given an integer `num`, return *the number of digits in num that divide num*.

An integer `val` divides `nums` if `nums % val == 0`.

**Example 1:**

**Input:** `num = 7`

**Output:** 1

**Explanation:** 7 divides itself, hence the answer is 1.

**Example 2:**

**Input:** `num = 121`

**Output:** 2

**Explanation:** 121 is divisible by 1, but not 2. Since 1 occurs twice as a digit, we return 2.

**Example 3:**

**Input:** `num = 1248`

**Output:** 4

**Explanation:** 1248 is divisible by all of its digits, hence the answer is 4.

**For example:**

Input	Result
7	1
121	2
1248	4

**Answer:** (penalty regime: 0 %)

```

1 num=int(input())
2 n=num
3 c=0
4 while num!=0:
5     r=num%10
6     num=num//10
7     if n%r==0:
8         c=c+1
9 print(c)

```

	Input	Expected	Got	
✓	7	1	1	✓
✓	121	2	2	✓

	Input	Expected	Got	
✓	1248	4	4	✓
✓	12	2	2	✓
✓	45	1	1	✓

Passed all tests! ✓

Correct

Marks for this submission: 1.00/1.00.

**Question 2** | Correct Mark 1.00 out of 1.00

An **ugly number** is a *positive* integer which does not have a prime factor other than 2, 3, and 5.

Given an integer **n**, Print **True** if **n** is an **ugly number**, Otherwise Print **False**.

**For example:**

Input	Result
6	True
14	False

**Answer:** (penalty regime: 0 %)

```

1 n=int(input())
2 for p in [2,3,5]:
3     while n%p==0:
4         n=n//p
5 if n==1:
6     print('True')
7 else:
8     print("False")

```

	Input	Expected	Got	
✓	6	True	True	✓
✓	14	False	False	✓
✓	125	True	True	✓
✓	21	False	False	✓

Passed all tests! ✓

Correct

Marks for this submission: 1.00/1.00.

**Question 3** | Correct Mark 1.00 out of 1.00

Determine the factors of a number (i.e., all positive integer values that evenly divide into a number) and then return the  $p^{\text{th}}$  element of the list, sorted ascending. If there is no  $p^{\text{th}}$  element, return 0.

**Example**

$n = 20$

$p = 3$

The factors of 20 in ascending order are {1, 2, 4, 5, 10, 20}. Using 1-based indexing, if  $p = 3$ , then 4 is returned. If  $p > 6$ , 0 would be returned.

**Constraints**

$1 \leq n \leq 10^{15}$

$1 \leq p \leq 10^9$

The first line contains an integer  $n$ , the number to factor.

The second line contains an integer  $p$ , the 1-based index of the factor to return.

**Sample Case 0****Sample Input 0**

10

3

**Sample Output 0**

5

**Explanation 0**

Factoring  $n = 10$  results in {1, 2, 5, 10}. Return the  $p = 3^{\text{rd}}$  factor, 5, as the answer.

**Sample Case 1****Sample Input 1**

10

5

**Sample Output 1**

0

**Explanation 1**

Factoring  $n = 10$  results in {1, 2, 5, 10}. There are only 4 factors and  $p = 5$ , therefore 0 is returned as the answer.

**Sample Case 2****Sample Input 2**

1

1

**Sample Output 2**

1

**Explanation 2**

Factoring  $n = 1$  results in {1}. The  $p = 1^{\text{st}}$  factor of 1 is returned as the answer.

**For example:**

Input	Result
10	5
3	
10	0
5	

Input	Result
1	1
1	

**Answer:** (penalty regime: 0 %)

```

1 n=int(input())
2 d=int(input())
3 c=0
4 r=0
5 for i in range(1,n+1):
6     if n%i==0:
7         c=c+1
8     if c==d:
9         r=i
10        break
11 if r==0:
12     print(0)
13 else:
14     print(r)

```

	Input	Expected	Got	
✓	10 3	5	5	✓
✓	10 5	0	0	✓
✓	1 1	1	1	✓

Passed all tests! ✓

Correct

Marks for this submission: 1.00/1.00.

**Question 4** | Correct Mark 1.00 out of 1.00

You are climbing a staircase. It takes **n** steps to reach the top.

Each time you can either climb **1** or **2** steps. In how many distinct ways can you climb to the top?

**Example 1:**

**Input:** n = 2

**Output:** 2

**Explanation:** There are two ways to climb to the top.

1. 1 step + 1 step
2. 2 steps

**Example 2:**

**Input:** n = 3

**Output:** 3

**Explanation:** There are three ways to climb to the top.

1. 1 step + 1 step + 1 step
2. 1 step + 2 steps
3. 2 steps + 1 step

**Constraints:**

- **1 <= n <= 45**

**For example:**

Input	Result
2	2
3	3

**Answer:** (penalty regime: 0 %)

```

1 n=int(input())
2 if n==1:
3     print(1)
4 else:
5     a=1
6     b=2
7 for i in range(3,n+1):
8     a,b=b,a+b
9 if n>1:
10    print(b)
11 else:
12    print(a)

```

	<b>Input</b>	<b>Expected</b>	<b>Got</b>	
✓	2	2	2	✓
✓	3	3	3	✓
✓	4	5	5	✓
✓	5	8	8	✓

Passed all tests! ✓

Correct

Marks for this submission: 1.00/1.00.

**Question 5** | Correct Mark 1.00 out of 1.00

Given a positive integer `n`, write a function that returns the number of set bits in its binary representation (also known as the [Hamming weight](#)).

**Example 1:****Input:** `n = 11`**Output:** 3**Explanation:**

The input binary string **1011** has a total of three set bits.

**Example 2:****Input:** `n = 128`**Output:** 1**Explanation:**

The input binary string **10000000** has a total of one set bit.

**Example 3:****Input:** `n = 2147483645`**Output:** 30**Explanation:**

The input binary string **1111111111111111111111111101** has a total of thirty set bits.

**For example:**

Input	Result
11	3
128	1

**Answer:** (penalty regime: 0 %)

```

1 n=int(input())
2 c=0
3 while n>0:
4     if n%2==1:
5         c=c+1
6     n=n//2
7 print(c)

```

	Input	Expected	Got	
✓	11	3	3	✓
✓	128	1	1	✓
✓	32	1	1	✓
✓	2147483645	30	30	✓

Passed all tests! ✓

Correct

Marks for this submission: 1.00/1.00.

**Question 6** | Correct Mark 1.00 out of 1.00

A **happy number** is a number defined by the following process:

- Starting with any positive integer, replace the number by the sum of the squares of its digits.
- Repeat the process until the number equals 1 (where it will stay), or it **loops endlessly in a cycle** which does not include 1.
- Those numbers for which this process **ends in 1** are happy.

Print **true** if **n** is a happy number, and **false** if not.

**For example:**

Input	Result
19	True
2	False

**Answer:** (penalty regime: 0 %)

```

1 n=int(input())
2 while n!=1 and n!=4:
3     s=0
4     while n>0:
5         d=n%10
6         s=s+(d*d)
7         n=n//10
8     n=s
9     if n==1:
10        print("True")
11 else:
12    print('False')
```

	Input	Expected	Got	
✓	19	True	True	✓
✓	2	False	False	✓
✓	82	True	True	✓
✓	16	False	False	✓

Passed all tests! ✓

Correct

Marks for this submission: 1.00/1.00.

**Question 7** | Correct Mark 1.00 out of 1.00

Given an integer  $n$ , return *the number of trailing zeroes in  $n!$* .

Note that  $n! = n * (n - 1) * (n - 2) * \dots * 3 * 2 * 1$ .

**Example 1:**

**Input:**  $n = 3$

**Output:** 0

**Explanation:**  $3! = 6$ , no trailing zero.

**Example 2:**

**Input:**  $n = 5$

**Output:** 1

**Explanation:**  $5! = 120$ , one trailing zero.

**Example 3:**

**Input:**  $n = 0$

**Output:** 0

**Constraints:**

- $0 \leq n \leq 10^4$

**For example:**

Input	Result
3	0
5	1

**Answer:** (penalty regime: 0 %)

```

1 n=int(input())
2 c=0
3 while n>=5:
4     n=n//5
5     c=c+n
6 print(c)

```

	Input	Expected	Got	
✓	3	0	0	✓

	Input	Expected	Got	
✓	5	1	1	✓
✓	0	0	0	✓
✓	10	2	2	✓
✓	25	6	6	✓

Passed all tests! ✓

Correct

Marks for this submission: 1.00/1.00.

**Question 8** | Correct Mark 1.00 out of 1.00

A **perfect number** is a **positive integer** that is equal to the sum of its **positive divisors**, excluding the number itself. A **divisor** of an integer **x** is an integer that can divide **x** evenly.

Given an integer **n**, return **True** if **n** is a perfect number, otherwise return **False**.

**Example 1:**

```
Input: num = 28
Output: True
Explanation: 28 = 1 + 2 + 4 + 7 + 14
1, 2, 4, 7, and 14 are all divisors of 28.
```

**Example 2:**

```
Input: num = 7
Output: False
```

**Constraints:**

- `1 <= num <= 108`

**Answer:** (penalty regime: 0 %)

```
1 num=int(input())
2 s=0
3 for i in range(1,num//2+1):
4     if num%i==0:
5         s=s+i
6 if s==num and num!=1:
7     print("True")
8 else:
9     print('False')
```

	Input	Expected	Got	
✓	28	True	True	✓
✓	7	False	False	✓
✓	8128	True	True	✓
✓	496	True	True	✓
✓	500	False	False	✓

Passed all tests! ✓

Correct

Marks for this submission: 1.00/1.00.



**Question 9** | Correct Mark 1.00 out of 1.00

Given an integer `num`, repeatedly add all its digits until the result has only one digit, and return it.

**Example 1:**

**Input:** num = 38

**Output:** 2

**Explanation:** The process is

38 --> 3 + 8 --> 11

11 --> 1 + 1 --> 2

Since 2 has only one digit, return it.

**Example 2:**

**Input:** num = 0

**Output:** 0

**For example:**

Input	Result
38	2
0	0

**Answer:** (penalty regime: 0 %)

```

1 n=int(input())
2 while n>=10:
3     s=0
4     while n>0:
5         s=s+n%10
6         n=n//10
7     n=s
8 print(n)

```

	Input	Expected	Got	
✓	38	2	2	✓
✓	0	0	0	✓
✓	11	2	2	✓
✓	50	5	5	✓
✓	81	9	9	✓

Passed all tests! ✓

Correct

Marks for this submission: 1.00/1.00.

**Question 10** | Correct Mark 1.00 out of 1.00

Write a program in Python to display a pyramid with "\*" as follows,

**For example:**

Input	Result
4	<pre> *  ***  ****  ***** </pre>

**Answer:** (penalty regime: 0 %)

```

1 n=int(input())
2 for i in range(1,n+1):
3     for j in range(n-i):
4         print(" ",end="")
5     for k in range(2*i-1):
6         print("*",end='')
7     print()

```

	Input	Expected	Got	
✓	4	<pre> *  ***  ****  ***** </pre>	<pre> *  ***  ****  ***** </pre>	✓
✓	2	<pre> *  *** </pre>	<pre> *  *** </pre>	✓
✓	5	<pre> *  ***  ****  *****  ***** </pre>	<pre> *  ***  ****  *****  ***** </pre>	✓

Passed all tests! ✓

Correct

Marks for this submission: 1.00/1.00.