

# Statistical Modelling of Dengue Cases in India during the period 2020-2022 : A Data Science Perspective

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**Abstract—** Dengue is one of the fastest-growing infectious diseases in the world, and it is a major public health threat in many countries, including India. It is a viral infection that is transmitted to humans by an Aedes mosquito species. Around the world, dengue is prevalent in areas which are prone to waterlogging. It is also linked to specific climatic and weather circumstances, which are more common in tropic-like regions or zones. Dengue is considered a dangerous disease because of the abrupt reduction in platelet count of infected patients, which frequently results in death.

The present work aims to reduce the menace of dengue cases in India and other parts of the world. The goal of the present work is first to identify district-level hotspots. Secondly, to develop a suitable epidemiological model. This can be achieved through the implementation of a classification, cluster logistic model, and cluster analysis. Scan statistics is employed to determine the hotspots by finding the logistic function, the risk value, and the p-value to construct a suitable model. Machine learning techniques are employed to achieve efficacy in respect to various other epidemiological models.

**Keywords—** *Dengue, Hotspot, Negative binomial regression, Logistic regression, Scan Statistics.*

## I. INTRODUCTION

Worldwide, dengue poses a serious risk to public health, especially in tropical and subtropical areas. [1] Aedes mosquitoes are the main vector of transmission to humans. There are four different serotypes of the dengue virus, and those who contract them can experience a variety of symptoms, like minor flu-like symptoms, while others may be severe, which can be fatal and is characterized by plasma leakage, severe bleeding, and organ dysfunction. Through a variety of strategies, such as the use of repellents and mosquito nets, prevention initiatives aim to reduce exposure to mosquito bites and control mosquito populations. In addition to continuing research into vaccines and treatments being a priority in the fight against dengue and minimizing

its impact on global health, public health initiatives and community involvement are crucial in the fight against this illness. [2] [1] [3] [4]

## II. METHODOLOGY

The objective of this project is :

1. To identify the district hotspots of dengue with the sample data.
2. Predicting the number of dengue cases and deaths using a negative binomial regression model.
3. To develop a logistic model for the outbreak of dengue

The present work is based on comprehensive research schemes where various statistical methods and tools namely logistic regression (as a predictive model), Negative Binomial Regression, scan statistics for hotspot analysis and other descriptive measures for different level of characterization of different cases has been planned and executed to achieve the defined objectives.

For the purpose of computational efficacy, the present work is executed using MS Excel, MS Solver, R, SatScan, and Python.

### A. Hotspot Analysis

A location that has a larger concentration of events than one would anticipate from a collection of occurrences scattered randomly is referred to as a hotspot. [2] The analysis of point distributions and spatial arrangements of points in space led to the development of hotspot identification. When comparing point density within a specific area and looking at point patterns, a complete spatial randomness model—also called a

homogeneous spatial Poisson process—explains a process in which point occurrences occur completely at random. The major three files needed for hotspot analysis are. They are as follows:

1. Case file, which contains information on the number of incidents in the area.
2. The population file contains information about the population in the area.
3. The Location file consists of the details of the longitude and latitude of the geographical area.

With the use of these three files, hotspot analysis will enable us to pinpoint the primary cluster, secondary cluster, tertiary cluster, etc. that is most likely to have the most events. And doing so assists in determining the severity and consistency of the clusters over time, which helps create plans of attack for the epidemics in those identified clusters. [3]

#### B. Negative Binomial Regression:

The dependant variable (Y) in negative binomial regression is an observed count with a negative binomial distribution, in contrast to regular multiple regression. Therefore, nonnegative numbers like 0, 1, 2, 3, and so forth are feasible possibilities for Y. In negative binomial regression, the dependent variable mean is calculated using the time t and k independent variables.

$$\mu_i = \exp(\ln(t_i) + \beta_1 x_{1i} + \beta_2 x_{2i} + \dots + \beta_k x_{ki}) \quad (1)$$

The fundamental framework for an i-th observation in negative binomial regression model is,

$$\Pr(Y = y_i | \mu_i, \alpha) = \frac{\Gamma(y_i + \alpha^{-1})}{\Gamma(\alpha^{-1})\Gamma(y_i + 1)} \left( \frac{1}{1 + \alpha\mu_i} \right)^{\alpha^{-1}} \left( \frac{\alpha\mu_i}{1 + \alpha\mu_i} \right)^{y_i} \quad (2)$$

Negative Binomial regression belongs to the category of generalized linear models (GLMs) and is specifically applied when the dependent variable represents a count of events and the data exhibits overdispersion. Overdispersion occurs in count data when the mean is exceeded by the variance of the dependent variable.

#### C. Logistic Regression

A logistic regression is a statistical analytic technique that predicts a binary outcome, such as yes or no. It is a model that predicts a dependent variable in the data by analysing the correlation among one or more current independent variables. In machine learning, logistic regression has grown its significance as a tool. It makes it possible for algorithms to categorize incoming input according to historical data in machine learning applications. The algorithms improve in

their ability to anticipate classes within data sets as more pertinent data becomes obtainable. Furthermore, logistic regression can assist in data preparation endeavors by arranging data sets into predetermined categories during the extract, transform, load (ETL) procedure. [4] [5] [6] [7]

$$y_i^{\wedge} = \Pi(X) = \frac{1}{1 + e^{(-x\beta)}} \quad (3)$$

### III .ANALYSIS & RESULTS

#### A. Hotspot Analysis:

The utilization of a discrete scan statistic arises from the discrete nature of the data concerning dengue cases and fatalities. A Poisson-based model is utilized in which the distribution of occurrences within a specific location follows a Poisson distribution. The research concentrates on the states that are primarily impacted by geography. Therefore, a strict spatial analysis is carried out. A pure geographical analysis of dengue cases and deaths from 2020 to 2022 was conducted to identify clusters with high rates.

Table 1: Hotspot clusters in cases of dengue over the period (2020-2022) district-wise.

| Year | Most likely cluster(cases) | Most likely cluster (deaths)                         |
|------|----------------------------|--|
| 2020 | Kannur                     | Kannur   |
| 2021 | Firozabad                  | Bellary  |
| 2022 | Fatehgarh Sahib            | Bangalore Rural, Chikkaballapur, Krishnagiri, Mysuru |

#### B. Negative Binomial regression:

A negative binomial regression model has been developed for both dengue cases and deaths respectively by taking the annual rainfall and area of the states as independent variables together for the years 2020,2021,2022. The dependent variable is the number of dengue cases and number of dengue deaths for the respective models. The following are the resulting models obtained with coefficients and various parameters like deviance, log likelihood etc. It is obtained that both the models are well developed since the ratio of the deviance with the degrees of freedom that is the difference between the total number of observations and number of parameters i.e.105-5=100 of both the models is greater than 1.

| Negative Binomial Regression Model for Dengue Cases:<br>Generalized Linear Model Regression Results |                  |                     |         |       |          |          |
|---|------------------|---------------------|---------|-------|----------|----------|
| Dep. Variable:  | cases            | No. Observations:   | 105     |       |          |          |
| Model:  | GLM              | Df Residuals:       | 102     |       |          |          |
| Model Family:   | NegativeBinomial | Df Model:           | 2       |       |          |          |
| Link Function:  | Log              | Scale:              | 1.0000  |       |          |          |
| Method:   | IRLS             | Log-Likelihood:     | -960.37 |       |          |          |
| Date:   | Tue, 31 Oct 2023 | Deviance:           | 307.19  |       |          |          |
| Time:   | 19:30:43         | Pearson chi2:       | 436.    |       |          |          |
| No. Iterations:   | 10               | Pseudo R-squ. (CS): | 0.4085  |       |          |          |
| Covariance Type:  | nonrobust        |                     |         |       |          |          |
|   | coef             | std err             | z       | P> z  | [0.025   | 0.975]   |
| const   | 8.8890           | 0.254               | 35.034  | 0.000 | 8.392    | 9.386    |
| rainfall  | -0.0006          | 0.000               | -6.118  | 0.000 | -0.001   | -0.000   |
| Area  | 3.759e-06        | 1.12e-06            | 3.350   | 0.001 | 1.56e-06 | 5.96e-06 |

| Negative Binomial Regression Model for Dengue Deaths:<br>Generalized Linear Model Regression Results |                  |                     |         |       |          |          |
|--|------------------|---------------------|---------|-------|----------|----------|
| Dep. Variable:   | deaths           | No. Observations:   | 105     |       |          |          |
| Model:   | GLM              | Df Residuals:       | 102     |       |          |          |
| Model Family:  | NegativeBinomial | Df Model:           | 2       |       |          |          |
| Link Function:   | Log              | Scale:              | 1.0000  |       |          |          |
| Method:  | IRLS             | Log-Likelihood:     | -290.23 |       |          |          |
| Date:  | Tue, 31 Oct 2023 | Deviance:           | 270.14  |       |          |          |
| Time:  | 19:30:43         | Pearson chi2:       | 379.    |       |          |          |
| No. Iterations:  | 12               | Pseudo R-squ. (CS): | 0.3445  |       |          |          |
| Covariance Type:   | nonrobust        |                     |         |       |          |          |
|  | coef             | std err             | z       | P> z  | [0.025   | 0.975]   |
| const  | 2.1054           | 0.288               | 7.311   | 0.000 | 1.541    | 2.670    |
| rainfall   | -0.0005          | 0.000               | -3.617  | 0.000 | -0.001   | -0.000   |
| Area   | 3.79e-06         | 1.19e-06            | 3.187   | 0.001 | 1.46e-06 | 6.12e-06 |

### C. Logistic Regression

| Accuracy: 0.90              |           |        |          |         |  |
|-----------------------------|-----------|--------|----------|---------|--|
|                             | precision | recall | f1-score | support |  |
| 0                           | 0.80      | 1.00   | 0.89     | 8       |  |
| 1                           | 1.00      | 0.85   | 0.92     | 13      |  |
| accuracy                    |           |        | 0.90     | 21      |  |
| macro avg                   | 0.90      | 0.92   | 0.90     | 21      |  |
| weighted avg                | 0.92      | 0.90   | 0.91     | 21      |  |
| Deviance: 3099.75           |           |        |          |         |  |
| Number of Observations: 105 |           |        |          |         |  |

The threshold for the variable y outbreak has been taken on the basis of proportion of the number of dengue incidents with the annual rainfall. If the proportion is greater than 0.5 then it is classified as outbreak(1) otherwise 0.

The developed model has been giving an accuracy of 90% and the training and testing data has been taken in the ratio 80:20.

### IV .CONCLUSION

According to hotspot analysis, the districts in Karnataka like Bellary, Bengaluru Rural, Chikkaballapur, Krishnagiri, and Mysuru have emerged as the primary regions for dengue-related deaths in the years 2021 and 2022. These findings indicate the inadequate treatment provided to patients suffering from dengue in these areas.

Using Negative binomial regression two predictive models for cases and deaths respectively have been developed which can be used to predict the cases and deaths and the logistic regression equation is used to classify the outbreak areas based on these predictions.

$$y_i^A = \Pi(X) = \frac{1}{1 + e^{-(1.3609 - 0.66x_1 + 2.8347x_2 + 0.779x_3 + 0.5681x_4)}}$$

Where  $x_1$  represents annual rainfall,  $x_2$  represents number of cases,  $x_3$  represents number of deaths and  $x_4$  represents the area of the state.

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