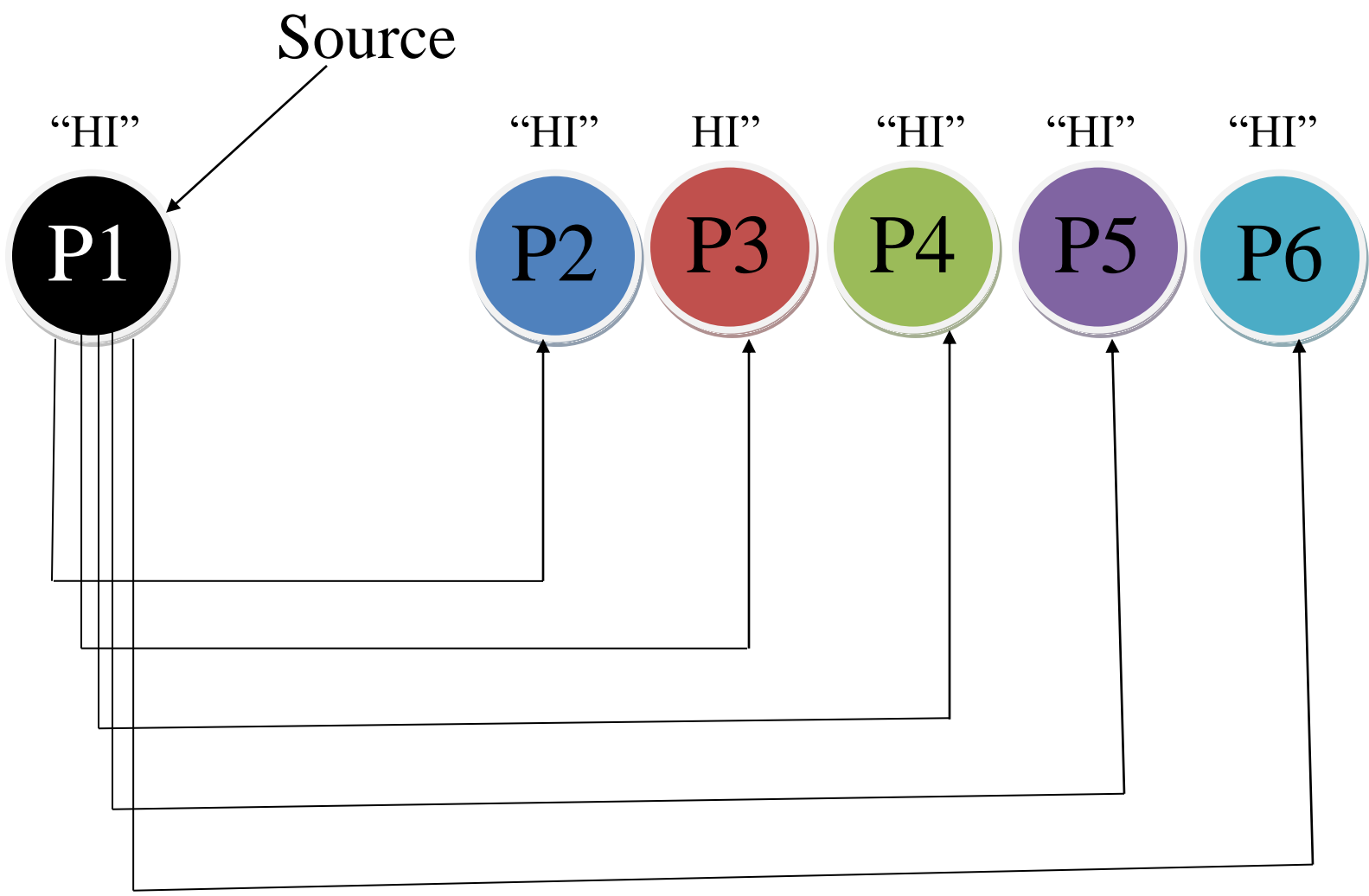


One-to-All Broadcast



➤ Applications :

It is used in several important parallel algorithms including matrix-vector multiplication, Gaussian elimination, shortest paths, and vector inner product.

➤ How it is done?

Sequentially send $p - 1$ messages from the source to the other $p - 1$ processes

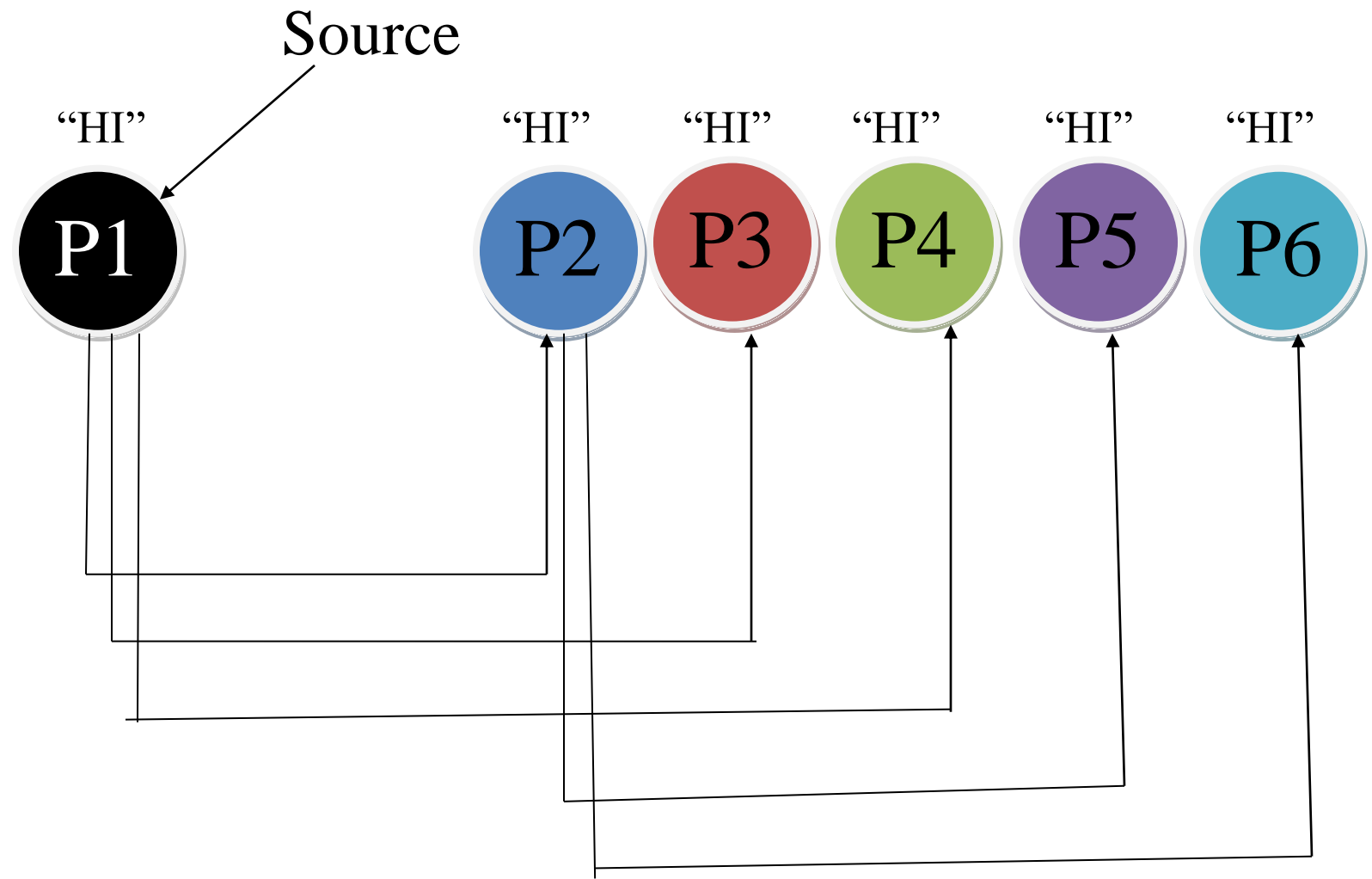
➤ Disadvantages

- 1) Source process becomes a bottleneck
- 2) The communication network is underutilized because only the connection between a single pair of nodes is used at a time

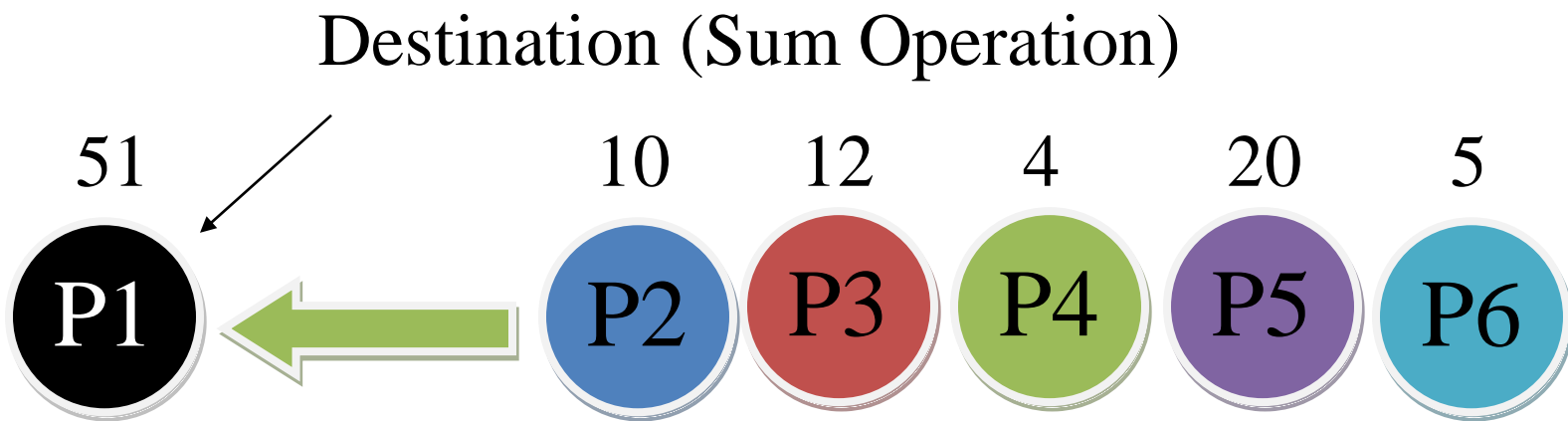
➤ Solution?

Go for recursive doubling

Recursive Doubling

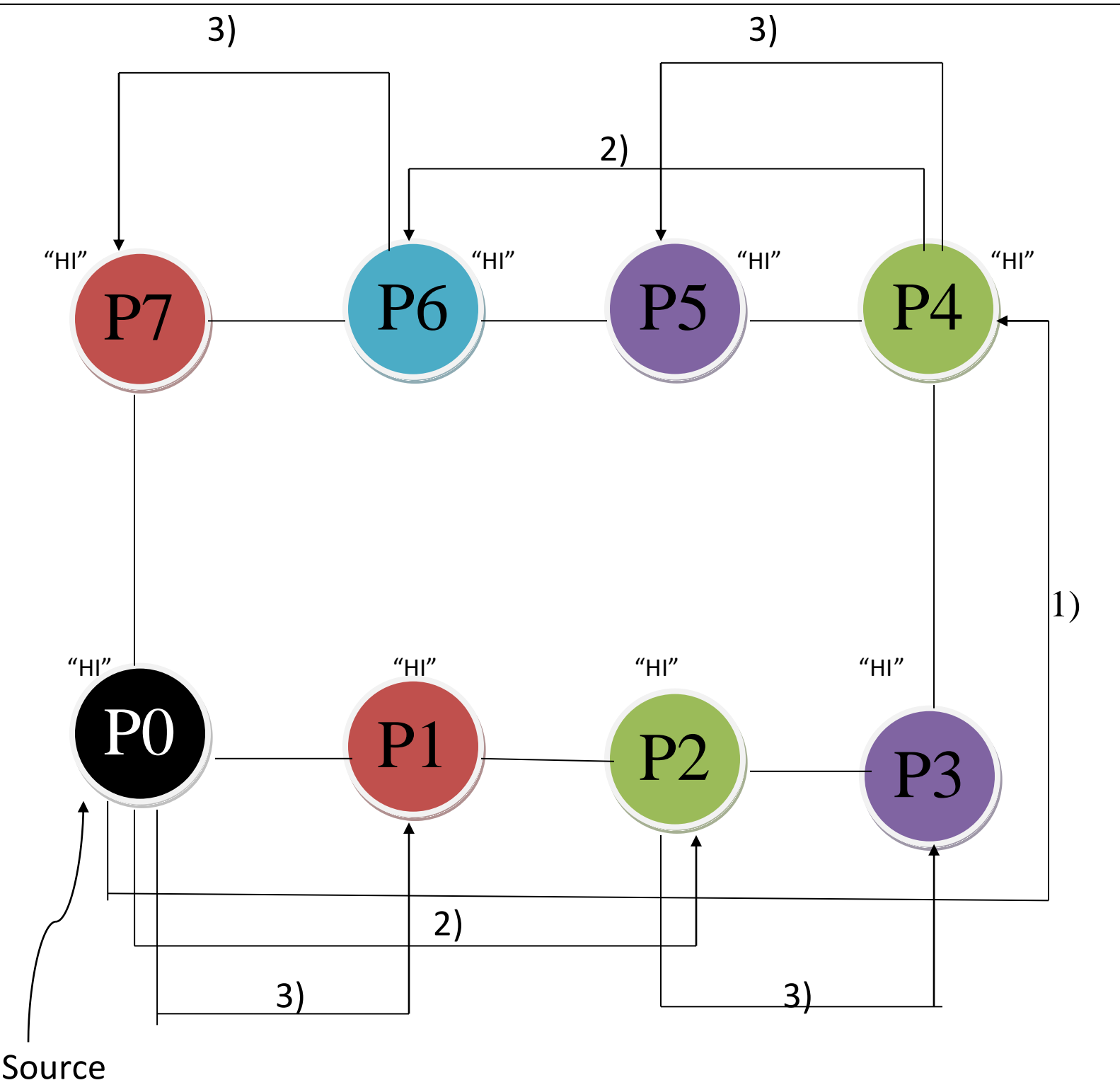


All-to-One Reduction



Reduction can be used to find the sum, product, maximum, or minimum of sets of numbers

Ring / Linear Array (One-to-All Broadcast)



Message “HI” from the source node P0 is passed to all other nodes in the ring in following 3 steps :

1)P0 to P4

Distance : 4

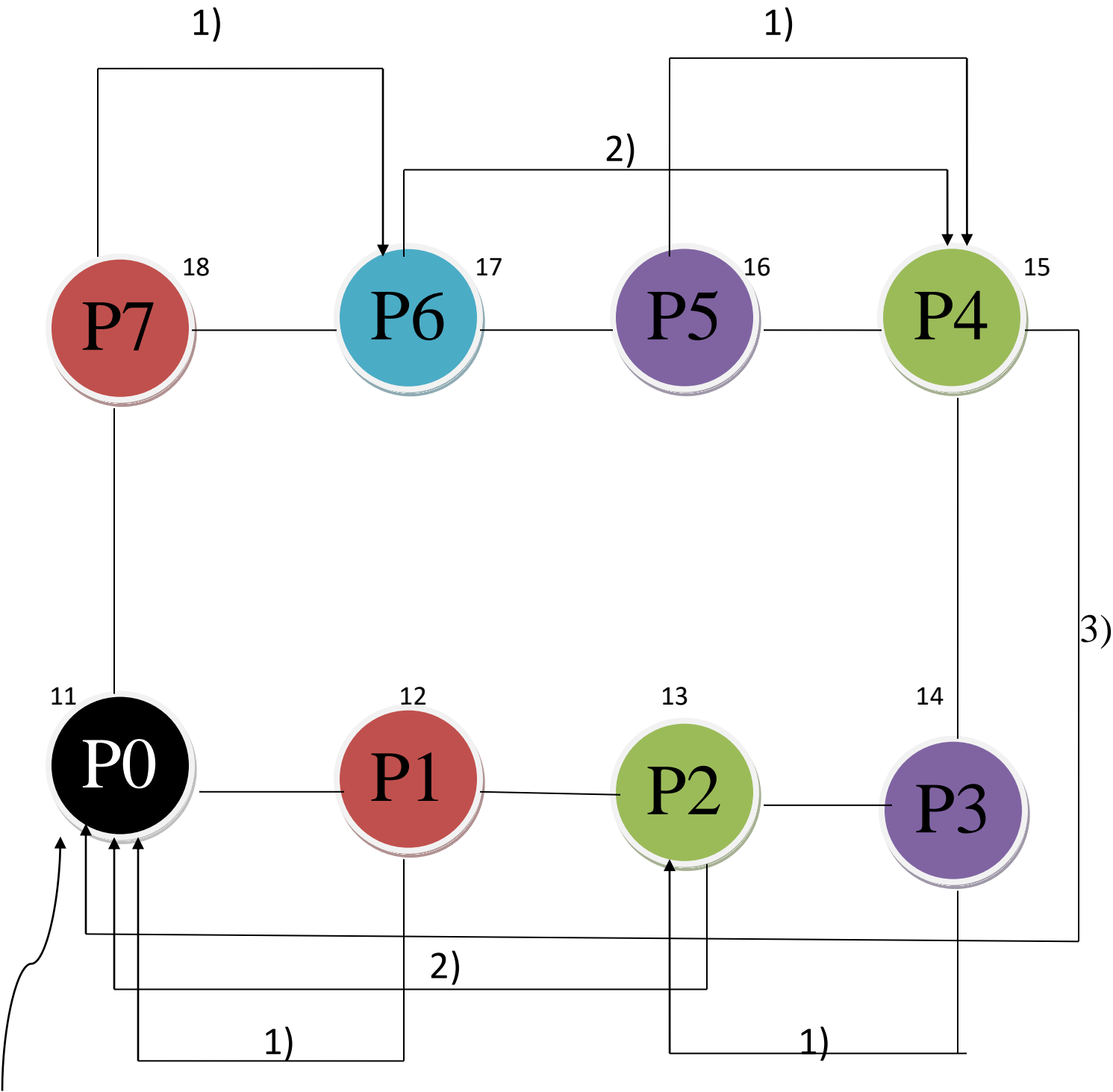
2)P0 to P2, P4 to P6 , in parallel

Distance : 2

3)P0 to P1, P2 to P3, P4 to P5, P6 to P7 , in parallel

Distance : 1

Ring / Linear Array (All-to-One Reduction)



Destination (Sum Operation : SUM = 116)

Sum of all numbers at all nodes in the ring is calculated in the following 3 steps :

Step No.	Node No.	Reduction Operation	Data at respective nodes
1.	$P0 = P0+P1$ $= 11 + 12$ $= 23$	$P0 \leftarrow P1$	P0 : 11 P1 : 12 P2 : 13
	$P2 = P2+P3$ $= 13 + 14$ $= 27$	$P2 \leftarrow P3$	P3 : 14 P4 : 15 P5 : 16
	$P4 = P4+P5$ $= 15 + 16$ $= 31$	$P4 \leftarrow P5$	P6 : 17 P7 : 18
	$P6 = P6+P7$ $= 17 + 18$ $= 35$	$P6 \leftarrow P7$	

2.	$P0 = P0 + P2$ $= 23 + 27$ $= 50$	$P0 \leftarrow P2$	$P0 : 23$ $P1 : 12$ $P2 : 27$
	$P4 = P4 + P6$ $= 31 + 35$ $= 66$	$P4 \leftarrow P6$	$P3 : 14$ $P4 : 31$ $P5 : 16$ $P6 : 35$ $P7 : 18$
3.	$P0 = P0 + P4$ $= 50 + 66$ $= 116$	$P0 \leftarrow P4$	$P0 : 50$ $P1 : 12$ $P2 : 27$ $P3 : 14$ $P4 : 66$ $P5 : 16$ $P6 : 35$ $P7 : 18$

Result of the sum at node P0 by all to one reduction method = 116