

Sardar Patel Institute of Technology, Mumbai Department of Electronics and Telecommunication Engineering B.E. Sem-VII

ISE-2 ML Minor

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Objective: Dealing with imbalanced dataset (Given on Kaggle data repository)

The dataset contains transactions made by credit cards in September 2013 by European cardholders. This dataset presents transactions that occurred in two days, where you may observe 492 frauds out of 284,807 transactions. The dataset is highly unbalanced, the positive class (frauds) account for 0.172% of all transactions.

- Understand the imbalanced dataset and will perform various approaches like undersampling/ oversampling, choosing the right metrics of ROC-AUC to deal with the imbalanced dataset.
- After trying different approaches and training different models (LR, KNN, SVM, Random Forest, XGboost, Naive Bayes) you will compare their results and decide the one which fits best for your application.

Platform: Google Colab

Data Set: Credit Card Fraud Detection

Code and output:# Importing libraries

from google.colab import drive drive.mount('/content/drive')

import pandas as pd

Reading the dataset

df=pd.read_csv('/content/drive/MyDrive/creditcard.csv')

df.head()

	Time	V1	V2	V 3	V4	V 5	V 6	V7	V8	V 9	 V21	V22	V23	V24
0	0.0	-1.359807	-0.072781	2.536347	1.378155	-0.338321	0.462388	0.239599	0.098698	0.363787	-0.018307	0.277838	-0.110474	0.066928
1	0.0	1.191857	0.266151	0.166480	0.448154	0.060018	-0.082361	-0.078803	0.085102	-0.255425	-0.225775	-0.638672	0.101288	-0.339846
2	1.0	-1.358354	-1.340163	1.773209	0.379780	-0.503198	1.800499	0.791461	0.247676	-1.514654	0.247998	0.771679	0.909412	-0.689281
3	1.0	-0.966272	-0.185226	1.792993	-0.863291	-0.010309	1.247203	0.237609	0.377436	-1.387024	-0.108300	0.005274	-0.190321	-1.175575
4	2.0	-1.158233	0.877737	1.548718	0.403034	-0.407193	0.095921	0.592941	-0.270533	0.817739	-0.009431	0.798278	-0.137458	0.141267
5 rc	5 rows × 31 columns													

Checking null values

df.isnull().sum()

a1.1511u11(J.Sum()
Time	0
V1	0
V2	0
V 3	0
V4	0
V5	0
V6	0
V 7	0
V8	0
V9	0
V10	0
V11	0
V12	0
V13	0
V14	0
V15	0
V16	0
V17 V18	0
V18	0
V19	0
V20	0
V21	0
V22	0
V23	0
V24	0
V25	0
V26	0
V27	0
V28	0
Amount	0
Class	0
dtype:	int64

Data has no values

df.shape

```
(284807, 31)
```

df.describe()

	Time	V1	V2	V 3	V4	V5	V6	V7	V8	
count	284807.000000	2.848070e+05	2.84807							
mean	94813.859575	1.168375e-15	3.416908e-16	-1.379537e-15	2.074095e-15	9.604066e-16	1.487313e-15	-5.556467e-16	1.213481e-16	-2.40633
std	47488.145955	1.958696e+00	1.651309e+00	1.516255e+00	1.415869e+00	1.380247e+00	1.332271e+00	1.237094e+00	1.194353e+00	1.09863
min	0.000000	-5.640751e+01	-7.271573e+01	-4.832559e+01	-5.683171e+00	-1.137433e+02	-2.616051e+01	-4.355724e+01	-7.321672e+01	-1.34340
25%	54201.500000	-9.203734e-01	-5.985499e-01	-8.903648e-01	-8.486401e-01	-6.915971e-01	-7.682956e-01	-5.540759e-01	-2.086297e-01	-6.43097
50%	84692.000000	1.810880e-02	6.548556e-02	1.798463e-01	-1.984653e-02	-5.433583e-02	-2.741871e-01	4.010308e-02	2.235804e-02	-5.14287
75%	139320.500000	1.315642e+00	8.037239e-01	1.027196e+00	7.433413e-01	6.119264e-01	3.985649e-01	5.704361e-01	3.273459e-01	5.97139
max	172792.000000	2.454930e+00	2.205773e+01	9.382558e+00	1.687534e+01	3.480167e+01	7.330163e+01	1.205895e+02	2.000721e+01	1.55949
8 rows × 31 columns										

df.info()

#	Column	Non-Nul	ll Count	Dtype
0	Time	284807	non-null	float64
1	V1	284807	non-null	float64
2	V2	284807	non-null	float64
3	V 3	284807	non-null	float64
4	V4	284807	non-null	float64
5	V5	284807	non-null	float64
6	V6	284807	non-null	float64
7	V7	284807	non-null	float64
8	V8	284807	non-null	float64
9	V9	284807	non-null	float64
10	V10	284807	non-null	float64
11	V11	284807	non-null	float64
12	V12	284807	non-null	float64
13	V13	284807	non-null	float64
14	V14	284807	non-null	float64
15	V15	284807	non-null	float64
16	V16	284807		float64
17	V17	284807	non-null	float64
18	V18	284807	non-null	float64
19	V19	284807	non-null	float64
20	V20	284807	non-null	float64
21	V21	284807	non-null	float64
22	V22	284807	non-null	float64
23	V23	284807	non-null	float64
24	V24	284807	non-null	float64
25	V25	284807	non-null	float64
26	V26	284807	non-null	float64
27	V27	284807		float64
28	V28	284807	non-null	float64
29	Amount	284807	non-null	float64
30	Class	284807	non-null	int64

import seaborn as sns

correlation=df.corr() import matplotlib.pyplot as plt plt.figure(figsize=(12,10))

sns.heatmap(correlation,annot=True,cmap=plt.cm.Reds)

```
1.0
       Time - 1 0 1-0.041.420.10 1-0.0(1-0.0) 0.03.008030.2(1-0.06099.1804207) 0.02909104 10.0510946.23 03.045109.4-01012
                      12 1 14 DB P2-86 EN 16754-56-46 TE-16 HE 165 BB BB P8-26-54 PG BB B6-26 HB 56-16-26 16-152 30.1
           V3 -0.428-26 11/66 153-64 950 155-68 26.566 159 264 769 168 367 566 569 155-746 116-515/154 116-25/164 8c-D62-D 19
                                                                                                                                                                                                                                                                                        0.8
           V4 - 0.9 P4.16-75-11 7a-58-16-76-98-28-56-36-38-38-38-38-38-16-4-196-96-88-24-56-164 D6-4-0 8e-10::
           V6-9 9552-36 567 FE-46-11 2et 16-16 96 2:72 5et 12-46 FE-45 2:81 5et 196 96-367 7et 24.64 46 146 56-46-1(2) 044
           V7 - 0.1 = 2.15 d. 964 152 - 26. 26 - 1 3 d. 1 ⊗ 152 - 4 ⊗ 152 - 3 d. 1 € 2 € 2 € 5 € 0.40 . 19
                                                                                                                                                                                                                                                                                        - 0.6
           V10 G 02 4e-4e1159 195 195-96 529 53. 56. 56. 56. 1 6b-8e6 192-4e6 198 56. 568 198 36. 57b-2e6 192-8e6 192-8e6
        V11 - 0.23 e Zeil 6e) ES: 26 Zeil 5e) E6: 464 Hz: 14 4e Zeizl 5e, 36 HS: 26. 167 H5: 56 F6: 86 H5: 96 Hallezl 6e, 86) D6(1)
                                                                                                                                                                                                                                                                                       - 0.4
        V12 - 1216 FB-16 NG-46-46 FB-36 NB-36 NB-36 NB-15 NB-16-16150 NB-NB-16-16150 NB-NB-16-16150 NB-16-16150 NB-16-1615
        - 0.2
        V16 9 01.24-28 BW HE-26-55-96 BB-16-55 B6-36 Gell 64-36-1 5-2 He-36 DM DW DeSt 756-1 B7-86-86-60100 39 2
        V18 - 0.3 26 38-566 116-16-26-566 176-560 36-36-36-36-36-36-368 392 393-98- 1 56-78-38 38-36-96-36-36-171 36-36-160-36-11
        V19 0 00294103-58461154-96-96-96-96-36446104-56106-36192-56-1 65-161064256-55-96-3614e-0.996035
                                                                                                                                                                                                                                                                                       -0.0
        V22 - 1.4 33-96 106 59-34 178-96 261 66-86-86-86-86-128-124 178-96-126-1616-16-11 3e16-766-76-76-76-1000081
        - -0.2
        V24-9, 04.68-3@ V26.69 136-19-46-1981 6d-198-98 398-399 398-16936916996219d-388-36-16216e-11 e-115e/388-389 1995 10072
        V25 -0.9 54.58-16-18-89 58 164 P6-86 B5-56-B5-56-56-26-B2-76-B6-58-36-D6-58-B6-16-71 1 6-6 E6-76-D603033
        V270.0D21:-36.16 No.4 Set Be. 36:36 No. Pe. Be. 7611:01.4 6-36.1 Set Pe. 3611 Ed. PB. 56: 22 B6.4 Set Pe. 1 1c01629018
                                                                                                                                                                                                                                                                                       - -0.4
        V280-00945 119-362 135-58-68 136-12-149 153 136-46-16-154 122-65 1568-7-14-2-35-36 136-56 15-7-62 15-7-62 15-162 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-62 15-7-
Amount-9.010.25.55.21090.39.220.40.0.0440.000000055.53490000030055334.1-0.065.010050000290.01 1 0056
     Class-9.0127.) 0-20.19 10.095048.19 02.098220 10.2600460 0042 20.320 101036 027.04006102707022308.91.802505 1
```

```
corr_pairs = correlation_mat.unstack()
sorted_pairs = corr_pairs.sort_values(kind="quicksort")
strong_pairs = sorted_pairs[abs(sorted_pairs) > 0.5]
print(strong_pairs)
```

correlation mat = df.corr()

```
V2
        Amount
                  -0.531409
Amount
                  -0.531409
        Time
                   1.000000
Time
V15
        V15
                   1.000000
V28
        V28
                   1.000000
        V1
٧1
                   1.000000
V2
        V2
                   1.000000
V3
        V3
                   1.000000
٧4
        ٧4
                   1.000000
V5
        V5
                   1.000000
V6
        V6
                   1.000000
V7
        V7
                   1.000000
V8
        V8
                   1.000000
V9
        V9
                   1.000000
        V10
V10
                   1.000000
        V11
V11
                   1.000000
V12
        V12
                   1.000000
Amount
        Amount
                   1.000000
                   1.000000
V13
        V13
V16
        V16
                   1.000000
V17
        V17
                   1.000000
V18
        V18
                   1.000000
        V19
                   1.000000
V19
        V20
                   1.000000
V20
V21
        V21
                   1.000000
V22
        V22
                   1.000000
V23
        V23
                   1.000000
V24
        V24
                   1.000000
V25
        V25
                   1.000000
V26
        V26
                   1.000000
V27
        V27
                   1.000000
V14
        V14
                   1.000000
        Class
Class
                   1.000000
dtype: float64
```

df.columns

x=df.iloc[:, 0:30].values
y=df['Class']

#Splitting into train and test set

```
from sklearn.model_selection import train_test_split x_train, x_test, y_train, y_test= train_test_split(x, y, test_size= 0.25, random_state=0)
```

```
import seaborn as sns
from sklearn.datasets import make_classification
```

```
x, y = make_classification(n_samples=5000, n_features=2, n_informative=2, n_redundant=0, n_repeated=0, n_classes=3, n_clusters_per_class=1, weights=[0.01, 0.05], class_sep=0.8, random_state=0)

import matplotlib.pyplot as plt colors = ['#ef8a62' if v == 0 else '#f7f7f7' if v == 1 else '#67a9cf' for v in y] kwarg_params = {'linewidth': 1, 'edgecolor': 'black'} fig = plt.Figure(figsize=(12,6)) plt.scatter(x[:, 0], x[:, 1], c=colors, **kwarg_params) sns.despine()
```

The above plot shows the bias and imbalance of the data points. The fraud class accound for only a small portion of the data

#Applying the XCG algorithm on the given data

```
# import linrary
from xgboost import XGBClassifier

xgb_model = XGBClassifier().fit(x_train, y_train)

# predict
xgb y predict = xgb model.predict(x test)
```

```
from sklearn.metrics import accuracy_score,precision_score,recall_score

xgb_score = accuracy_score(xgb_y_predict, y_test)
```

```
Accuracy score is: 0.9904
```

print('Accuracy score is:', xgb score)

The above code shows high accuracy. The reason for this is high imbalance in the data. Though the accuracy is high, because of the imbalance it might not be able to perform well in world cases of fraud detection.

```
class_count_0, class_count_1 = df['Class'].value_counts()

# Separate class
class_0 = df[df['Class'] == 0]
class_1 = df[df['Class'] == 1]# print the shape of the class
print('class 0:', class_0.shape)
print('class 1:', class_1.shape)

class 0: (284315, 33)
class 1: (492, 33)
```

The above snippet shows the number of data points in each class.

```
#Isolation forest to detect anomalies

import numpy as np
from sklearn.ensemble import IsolationForest

random_state = np.random.RandomState(42)
model=IsolationForest(n_estimators=100,max_samples='auto',contamination=float(0.2),random_state=random_state)

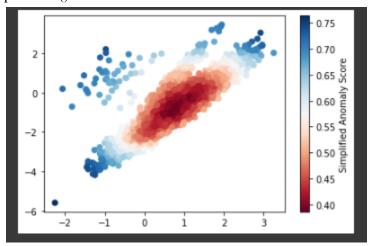
model.fit(x)
pred = model.predict(x)

pred_scores = -1*model.score_samples(x)

print(model.get_params())

plt.scatter(x[:, 0], x[:, 1], c=pred_scores, cmap='RdBu')
```

plt.colorbar(label='Simplified Anomaly Score')
plt.show()



The above snippet shows other anomalies in the data. The large anomalies may be due to the imbalance.

```
# Over sampling using SMOTE
```

import library from imblearn.over_sampling import SMOTE from collections import Counter

```
smote = SMOTE()
```

fit predictor and target variable x smote, y smote = smote.fit resample(x, y)

print('Original dataset shape', Counter(y))
print('Resample dataset shape', Counter(y smote))

```
Original dataset shape Counter({0: 284315, 1: 492})
Resample dataset shape Counter({0: 284315, 1: 284298})
```

To increase the number of fraud cases we are using SMOTE to increase the number of samples of the imbalanced data.

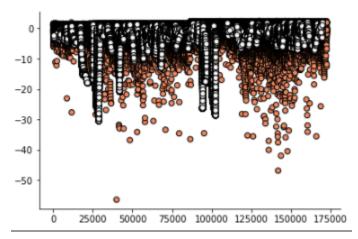
Over sampling using Adasyn

from imblearn.over_sampling import ADASYN

ada = ADASYN(random_state=42)

```
X_res, y_res = ada.fit_resample(x, y)
kwarg_params = {'linewidth': 1, 'edgecolor': 'black'}
colors = ['#ef8a62' if v == 0 else '#f7f7f7' if v == 1 else '#67a9cf' for v in y_res]
plt.scatter(X_res[:, 0], X_res[:, 1], c=colors, **kwarg_params)
sns.despine()
plt.suptitle("Benchmark Data Resampled with SMOTE-borderline2")
pass
```

Benchmark Data Resampled with SMOTE-borderline2



print('Original dataset shape', Counter(y))
print('Resample dataset shape', Counter(y res))

```
Original dataset shape Counter({0: 284315, 1: 492})
Resample dataset shape Counter({0: 284315, 1: 284298})
```

Under sampling

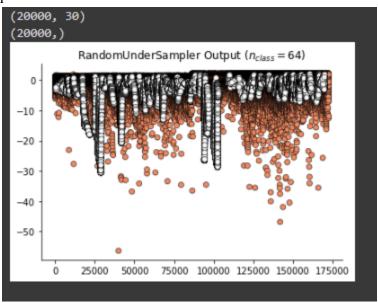
Random Under Sampling for Adasyn data

from imblearn.under sampling import RandomUnderSampler

```
rus = RandomUnderSampler(random_state=0, sampling_strategy={0: 10000, 1: 10000})
rus.fit(X_res, y_res)
X_rus, y_rus = rus.fit_resample(X_res, y_res)
print(X_rus.shape)
print(y_rus.shape)
```

```
colors = ['#ef8a62' if v == 0 else '#f7f7f7' if v == 1 else '#67a9cf' for v in y_res] plt.scatter(X_res[:, 0], X_res[:, 1], c=colors, linewidth=0.5, edgecolor='black')
```

sns.despine()
plt.title("RandomUnderSampler Output (\$n_{class}=64)\$")
pass

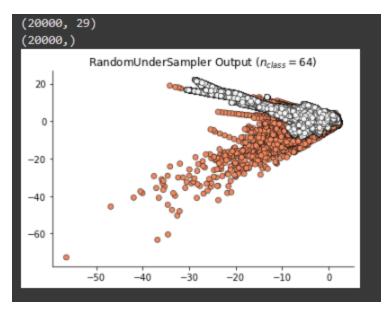


Random Under sampling of SMOTE data

from imblearn.under sampling import RandomUnderSampler

```
rus = RandomUnderSampler(random_state=0, sampling_strategy={0: 10000, 1: 10000})
rus.fit(x_smote, y_smote)
x_rus1, y_rus1 = rus.fit_resample(x_smote, y_smote)
print(x_rus1.shape)
print(y_rus1.shape)
```

```
\label{eq:colors} $$ = ['\#ef8a62' \ if \ v == 0 \ else \ '\#f7f7f7' \ if \ v == 1 \ else \ '\#67a9cf' \ for \ v \ in \ y\_smote] $$ plt.scatter(x\_smote[:, 0], x\_smote[:, 1], c=colors, linewidth=0.5, edgecolor='black') $$ sns.despine() $$ plt.title("RandomUnderSampler Output ($n_{class}=64)$") $$ pass
```



Comparing the under sampled data for both the algorithms we can see that the Adasyn undersampled data has more balance compared to the SMOTE undersampled data.

```
# Isolation Forest for anomaly detection

import numpy as np
from sklearn.ensemble import IsolationForest

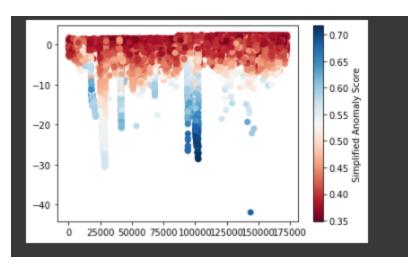
random_state = np.random.RandomState(42)
model=IsolationForest(n_estimators=100,max_samples='auto',contamination=float(0.179),rando
m_state=random_state)

model.fit(X_rus)
pred1 = model.predict(X_rus)

pred_scores1 = -1*model.score_samples(X_rus)

print(model.get_params())

plt.scatter(X_rus[:, 0], X_rus[:, 1], c=pred_scores1, cmap='RdBu')
plt.colorbar(label='Simplified Anomaly Score')
plt.show()
```



The above plot shows lesser anomalies for the sampled data compared to the original data. Thus improving the distribution and balance of the data points.

```
class1_count_0, class1_count_1 = y_rus.value_counts()

# Separate class
class1_0 = y_rus[y_rus == 0]
class1_1 = y_rus[y_rus == 1]# print the shape of the class
print('class 0:', class1_0.shape)
print('class 1:', class1_1.shape)

class 0: (10000,)
class 1: (10000,)
```

Splitting into train and test for Adasyn data

```
from sklearn.model_selection import train_test_split x_train1, x_test1, y_train1, y_test1= train_test_split(X_rus, y_rus, test_size= 0.25, random_state=0)
```

Splitting into train and test for Smote data

```
from sklearn.model_selection import train_test_split x_train2, x_test2, y_train2, y_test2= train_test_split(x_rus1, y_rus1, test_size= 0.25, random_state=0)
```

Random Forest

from sklearn.ensemble import RandomForestClassifier classifier= RandomForestClassifier(n_estimators= 10, criterion="entropy")

from sklearn.metrics import precision_score, recall_score,accuracy_score print(accuracy_score(y_test1, y_pred)) print(precision_score(y_test1, y_pred)) print(recall_score(y_test1, y_pred))

```
0.993
0.9983974358974359
0.9877130400317082
```

The above snippet shows accuracy for Adasyn data

from sklearn.metrics import precision_score, recall_score,accuracy_score print(accuracy_score(y_test2, y_pred_smote)) print(precision_score(y_test2, y_pred_smote)) print(recall_score(y_test2, y_pred_smote))

```
0.9912
0.9963956748097718
0.9861276258422513
```

The above shows accuracy for smote data

The above two plots show adasyn has a higher accuracy compared to smote. Hence adasyn performs better compared to smote. We will be using Adasyn for all algorithms henceforth.

```
# KNN
```

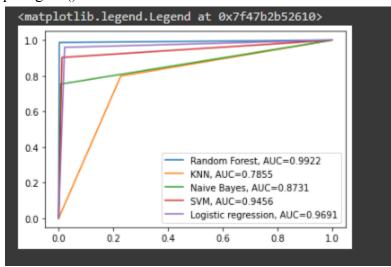
```
#Fitting K-NN classifier to the training set
from sklearn.neighbors import KNeighborsClassifier
classifier= KNeighborsClassifier(n_neighbors=24, metric='minkowski', p=2)
classifier.fit(x train1, y train1)
```

```
y pred1= classifier.predict(x test1)
from sklearn.metrics import precision score, recall score, accuracy score
print(accuracy score(y test1, y pred1))
print(precision score(y test1, y pred1))
print(recall_score(y_test1, y_pred1))
 0.872
 0.9906201146430432
 0.7534680935394372
# Naive Bayes
from sklearn.naive bayes import GaussianNB
clf = GaussianNB()
clf.fit(x train1, y train1)
# making predictions on the testing set
y pred2 = clf.predict(x test1)
from sklearn.metrics import precision score, recall score, accuracy score
print(accuracy score(y test1, y pred2))
print(precision score(y test1, y pred2))
print(recall score(y test1, y pred2))
# SVM
from sklearn.svm import SVC
svclassifier = SVC(kernel='linear')
clf=svclassifier.fit(x train1, y train1)
y pred3 = svclassifier.predict(x test1)
from sklearn.metrics import precision_score, recall_score,accuracy_score
print(accuracy_score(y_test1, y_pred3))
print(precision_score(y_test1, y_pred3))
print(recall score(y test1, y pred3))
0.9870073624945864
 0.9032897344431232
```

Logistic regression

```
from sklearn.metrics import confusion matrix
from sklearn.metrics import accuracy score
from sklearn.metrics import classification report
from sklearn.linear model import LogisticRegression
classifier = LogisticRegression(random state=0)
classifier.fit(x train1, y train1)
y pred4 = classifier.predict(x test1)
confusion matrix = confusion matrix(y test1, y pred4)
print(confusion matrix)
print('Score: {:.2f}'.format(classifier.score(x test1,y test1)))
  [ 101 2422]]
# AUC ROC plots with threshhold 0.5
from sklearn import metrics
import numpy as np
import matplotlib.pyplot as plt
fpr, tpr, = metrics.roc curve(y test1, y pred)
auc = round(metrics.roc auc score(y test1, y pred), 4)
plt.plot(fpr,tpr,label="Random Forest, AUC="+str(auc))
fpr, tpr, = metrics.roc curve(y test1, y pred1)
auc = round(metrics.roc auc score(y test1, y pred1), 4)
plt.plot(fpr,tpr,label="KNN, AUC="+str(auc))
fpr, tpr, = metrics.roc curve(y test1, y pred2)
auc = round(metrics.roc auc score(y test1, y pred2), 4)
plt.plot(fpr,tpr,label="Naive Bayes, AUC="+str(auc))
fpr, tpr, = metrics.roc curve(y test1, y pred3)
auc = round(metrics.roc auc score(y test1, y pred3), 4)
plt.plot(fpr,tpr,label="SVM, AUC="+str(auc))
fpr, tpr, = metrics.roc curve(y test1, y pred4)
```

auc = round(metrics.roc_auc_score(y_test1, y_pred4), 4)
plt.plot(fpr,tpr,label="Logistic regression, AUC="+str(auc))
#add legend
plt.legend()



Inference:

1. The accuracy for different models are as follows

Random Forest-99.3%

KNN-78.56%

Naive Bayes - 87.2%

SVM - 94.52%

Logistic regression- 97%

- 2. Thus the highest accuracy occurs for random forest algorithm.
- 3. Looking at the AUC ROC plot for each graphs we can see that the data shows best results for Random Forest followed by Logistic regression and SVM
- 4. The above results for Adasyn and Smote up sampling data shows Adasyn works better for this dataset.
- 5. The imbalanced data is up sampled to balance and down sampled to reduce the size and computation power.

The down sampling process reduces the accuracy by a very marginal value but provides higher computer power, hence it is preferred when the data size is huge.