

RSSI Gain Step Calibration in AD9361

1. Receiver Signal Chain Overview

Antenna → LNA → Mixer (LO Driven) → TIA → LPF → ADC → Digital Power Estimator

RSSI is measured after the ADC. Therefore, it includes total analog + digital gain.
 $\text{RSSI_raw} = P_{\text{in}} + G_{\text{total}}$

2. Gain Step Index (GSI)

Gain in AD9361 is discrete. Each Gain Step Index represents a combination of:

- LNA Gain
- Mixer Gain
- TIA Gain
- Digital Gain

Mathematically:

$$P_{\text{in}} = \text{RSSI_raw} - G_{\text{total}}$$

However, G_{total} varies with frequency and hardware non-idealities.

3. LO (Local Oscillator) Dependency

The LO determines RF center frequency and impacts:

- Mixer conversion gain
- Frequency response
- Matching network behavior
- Gain flatness

Thus:

$$G_{\text{total}} = f(\text{GSI}, \text{LO_frequency})$$

The same gain index produces different gain at 900 MHz vs 2.4 GHz.

4. RSSI Computation

RSSI is computed digitally:

$$\text{RSSI} = 10 \log_{10} \left(\frac{1}{N} * \sum (I^2 + Q^2) \right)$$

Initially measured in dBFS.

Converted to dBm using gain calibration tables.

5. Calibration Procedure

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Step 1: Inject known RF power (e.g., -60 dBm)
Step 2: Fix LO frequency
Step 3: Sweep Gain Step Index
Step 4: Measure RSSI error
Step 5: Store correction for each (LO band, GSI)

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Correction Table:
P_corrected = RSSI_measured - G_calibrated

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6. AGC Interaction

In AGC mode, GSI changes dynamically.
Without calibration:
RSSI fluctuates even with constant RF input.

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Corrected power:
P_in = RSSI - GainTable[GSI]

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7. Temperature and Non-Idealities

Real-world effects:

- Gain ripple across frequency
- Step discontinuities
- Temperature drift
- LO leakage and DC offset

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Practical model:
G = f(GSI, LO, Temperature)

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8. Engineering Debug Strategy

- Use manual gain mode
- Fix LO frequency
- Inject calibrated RF tone
- Compare expected vs measured RSSI
- Sweep LO bands
- Validate gain table consistency

9. Final Mathematical Model

Complete expression:

$$P_{in} = 10 \log_{10} \left(\frac{1}{N} * \sum (I^2 + Q^2) \right) - G_{analog}(GSI, LO) - G_{digital}$$

Calibration ensures $G_{analog}(GSI, LO)$ is accurately known.

This guarantees stable AGC operation,
accurate channel power estimation,
and reliable SDR performance.

