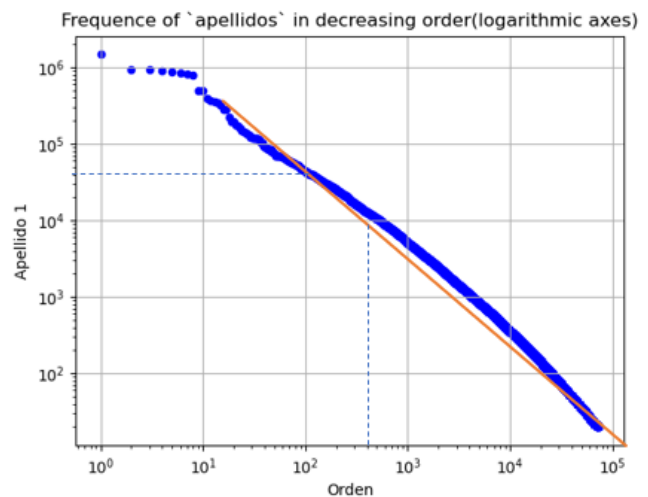
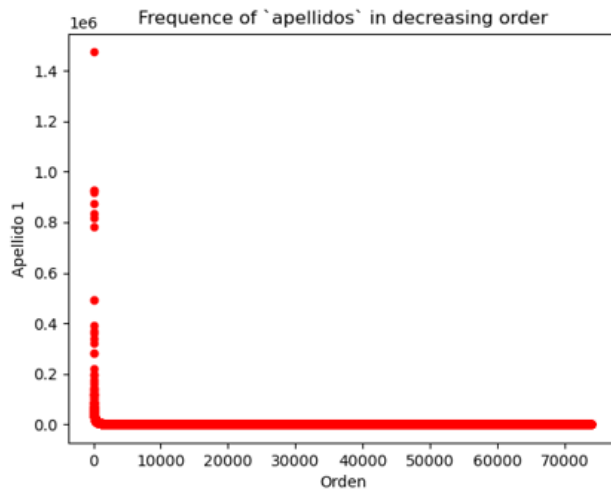


## Practical 1 - Powerlaws

### 2. Distribution of family names



Answer: A powerlaw is defined as  $y = c * (x + b)^a$ , with  $a$ ,  $b$  and  $c$  constants. Looking at the plot of frequency of family names in the Spanish census of 2015, we can see that the logarithmic representation is almost a linear function. This means that it can be considered a powerlaw with  $b \cong 0$ .

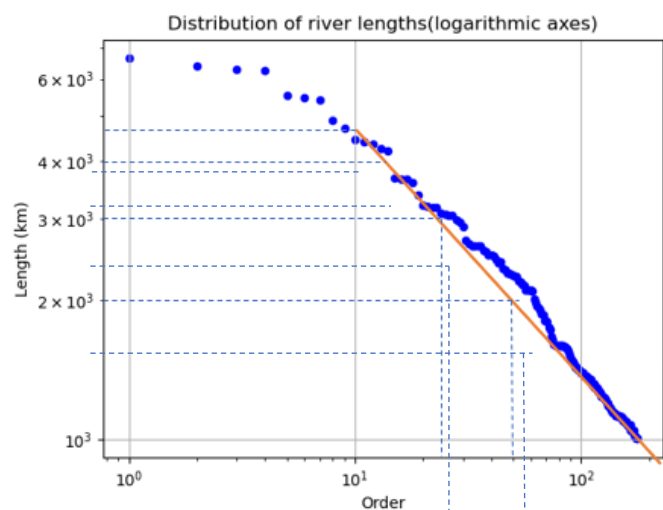
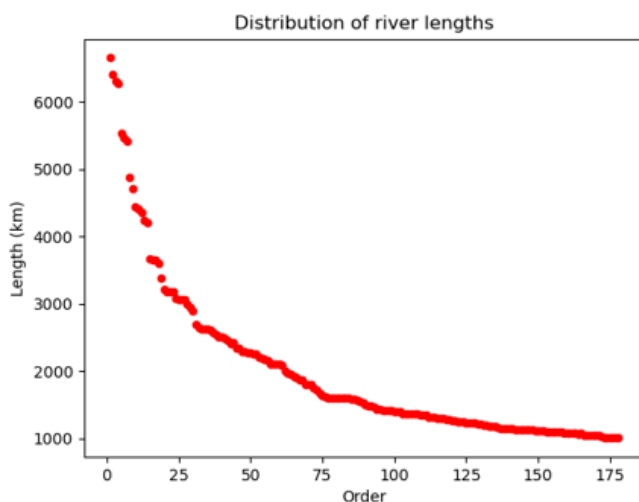
$$\log c \cong 1.4 * 10^5 \Rightarrow c = 4.05 * e^{10000}$$

Considering  $b = 0$ ,  $\log y = a * \log x + \log c$ .

$\Rightarrow$  We can verify by choosing two points  $(x_1, y_1) = (3 * 10^2, 10^4)$  and  $(x_2, y_2) = (10^2, 3 * 10^4)$

$$\Rightarrow \Rightarrow a = \frac{y_1 - y_2}{x_1 - x_2} = \frac{-2 * 10^4}{10^2} = -200$$

### 3. Distribution of river length



Subject: **Information Retrieval and Analysis**

Student: **Stanciu Iulia-Cristina**

Group: 12

Practicals: **Lab1 – Powerlaws – 26.09.2022**

A powerlaw is defined as  $y = c * (x + b)^a$ , with a, b and c constants. The logarithmic plot of the distribution of river lengths resembles a linear function, except the points for a low value of x. This means that it can be considered a powerlaw.

$$\log c \cong 2 * 10^2 \Rightarrow c = 7.39 * e^{200}$$

Considering  $b = 0$ ,  $\log y = a * \log x + \log c$ .

⇒ We can verify by choosing two points  $(x_1, y_1) = (1.3 * 10^1, 3 * 10^3)$  and  $(x_2, y_2) = (5 * 10^1, 2 * 10^3)$

$$\Rightarrow \Rightarrow a = \frac{y_1 - y_2}{x_1 - x_2} = \frac{-10^3}{37} = -27.02$$

## 4. Text Laws

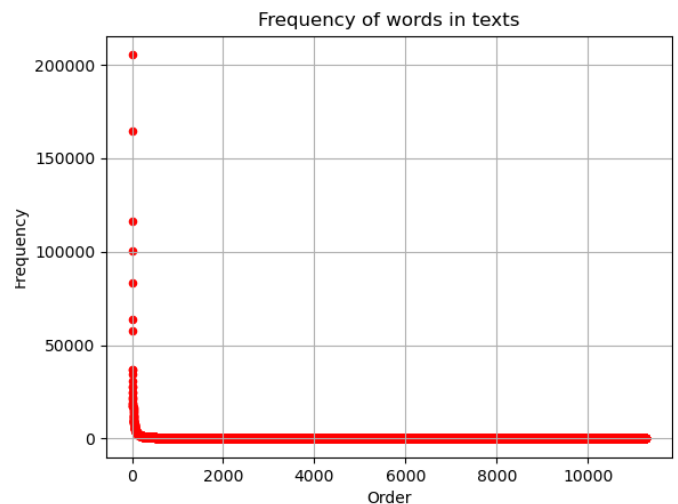
Python code:

```
def readWords(path, output_filename_full, output_filename_k):
    dictionary = {}
    unique_words = []
    count = 0;

    for f in listdir(path):
        ff = join(path, f)
        print("processing ", ff)
        for text in open(ff, "r", encoding="utf8"):
            # transform punctuation to spaces in line
            # text = text.read()
            skips = [".", ",", ";", ":", "-", "(", ")", "\n", "\r", "?", "!", "(", ")", "+", "/", "[", "]",
                    "https", "1", "2", "3", "4", "5", "6", "7", "8", "9", "0"]
            for ch in skips:
                text = text.replace(ch, " ")

            # translate line to lowercase
            text = text.lower()
            for word in text.split(" "):
                count += 1
                if word in dictionary:
                    dictionary[word] += 1
                else:
                    dictionary[word] = 1

    i = 0;
    with open(output_filename_full, "w") as of:
        of.write("Order" + ";" + "Word" + ";" + "Frequency" + "\n")
        for word in sorted(dictionary, key=dictionary.get, reverse=True):
            print(word, dictionary[word])
            i += 1
        of.write(str(i) + ";" + str(word) + ";" + str(dictionary[word]) + "\n")
```



The distribution of words in the given novels is also a powerlaw.

$$\log c \cong 2 * 10^4 \Rightarrow c = 7.39 * e^{10000}$$

Considering  $b = 0$ ,  $\log y = a * \log x + \log c$ .

⇒ We can verify by choosing two points  $(x_1, y_1) = (3 * 10^2, 10^3)$  and  $(x_2, y_2) = (3 * 10^1, 10^4)$

$$\Rightarrow \Rightarrow a = \frac{y_1 - y_2}{x_1 - x_2} = \frac{-9 * 10^3}{270} = -33.33$$

The distribution of unique words per number of words is also a powerlaw. but almost linear.  $a = 1$ :  $b=0$ :  $c=0.035$

