# Spatial Prediction and Model Selection

### Conditional Multivariate Normal Theory

The conditional distribution,  $p(\mathbf{Y_1}|\mathbf{Y_2},\boldsymbol{\beta},\sigma^2,\phi,\tau^2)$  is normal with:

#### Posterior Predictive Distribution

The (posterior) predictive distribution  $p(Y(s_0)|y)$  can be written as

$$p(Y(\boldsymbol{s_0})|y) = \int p(Y(\boldsymbol{s_0})|y, \boldsymbol{\theta}) p(\boldsymbol{\theta}|y) d\boldsymbol{\theta}$$

where

The posterior predictive distribution

#### Prediction

We will use cross-validation or a test/training approach to compare predictive models.

Consider three data structures: continuous, count, and binary; how should we evaluate predictions in these situations?

### **Loss Functions**

value and a distribution.



where F is the CDF of the predictive distribution, is a metric that measures distance between an observed

# CRPS

Consider fou	r situations a	nd sketch	the predictive	${\it distribution}$	and the	he resultant	CRPS for	${\rm each}$	scenario
How does the	MSE function	on in each	setting?						

low	does the MSE function in each setting?
1.	Narrow predictive interval centered around outcome.
2.	Wide predictive interval centered around outcome.
3.	Narrow predictictive interval with outcome in tail.
4.	Wide predictive interval with outcome in tail.