MAS Workshop

Department of Statistics - USJ

2024-03-28

```
# load the packages

library(readxl)  # to load the data set
library(dplyr)  # select operator
library(ggplot2)  # to create plots
library(magrittr)  # pipe operator
library(car)  # to obtain vif value
library(DescTools)  # to obtain the mode
library(tidyr)
```

Descriptive Statistics

Load the data

```
data_descriptive <- read_xlsx("Descriptive Statistics - Data.xlsx")

trial <- read_excel("Pre Order Profitability 2023.xlsx")

trial$Date <- as.character(trial$Date)

trial <- trial %>% select(Date, `Customer Group`, Earnings, EPH)
```

Glimpse on the dataset

```
glimpse(data_descriptive)
```

```
Rows: 1,111
Columns: 10
                      <dttm> 2023-01-01, 2023-01-01, 2023-01-01, 2023-01-01, 2~
$ Date
                      <chr> "SLICK CHICKS", "SLICK CHICKS", "SLICK CHICKS", "S~
$ 'Customer Group'
                      <chr> "D051", "D051", "D051", "D051", "D051", "D051", "D~
$ 'Product hierarchy' <chr> "Swim Bottom", "Swim Bottom", "Swim Bottom", "Swim-
$ Gender
                      <chr> "WOMEN", "WOMEN", "WOMEN", "WOMEN", "WOMEN", "WOME~
                      <dbl> 4.880, 4.880, 4.734, 4.734, 4.734, 4.734, 4.880, 4~
$ SMV
                      <chr> "Courier", "Courier", "Courier", "Courier", "Couri~
$ 'Shipping Type'
                      <dbl> 200, 200, 200, 200, 200, 200, 3, 197, 3, 197, 3, 1~
$ 'Order Qty'
$ Earnings
                      <dbl> 509.2671800, 836.6231200, 812.6663206, 812.6663206~
$ 'Std Hrs'
                      <dbl> 16.2666667, 16.2666667, 15.7800000, 15.7800000, 15~
```

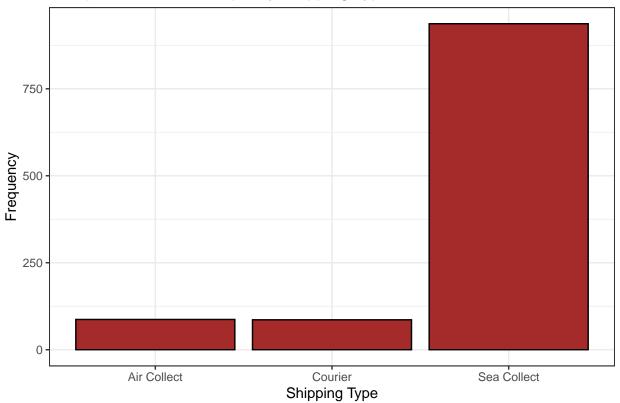
one way frequency table

```
table(data_descriptive$`Shipping Type`)
```

Air Collect Courier Sea Collect 87 86 937

barchart

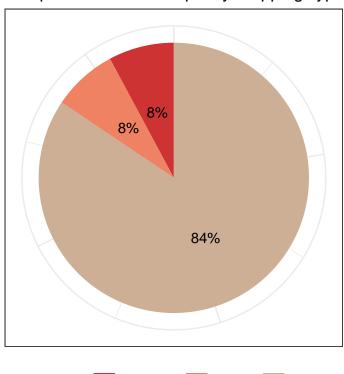
Composition of the sample by Shipping Type



pie chart

```
data.frame(Shipping_Type = c("Air Collect", "Courier", "Sea Collect"),
           Frequency = c(87, 86, 937)) \%\%
 ggplot(aes(x = "", y = Frequency,
            fill = Shipping_Type)) +
  geom_bar(stat="identity", width=1) +
  coord_polar("y", start=0) +
  geom_text(aes(label = paste0(
   round((Frequency/sum(Frequency))*100), "%")),
   position = position_stack(vjust = 0.5)) +
  theme_bw() +
  scale_fill_manual(values=c("brown3", "salmon2", "peachpuff3")) +
  labs(x = NULL, y = NULL,
      fill = "Shipping Type",
      title = "Composition of the sample by Shipping Type") +
  theme(axis.line = element_blank(),
       axis.text = element_blank(),
        axis.ticks = element_blank(),
       plot.title = element_text(hjust = 0.5)) +
  theme(legend.position = "bottom")
```

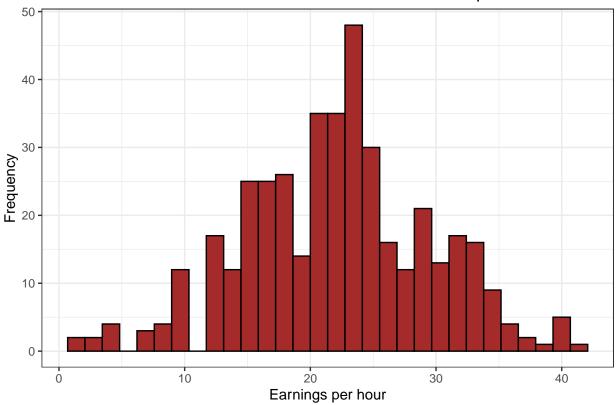
Composition of the sample by Shipping Type



summary measures

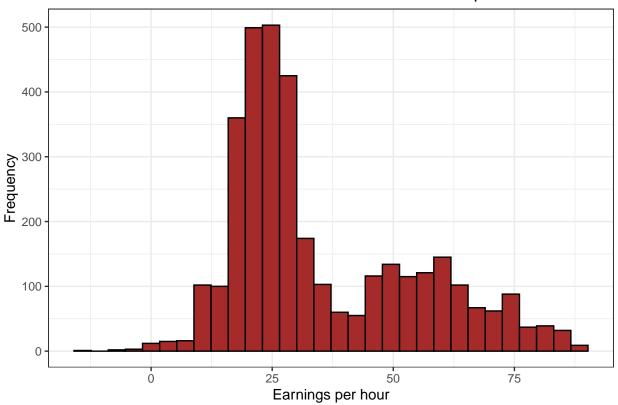
histogram - symmetric

Distribution of EPH values for Lands'End Customer Group



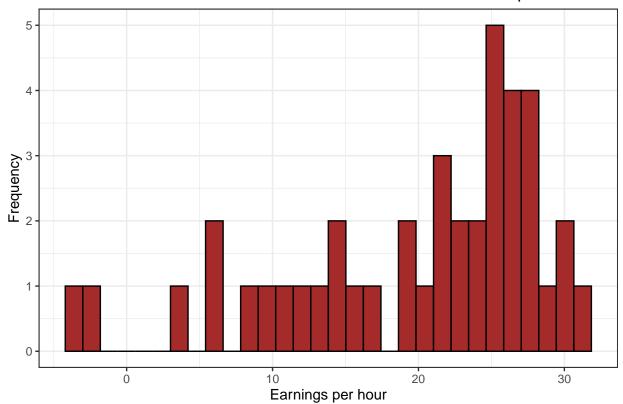
histogram - positively skewed

Distribution of EPH values for SPEEDO Customer Group



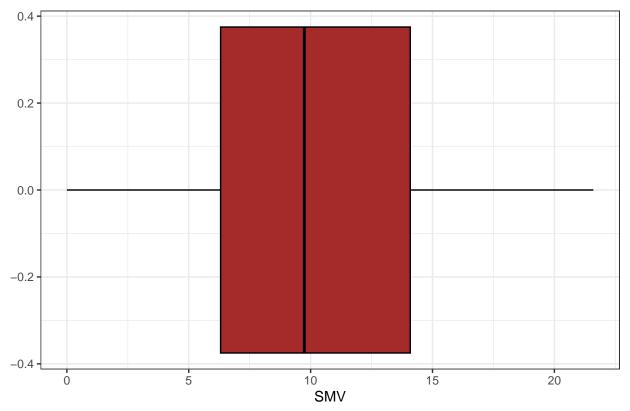
histogram - negatively skewed

Distribution of EPH values for PELEG NIL LTD Customer Group



boxplot

Distribution of SMV



two way frequency table

 D051
 D052
 D053
 D100

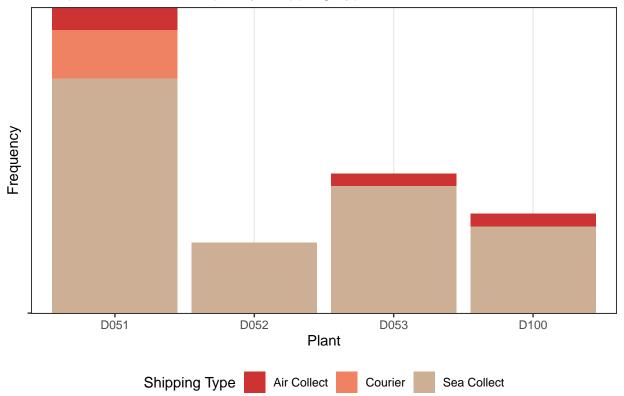
 Air Collect
 40
 0
 24
 23

 Courier
 86
 0
 0
 0

 Sea Collect
 422
 126
 235
 154

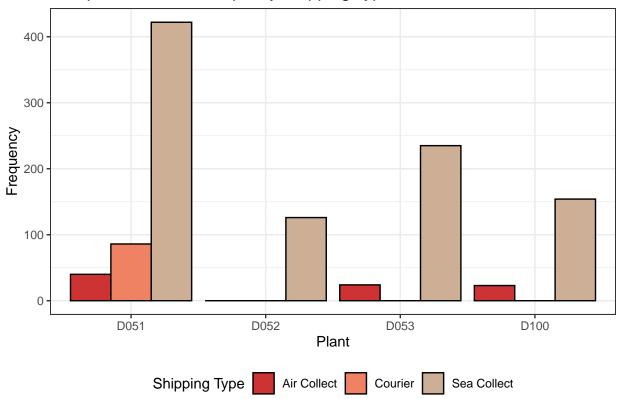
stacked bar chart

Composition of the sample by Shipping Type and Plant



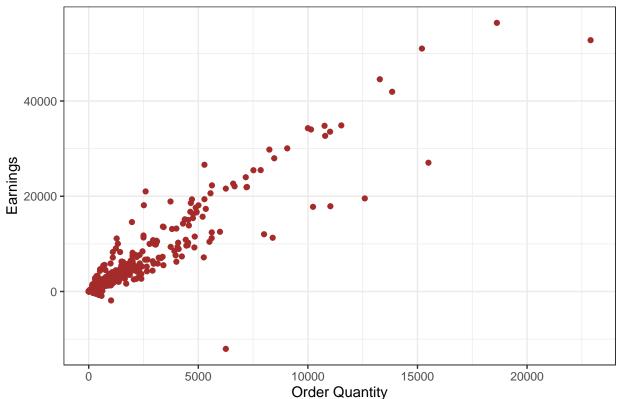
cluster bar chart

Composition of the sample by Shipping Type and Plant



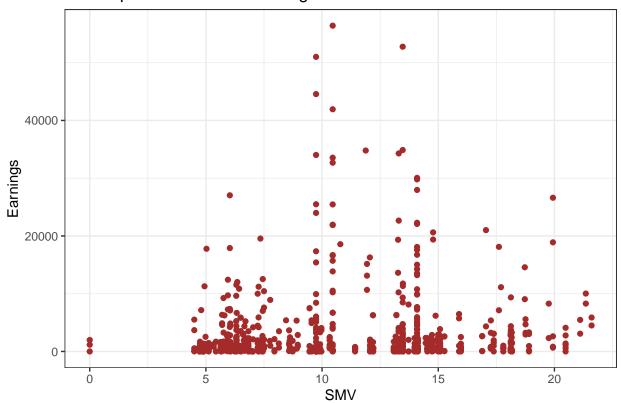
scatterplot - positive linear

Scatterplot of Order Quantity and Earnings



scatterplot - no linear

Scatterplot of SMV and Earnings

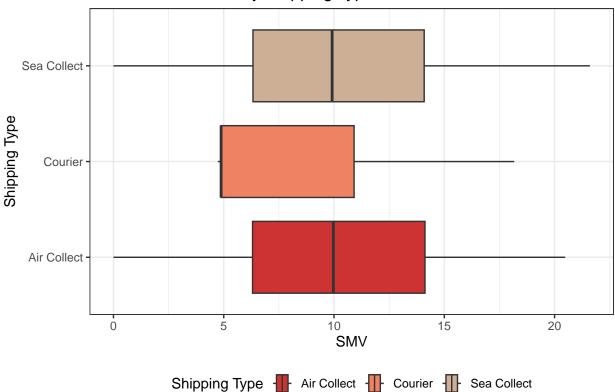


slide number: 56

boxplot with groups

```
data_descriptive %>%
  select(SMV,
```

Distribution of SMV by Shipping Type

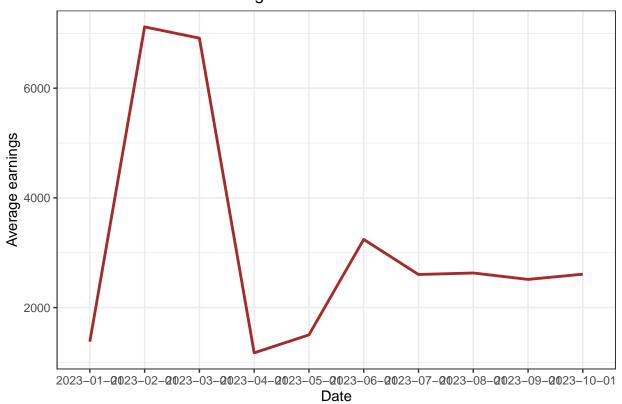


slide number: 58

line chart

```
# preparing data
line_data <- trial %>% group_by(Date) %>%
summarise(Mean.Earnings = mean(Earnings)) %>% drop_na()
```

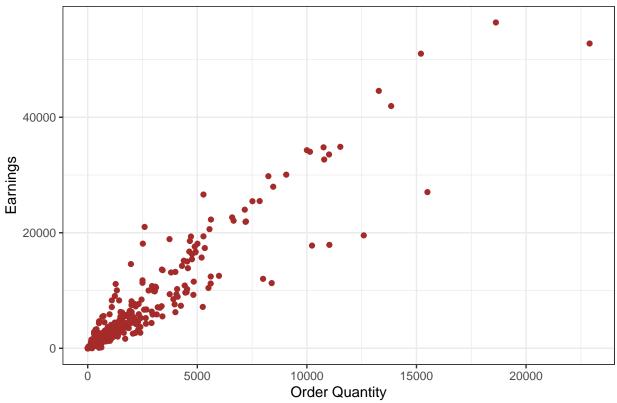
Line chart of mean earning values



Correlation Analysis

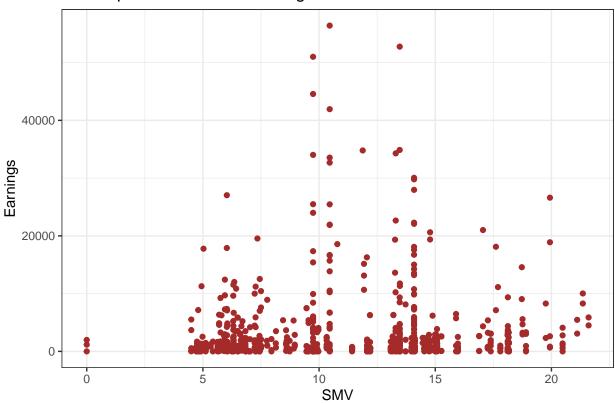
slide number: 63

Scatterplot of Order Quantity and Earnings



[1] 0.9371457

Scatterplot of SMV and Earnings



[1] 0.1142413

Hypothesis Testing

One sample test for mean - Slide no 61

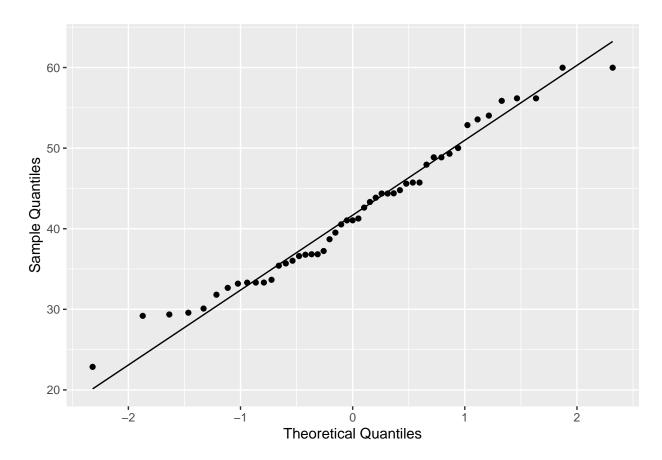
Example: Suppose we want to test whether the mean earnings per hour for Outer Known customer group is less than 50 at 5% significance level.

```
# loading dataset
Hypothesis.data <- read_excel("Hypothesis Data.xlsx")</pre>
```

Step 1: Check whether Earnings per hour values are normally distributed

Normal probability plot

```
ggplot(Hypothesis.data, aes(sample = Earnings.per.hour)) + stat_qq() +
stat_qq_line() +
labs(x = "Theoretical Quantiles", y = "Sample Quantiles")
```



Normality test

shapiro.test(Hypothesis.data\$Earnings.per.hour)

Shapiro-Wilk normality test

```
data: Hypothesis.data$Earnings.per.hour
W = 0.97508, p-value = 0.3806
```

Hypothesis to be tested:

H0: Data are normally distributed.

H1: Data are not normally distributed.

According to the Shapiro-Wilk normality test p-value = 0.3806 > 0.05.

Hence, We can conclude that Earnings per hour values are normally distributed.

Step 2: Perform the t-test

```
t.test(Hypothesis.data$Earnings.per.hour, alternative = "less", mu = 50)
```

```
One Sample t-test

data: Hypothesis.data$Earnings.per.hour

t = -6.5365, df = 48, p-value = 1.89e-08

alternative hypothesis: true mean is less than 50

95 percent confidence interval:

-Inf 43.84388

sample estimates:

mean of x

41.71904
```

Since p-value = 1.89e-08 < 0.05, we reject null hypothesis.

Hence, there is sufficient evidence to suggest that the mean earnings per hour for the Outer Known customer group is less than 50.

Two sample test for comparison between means - Slide no 63

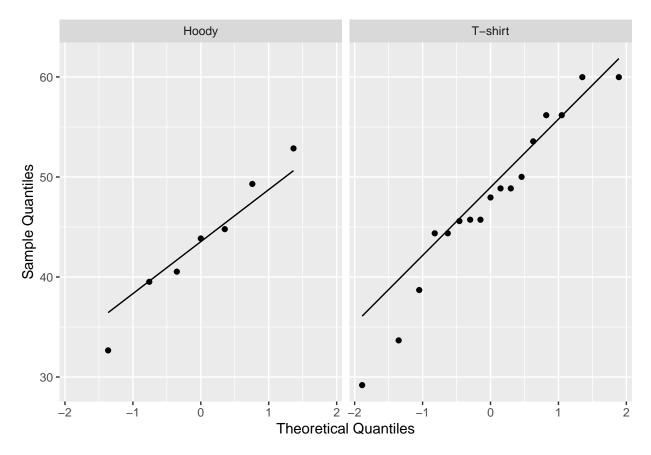
Example: Suppose we want test whether there is a significant difference in earnings per hour between Hoody products and T-shirt products of Outer Known customer group at 5% significance level.

```
# Loading relevant data
two.sample.data <- Hypothesis.data %>% filter(Product.name %in% c("Hoody", "T-shirt"))
```

Step 1: Check whether Earnings per hour values are normally distributed

Normal probability plot

```
ggplot(two.sample.data, aes(sample = Earnings.per.hour)) + stat_qq() +
stat_qq_line() + facet_grid(.~Product.name) +
labs(x = "Theoretical Quantiles", y = "Sample Quantiles")
```



Normality test

```
test1 <- two.sample.data %>% filter(Product.name == "Hoody")
shapiro.test(test1$Earnings.per.hour)
```

Shapiro-Wilk normality test

data: test1\$Earnings.per.hour
W = 0.98413, p-value = 0.9771

```
test2 <- two.sample.data %>% filter(Product.name == "T-shirt")
shapiro.test(test2$Earnings.per.hour)
```

Shapiro-Wilk normality test

data: test2\$Earnings.per.hour
W = 0.94884, p-value = 0.4384

Hypothesis to be tested:

H0: Data are normally distributed.

H1: Data are not normally distributed.

According to the Shapiro-Wilk normality test both p-values > 0.05.

Hence, We can conclude that Earnings per hour values of the two categories are normally distributed.

Step 2: Check for equality of variance

F test to compare two variances

```
data: Earnings.per.hour by Product.name
F = 0.61833, num df = 6, denom df = 16, p-value = 0.5739
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
    0.1850935 3.2424317
sample estimates:
ratio of variances
    0.6183291
```

Hypothesis to be tested:

H0: Two population variances are equal.

H1: Two population variances are not equal.

According to the F test both p-values = 0.5739 > 0.05.

Hence, We can conclude that Two population variances are equal.

Step 3: Perform the t-test

```
Two Sample t-test
```

data: Earnings.per.hour by Product.name

Since p-value = 0.2524 > 0.05, we do not reject null hypothesis.

Hence, there is sufficient evidence to conclude that there is a significant difference in earnings per hour between the two product types.

Multiple linear regression analysis

Example:

Suppose we aim to identify the factors affecting earnings from the product sales in the apparel industry. To examine the relationship between selected variables and earnings, we will conduct a multiple regression analysis. For this analysis, we will utilize the variables Earnings, MOH Value, and Std Hrs. The response variable is earnings whereas MOH Value and Std Hrs are the predictor variables.

```
# load the data set
MAS_data_set <- read_excel("data set 2.xlsx")

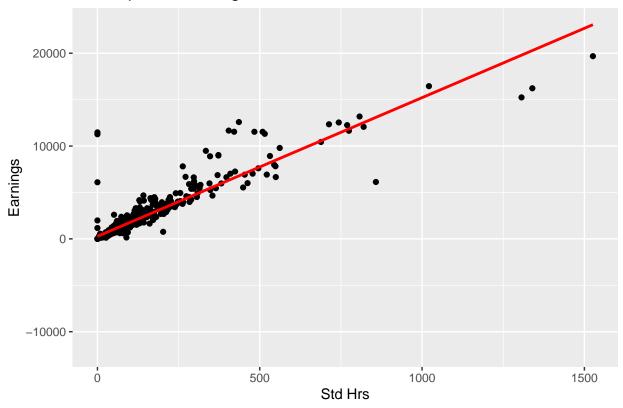
# create a data set for regression analysis
Reg_data <- MAS_data_set %>%
    select(`MOH Value`, `Earnings`,`Std Hrs`)
```

Check the linearity assumption

```
# scatter plot of Earnings and Standard Hours

ggplot(Reg_data, aes(x=`Std Hrs`, y= Earnings)) +
  geom_point() + geom_smooth(method = lm, se = FALSE, color = "red")+
  ggtitle("Scatterplot of Earnings and Standard Hours")
```

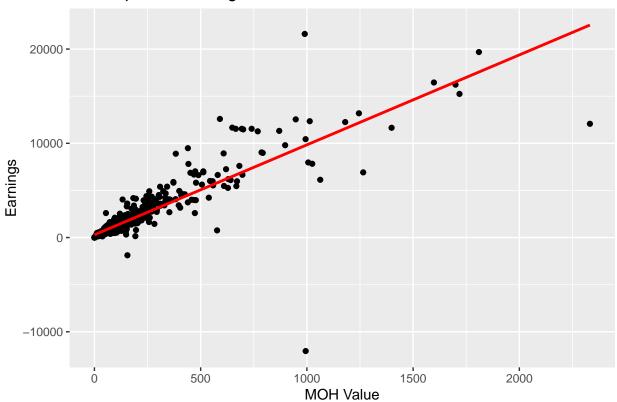
Scatterplot of Earnings and Standard Hours



```
# scatter plot of Earnings and MOH Value

ggplot(Reg_data, aes(x=`MOH Value`, y= Earnings)) +
   geom_point() + geom_smooth(method = lm, se = FALSE, color = "red")+
   ggtitle("Scatterplot of Earnings and MOH Value")
```

Scatterplot of Earnings and MOH Value



Fit the model

```
lm(formula = Earnings ~ 'Std Hrs' + 'MOH Value', data = Reg_data)
Residuals:
   Min
            1Q Median
                            ЗQ
                                  Max
-6847.3 -248.4 -157.2
                          60.3 7315.7
Coefficients:
           Estimate Std. Error t value Pr(>|t|)
(Intercept) 225.9173
                      44.2228 5.109 4.3e-07 ***
'Std Hrs'
             6.8198
                        0.6583 10.359 < 2e-16 ***
'MOH Value'
             5.6160
                        0.4265 13.167 < 2e-16 ***
Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' ' 1
```

```
Residual standard error: 934.3 on 636 degrees of freedom (8 observations deleted due to missingness)

Multiple R-squared: 0.8733, Adjusted R-squared: 0.8729

F-statistic: 2192 on 2 and 636 DF, p-value: < 2.2e-16
```

Checking assumptions

Check the multicollinearity assumption

```
vif(model_reg) # Since VIF values are less than 10, we can avoid the multicollinearity

'Std Hrs' 'MOH Value'
8.174816 8.174816
```

Check the constant variance assumption of residuals

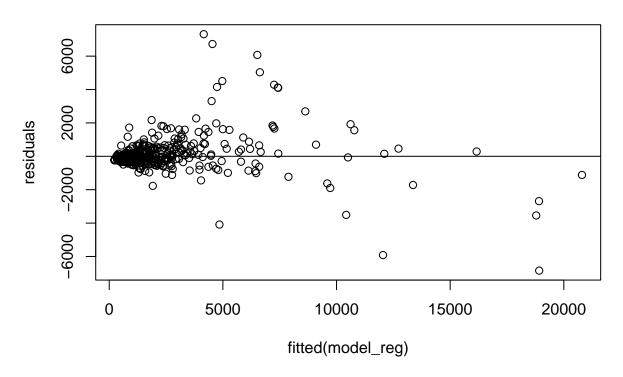
```
# obtain the residuals
residuals <- resid(model_reg)

# residual vs. fitted value plot
plot(fitted(model_reg), residuals) + title("Residual vs Fitted value plot")

integer(0)

# add a horizontal line at 0
abline(0,0)</pre>
```

Residual vs Fitted value plot



Check the normal assumption of residuals $\,$

```
# Q-Q plot for residuals
qqnorm(residuals)

# add a straight diagonal line to the plot
qqline(residuals)
```

Normal Q-Q Plot

