# Multiple Comparison Procedures To A Control For AN(C)OVA Models

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# Basic Information

Automatic statistics for the file:	
	File
	warpbreaks.csv
Your selection for the encoding: UTF-8 Your selection for the decimal character: . Observations (rows with at least one non-missing value): 54 Variables (columns with at least one non-missing value): 3 Variables considered continuous: 1	
	Variables considered continuous breaks
	Dieaks
Variables considered categorical: 2	
	Variables considered categorical
	wool
	tension

### **Model Information**

You defined the following linear model: breaks~wool\*tension

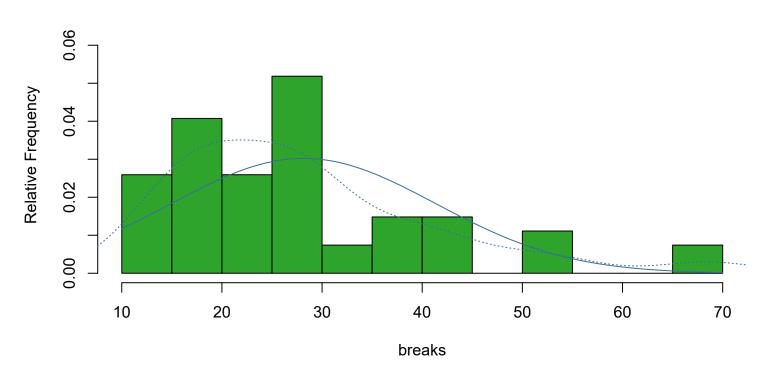
You are interested in the factor: tension

You are interested in pairwise comparisons to the control factor level: L

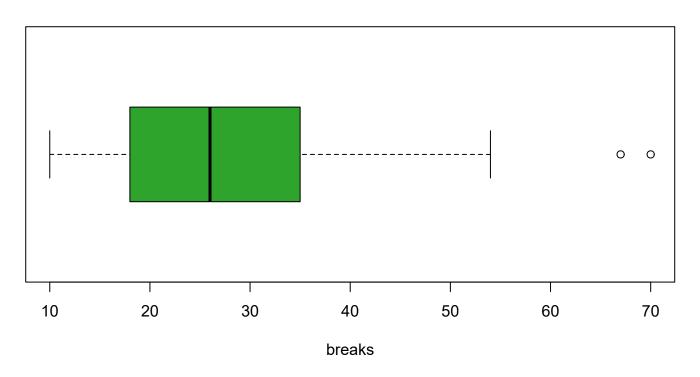
# Descriptive Plots

### Dependent Variable

# **Histogram of breaks**

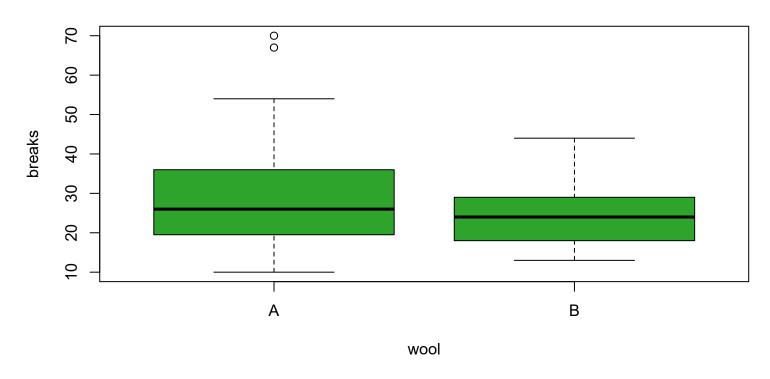


# **Boxplot of breaks**

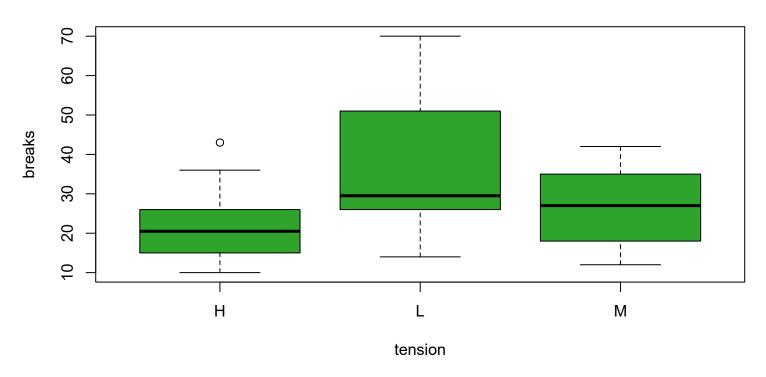


# Dependent Against Categorical Factors

# Boxplot of breaks ~ wool



# **Boxplot of breaks ~ tension**



#### **Interaction Plot for Factors**

Note: The more parallel the lines, the less likely is the significance of the interaction of the factors.

# Interaction Plot of wool and tension



Table 4: Parameter Estimates

Variable	Value	Std.Error	t.value	pvalue	sign. level <sup>1</sup>	Significance at 5 percent error
(Intercept)	28.15	1.49	18.91	< 0.001	***	Intercept Significant.
wool1	2.89	1.49	1.94	0.058		Not Significant. No difference between the effect of wool1 and its reference.
tension1	8.24	2.11	3.91	< 0.001	***	Significant. A Difference between the effect of tension1 and its reference.
tension2	-6.48	2.11	-3.08	0.003	**	Significant. A Difference between the effect of tension2 and its reference.
wool1:tension1	5.28	2.11	2.51	0.016	*	Interaction Significant. Effect wool1 vs. reference depends on tension1.
wool1:tension2	0.00	2.11	0.00	1		Interaction not Significant. Effect wool1 vs. reference don't depends on tension2.

¹ '\*\*\*': sign. to 0.1% error. '\*\*': sign. to 1% error. '\*': sign. to 5% error. ' . ': sign. to 10% error. ' ': not sign. ' - ': no statement.

#### Anova Table (Type III tests)

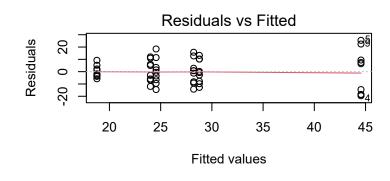
#### Response: breaks

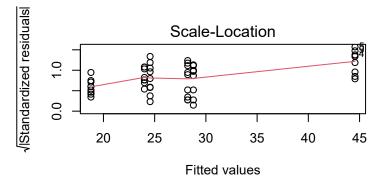
Sum Sq Df F value Pr(>F)
(Intercept) 42785 1 357.4672 < 2.2e-16 \*\*\*
wool 451 1 3.7653 0.0582130 .
tension 2034 2 8.4980 0.0006926 \*\*\*
wool:tension 1003 2 4.1891 0.0210442 \*

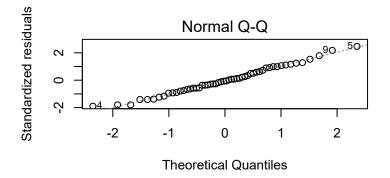
Residuals 5745 48

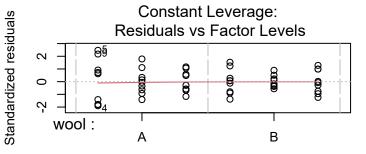
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Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.05 '.' 0.1 ' ' 1









**Factor Level Combinations** 

#### Multiple Comparisons of Means to a Control

Theoretical background: Testing multiple hypotheses simultaneously and each at the same pre-specified significance level, increases the probability of false positive effects. The probability to commit at least one false positive decision increases with the number of hypotheses. A solution to overcome this problem is given by multiple comparisons procedures. Here, we do not control the per-hypothesis Type I error but the probability of committing at least one Type I error over all hypotheses. Using p-values adjusted for multiplicity, individual hypotheses can be finally compared with the pre-specified significance level.

#### Dunnet

Test whether the factor level L of the factor tension is different from the other levels. The Null Hypothesis is for example H - L = 0.

Table 5: Multiple Comparison: Dunnet Contrasts

Null Hypothesis	Value	Std.Error	T.value	adjusted P.value	Sign. level <sup>1</sup>	Significance at 5 percent Type I error
H - L = 0	-14.72	3.65	-4.04	< 0.001	***	Significant. Level H of factor tension is significantly different than L <sup>3</sup>
M - L = 0	-10.00	3.65	-2.74	0.016	*	Significant. Level M of factor tension is significantly different than $L^3$

<sup>1 &#</sup>x27;\*\*\*': sign. to 0.1% error. '\*\*': sign. to 1% error. '\*': sign. to 5% error. '. ': sign. to 10% error. ' ': not sign. ' - ': no statement.

Simultaneous Confidence Intervals which includes the true value of the difference between the reference level L and the other levels of tension

Table 6: Simoultaneous Confidence Intervals: Dunnet Contrasts

Null Hypothesis	Value	Lower bound	Upper bound	Interpretation
H - L = 0	-14.72	-23.03	-6.41	The interval (-23.03, -6.41) traps the true difference H-L with probability 95 percent. <sup>1</sup>
M - L = 0	-10.00	-18.31	-1.69	The interval (-18.31, -1.69) traps the true difference M-L with probability 95 percent. <sup>1</sup>

<sup>&</sup>lt;sup>1</sup> Remark: Zero is not in the conidence interval.

#### References

Fox, John, and Sanford Weisberg. 2019. An R Companion to Applied Regression. Third. Thousand Oaks CA: Sage. https://socialsciences.mcmaster.ca/jfox/Books/Companion/.

Gross, Juergen, and Uwe Ligges. 2015. Nortest: Tests for Normality. https://CRAN.R-project.org/package=nortest.

 ${\it Madsen, Jacob~H.~2018.~D} {\it Doutlier:~Distance~\&~Density-Based~Outlier~Detection.~https://CRAN.R-project.org/package=DDoutlier.}$ 

R Core Team. 2019. R: A Language and Environment for Statistical Computing. Vienna, Austria: R Foundation for Statistical Computing. https://www.R-project.org/.

Zeileis, Achim, and Torsten Hothorn. 2002. "Diagnostic Checking in Regression Relationships." R News 2 (3): 7–10. https://CRAN.R-project.org/doc/Rnews/.

<sup>&</sup>lt;sup>2</sup> H1 does not hold significantly.

<sup>&</sup>lt;sup>3</sup> H1 holds significantly.

<sup>&</sup>lt;sup>2</sup> Remark: Zero is in the confidence interval.