Theory of Computation Assignment 6: SAT Encoding

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1 Installation and Instructions

2 Problem Design and Interpretation

First and foremost, this problem is very loosely defined which means that it was mostly up to us to come up with constraints or with a problem size over the specified input of a pair of garments and colours: $\langle g, c \rangle$ where $g \in G$ and $c \in C$ where G and G are sets that include garments and colours respectively, both of size 10, and we can define them as follows:

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G = \{\text{pants, shirt, hat, jacket, sweater, gloves, shoes, tie, scarf, shorts}\}\
S = \{\text{red, yellow, orange, green, blue, purple, brown, pink, white, black}\}\
```

We chose a small size for the sake of simplicity of the project and for a more realistic aspect. We will go over this part in more detail in **Section 4**.

Given these two sets, we devised constraints over them that will always be added. They are hardcoded as they specify, for instance, which garments (or colours) should or should not go together. We define these constraints as follows in a boolean way:

Boolean Constraints
\neg (yellow \land white)
\neg (blue \land purple)
\neg (blue \land black)
$\neg (\text{red} \land \text{green})$
$\neg (\text{red} \land \text{orange})$
$\neg (green \land pink)$
$\neg (green \land orange)$
$\neg(\text{pants} \land \text{shorts})$
$\neg(\text{shorts} \land \text{jacket})$
$scarf \rightarrow jacket$
$gloves \rightarrow jacket$
$tie \rightarrow shirt$

Finally, we go over the given input file and we determine

- 3 Implementation
- 3.1 SAT Solver
- 3.2 User Interface
- 4 Issues Encountered
- 5 Conclusions