



Climate change time series analysis and forecasting

Stefania Sferragatta
Matricola 1948081

Big Data for Official Statistics
AY 2021-2022

Project flow



```
graph LR; A[Dataset Overview] --> B[VARMA Model]; B --> C[ARIMA Model]; C --> D[LSTM Model]; D --> E[Evaluations & conclusions];
```

Dataset
Overview

**VARMA
Model**

**ARIMA
Model**

**LSTM
Model**

Evaluations &
conclusions



Anomalies land&ocean temperatures



Total rainfall



Surface temperature



CO2 Emissions



Number of rainy days



Global mean sea level



Humidity



Climate change dataset

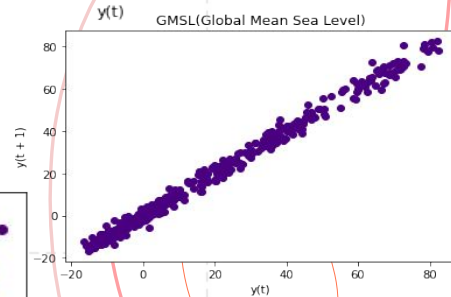
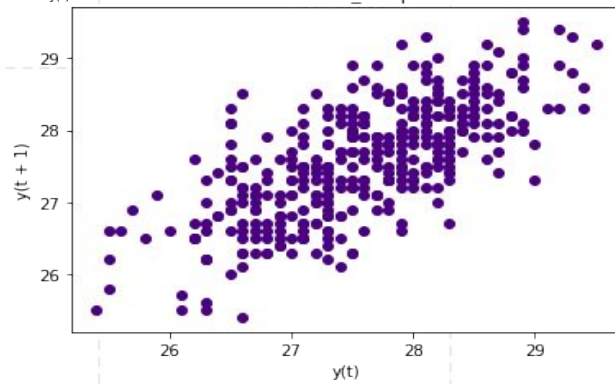
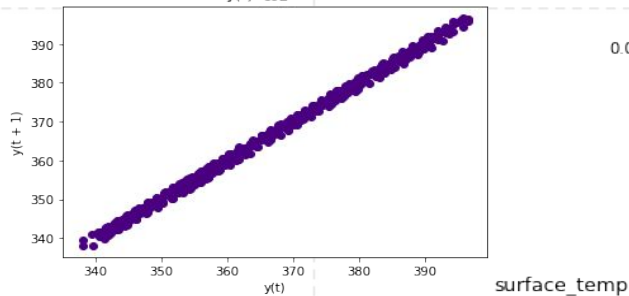
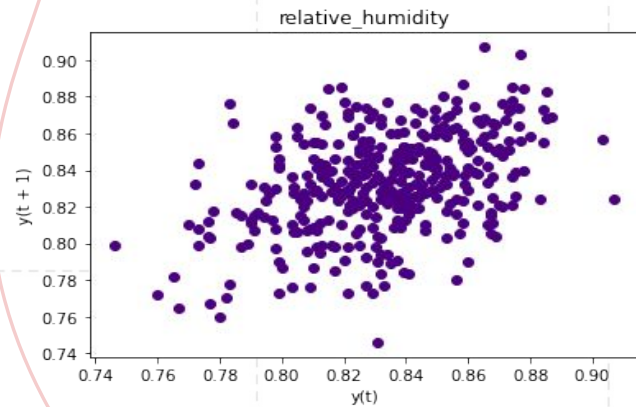
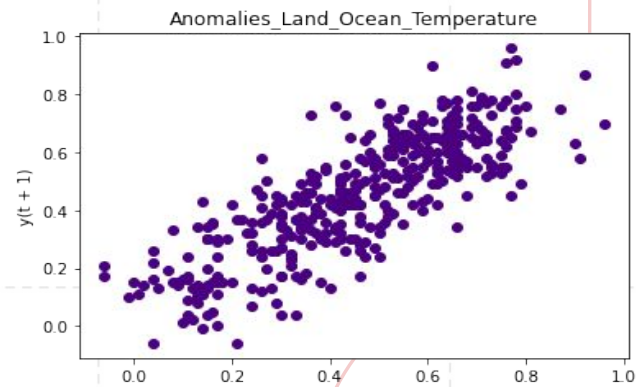
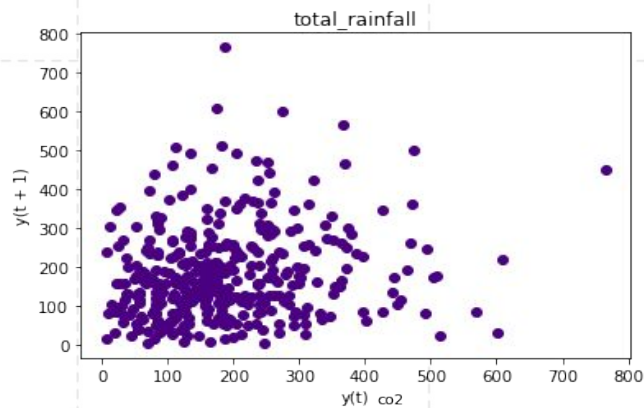
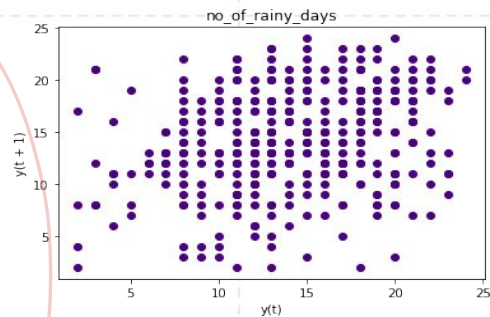
Train = data[0: -12]

Test = data[-12:]

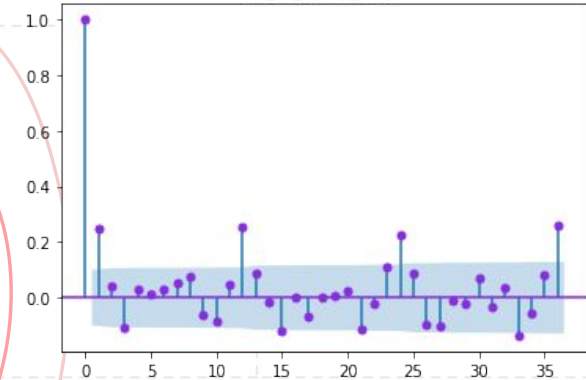
Sources:

- www.datahub.io
- www.data.gov.sg

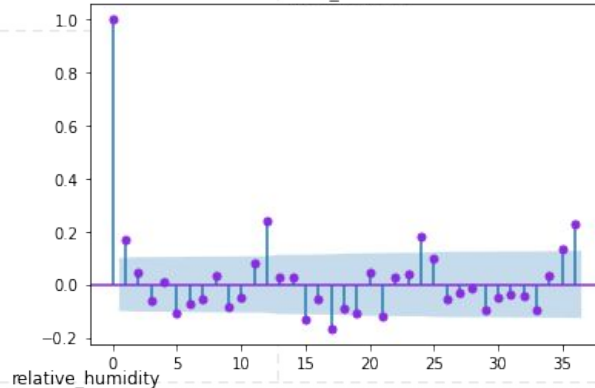
Lag scatter plots



no_of_rainy_days

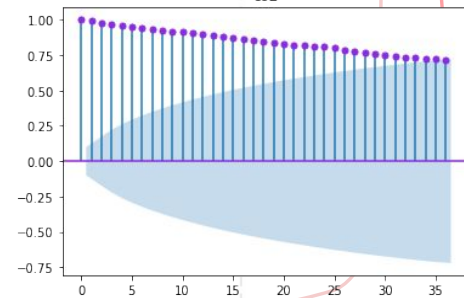


total_rainfall

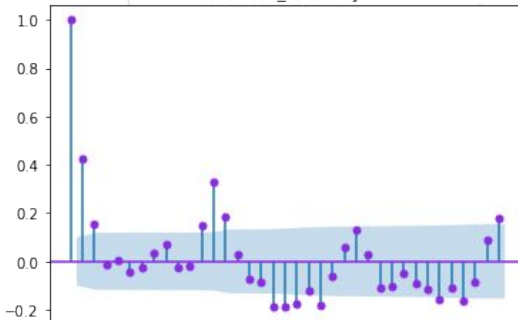


Autocorrelation

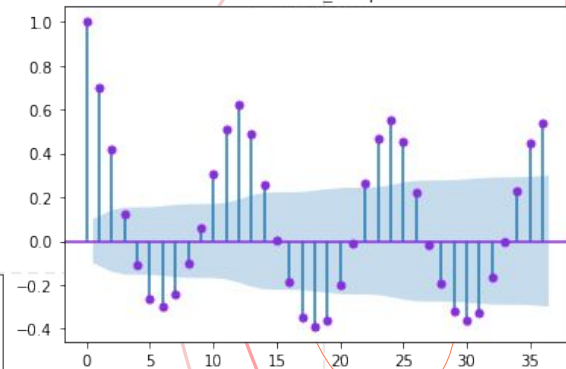
co2



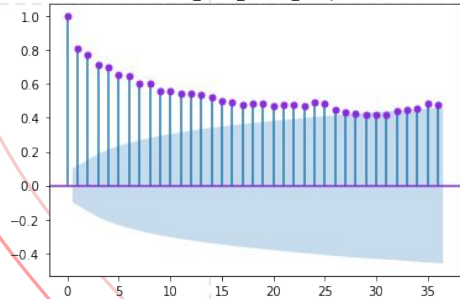
relative_humidity



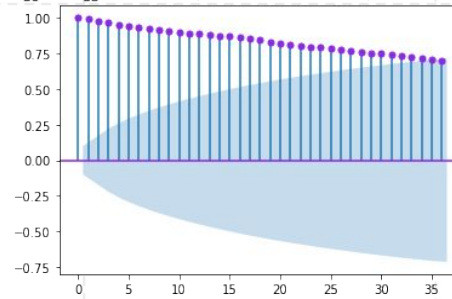
surface_temp



Anomalies_Land_Ocean_Temperature

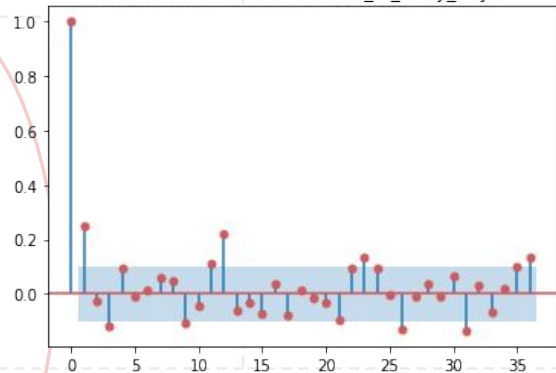


GMSL(Global Mean Sea Level)

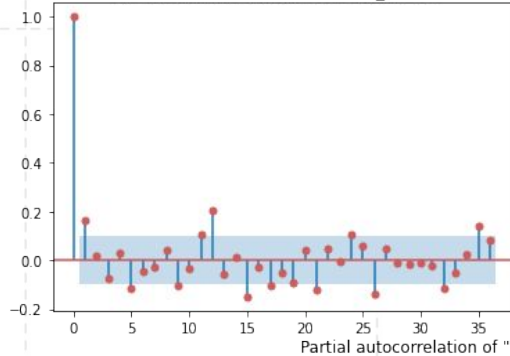


Partial autocorrelation

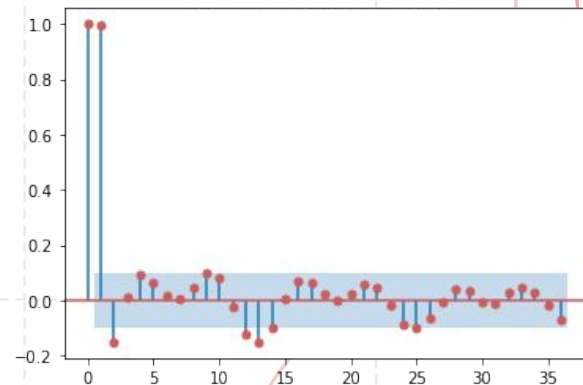
Partial autocorrelation of "no_of_rainy_days"



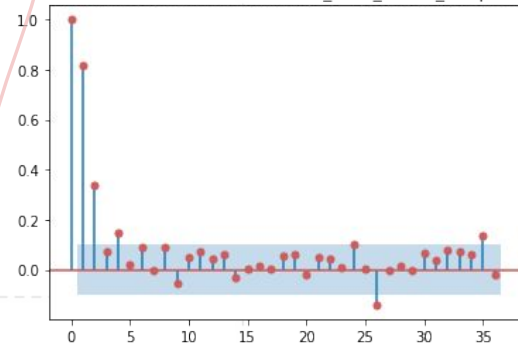
Partial autocorrelation of "total_rainfall"



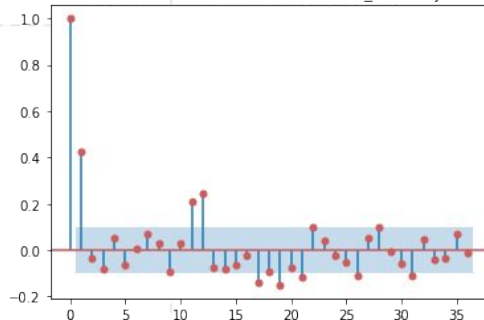
Partial autocorrelation of "co2"



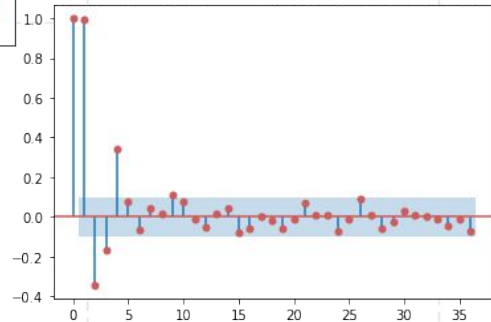
Partial autocorrelation of "Anomalies_Land_Ocean_Temperature"



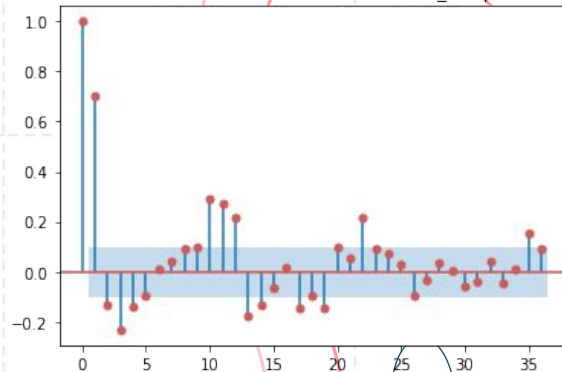
Partial autocorrelation of "relative_humidity"



Partial autocorrelation of "GMSL(Global Mean Sea Level)"

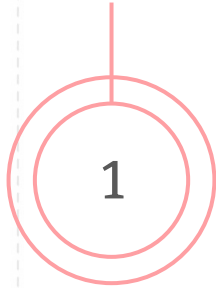


Partial autocorrelation of "surface_temp"

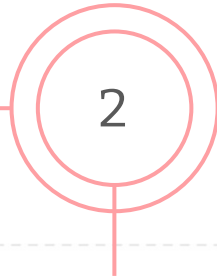


Steps of the VARMA model

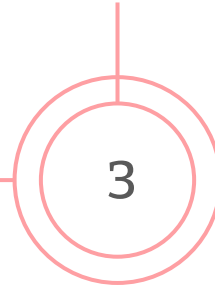
Causality investigation
using **Granger Causality**
test



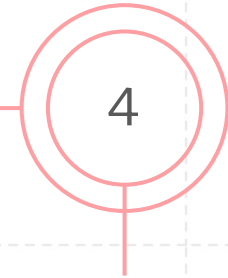
Test for stationarity
using **Adfuller** test



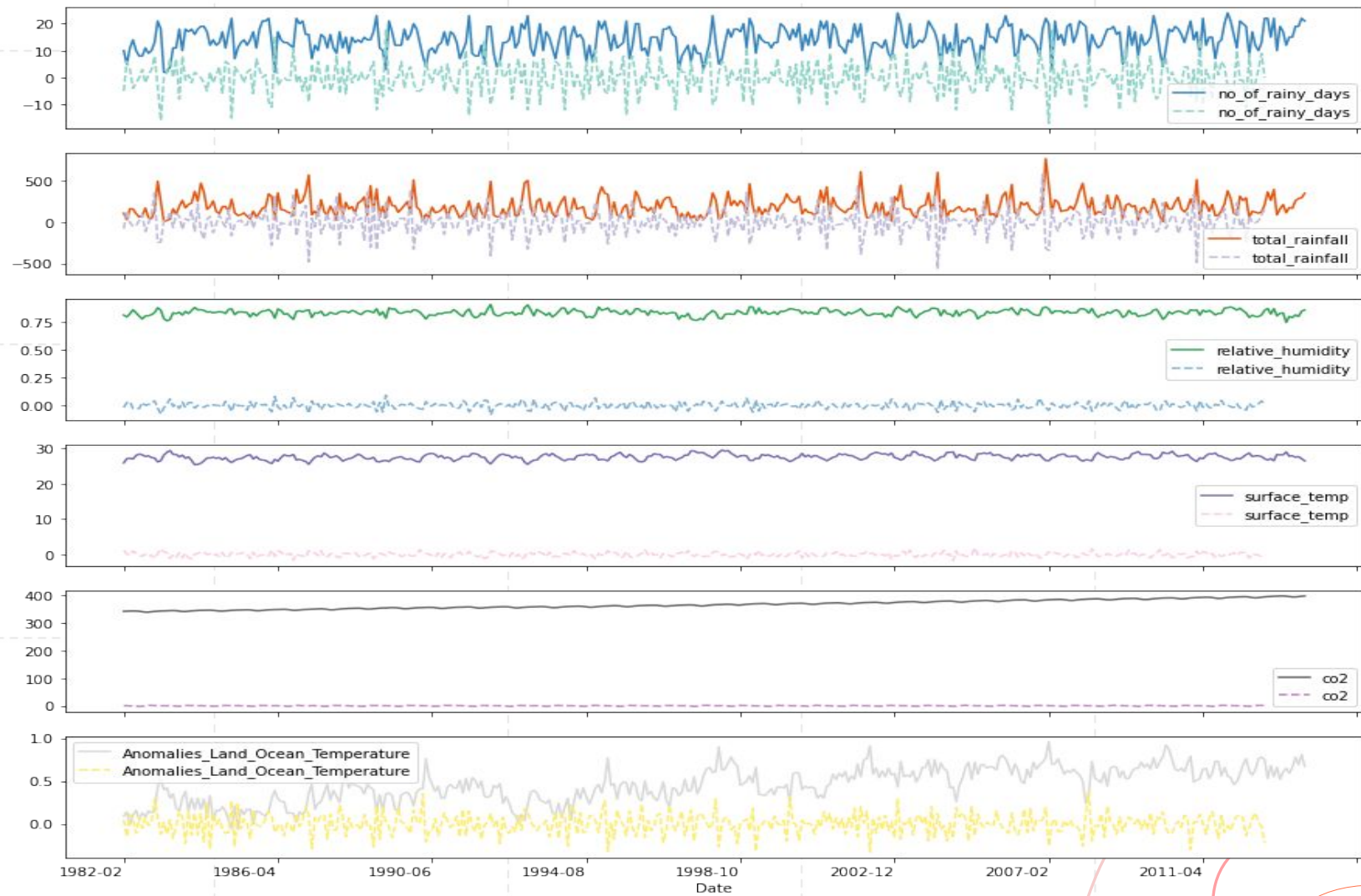
Test for autocorrelation
using **Durbin-Watson**
statistics test



Fit the model
and predict



STATIONARY PLOT




```
model = VAR(data_differenced)
x = model.select_order(maxlags=20)
x.summary()
```

VARMA MODEL FIT

```
# train the VAR model of selected order (p=12)
p=12
model_fitted = model.fit(p)
model_fitted.summary()
```

Result:

- Each table is related to one feature treating it as the variable of interest;
- In each table is used as possible regressor every lag from 1 to 12 for all the 7 features, and we should consider the regressor with the smallest p-value;
- In the end there is a confusion matrix that shows the correlation between the variables.

PREDICTION

```
lag = model_fitted.k_ar #12

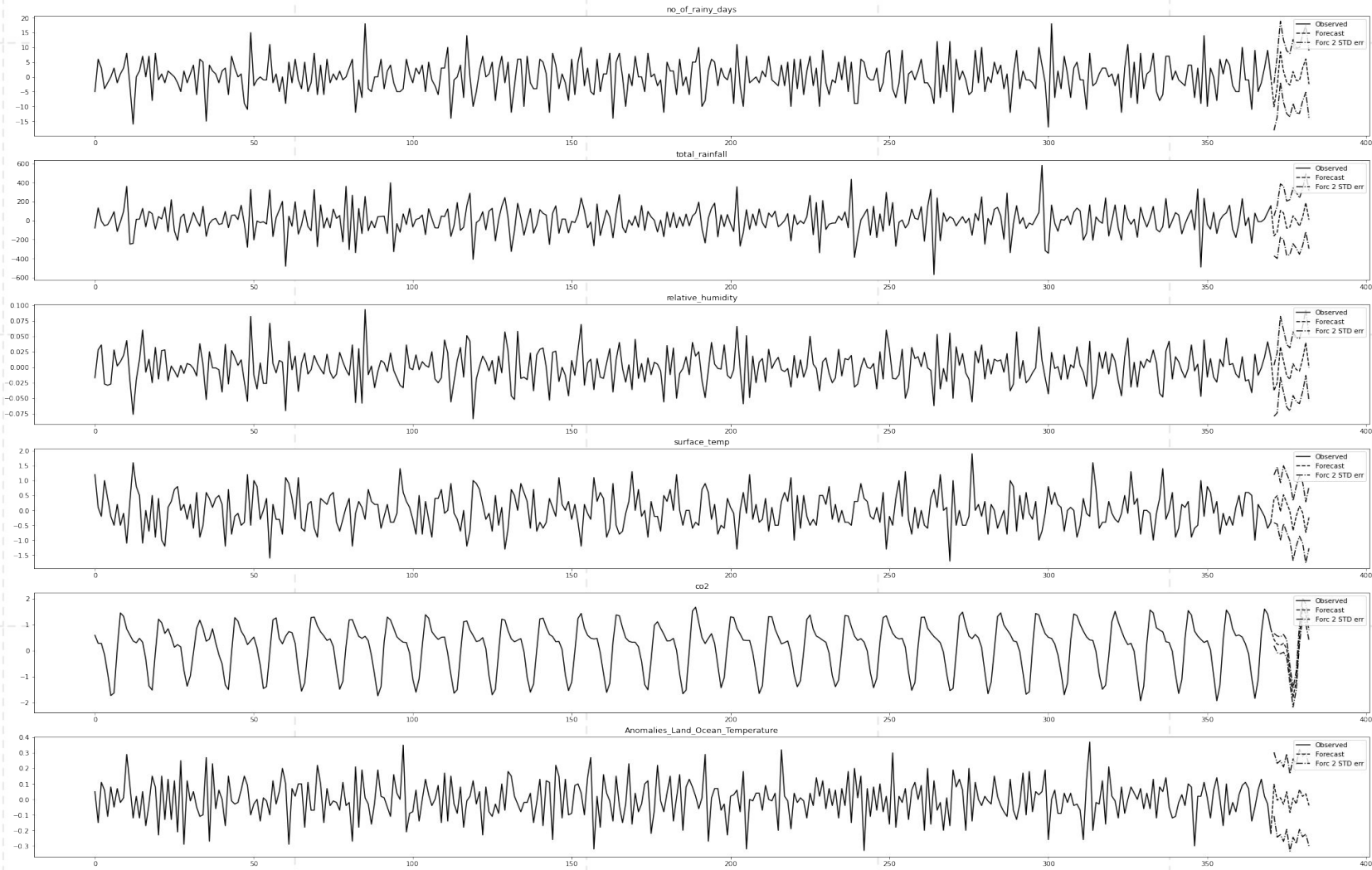
# input data for forecasting
lagged_values = data_differenced.values[-lag:] # specify the 'initial value' for the forecast

# Forecast
pred = model_fitted.forecast(y= lagged_values, steps= n_obs)
df_pred = (pd.DataFrame(pred, index=test.index, columns=test.columns + '_pred'))
df_pred
```

```
result = invert_transformation(train, df_pred)
```

F
U
T
U
R
E

F
O
R
C
A
S
T



ARIMA Model



Climate change dataset

70%

30%

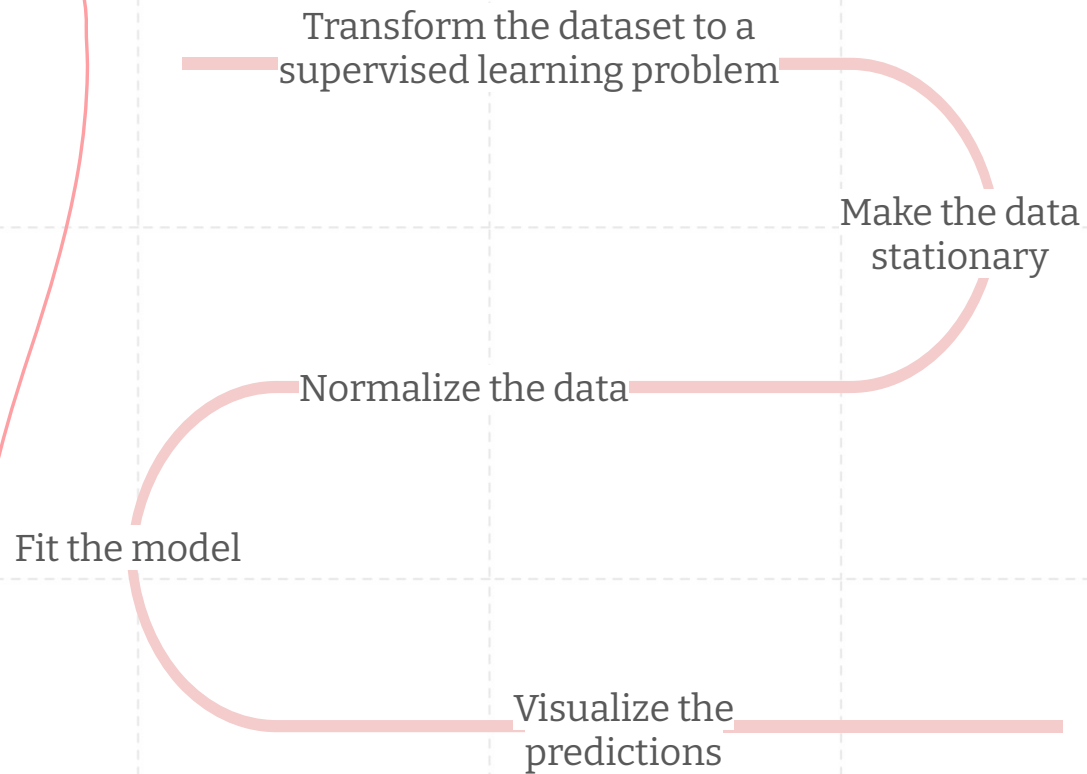
(p, q, d)

Number of the lag
observations
decided according to
the PACF plot

Degree of
differencing=1

Size of the Moving
Average decided
according to the
ACF plot

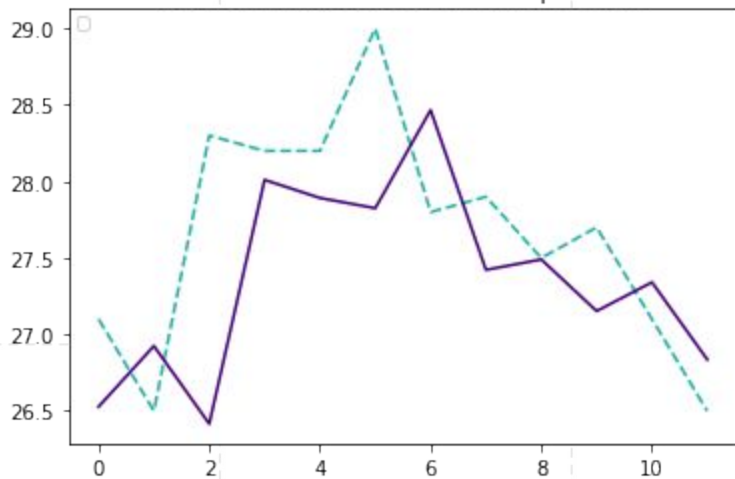
LSTM Model with Keras



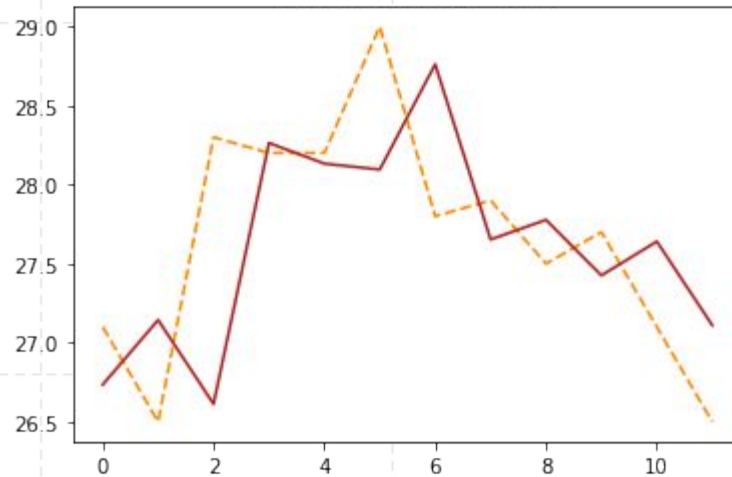
```
repeats = 10
error_scores = list()
for r in range(repeats):
    # fit the model
    lstm_model = fit_lstm(train_scaled, 1, 10, 4)
    # forecast the entire training dataset to build up state for forecasting
    train_resaped = train_scaled[:, 0].reshape(len(train_scaled), 1, 1)
    lstm_model.predict(train_resaped, batch_size=1)
    # walk-forward validation on the test data
    predictions = list()
    for i in range(len(test_scaled)):
        # make one-step forecast
        X, y = test_scaled[i, 0:-1], test_scaled[i, -1]
        yhat = forecast_lstm(lstm_model, 1, X) #yhat = y
        # invert scaling
        yhat = invert_scale(scaler, X, yhat)
        # invert differencing
        yhat = inverse_difference(raw_values, yhat, len(test_scaled)+1-i)
        # store forecast
        predictions.append(yhat)

    # report performance
    rmse = sqrt(mean_squared_error(raw_values[-12:], predictions))
    error_scores.append(rmse)
```

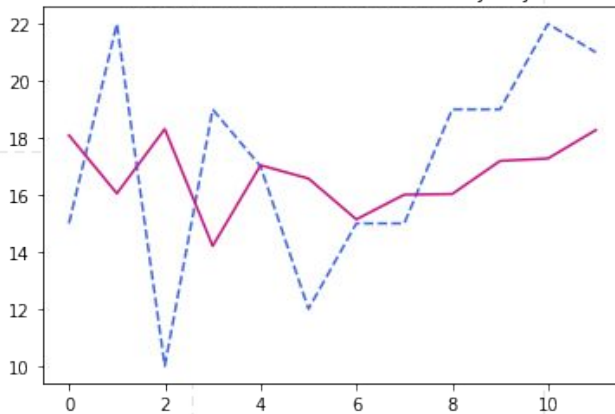
True vs Predicted - Surface Temperature



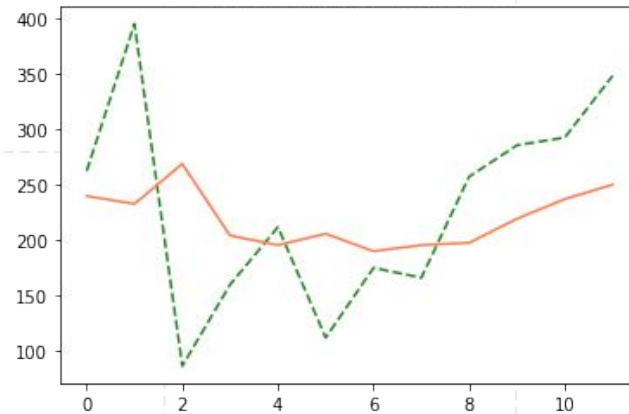
True vs Predicted - CO2



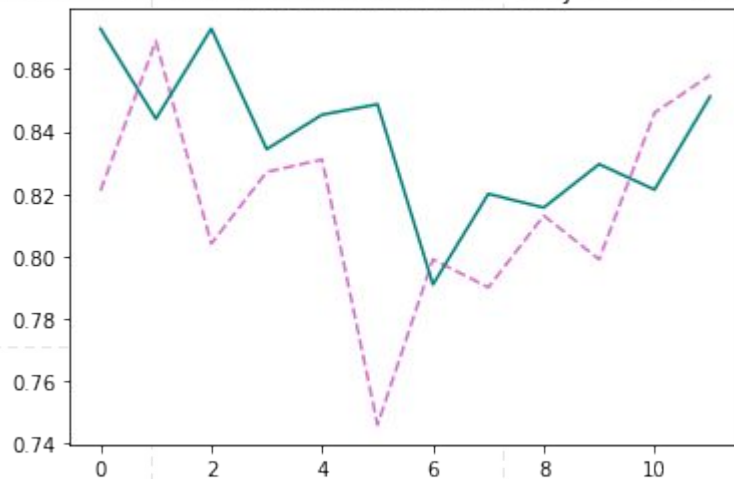
True vs Predicted - Number of rainy days



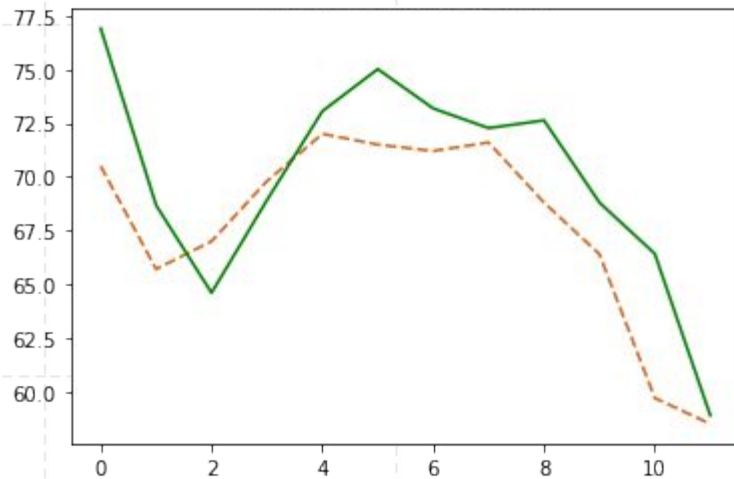
True vs Predicted - Total rainfall



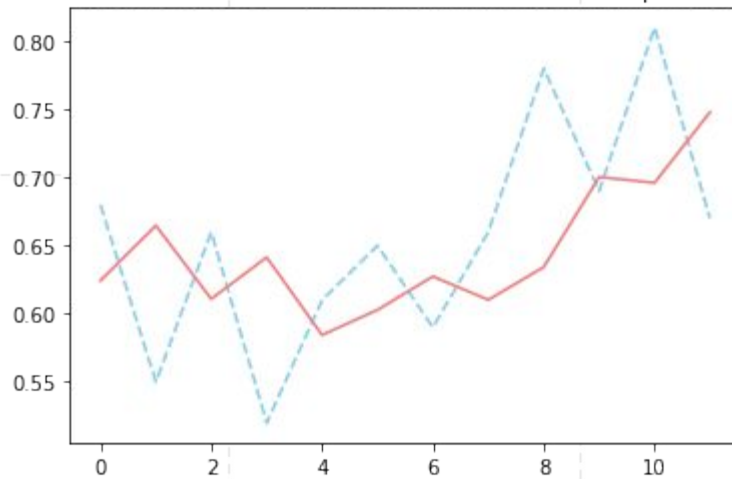
True vs Predicted - Humidity



True vs Predicted - GMSL



True vs Predicted - Land & Ocean anomalies temperatures



EVALUATIONS

<i>Number of rainy days</i>	ARIMA	VARMA	LSTM
RMSE	4.132	18.353	4.101

<i>Total rainfall</i>	ARIMA	VARMA	LSTM
RMSE	114.650	119.033	99.787

<i>Relative humidity</i>	ARIMA	VARMA	LSTM
RMSE	0.026	0.034	0.037

<i>Surface tempertature</i>	ARIMA	VARMA	LSTM
RMSE	1.422	0.478	0.793

<i>CO2</i>	ARIMA	VARMA	LSTM
RMSE	9.892	1.001	0.805

<i>Anomalies Land&Ocean temperature</i>	ARIMA	VARMA	LSTM
RMSE	0.120	0.088	0.081

<i>GMSL</i>	ARIMA	VARMA	LSTM
RMSE	29.974	-	3.319

Conclusions

- Analysed a time series dataset using three different methods;
 - Highlighted the differences between them;
 - Present the main steps done to compute the predictions
 - Improving may be provided tuning the parameters before fit the model
- Useful for organizations to be aware of the actual climate change
 - Starting point for future in-depth analyses to try to edge out what is happening.



Thank you for the attention!

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Matricola 1948081