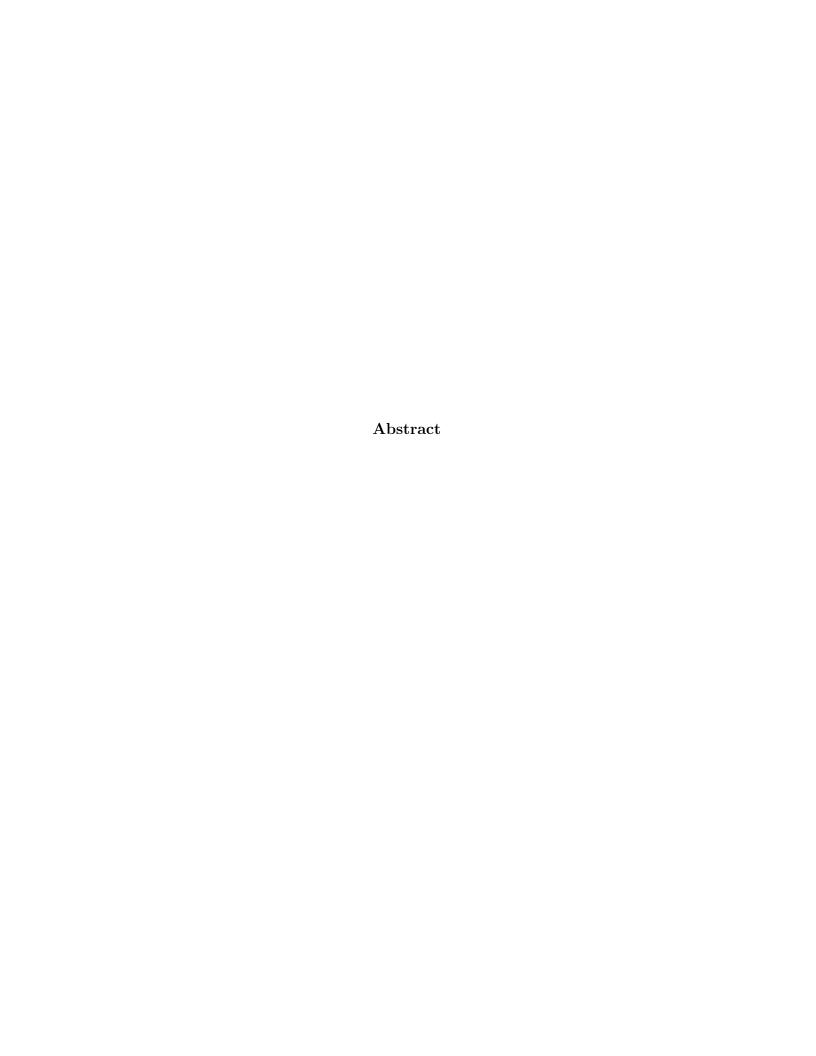


Extended project work

A Gazebo car simulator, analysis and comparison with a single-track model

Colli Stefano, Pagani Mattia, Panelli Erica

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Chapter 1

Notes on Installation and Launch

1.1 Installation

1.1.1 Downloading material

The project is based on the material of original MIT racecar. That's it, we have generated a new ROS environment copying MIT repository packages. In particular the following packages have been downloaded:

- ackermann msgs
- racecar
- racecar gazebo

They can be found at the link: https://github.com/mit-racecar

1.1.2 Additional packages to be installed

To be able to compile the project it is necessary to download two internal ROS packages which will be used by the racecar ones. Launch the following commands:

```
sudo apt install ros-noetic-ros-control
sudo apt install ros-noetic-ros-controllers
```

Otherwise an error will be thrown when catkin_make command is called.

1.1.3 Additional modifications

In some cases, to avoid conflicts, it's required to change Python environment to version 3 in each file of the original packages. In particular, if Python environment is set to 3, modifications are needed for joy_teleop.py file:

• Row 277: replace ',' with 'as'

• Row 282: replace iteritems with items

1.2 Launch

1.2.1 Original Project

In order to launch original project, once it's compiled following ROS guide, following steps should be followed:

- (run) roscore
- (run) keyboard_teleop.py
- (run) racecar_gazebo racecar.tunnel

If there are no errors the user should be able to see the racecar in a Gazebo environment. WASD keys on keyboard produce car moves.

Chapter 2

General Project Structure

2.1 Catkin Workspace Directories

2.1.1 Original MIT Racecar Packages

ackermann_cmd_mux (racecar	
folder)	
ackermann_msgs	Contains definitions of Acker-
	mannDrive and Ackerman-
	nDriveStamped messages, used
	by the racecar to compute move-
	ments.
racecar (racecar folder)	Directory which contains
racecar_control (racecar_gazebo	Contains launch files to load con-
folder)	trollers used to manage the motors
,	of the racecar. Also load nodes
	which dispatch messages to con-
	trollers.
racecar description	Contains a description of the race-
(racecar gazebo folder)	car, in terms of models, meshes
,,	ecc It will be used by Gazebo to
	represent it.
racecar gazebo (racecar gazebo	Mainly contains launch scripts
folder)	used to load all necessary nodes,
,	worlds and other components to
	open a Gazebo instance with a con-
	trollable car.
	violiable cal.

2.1.2 Added Packages

car_control	Contains node which performs the linearization of the nonlinear bycicle dynamic model. It' receives desired velocities from trajectory tracker and sends Ackermann commands to the racecar.
car_kinematic_control	Contains node which performs the exact linearization of the nonlinear bycicle kinematic model. It' receives desired velocities from trajectory tracker and sends Ackermann commands to the racecar.
trajectory_tracker	Generates (or receives in input) a desired trajectory and actual car positions, than compute desired velocities to be sent to controllers.
CarCommandsFr	Interface used to replace inner wheel friction phisical model of ROS with a custom one.

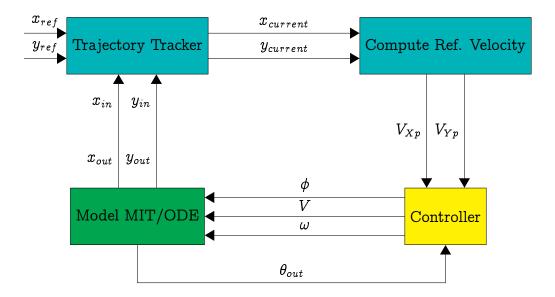
Chapter 3

Original System Introduction

Chapter 4

(Our) System Description

4.1 Scheme of the whole system



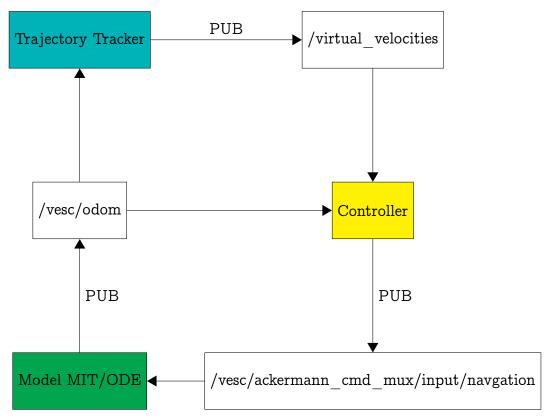
Symbol	Meaning	
x_{ref}, y_{ref}	Ref. position of the trajectory	
V_{Xp}, V_{Yp}	Required velocities of the point. They will be imposed by	
	controller	
φ	Steer degree of rotation	
V	Vector velocity	
ω	Steer speed of rotation	
$ heta_{out}$	Car pose: rotation around center axis	
x_{out}, y_{out}	Car pose: x, y	

Note that "trajectory tracker" generated trajectories are hard-coded, even if x_{ref} and y_{ref} are shown as input parameters. The user can select the trajectory using YAML configuration file (which will be explained in the relative section).

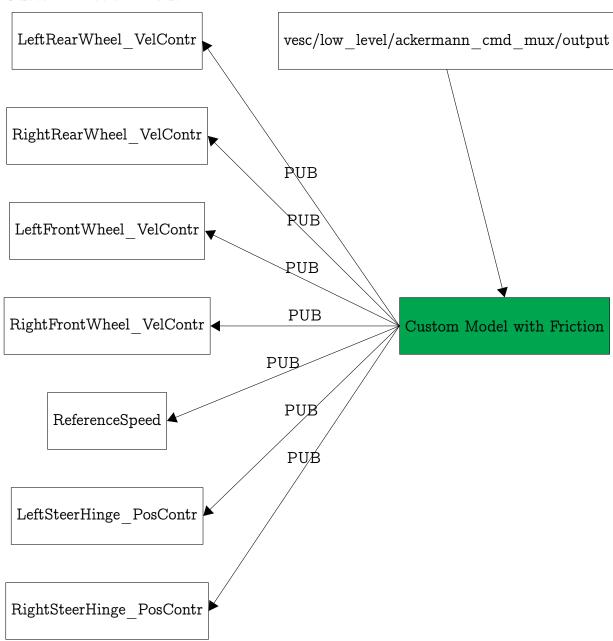
4.2 Topics

4.2.1 Scheme of topic publications/subscriptions

ROS Friction Model



Custom Friction Model



4.2.2 Topics meaning

Common Topics

/virtual_velocities	Used by "trajectory tracker" to
	publish desired velocity
	components. These are read by
	controller in order to perform
	linearization and compute
	instructions for the model.
/vesc/ackermann_cmd_mux	Contains
/input/navgation	AckermannDriveStamped
	messages sent by controller. These
	messages contains information for
	the racecar, about velocity and
	steering.
/vesc/odom	The model uses this topic to
	publish odometry information of
	the racecar (position and
	orientation). These data are used
	both by tracker and controller.
	The first one compute differences
	between actual car position and
	desired position imposed by
	trajectory. The last one reads
	z-axis orientation useful to
	perform linearization.

There is another topic in which "trajectory tracker" publish, the /reference_trajectory. This is used to read trajectory information to perform debug and register data for analysis.



Specific Topics

/vesc/low_level/	xyz
ackermann_cmd_mux/output	
/racecar/	xyz
left_rear_wheel	
_velocity_controller/command	
/racecar/	xyz
right_rear_wheel	
_velocity_controller/command	
/racecar/	xyz
left_front_wheel	
_velocity_controller/command	
/racecar/	xyz
right_front_wheel	
_velocity_controller/command	
/reference_speed	xyz
/racecar/	xyz
left steering hinge	
_position_controller/command	
/racecar/	xyz
right_steering_hinge	
_position_controller/command	

Chapter 5

Detailed Package Description

- 5.1 Package (original) ackermann msgs
- 5.2 Package (original) racecar
- 5.3 Package (original) racecar gazebo
- 5.4 Package car control

5.4.1 Intro

Even if this package is not used, it's correct to do a description of the objective it should have reached.

The aim was to implement a dynamic controller, which perform exact linearization of the nonlinear bicycle dynamic model. To do this it needs more parameter respect to the kinematic one.

In addition, we put a scheme (5.1) of the principal parameters and variables used for linearization.

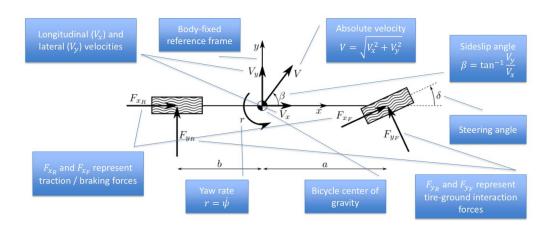


Figure 5.1: dynamic model with main parameters and variables

5.4.2Configuration

Input values		
Vp_x	Point velocity x	
Vp_y	Point velocity y	
ψ	Yaw ¹	
$\dot{\psi}$	Yaw rate ²	

Model parameters		
C_f, C_r	Viscuous friction coefficients	
a, b	Distance between wheels center	
	and Center of Gravity	
M	Vehicle mass	
ϵ	Distance between Center of Grav-	
	ity and a point P , along the veloc-	
	ity vector. Linearization is done	
	around point P. This parameter	
	should be chosen empirically	

In the System Scheme, this is represented by θ_{out} In the System Scheme, this is **not** represented (as we have used, for tests, only the kinematic model)

Intermediate computed values	
β	Sideslip angle: $tan^{-1}\left(\frac{Vp_y}{Vp_x}\right)$

Output values	
V	Point absolute velocity
δ	Steering angle
ω	Steering speed

5.4.3 Launch

There is a lunch file which should be used to execute the node. This contains also information about debugging level and loads configuration file.

5.4.4 Node car control

$$eta = an^{-1} \left(rac{V p_y}{V p_x}
ight) \ \delta = rac{M V}{C_f} \omega + rac{C_f + C_r}{C_f} eta - rac{b C_r - a C_f}{C_f} rac{\dot{\psi}}{V} \ \left[egin{aligned} V \ \omega \end{aligned}
ight] = \left[egin{aligned} \cos(eta + \psi) & \sin(eta + \omega) \ -rac{\sin(eta + \psi)}{\epsilon} & rac{\cos(eta + \psi)}{\epsilon} \end{aligned}
ight] \left[egin{aligned} V p_x \ V p_y \end{aligned}
ight]$$

5.5 Package car_kinematic_control

5.5.1 Intro

Before starting the explanation, we add a brief high level description of Quaternions, which are used in messages to represent orientations. Even a distinction between pose and position is done.

Quaternion: a different way to describe the orientation of a frame only. It's an alternative to Yaw, Pitch and Roll. A quaternion has four parameters: x, y, z, w. Pay attention, they are NOT a position vector.

Position: position of the robot in a 3D space.

Pose: position (3 DOF) + orientation (3 DOF).

In conclusion the pose has 6 D.O.F. which are: x, y, z, roll, pitch, yaw. Euler angles can be converted to quaternions, which are better. Transformation functions of ROS can do this conversion and the reverse one.

In addition, we put a scheme (5.2) of the principal parameters and variables used for linearization.

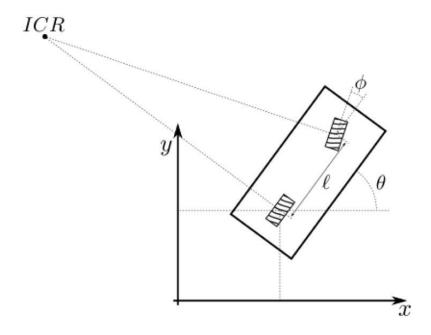


Figure 5.2: bicycle vehicle with main parameters and variables

5.5.2 Configuration

In the package there is a configuration file, containing: the parameter L, which represents distance between rear and front wheels; the parameter ϵ , the distance between Center of Gravity and a point P, along the velocity vector. Linearization is done around point P. This parameter should be chosen empirically.

Both are used in the linearization.

5.5.3 Launch

There is a lunch file which should be used to execute the node. This contains also information about debugging level and loads configuration file.

5.5.4 Node car kin controller

Node requirements: distance between rear and front wheels as parameter.

The node has two callbacks:

- One used to retrieve desired velocities of the point. These velocities are computed by trajectory tracker and published in /virtual_velocities topic, subscribed by the controller node.
- One used to retrieve the orientation of the car around z axis. This is done reading from /vesc/odom. The information retrieved are in the form of a quaternion and are converted into roll, pitch and yaw. Yaw is taken. In addition, even the speed around z axis is read (twist.angular.z).

The node perform an exact linearization of the nonlinear bicycle cinematic model. The change of coordinates is applied as follows:

$$V = V_{Xp} cos(heta) + V_{Yp} sin(heta)$$

$$\phi = rctan\left(rac{l}{\epsilon}rac{V_{Yp}cos(heta) - V_{Xp}sin(heta)}{V_{Xp}cos(heta) + V_{Yp}sin(heta)}
ight)$$

Where

- *l* is the distance between rear and front wheels
- ϵ is the distance between Center of Gravity and a point P
- V_{Xp} and V_{Yp} are the desired point velocities
- θ is the car orientation around z-axis
- ϕ is the steering angle

• V is the driving velocity of the front wheel

In addition, the program compute the steering speed as $\omega = \frac{V}{l} \tan(\phi)$. This value is not used in the construction of the message because it's ignored by the model.

Once the linearization is performed an AckermannDriveStamped message is built, containing V and ϕ . This message is published on

/vesc/ackermann_cmd_mux/input/navigation topic, which is read by the model to make the car move. Linearization and command sending operations are repeated in a loop, which is the core of the node.

5.6 Package trajectoy tracker

5.6.1 Configuration

In the YAML configuration file are present many parameters which are used in the node.

Node configuration parameters		
trajectory_type	Desired trajectory (0 = linear; 1 =	
	parabolic; $2 = circular$; $3 = eight$	
	shape; $4 = \text{cycloidal}$; $5 = \text{fixed}$	
	point)	

Linear trajectory parameters.	
The trajectory is parallel to	
the direction vector (a_coeff,	
b_coeff)	
a_coeff	
b_coeff	

Parabolic trajectory parameters		
parabola_convexity	Convexity a of the parabola having	
	equation $y=ax^2$	

Circular trajectory parameters		
R	Radius of the circle described by	
	the trajectory	
W	Angular speed for the lap $(W =$	
	$2\pi/T$, where T is the time duration	
	of each lap)	

Eight-shape trajectory parameters				
a	Trajectory amplitute (the eight-			
	shape goes from $-a$ to a)			
w	Angular speed for the lap $(w =$			
	$2\pi/T$, where T is the time duration			
	of each lap)			

Cycloidal trajectory parameter		
cycloid_radius	Radius of the wheel describing the	
	cycloid	

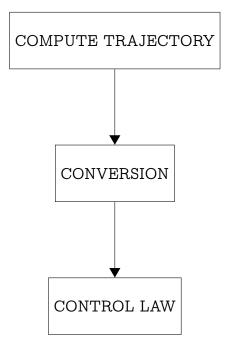
Controller parameters			
Kp	Proportional gain		
Ki	Integral gain		
Kd	Derivative gain		
FFWD	Use velocity feedforward $(1 = feed-$		
	forward used; $0 = feedforward$		
	NOT used)		

Robot parameters		
$PL_{distance}$	Distance from the odometric centre	
	of the robot to the selected point P	

5.6.2 Node trajectory tracker

The main loop executes three actions:

- 1. Computation of reference point for the desired trajectory
- 2. Translation of trajectory point from point L to point P
- 3. Computation of control action as virtual velocities



Compute Trajectory

$$t = t_{new} - t_{initial}$$

<u>Linear</u>

a coeff in configuration parameters is indicated as a_{circle} .

 b_coeff in configuration parameters is indicated as b_circle .

$$X_{ref} = a_{circle}t$$

$$dx_{\it ref} = a_{\it circle}$$

$$Y_{ref} = b_{circle} t \ dy_{ref} = b_{circle}$$

<u>Parabolic</u>

PC := Parabola Convexity

$$egin{aligned} X_{ref} &= t \ dx_{ref} &= 1 \end{aligned}$$

$$Y_{ref} = PC \cdot \cos(wt)^2 \ dy_{ref} = 2 \cdot PC \cdot t$$

Circle

In parameters file parameter W is uppercase.

$$X_{ref} = R\cos(Wt) \ dx_{ref} = -WR\sin(Wt)$$

$$Y_{ref} = R \sin(Wt) \ dy_{ref} = WR \cos(Wt)$$

Eight

In parameters file parameter w is lowercase.

$$X_{ref} = a \sin(wt) \ dx_{ref} = wa \cos(wt)$$

$$Y_{ref} = a \sin(wt) \cos(wt)$$

$$dy_{ref} = wa(\cos(wt)^2 - \sin(wt)^2)$$

Cycloidal

CR := Cycloid Radius

$$X_{ref} = CR(t-\sin(t)) \ dx_{ref} = CR - \cos(t)$$

$$Y_{ref} = CR(1-\cos(t)) \ dy_{ref} = \sin(t)$$

Conversion

$$egin{aligned} Xp_{ref} &= X_{ref} + PL_{distance} \cdot \cos(heta) \ Yp_{ref} &= Y_{ref} + PL_{distance} \cdot \sin(heta) \end{aligned}$$

Control Law

Compute position error

$$egin{aligned} Xp_{err} &= Xp_{ref} - Xp \ Yp_{err} &= Yp_{ref} - Yp \end{aligned}$$

Difference between current time and initial one

$$\Delta T = T_{new} - T$$

Compute integral term

$$X_{int} = X_{int} + X p_{err} \cdot \Delta T$$
 $Y_{int} = Y_{int} + Y p_{err} \cdot \Delta T$

Compute derivative term

$$X_{der} = (Xp_{err} - Xp_{err_old})/\Delta T$$
 $Y_{der} = (Yp_{err} - Yp_{err_old})/\Delta T$

PI + FFWD controller

$$egin{aligned} V_{Xp} &= FFWD \cdot dx_{ref} + K_p \cdot Xp_{err} + K_i \cdot X_{int} + K_d \cdot X_{der} \ V_{Yp} &= FFWD \cdot dy_{ref} + K_p \cdot Yp_{err} + K_i \cdot Y_{int} + K_d \cdot Y_{der} \end{aligned}$$

5.6.3 Choiche of PID controller and parameters

5.7 Package CarCommndsFr

5.7.1 Intro

5.7.2 Configuration

Surface Parameters			
surface_type	Select surface type among 1:DRY, 2:WET, 3:SNOW, 4:ICE, 5:CUS-TOM (parameters calculated with		
	racecar values)		

5.7.3 Launch

5.7.4 Node car_commands_fr

Compute surface type

Values are assigned to coefficients depending on the chosen ground type.

	B_x	B_y	C_x	C_y	D	E
Dry	10	10	1.9	1.9	1	0.97
Wet	12	12	2.3	2.3	0.82	1
Snow	5	5	2	2	0.3	1
Ice	4	4	2	2	0.1	1
Custom	0.21	0.017	1.65	1.3	-548	0.2

Compute desired speed

$$S = slip$$

$$V = |\text{speed}|$$

 $R_w =$ wheel radius

M = mass

Longitudinal Slip

$$\omega = rac{V}{R_w}$$

Sempre 0?

$$S_{long} = rac{V - R_w \omega}{V}$$

Lateral Slip

$$S_{lat} = rctan\left(rac{V_y}{V_x}
ight)$$

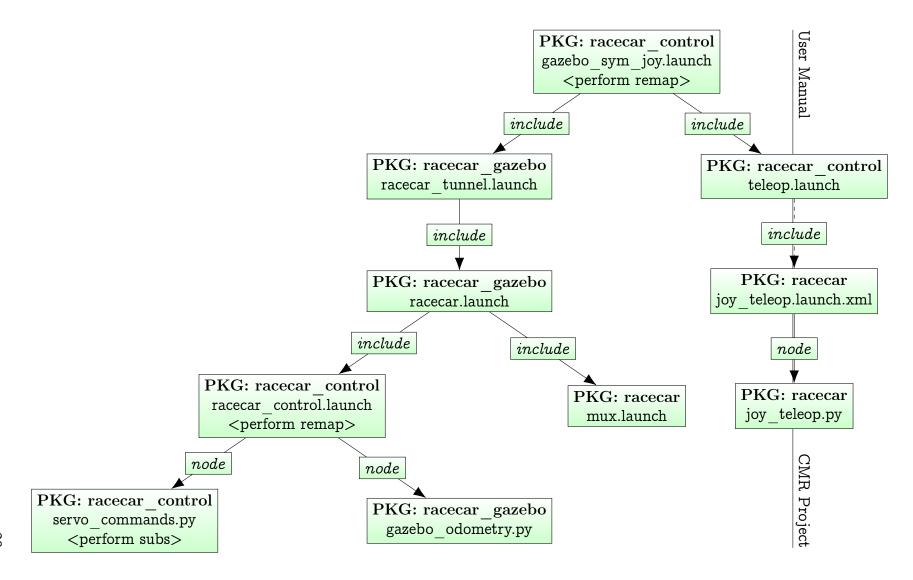
Acceleration

Pacejka Magic Formula

$$egin{align} y(x) &= D \sin\{C rctan[Bx - E(Bx - rctan(Bx))]\} \ a_{long} &= rac{y(S_{long})}{M} \ a_{lat} &= rac{y(S_{lat})}{M} \ a &= \sqrt[2]{a_{long}^2 + a_{lat}^2} \ V_{desired} &= rac{\left(V + a\left(rac{1}{100}
ight)
ight)}{0.1} \ \end{aligned}$$

Appendix A launch package inclusion

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PKG: racecar_control keyboard_teleop.py <perform publish>

Package	File	Remap
racecar	joy_teleop.launch.xml	(none)
racecar	joy_teleop.py	(none)
racecar	mux.launch	(none)
racecar_control	gazebo_sim_joy.launch	REMAP
		/ackermann_cmd_
		mux/input/teleop
		TO
		/racecar/ackermann_
		cmd_mux/input/teleop
racecar_control	teleop.launch	(none)
racecar_control	racecar_control.launch	REMAP
		/racecar/ack/output
		TO
		/vesc/low_level/
		ack/output
racecar_control	servo_commands.py	SUBSCRIBE
		/racecar/ackermann_
		cmd_mux/output
racecar_control	keybpard_teleop.py	PUBLISH
		/vesc/achermann_
		cmd_mux/input/teleop
racecar_gazebo	racecar_tunnel.launch	(none)
racecar_gazebo	racecar.launch	(none)
racecar_gazebo	gazebo_odometry.py	(none)