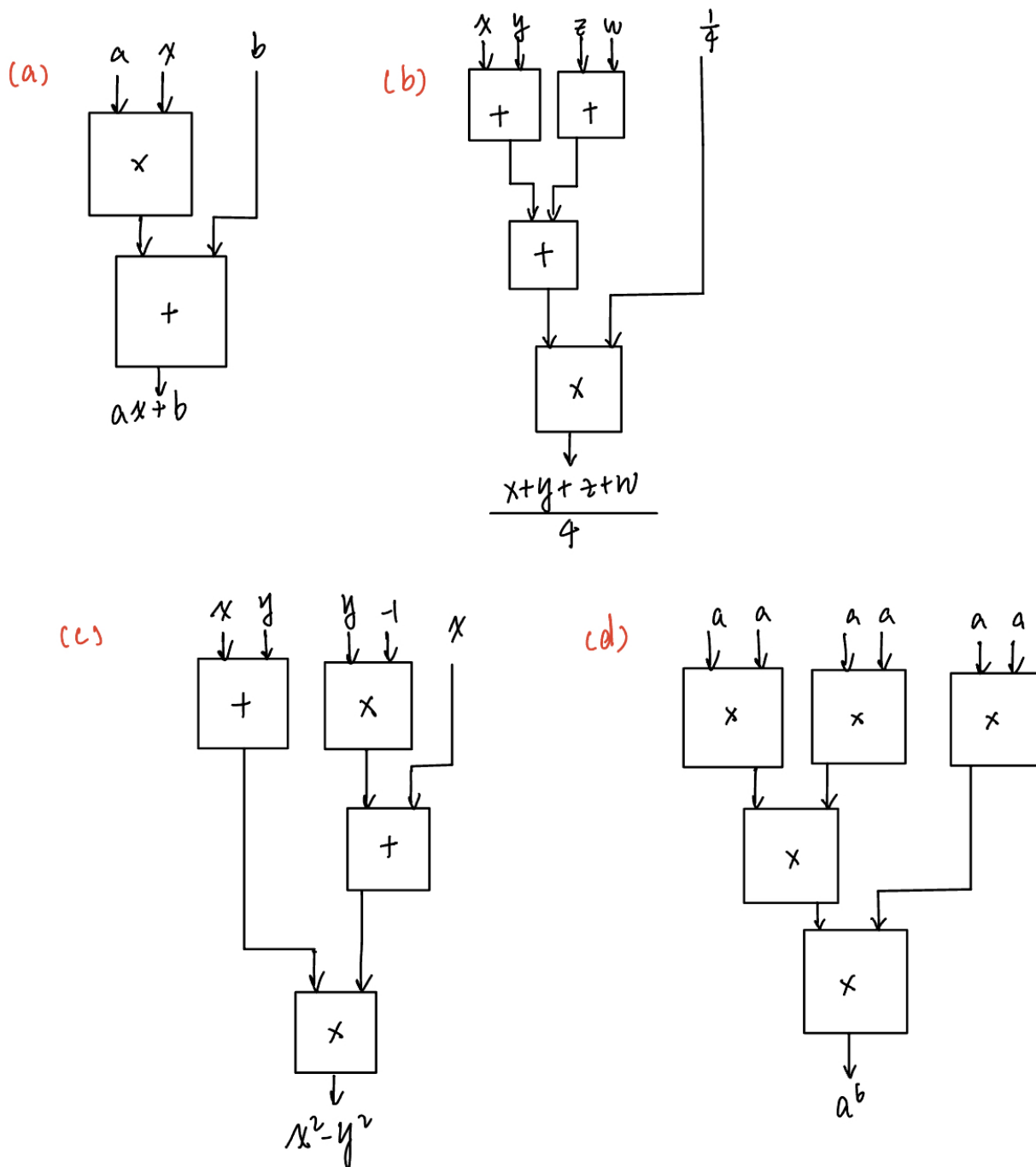


HW 1

T1



T2

1. a) $(98)_D = (01100010)_B$, 2's complement is: $(01100010)_B$
 b) $(-105)_D = (11101001)_B$, 2's complement is: $(10010111)_B$
2. c) $(01000010)_B = (1000010)_B = (66)_D$
 d) $(11101111)_B = -(00010001)_B = (-17)_D$

T3

- a) $(01) + (110011) = (110100)_{\text{补}} = -(001100)_B = (-12)_D$
b) $(111) + (0100110) = (1111111) + (0100110) = (0100101)_{\text{补}} = (37)_D$
c) $(1010) + (1101) = (0111)$ 和的符号与被加相反, 溢出。补位后正确结果为 $(-9)_D$ 。
d) $(0001) + (1110) = (1111)_{\text{补}} = (-1)_D$

T4

- a. (11101011)
b. (00011110)
c. (11100000)
d. (00000001)

T5

$$(4.3)_D = (100.0100110011)_B = (1.000100110011 * 2^2)$$

$$2 = 129 - 127$$

因而所求为:

0 10000001 0001001100110011001

T6

由条件知: $exponent = 137, S = 0$.

Considering the fact that $137 - 127 = 10$, it is easy to find out that:

$$(11111100110.1001)_B = (2022.5625)_D$$

T7

T7.

$$\begin{array}{r} \text{a.} \quad 1010\ 0101 \\ \text{AND } 1101\ 0101 \\ \hline 1000\ 0101 \end{array}$$

$$\begin{array}{r} \text{b.} \quad 1000\ 1110 \\ \text{OR } 1111\ 0101 \\ \hline 1111\ 1111 \end{array}$$

$$\begin{array}{r} \text{c. i.e.} \quad 0000\ 1110 \\ \text{OR } 1010\ 0101 \\ \hline 1010\ 1111 \end{array}$$

$$\begin{array}{r} \text{d.} \quad \text{x1234} \\ \text{AND } \text{x5678} \\ \hline 0001\ 0010\ 0011\ 0100 \\ \text{AND } 0101\ 0110\ 0111\ 1000 \\ \hline 0001\ 0010\ 0011\ 0000 \\ \hline \text{x1230} \end{array}$$

$$\begin{array}{r} \text{xABCD} \\ \text{AND } \text{x99EF} \\ \hline 1010\ 1011\ 1100\ 1101 \\ \text{AND } 1001\ 1001\ 1110\ 1111 \\ \hline 1000\ 1001\ 1100\ 1101 \\ \hline \text{x89CD} \end{array}$$

$$\begin{array}{r} \text{x1230} \\ \text{OR } \text{x89CD} \\ \hline 0001\ 0010\ 0011\ 0000 \\ \text{OR } 1000\ 1001\ 1100\ 1101 \\ \hline 1001\ 1011\ 1111\ 1101 \\ \hline \text{x9BFD} \end{array}$$

$$\begin{array}{r} \text{e.} \quad \text{x6A12} \\ \text{x012} \text{ XOR } \text{x3A15} \\ \hline 0110\ 1010\ 0001\ 0010 \\ \text{XOR } 0011\ 1010\ 0001\ 0101 \\ \hline 0101\ 0000\ 0000\ 0111 \\ \hline \text{x5007.} \end{array}$$

T8

A	B	C	A AND B	NOT C	Q_1
0	0	0	0	1	1
0	0	1	0	0	0
0	1	0	0	1	1
0	1	1	0	0	0
1	0	0	0	1	1
1	0	1	0	0	0
1	1	0	1	1	1
1	1	1	1	0	1

A	B	C	NOT A	NOT B	NOT(A) OR NOT(B)	Q_2
0	0	0	1	1	1	0
0	0	1	1	1	1	0
0	1	0	1	0	1	0
0	1	1	1	0	1	0
1	0	0	0	1	1	0
1	0	1	0	1	1	0
1	1	0	0	0	0	0
1	1	1	0	0	0	1

$Q_2 = A \text{ AND } B \text{ AND } C$.

T9

(1) $\backslash t = 009 = (00001001)_B$

$\backslash n = 010 = (00001010)_B$

$\backslash r = 013 = (00001101)_B$

$\backslash t \backslash n \backslash r = 000010010000101000001101$

$\Rightarrow 2\ 16\ 40\ 13$

$\Rightarrow CQoN$

(2) *MIME IRCu UTF - 7*

T10

The largest positive number to be represented has the form:

0 11111111 1111111111111111111111

Suppose it is called N , then:

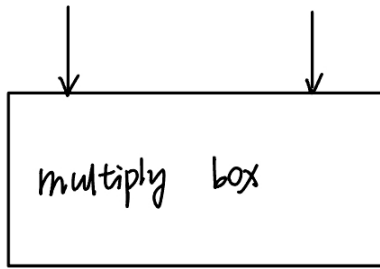
$$N = (-1)^0 * (1.1111111111111111111111111111)_B * 2^{255-127} = (2^{24} - 1)2^{105}$$

T11

T11.

$\{1, A[0:23]\}$

$\{1, B[0:23]\}$



$A[24:31]$

$B[24:31]$

