|        | Express $2x^2 - 12x + 11$ in the form $a(x+b)^2 + c$ , where a, b and c are constants.  |        |
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| Γhe f  | Function f is defined by $f(x) = 2x^2 - 12x + 11$ for $x \le k$ .   |        |
|        | Function f is defined by $f(x) = 2x^2 - 12x + 11$ for $x \le k$ .  State the largest value of the constant $k$ for which f is a one-one function. |        |
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| (ii) S | State the largest value of the constant $k$ for which f is a one-one function.  |        |
| (ii) S |   |        |
| (ii) S | State the largest value of the constant $k$ for which f is a one-one function.  |        |
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| (ii) S | State the largest value of the constant $k$ for which f is a one-one function.  |        |
| (ii) S | State the largest value of the constant $k$ for which f is a one-one function.  |        |

| function g is defined by $g(x) = x + 3$ for $x \le p$ .<br>With $k$ now taking the value 1, find the largest value of the constant $p$ which allows the composite |
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| function fg to be formed, and find an expression for $fg(x)$ whenever this composite function exists.   |
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