A golfer strikes a ball so that it leaves horizontal ground with a velocity of  $6.0\,\mathrm{m\,s^{-1}}$  at an angle  $\theta$  to the horizontal, as illustrated in Fig. 1.1.

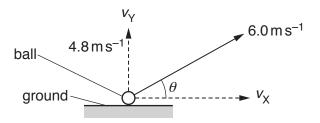


Fig. 1.1 (not to scale)

The magnitude of the initial vertical component  $v_{\rm Y}$  of the velocity is 4.8 m s<sup>-1</sup>. Assume that air resistance is negligible.

(a) Show that the magnitude of the initial horizontal component  $v_{\rm X}$  of the velocity is 3.6 m s<sup>-1</sup>.

**(b)** The ball leaves the ground at time t = 0 and reaches its maximum height at t = 0.49 s.

On Fig. 1.2, sketch separate lines to show the variation with time t, until the ball returns to the ground, of

(i) the vertical component  $v_Y$  of the velocity (label this line Y), [2]

(ii) the horizontal component  $v_X$  of the velocity (label this line X). [2]

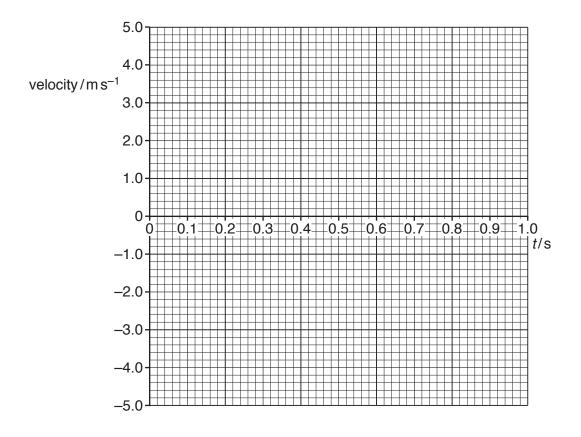


Fig. 1.2

(c) Calculate the maximum height reached by the ball.

maximum height = ..... m [2]

(d)	the movement of the ball from the ground to its maximum height, determine the ratio
	kinetic energy at maximum height
	change in gravitational potential energy
	ii.
	ratio –
	ratio =[4]
(e)	
(e)	In practice, significant air resistance acts on the ball. Explain why the actual time taken for the ball to reach maximum height is less than the time calculated when air resistance is assumed
(e)	In practice, significant air resistance acts on the ball. Explain why the actual time taken for the
(e)	In practice, significant air resistance acts on the ball. Explain why the actual time taken for the ball to reach maximum height is less than the time calculated when air resistance is assumed to be negligible.
(e)	In practice, significant air resistance acts on the ball. Explain why the actual time taken for the ball to reach maximum height is less than the time calculated when air resistance is assumed
(e)	In practice, significant air resistance acts on the ball. Explain why the actual time taken for the ball to reach maximum height is less than the time calculated when air resistance is assumed to be negligible.
(e)	In practice, significant air resistance acts on the ball. Explain why the actual time taken for the ball to reach maximum height is less than the time calculated when air resistance is assumed to be negligible.
(e)	In practice, significant air resistance acts on the ball. Explain why the actual time taken for the ball to reach maximum height is less than the time calculated when air resistance is assumed to be negligible.
(e)	In practice, significant air resistance acts on the ball. Explain why the actual time taken for the ball to reach maximum height is less than the time calculated when air resistance is assumed to be negligible.  [1]
(e)	In practice, significant air resistance acts on the ball. Explain why the actual time taken for the ball to reach maximum height is less than the time calculated when air resistance is assumed to be negligible.
(e)	In practice, significant air resistance acts on the ball. Explain why the actual time taken for the ball to reach maximum height is less than the time calculated when air resistance is assumed to be negligible.  [1]
(e)	In practice, significant air resistance acts on the ball. Explain why the actual time taken for the ball to reach maximum height is less than the time calculated when air resistance is assumed to be negligible.  [1]
(e)	In practice, significant air resistance acts on the ball. Explain why the actual time taken for the ball to reach maximum height is less than the time calculated when air resistance is assumed to be negligible.  [1]

2	(a)	The kilogram, metre and second are all SI base units.
		State two other SI base units.
		1
		2
		[2]
	(b)	A uniform beam AB of length 6.0 m is placed on a horizontal surface and then tilted at an angle of 31° to the horizontal, as shown in Fig. 2.1.
		90 N
		6.0 m
		$W$ $X_{31}$
		B
		Fig. 2.1 (not to scale)
		The beam is held in equilibrium by four forces that all act in the same plane. A force of 90 N acts perpendicular to the beam at end A. The weight $W$ of the beam acts at its centre of gravity. A vertical force $Y$ and a horizontal force $X$ both act at end B of the beam.
		(i) State the name of force <i>X</i> .
		[1]
		(ii) By taking moments about end B, calculate the weight $W$ of the beam.
		$W = \dots N[2]$
		(iii) Determine the magnitude of force X.
		magnitude of force X = N [1]
		[Total: 6]

3	(a)	State the principle of conservation of momentum.

**(b)** The propulsion system of a toy car consists of a propeller attached to an electric motor, as illustrated in Fig. 3.1.

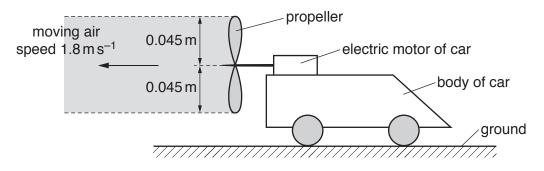


Fig. 3.1

The car is on horizontal ground and is initially held at rest by its brakes. When the motor is switched on, it rotates the propeller so that air is propelled horizontally to the left. The density of the air is  $1.3 \, \text{kg} \, \text{m}^{-3}$ .

Assume that the air moves with a speed of  $1.8\,\mathrm{m\,s^{-1}}$  in a uniform cylinder of radius  $0.045\,\mathrm{m}$ . Also assume that the air to the right of the propeller is stationary.

(i) Show that, in a time interval of 2.0 s, the mass of air propelled to the left is 0.030 kg.

(ii)	Calculate	
	1. the increase in the momentum of the mass of air in (b)(i),	
	increase in momentum =	S
	force =[3	
(iii)	Explain how Newton's third law applies to the movement of the air by the propeller.	
(iv)	The total mass of the car is 0.20 kg. The brakes of the car are released and the car begins to move with an initial acceleration of 0.075 m s <sup>-2</sup> .	-
	Determine the initial frictional force acting on the car.	
	frictional force = N [2	2]
	[Total: 11	]

4	(a)		aves are long at is meant by			ence to the	direction o	of propagatio	n of energy,
									[1]
	(b)	A station determine	ary sound wa e <i>A</i> <sup>2</sup> . The vari	ave in air ha ation of $A^2$ v	as amplitud vith distance	e A. In an a x along the	experimen e wave is s	it, a detecto hown in Fig.	r is used to 4.1.
	A <sup>2</sup> /	arbitrary units	4.0 3.0 2.0 1.0	10	20	30	40	50 x/c	60
								X/ OI	111
					Fig. 4.1				
			e the phase d ations of an ai			ibrations of	an air parti	icle at <i>x</i> = 25	5cm and the
				р	hase differe	nce =			° [1]
		(ii) The wave	speed of the e.	sound in th	e air is 330	)ms <sup>−1</sup> . Dete	ermine the	frequency of	of the sound
		(iii) Dete	ermine the rati	amplitude	frequent A of wave a A of wave a	at <i>x</i> = 20 cm	1		Hz [3]

5 Red light of wavelength 640 nm is incident normally on a diffraction grating having a line spacing of  $1.7 \times 10^{-6}$  m, as shown in Fig. 5.1.

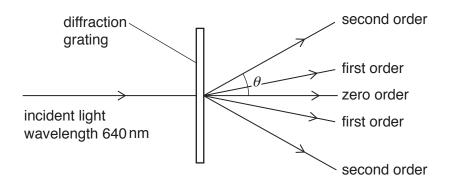


Fig. 5.1 (not to scale)

The second order diffraction maximum of the light is at an angle  $\theta$  to the direction of the incident light.

(a) Show that angle  $\theta$  is 49°.

**(b)** Determine a different wavelength of **visible** light that will also produce a diffraction maximum at an angle of 49°.

wavelength = ..... m [2]

[Total: 5]

[3]

6	(a)	Define the <i>volt</i> .
		[1]

**(b)** A battery of electromotive force (e.m.f.) 7.0 V and negligible internal resistance is connected in series with three components, as shown in Fig. 6.1.

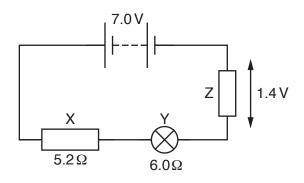


Fig. 6.1

Resistor X has a resistance of  $5.2\Omega$ . The resistance of the filament wire of lamp Y is  $6.0\Omega$ . The potential difference across resistor Z is 1.4 V.

(i) Calculate the current in the circuit.

(ii) Determine the resistance of resistor Z.

resistance = ..... 
$$\Omega$$
 [1]

(iii) Calculate the percentage efficiency with which the battery supplies power to the lamp.

(iv)	) The filament wire of the lamp is made of metal of resistivity $3.7 \times 10^{-7}  \Omega$ m at its operating temperature in the circuit.					
	Determine, for the filament wire, the value of $\boldsymbol{\alpha}$ where					
	$\alpha = \frac{\text{cross-sectional area}}{\text{length}}.$					
	$\alpha$ =					
	[Total: 9]					

7 (a) The current I in a metal wire is given by the expression

$$I = Anve.$$

State what is meant by the symbols A and n.

<b>A</b> :		
n:		
	[2	<u>'</u> ]

(b) The diameter of a wire XY varies linearly with distance along the wire as shown in Fig. 7.1.

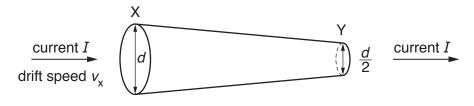


Fig. 7.1

There is a current I in the wire. At end X of the wire, the diameter is d and the average drift speed of the free electrons is  $v_x$ . At end Y of the wire, the diameter is  $\frac{d}{2}$ .

On Fig. 7.2, sketch a graph to show the variation of the average drift speed with position along the wire between X and Y.

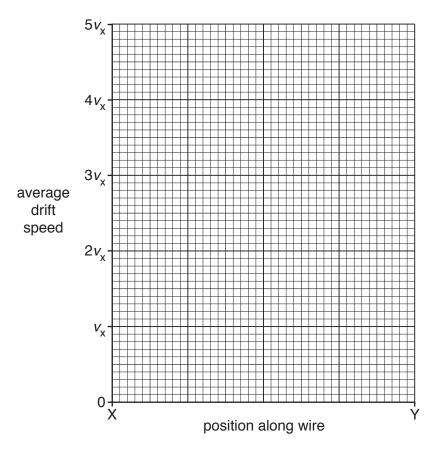


Fig. 7.2

(a)	In th	ne following list, under	line all particles	that are lepton	S.	
		antineutrino	positron	protor	n quark	( [1]
(b)					emitting a $\beta^-$ p	earticle and $\gamma$ radiation
			$^{27}_{12}\mathrm{Mg} \rightarrow 3$	<b>Κ</b> + β <sup>-</sup> + γ.		
	(i)	State the nucleon nu	mber and the p	roton number o	f nucleus X.	
			nucleor	n number =		
			protor	n number =		[2]
	(ii)	State the name of the			-	
						[1]
	(iii)	energy of the γ radia	tion is less tha		0,	
		1				
				•••••		
		2				
						[2]
						[Total: 6]
	(b)	(b) A st An	antineutrino  (b) A stationary nucleus of mathematical Antincomplete equation to the Antincompl	antineutrino positron  (b) A stationary nucleus of magnesium-27, ½7 An incomplete equation to represent this  27 Mg → 2  (i) State the nucleon number and the production of the interaction that a state of the interaction that magnesium nucleus.  (iii) State two possible reasons why the energy of the γ radiation is less that magnesium nucleus.  1	<ul> <li>antineutrino positron protor</li> <li>(b) A stationary nucleus of magnesium-27, <sup>27</sup>/<sub>12</sub>Mg, decays by An incomplete equation to represent this decay is  <sup>27</sup>/<sub>12</sub>Mg → X + β<sup>-</sup> + γ.  (i) State the nucleon number and the proton number of nucleon number =  proton number =  (ii) State the name of the interaction that gives rise to the interaction is less than the total energy of the γ radiation is less than the total energy and in the interaction is less than the total energy and in the interaction is less than the total energy of the γ radiation is less than the total energy and in the interaction is less than the interaction is less</li></ul>	<ul> <li>(b) A stationary nucleus of magnesium-27, <sup>27</sup><sub>12</sub>Mg, decays by emitting a β<sup>-</sup> p. An incomplete equation to represent this decay is         <sup>27</sup><sub>12</sub>Mg → X + β<sup>-</sup> + γ.         (i) State the nucleon number and the proton number of nucleus X.</li></ul>