(a)	Describe fully the two single transformations that have been combined to give the transformation.	resi
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	spoint $P(5, 6)$ lies on the transformed curve $y = f(2x) - 3$. State the coordinates of the corresponding point on the original curve $y = f(x)$.	••••
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