# CLUSTERING AND IMPLEMENTATION

Dr. Aric LaBarr
Institute for Advanced Analytics

# Course Layout

### Data **Preparation**

- Transactional Data
- Recency vs. Frequency
- Network Features

### **Anomaly Models**

- Univariate Analysis
- Clustering
- Isolation Forests
- CADE

#### Fraud Supervised Models

- SMOTE
- Models
- Labeled vs. Unlabeled Bias
- Not Fraud Model
- Evaluation

### Clusters of Not Goods

- Cluster Analysis
- Social Network Analysis

#### **Implement**

- Investigators
- Traffic Light Indicators
- Backtesting

# Fraud Maturity

Components	New / Young	Emerging SIU	Fraud Scoring	Holistic Solution
Simple Rules	Yes	Yes	Yes	Yes
Unlabeled Data	Yes / No	Yes / No	Yes	Yes
Labeled Fraud Cases	No	Yes	Yes	Yes
Anomaly Models	No	Yes / No	Yes	Yes
Supervised Models	No	No	Yes	Yes
Non-Fraud Models	No	No	No	Yes
Clusters of not Good	No	No	No	Yes

# CLUSTERS OF NOT GOODS

### Fraud Model, Not-Fraud Model, ...

- After identifying both the fraud and not-fraud models from the known data, turn attention to unknown data.
- Trying to find the unique instances of observations that aren't like previous fraud and not like previous not-fraud.



#### Unknown **Scored** Observations

- Possibly too many to investigate, so how do I prioritize the ones I need.
- Instead of just giving highest scoring observations, sometimes we take same approach as when we didn't have data:
  - Anomaly models
  - 2. Clustering

### Unknown **Scored** Observations

- Find the collections of scored observations that might represent new groups of fraud.
- Then same process with SME's as before:
  - 1. Subject matter experts will look through the suspected anomalies (clusters) for cases that appear to be fraudulent.
  - 2. Tag suspected fraud groups based on expert domain knowledge.
  - 3. Treat these suspected fraud groups as if they had committed fraud and other groups as if they have not.
  - 4. Ideally, have subject matter experts also identify small set of legitimate claims in non-anomaly data.

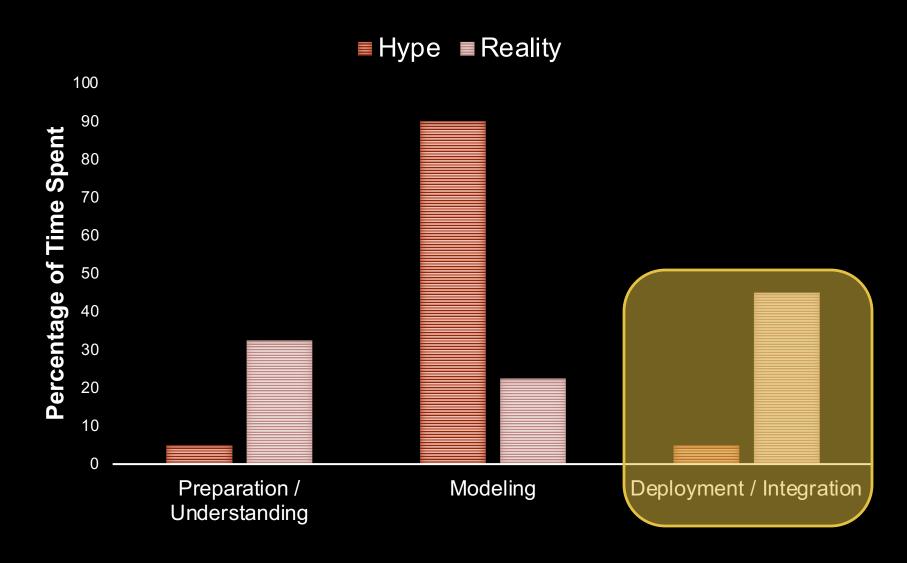
### Unknown **Scored** Observations

- One of 2 paths:
  - IDEALLY, investigators trust your process and investigate new types of fraud based solely on the SME recommendations.
  - 2. MIGHT have to put these tagged "possible new fraud" claims into the modeling process and let the model results tell the investigators to act.



# INTERPRETABILITY

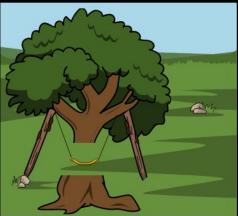
# Data Science Hype vs. Reality



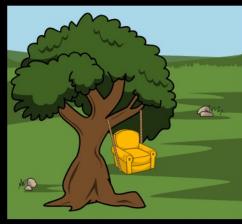
# **Know Your Customer**



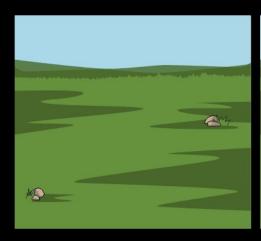
How the Customer Explained it



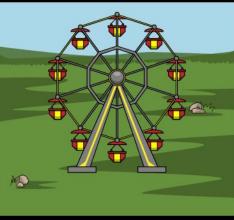
How the Engineer Designed it



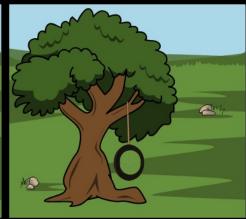
How the sales executive described it



How the Project was Documented



How the Customer was Billed



What the Customer Really Wanted

### Fraud End Users

- Typically, the user of a fraud system is an investigator:
  - Former/current law enforcement
  - Years of experience in investigations
  - Succeeded in their job without analytics
  - Have a current process in place
  - Need to be sold on why they might change

# Listening

- VERY IMPORTANT
- Listening requires two things:
  - 1. Desire
  - 2. Humility
- Research ahead of time YES!
- Be biased ahead of time NO!
- Ask many questions to help understand YES!

# Beneficial to Investigators

- Fits into their current process
  - Dashboard?
- Where should I start the investigation?
  - Important variables that drove model to pick this person as potential fraud

# **Scorecard Models**

Variable	Level	Scorecard Points
Pay Time	<i>x</i> < 10	100
Pay Time	$10 \le x < 15$	120
Pay Time	$15 \le x < 25$	185
Pay Time	$x \ge 25$	200
Report	Yes	225
Report	No	110
Ratio	<i>x</i> < 1	225
Ratio	$1 \le x < 2.5$	200
Ratio	$2.5 \le x < 5$	180
Ratio	$5 \le x < 7$	140
Ratio	$x \ge 7$	120

# Traffic Light Indicators

Variable	Level	Scorecard Points
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Pay Time	$x \ge 25$	200
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Report	No	110
Ratio	<i>x</i> < 1	225
Ratio	$1 \le x < 2.5$	200
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# Traffic Light – Example

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# LONG-TERM FRAUD STRATEGY

### Classification

- Claims are referred to the SIU for investigation and classified as fraud or no fraud.
- Investigated claims are labeled "Yes" or "No".
- Non-investigated claims are labeled "Maybe".
  - Classified based on unsupervised learning techniques previously discussed.
- All claims are then merged into supervised prediction model.

# False Negatives?

- Claims that are labeled as no fraud should occasionally be investigated as well.
- Determine how many low scoring claims can be checked under the budget constraints.
- Randomly select low scoring claims to be passed on to SIU.
- This provides an idea for the false negative rate in the modeling process.



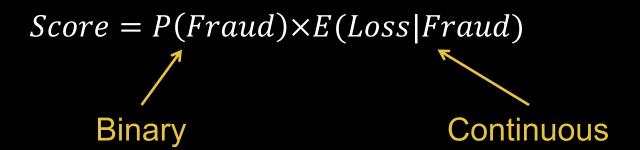
# TWO-STAGE FRAUD MODEL

- In fraud it is not only important if someone will commit fraud, but how much the fraud will cost the company.
- Want to calculate two things with regards to fraudulent claims:
  - 1. Probability of fraud occurring
  - 2. Monetary losses if the fraud occurs

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 $Score = P(Fraud) \times E(Loss|Fraud)$ 

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- There are two typical approaches to handling this type of problem:
  - 1. Estimate the probability of fraud and the expected loss given fraud as two separate models followed by multiplying them together.
  - Estimate them jointly in a bivariate model.

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- There are some obvious choices for different types of ways to model each of the two models.
- Binary Response Models:
  - Logistic Regression
  - Decision Trees
  - Neural Networks
- Continuous Response Models:
  - Multiple Regression
  - Regression Trees
  - Neural Networks
  - Other

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#### **SURVIVAL ANALYSIS!**

- Survival analysis is typically used for fraud modeling to determine the expected loss over time for a claim.
- More common in other types of fraud compared to life insurance.

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  - 2. Multivariate regression models

- Multivariate regression models model multiple response variables simultaneously.
- Potential to greatly improve accuracy of the models if the response variables are correlated with each other because multivariate models estimate the correlation between them.

# Multivariate Regression

• The following is a typical multivariate regression model:

$$\begin{bmatrix} Y_1 \\ Y_2 \\ \vdots \\ Y_p \end{bmatrix} = \begin{bmatrix} \beta_{0,1} \\ \beta_{0,2} \\ \vdots \\ \beta_{0,p} \end{bmatrix} + \begin{bmatrix} \beta_{11,1} & \cdots & \beta_{1p,1} \\ \vdots & \ddots & \vdots \\ \beta_{p1,1} & \cdots & \beta_{pp,1} \end{bmatrix} \begin{bmatrix} X_{1,1} \\ X_{1,2} \\ \vdots \\ X_{1,p} \end{bmatrix} + \cdots$$

$$+ \begin{bmatrix} \beta_{11,k} & \cdots & \beta_{1p,k} \\ \vdots & \ddots & \vdots \\ \beta_{p1,k} & \cdots & \beta_{pp,k} \end{bmatrix} \begin{bmatrix} X_{k,1} \\ X_{k,2} \\ \vdots \\ X_{k,n} \end{bmatrix} + \begin{bmatrix} \varepsilon_1 \\ \varepsilon_2 \\ \vdots \\ \varepsilon_p \end{bmatrix}$$

# Multivariate Regression

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 $Y = \beta_0 + \beta_1 X_1 + \cdots + \beta_k X_k + \cdots$ 

# Multivariate Regression

Let's focus our attention on the bivariate case:

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- There are 4 different possibilities for modeling a bivariate case:
  - 1. Both  $Y_1$  and  $Y_2$  are continuous.
  - 2.  $Y_1$  is continuous and  $Y_2$  is categorical (binary for now)
  - 3.  $Y_2$  is continuous and  $Y_1$  is categorical (binary for now)
  - 4. Both  $Y_1$  and  $Y_2$  are categorical (binary for now).



# Thank you!