assignment4_part2

January 7, 2021

```
[1]: version = "v1.11.101920"
```

1 Assignment 4 Part 2: Counting in a Data Stream (50 pts)

In this assignment, we're going to implement two algorithms for counting items in a data stream.

```
[2]: import json
    from emoji import UNICODE_EMOJI
    def extract_emojis(text):
        Extract all emojis from a str
        return [ch for ch in text if ch in UNICODE_EMOJI]
    class TwitterStream:
        Used to simulate a Twitter stream.
        def __init__(self, data_file):
            self.data_file = data_file
            self.data = open(self.data_file, "r")
        def __iter__(self):
            return self.reset()
        def __next__(self):
            next_line = self.data.readline()
            if next_line:
                return json.loads(next_line)["text"]
            else:
                raise StopIteration
        def __del__(self):
```

```
if not self.data.closed:
    self.data.close()

def reset(self):
    if not self.data.closed:
        self.data.close()
    self.data = open(self.data_file, "r")
    return self
```

Above we have imported the same TwitterStream class defined in Part 1 to simulate a Twitter stream. Remember, we are still facing one of the biggest challenges in mining data streams, that we have limited storage capacity for the very high volume of incoming data, which may arrive at a very high velocity as well. However, if we are only interested in the distribution of some simple items, such as emojis in this case, it might be possible to obtain approximate counts directly without curating a sample like what we did in Part 1. So let's now start exploring that possibility.

Again, there's a helper function extract_emojis available that helps you extract all emojis from a piece of text, and the variable UNICODE_EMOJI is a collection of all emojis that are circulating around the world.

1.1 Question 1: Bloom Filters (25 pts)

Recall from the lectures that a Bloom filter doesn't really count items in a data stream but is able to tell * that an item has *definitely not appeared* in the data stream so far; or

• that an item has *possibly appeared* in the data stream so far.

In this question, we'll implement a Bloom filter for emojis in a Twitter stream.

A partially completed BloomFilter class is given to you below. It already has the two key ingradients of a Bloom filter: a number of slots to record the appearance of an item and a collection, hash_fns, of hash functions to compute the fingerprint of an item. Your job is to complete the following two functions:

- check_appearance: it receives a single item and returns a bool value indicating whether the item has appeared or not so far;
- do_filtering: it receives a stream object and iterates over the stream. During each iteration, it extracts all emojis from a tweet, computes the fingerprint of each emoji and records the appearance of each emoji accordingly, as specified in the lecture slides. Finally it returns a copy of the slots of your BloomFilter for grading at every iteration, which you don't need to worry about.

There is also an accompanying HashFunction class that provides simple and deterministic hash functions. Once instantiated, they behave just like ordinary Python functions. For example, the code below computes the fingerprint of , assuming we have 7919 (the 1000-th prime number) slots.

```
[10]: class HashFunction:
    def __init__(self, num_slots):
        self.num_slots = num_slots
```

```
def __call__(self, x):
    return (hash(self) + hash(x)) % self.num_slots

h1, h2 = HashFunction(7919), HashFunction(7919)

# The two hash functions are distinct, but both are deterministic
print(h1(""), h2(""))
print(h1(""), h2(""))
```

7358 7372 7358 7372

It's worth noting that two different instantiations of the HashFunction class lead to two distinct hash functions, in that they assign different fingerprints to the same emoji. However, they are both deterministic, in that they always assign the same fingerprint to an emoji regardless of how many times you apply them. Every time you re-run the code above, the two hash functions will change and so will the fingerprints, but they will always be deterministic. These two properties may have some implications on your debugging strategies later on.

```
[22]: import numpy as np
     class BloomFilter:
         def __init__(self, num_slots, num_hash_fns):
             self.slots = np.zeros(num_slots, dtype=int)
             self.hash_fns = [HashFunction(num_slots) for _ in range(num_hash_fns)]__
      →# A list of distinct hash functions
         def check_appearance(self, item):
             Returns a bool value indicating whether an item has appeared or not
             has_appeared = True
             # YOUR CODE HERE
             #item passed in is emoji
             emoji = item
             resulting_slots = []
             for hash_function in self.hash_fns:
                 hashed_slot = hash_function(emoji)
                 resulting_slots.append(hashed_slot)
             for slot in resulting_slots:
                 if self.slots[slot] == 0:
                     has_appeared = False
```

```
return has_appeared
         def do_filtering(self, stream):
             Iterates over a stream, collects items of interest, calculates the
      \rightarrow fingerprints and records the appearance
             self.slots = np.zeros_like(self.slots) # reset the slots
             for item in stream: # iterate over the stream
                 # YOUR CODE HERE
                 #extract the emojis from the item
                 item_emojis = extract_emojis(item)
                 for emoji in item_emojis:
                      #create the fingerprint and add the resulting print tou
      \rightarrow resulting slots
                     resulting_slots = []
                      for hash_function in self.hash_fns:
                          hashed_slot = hash_function(emoji)
                          resulting_slots.append(hashed_slot)
                      #Before updating official self.slots with 1s, check FIRST if
      → they arent already all 1s (aka hasnt appeared yet)
                     self.check_appearance(emoji)
                      #Populate the resulting hashed slot at its corresponding index
      \rightarrow in the slots with a 1
                     for slot in resulting slots:
                          self.slots[slot] = 1
                 # returns a copy of slots at the end of every iteration for grading_
      →- code given
                 yield self.slots.copy()
[23]: # Autograder tests
     from emoji import UNICODE_EMOJI
     twitter_stream = TwitterStream("assets/tweets")
```

```
num_slots, num_hash_fns = 7919, 5
stu_ans = BloomFilter(num_slots, num_hash_fns)
# Collect emojis that appeared and that didn't appear
emojis_appeared = set()
for tweet in twitter_stream:
    emojis_appeared = emojis_appeared.union(extract_emojis(tweet))
emojis_not_appeared = set(UNICODE_EMOJI.keys()) - emojis_appeared
# Do filtering. Don't have to collect the results. Just exhaust the stream
for _ in stu_ans.do_filtering(twitter_stream):
   pass
# Check that the check_appearance function returns a bool
assert isinstance(stu_ans.check_appearance(""), (bool, np.bool_)), "Q1: Your_⊔
→check_appearance function should return a bool value. "
# Check that every item that appeared should be marked as appeared -
\rightarrow correctness
for emoji in emojis_appeared:
   assert stu ans.check appearance(emoji), f"Q1: {emoji} appeared but is_
→marked as not appeared. "
# Check that every item that is marked as not appeared really didn't appear -
→no false negatives
for emoji in UNICODE_EMOJI:
   if not stu_ans.check_appearance(emoji):
        assert emoji in emojis_not_appeared, f"Q1: {emoji} marked as not⊔
 →appeared but actually appeared. "
# Start a new filtering for the hidden tests
stu_slots = stu_ans.do_filtering(twitter_stream)
# Some hidden tests
del num slots, num hash fns, twitter stream, stu ans, stu slots,
 →emojis_appeared, emojis_not_appeared
```

1.2 Question 2: Lossy Counter (25 pts)

With reference to the lecture slides, let's now implement a lossy counter for emojis. The lossy counter should maintain counts of all emojis seen so far and only update the counts once a

"bucket" of tweets arrive. The "update" of counts should include increments due to the emojis contained in the new bucket and decrements because we want to gradually get rid of less recent emojis.

Again, a partially completed LossyCounter class is given to you below. Your job is to complete the do_counting function. It receives a stream object and iterates over the stream. Once a bucket of tweets have fully arrived, it updates the emoji counts as specified in the lecture slides. Finally it returns a copy of the counts of your LossyCounter for grading at every iteration, which you don't need to worry about.

A few notes on implementation:

- The autograder expects that all the requisite updates to emoji counts, including both increments and decrements, have been performed when it starts to check your self.counts for grading, immediately after a bucket of tweets have fully arrived. For example, if self.bucket_size == 5, the autograder will examine the content of your self.counts for grading right after the fifth tweet has been consumed by your LossyCounter;
- When your LossyCounter is dropping an emoji, it's not enough to set the count of that emoji
 to zero. The emoji must be completely deleted from your counts, as if it never appeared
 (why?);
- You have complete freedom in how you'd like to implement the "bucket". In fact, not being a sampling algorithm, your LossyCounter doesn't have to actually store tweets in a bucket. You only need to make sure the emoji counts are updated correctly when a bucket of tweets have fully arrived, since that's all what the autograder checks.

```
[42]: from collections import defaultdict
     class LossyCounter:
         def __init__(self, bucket_size):
             self.bucket_size = bucket_size
             self.counts = defaultdict(int) # recommended to use defaultdict, but anu
      →ordinary dict works fine too
         def do_counting(self, stream):
             Iterates over a stream, counts the items and drops the infrequent ones \Box
      \rightarrow in a bucket
              11 11 11
             self.counts.clear() # reset the counts
             num_items_in_bucket = 0 # optional: the current number of items in the
      → "bucket"
             for item in stream: # iterate over the stream
                  # YOUR CODE HERE
                  #extract emojis. add to self.counts dict.
```

```
for emoji in extract_emojis(item):
                      if emoji in self.counts:
                          self.counts[emoji] += 1
                      else:
                          self.counts[emoji] = 1
                 num_items_in_bucket += 1
                 if num_items_in_bucket == self.bucket_size:
                      num items in bucket = 0
                      for k, v in self.counts.items():
                          self.counts[k] -= 1
                 self.counts = {k:v for k,v in self.counts.items() if v > 0}
                  # returns a copy of counts at the end of every iteration for
      \rightarrow grading - code given
                 yield self.counts.copy()
[43]: # Autograder tests
     from collections import defaultdict
     twitter stream = TwitterStream("assets/tweets")
     \# Sanity checks for a trivial case - use a large bucket size to include all_
      \rightarrow tweets
     bucket_size = 100000
     stu_ans = LossyCounter(bucket_size)
     # Collect all emojis that appeared
     emojis_appeared = set()
     for tweet in twitter_stream:
         emojis_appeared = emojis_appeared.union(extract_emojis(tweet))
     # Do counting. Don't have to collect the results. Just exhaust the stream
     for _ in stu_ans.do_counting(twitter_stream):
         pass
     assert isinstance(stu_ans.counts, dict), "Q2: You should store counts in a dict.
      \hookrightarrow II
     assert len(stu_ans.counts) == len(emojis_appeared), "Q2: The length of your_
      \rightarrowemoji counts differs from the correct answer. "
```

```
assert not (emojis_appeared - set(stu_ans.counts.keys())), f"Q2: Your emojiu counts don't include {emojis_appeared - set(stu_ans.counts.keys())}. "

assert not (set(stu_ans.counts.keys()) - emojis_appeared), f"Q2: Your emojiu counts contain extra emojis: {set(stu_ans.counts.keys()) - emojis_appeared}.u"

# Re-define variables for the hidden tests
bucket_size = 100
stu_ans = LossyCounter(bucket_size)
stu_counts = stu_ans.do_counting(twitter_stream)

# Some hidden tests

del twitter_stream, stu_ans, stu_counts, emojis_appeared, bucket_size
```

Let's see what the emoji distribution is after all tweets are processed.

```
{'': 1304, '': 911, '': 592, '': 401, '': 318, '': 317, '': 236, '': 231, '': 228, '': 207, '': 205, '': 175, '': 106, '': 97, '': 94, '': 77, '': 72, '': 69, '': 53, '': 47, '': 44, '': 25, '': 22, '': 21, '': 18, '': 16, '': 13, '': 12, '': 11, '': 11, '': 11, '': 10, '': 10, '': 9, '': 9, '': 7, '': 7, '': 7, '': 7, '': 6, '': 6, '': 6, '': 5, '': 5, '': 5, '': 4, '': 4, '': 4, '': 4, '': 4, '': 4, '': 4, '': 4, '': 2, '': 2, '': 2, '': 2, '': 2, '': 2, '': 2, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '': 1, '':
```

Visualised in a bar graph, the emoji distribution seems to resemble a Power Law distribution. A few emojis are used a lot while the majority of the emojis are rarely used.

```
[45]: import matplotlib.pyplot as plt
%matplotlib inline

fig, ax = plt.subplots(figsize=(10, 6))
```

```
ax.bar(range(len(sorted_counts)), sorted_counts.values())
ax.set_xlabel("Rank")
ax.set_ylabel("Frequency")
ax.set_title("Emoji Distribution")
del fig, ax
```

