

# Esercitazioni Controllo Digitale

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# Esercitazione 3:

## SISOTOOL

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Dato il sistema avente funzione di trasferimento:

$$G(s) = \frac{10}{0.1s^2 + 1.1s + 1}$$

1. Progettare un controllore  $C(s)$  tale che il sistema controllato:

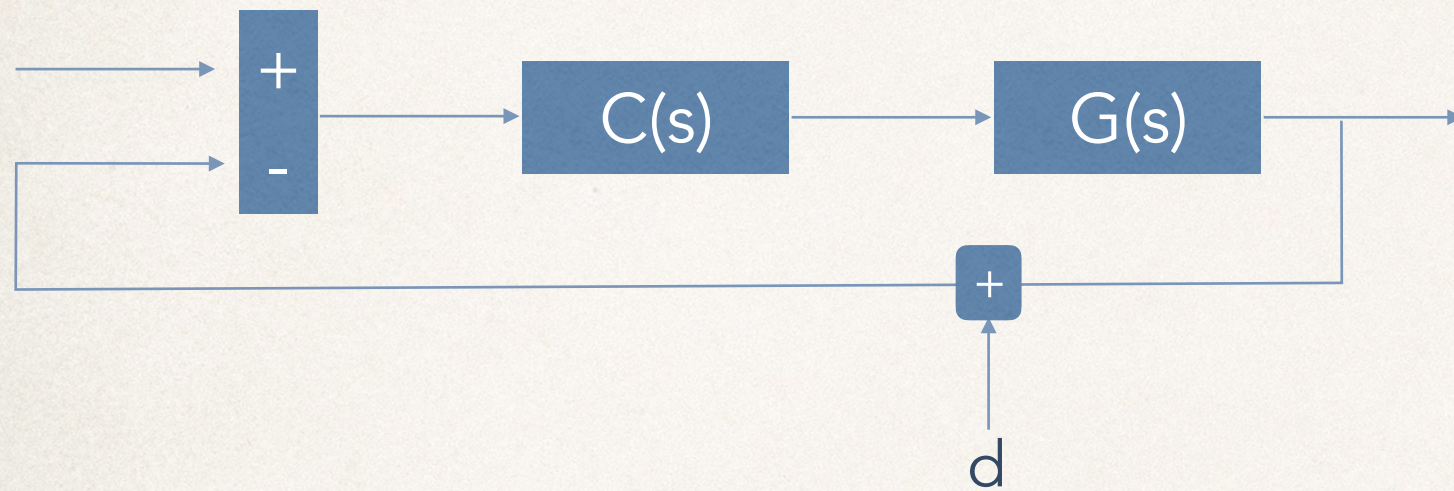
1. Insegua un setpoint a scalino con un errore asintoticamente nullo
2. Abbia una massima sovraelongazione del 10%
3. Arrivi a regime in un tempo di 1s

2. Simulare il sistema controllato



# Esercitazione 3:

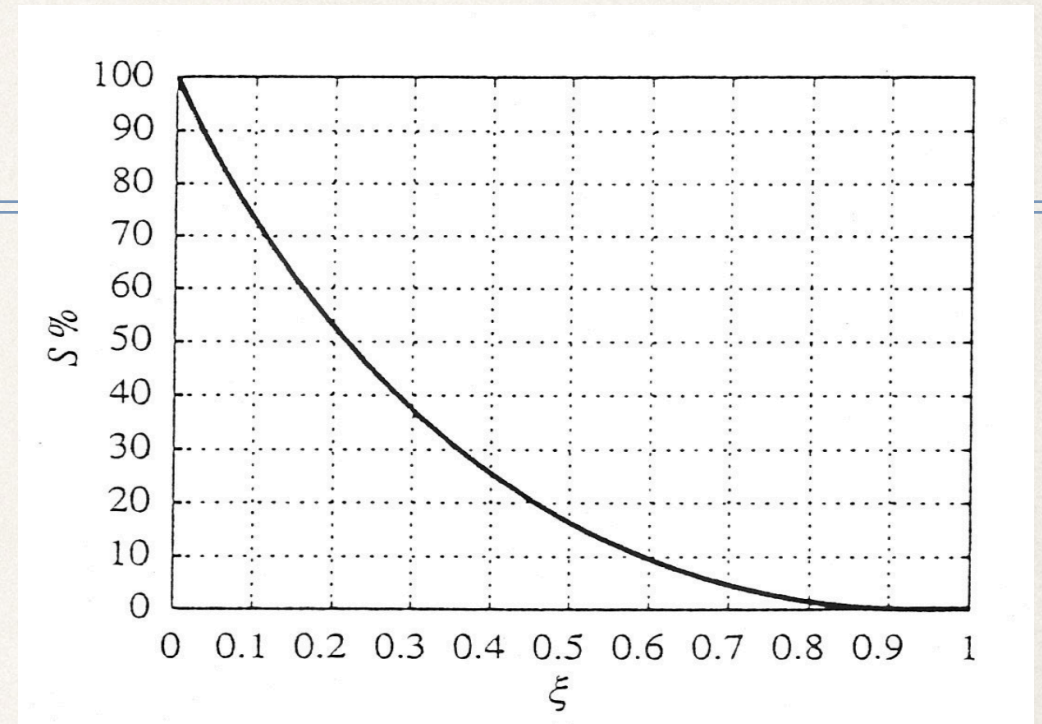
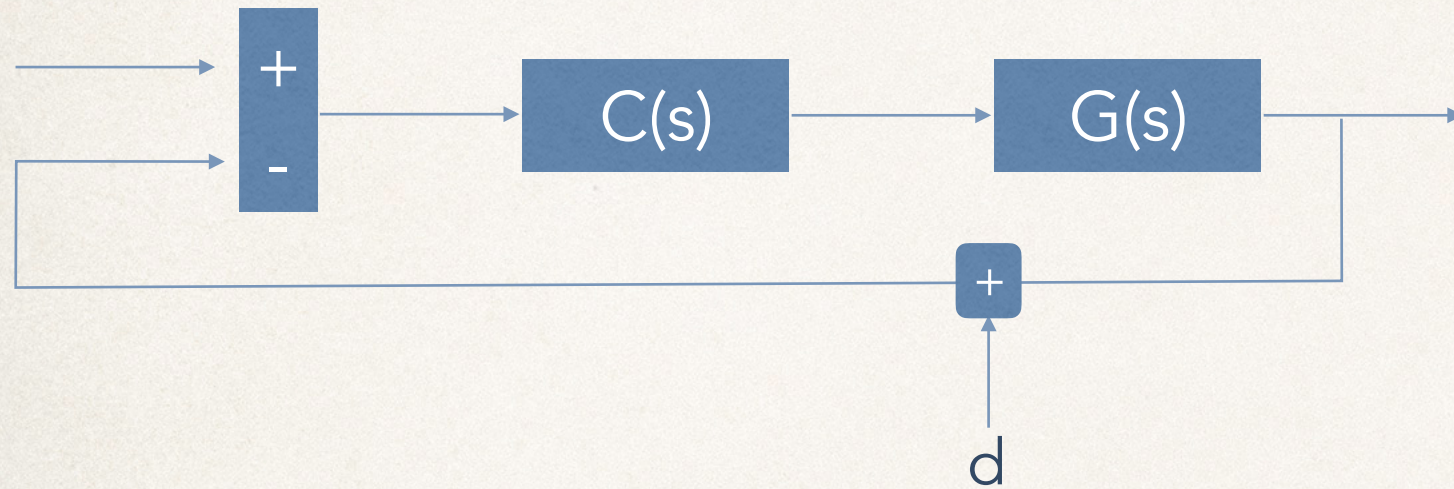
## SISOTOOL



Tempo	$L(s)$	$G_{cl}(s) = \frac{L(s)}{1+L(s)}$
$e_{\infty}=0$ su ingresso a scalino	$L = \frac{1}{s} \tilde{L}(s)$	$G_{cl}(0) = 1$



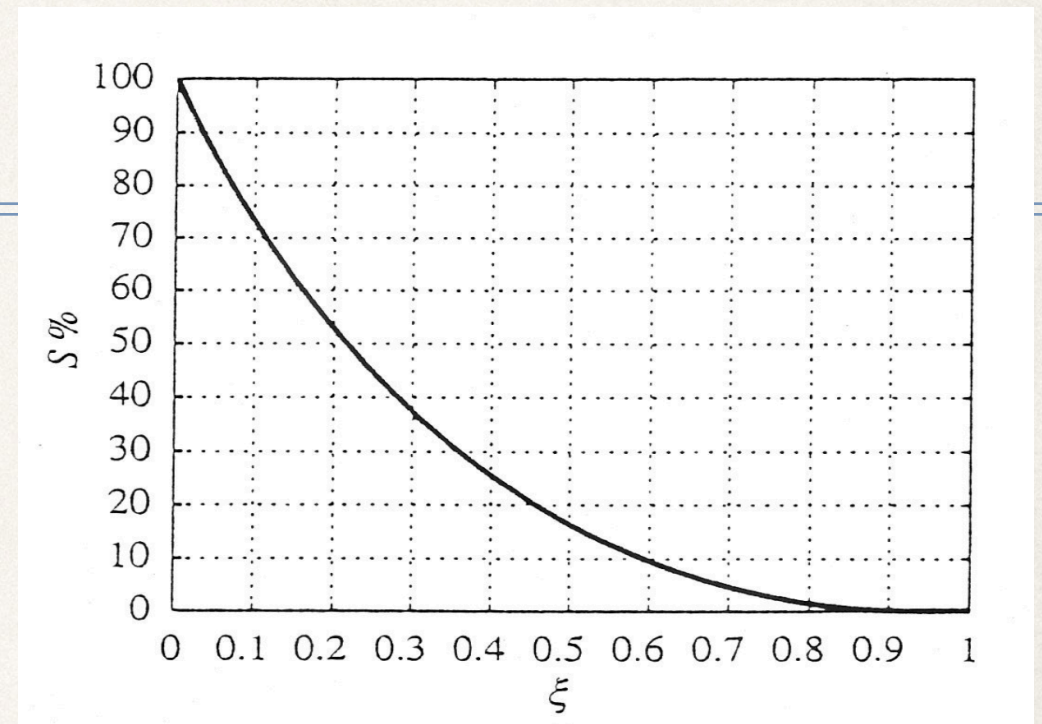
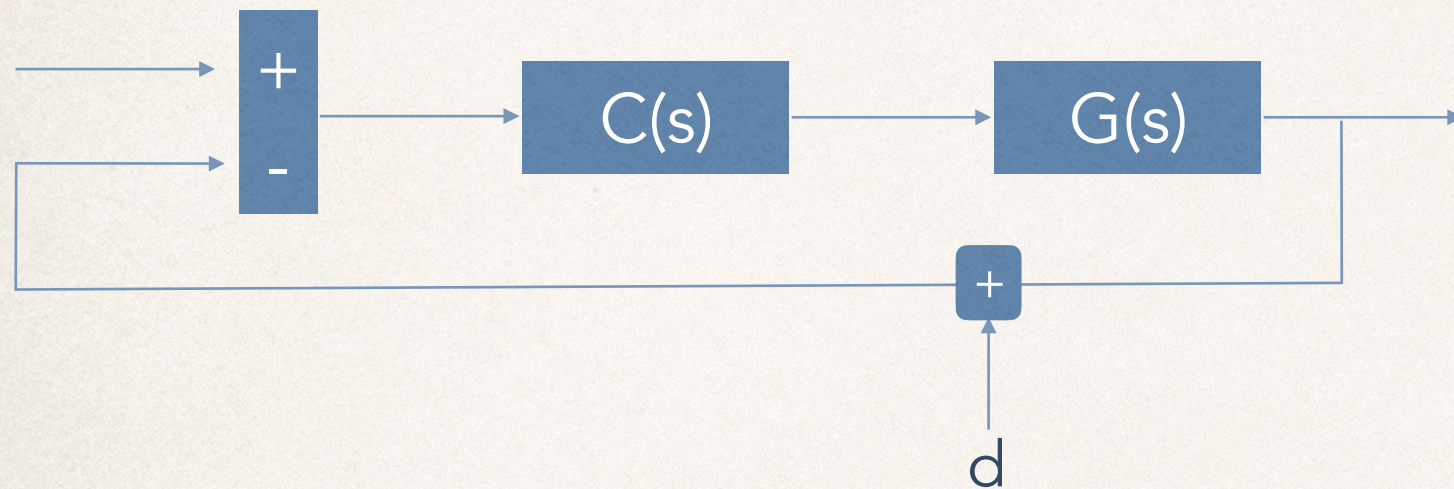
# Esercitazione 3: SISOTOOL



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$S\% < \bar{S}$	$PM = 100\xi$	$G_{cl} \simeq \mu \frac{\omega_n}{s^2 + 2\xi\omega_n s + \omega_n^2}$



# Esercitazione 3: SISOTOOL

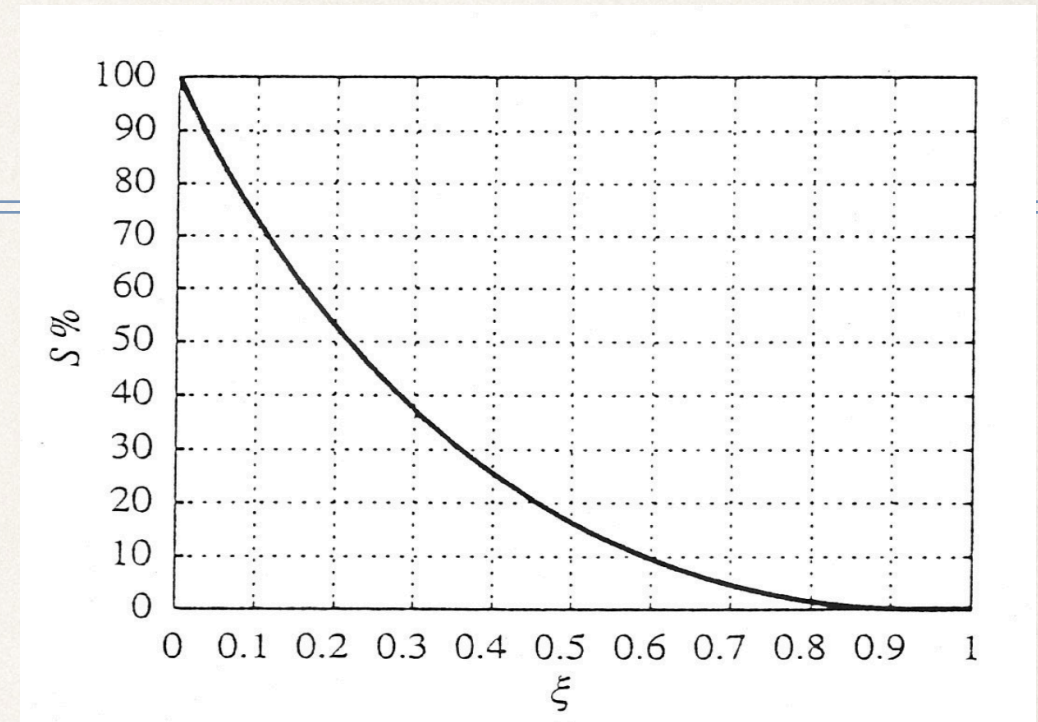
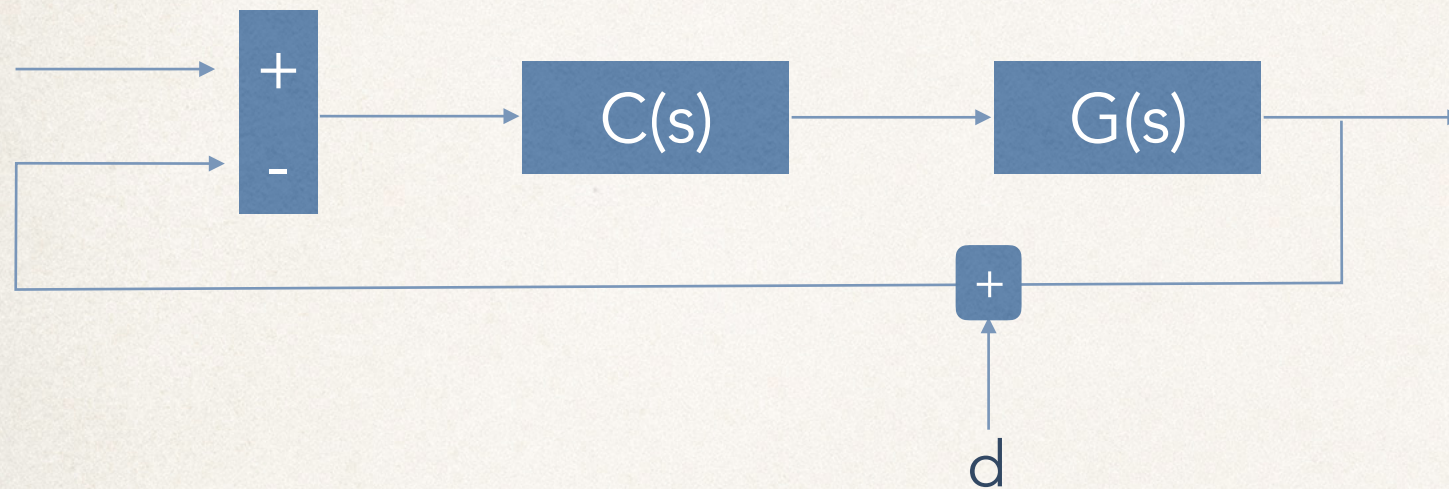


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$Ta_2 \leq \bar{T}$	$\omega_t \geq \bar{\omega}_t$ Se $PM > 75$ , $\omega_t \simeq \frac{5}{\bar{T}}$ Se $PM < 75$ , $\omega_t = \omega_n$	$\bar{T} \simeq \frac{4}{\xi\omega_n}$ $\omega_n \simeq \frac{4}{\xi\bar{T}}$



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Disturbo d su linea di retroazione a pulsazione $\omega_d$ attenuato di X dB	$ L(j\omega)  \leq X$ per $\omega \geq \omega_d$	$ G_{cl}(j\omega)  \leq X$ per $\omega \geq \omega_d$



