Research TODOs

- Menger-related properties and games results
  - Is there a slick characterization of $F \uparrow_{\text{2-mark}} Cov_{C,F}(X)$ for regular/general spaces?
  - Is $F \uparrow_? Cov_{C,F}(X)$ or $F \uparrow_? Cov_{C,S}(X)$ a hereditary property under closed subsets for any type of limited information? (The Menger property is; is Rothberger?)
- Filling games
  - Show $F \uparrow_{\text{2-mark}} Fill^{\subseteq}_{C,F}(\omega_1)$ implies $F \uparrow_{\text{2-mark}} Cov_{C,F}(\omega_1^\dagger)$.
  - Eventually, investigate if $F \uparrow_{k\text{-tact}} Fill^{\subseteq}_{C,F}(X)$ is equivalent to $F \uparrow_{k\text{-mark}} Cov_{C,F}(X^\dagger)$.
- Search for a class of spaces where $K \uparrow_{\text{2-tact}} LF_{K,P}(X)$ characterizes metacompact (aka implies $K \uparrow_{\text{tact}} LF_{K,P}(X)$)
  - Investigate the ladder space suggested by G.
  - Try zero-dimensional.