

Name:	Exercise Type (Cost): In-Class (1AP)
J#:	
Date: 2017 July 05	

Standard: This student is able to... C04: IntParts. Use integration by parts.	Mark:
Extra1 ★ reattempt due on:	-----

Find $\int x^2 \cos(x) \, dx$.

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Standard: This student is able to...	Mark:
C07: WashShell. Use the washer or cylindrical shell method to express a volume of revolution as a definite integral.	
Extra1	★ reattempt due on:

Find a definite integral equal to the volume of the solid obtained by rotating the region bounded by $y = \sqrt{x}$ and $y = x$ around the y -axis.

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Standard: This student is able to...	Mark:
C09: Param. Parametrize planar curves and sketch parametrized curves.	
4/4	★ reattempt due on:

Consider the circle of radius 3 and center $(1, 1)$. Parametrize the clockwise-oriented circular arc starting at $(1, 4)$ and ending at $(4, 1)$.

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Standard: This student is able to...	Mark:
S08: ParamAppl. Parametrize a curve to find arclengths, surface areas, and slopes.	
3/3	★ reattempt due on:

The surface area obtained by rotating the curve parametrized by $x(t)$ and $y(t) \geq 0$ where $a \leq t \leq b$ around the x -axis is given by $2\pi \int_a^b y(t) \sqrt{\left(\frac{dx}{dt}\right)^2 + \left(\frac{dy}{dt}\right)^2} dt$. Give a definite integral equal to the conical surface area obtained by rotating the line segment connecting $(1, 0)$ and $(6, 2)$ around the x -axis.

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Standard: This student is able to... C10: Polar. Convert and sketch polar and Cartesian coordinates and equations.	Mark:
2/4 ★ reattempt due on:	

Convert the Cartesian coordinates $(3, -3\sqrt{3})$ to polar.

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Exercise Type (Cost):
In-Class (1AP)

Standard: This student is able to...	Mark:
S09: PolarAppl. Use polar coordinates to express an ar-length or area as a definite integral.	
1/4	★ reattempt due on:

The area bounded by an outside curve with polar equation $r = R(\theta)$ and inside curve with polar equation $r = r(\theta)$ where $\alpha \leq \theta \leq \beta$ is given by $\frac{1}{2} \int_{\alpha}^{\beta} ((R(\theta))^2 - (r(\theta))^2) d\theta$. Give a definite integral equal to the area inside the cardioid $r = 2 + 2 \cos \theta$ but outside the circle $r = 2$.