| Name: | | Exercise T | Type (Cost): |
|-------------------------------------|-------------------------------------|---------------|--------------|
| J#: | | In-Class | s (1AP) |
| Date: 2017 July 14 | | | |
| Standard: This student is a | ble to | | Mark: |
| C06: AreaBtCurv. definite integral. | Express an area between curves as a | | |
| Extra2 | * reatt | tempt due on: | |

Find a definite integral equal to the area bounded by $x = y^2 + 1$ and $x = 3 - y^2$.

| Name: | Exercise Type (Cost): |
|---------------------------|-----------------------|
| J#: | In-Class (1AP) |
| Date: 2017 July 14 | |

Standard: This student is able to...

C12: PartSum. Find the value of a convergent series by expressing it as a limit of partial sums.

**reattempt due on:

Find a formula for the partial sum $s_n = a_0 + a_1 + \dots + a_n$ where $a_n = (\frac{2}{n+3} - \frac{2}{n+4})$. Then use this formula to find the value of $\sum_{n=0}^{\infty} (\frac{2}{n+3} - \frac{2}{n+4}) = (\frac{2}{3} - \frac{2}{4}) + (\frac{2}{4} - \frac{2}{5}) + \dots$

| Name: | Exercise Type (Cost): | |
|---|-----------------------|--|
| J#: | In-Class (1AP) | |
| Date: 2017 July 14 | | |
| Standard: This student is able to | Mark: | |
| S11: GeoAlt. Determine if a geometric series or alternating | | |

Recall that the geometric series $\sum_{n=0}^{\infty} ar^n$ converges to $\frac{a}{1-r}$ when |r| < 1 and diverges otherwise.

 \star reattempt due on:

3/3

Does the series $\sum_{k=1}^{\infty} (-1)^{k+1} \frac{5}{4^{k-1}} = 5 - \frac{5}{4} + \frac{5}{16} - \frac{5}{64} + \dots$ converge or diverge? If it converges, what it is value?

| Name: | Exercise T | Type (Cost): |
|--|---------------|--------------|
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| Date: 2017 July 14 | | |
| | | I |
| Standard: This student is able to | | Mark: |
| S12: IntTest. Use the integral test to determine series con- | | |
| vergence. | | |
| 2/3 * reat | tempt due on: | |

Does $\int_1^\infty \frac{2x}{x^2+1} dx$ converge or diverge?

Does $\sum_{m=0}^{\infty} \frac{2m}{m^2+1}$ converge or diverge?

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|-----------------------------------|-----------------------|
| J#: | In-Class (1AP) |
| Date: 2017 July 14 | |
| | |
| Standard: This student is able to | Mark: |

Standard: This student is able to...

S13: RatioRoot. Use the ratio and root tests to determine series convergence.

1/3 * reattempt due on:

Does
$$\sum_{m=0}^{\infty} \frac{m!}{3^{2m}} = 1 + \frac{1}{9} + \frac{2}{81} + \frac{6}{729} + \dots$$
 converge or diverge?