

Name: _____

- Each question is prefaced with a Standard for this course.
- When grading, each response will be marked as follows:
 - ✓: The response demonstrates complete understanding of the Standard.
 - ★: The response may indicate full understanding of the Standard, but clarification or minor corrections are required.
 - ×: The response does not demonstrate complete understanding of the Standard.
- Only responses marked with a ✓ mark count toward your grade for the semester. Visit the course website for more information on how to improve ★ and × marks.
- This Assessment is due after 50 minutes. All blank responses will be marked with ×.

Standard Assessment 1

[illegible]

Use the definition $\ln x = \int_1^x \frac{1}{t} dt$ to prove that $\ln(x/a) = \ln x - \ln a$ for all positive real numbers x and a .

Standard Assessment 1

<p>C02: This student is able to...</p> <p>Prove hyperbolic function identities.</p>	Mark: (Instructor Use Only)
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Use the definitions

$$\sinh(x) = \frac{e^x - e^{-x}}{2}, \cosh(x) = \frac{e^x + e^{-x}}{2}$$

to prove the following identity.

$$\cosh^2(x) = 1 + \sinh^2(x)$$

Standard Assessment 1

[illegible]

a) Find $\frac{d}{dy}[\ln(y^2 + 1) + e^{3y}]$.

b) Find $\int \left(\frac{e}{x} + e^x \right) dx$.

Standard Assessment 1

	Mark:
S02: This student is able to... Find derivatives and integrals involving hypberbolic functions.	(Instructor Use Only)

- a) Find $\frac{d}{dx}[\cosh(2x - 7) + \sinh(x^2) \operatorname{csch}(x^2)]$.

- b) Find $\int 5 \operatorname{sech}(t) \tanh(t) dt$.

Standard Assessment 1

Use this space if you need extra room for a problem: