MATH 2242-090 — Spring 2016 — Dr. Clontz — Quiz 11		
501	utions	

Name:

- Each quiz question is labeled with its worth toward your total quiz grade for the semester.
- On multiple choice problems, you do not need to show your work. No partial credit will be given.
- On full response problems, show all of your work and give a complete solution. When in doubt, don't skip any steps. Partial credit will be given at the discretion of the professor.
- This quiz is open notes and open book.
- This quiz is due at the end of class. Quizzes submitted over one minute late will be penalized by 50%.

1. (10 points) Evaluate $\int_C 3xy^2 dx + xy dy$ where C is the counter-clockwise oriented boundary of the rectangle $[0,2] \times [1,3]$. (Hint: Partial credit will not be given if you attempt to evaluate this directly; try to use a technique from Chapter 8.)

$$= \int_{10}^{37} \frac{\partial F_{2}}{\partial x} + \frac{\partial F_{1}}{\partial y} dxdy$$

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2. (10 points) Evaluate $\int_C (3+y, 4y+x) \cdot d\mathbf{s}$ where C is parameterized by $\mathbf{r}(t) = (2^t, \sin(\pi t))$ for $0 \le t \le 1$. (Hint: Partial credit will not be given if you attempt to evaluate this directly; try to use a technique from Chapter 8.)

$$f_{x} = 3t_{y} \qquad f_{y} = 4y + x$$

$$f = 3x + xy + 2y^{2}$$

$$= \left[3x + xy + 2y^{2}\right] \underbrace{(1)}_{C(0)}$$

$$= \left[3x + xy + 2y^{2}\right] \underbrace{(2,0)}_{(1,0)}$$

$$= \left(6 + 0 + 0\right) - \left(3 + 0 + 0\right) = \boxed{3}$$
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