Something something something physics

Steven Green
of Emmanuel College

A dissertation submitted to the University of Cambridge
for the degree of Doctor of Philosophy

Abstract

This thesis describes the optimisation of the calorimeter design for collider experiments at the future Compact LInear Collider (CLIC) and the International Linear Collider (ILC). The detector design of these experiments is built around high-granularity Particle Flow Calorimetry that, in contrast to traditional calorimetry, uses the energy measurements for charged particles from the tracking detectors. This can only be realised if calorimetric energy deposits from charged particles can be separated from those of neutral particles. This is made possible with fine granularity calorimeters and sophisticated pattern recognition software, which is provided by the PandoraPFA algorithm. This thesis presents results on Particle Flow calorimetry performance for a number of detector configurations. To obtain these results a new calibration procedure was developed and applied to the detector simulation and reconstruction to ensure optimal performance was achieved for each detector configuration considered.

This thesis also describes the development of a software compensation technique that vastly improves the intrinsic energy resolution of a Particle Flow Calorimetry detector. This technique is implemented within the PandoraPFA framework and demonstrates the gains that can be made by fully exploiting the information provided by the fine granularity calorimeters envisaged at a future linear collider.

A study of the sensitivity of the CLIC experiment to anomalous gauge couplings that effect vector boson scattering processes is presented. These anomalous couplings provide insight into possible beyond standard model physics. This study, which utilises the excellent jet energy resolution from Particle Flow Calorimetry, was performed at centre-of-mass energies of 1.4 TeV and 3 TeV with integrated lumi-

nosities of 1.5ab^{-1} and 2ab^{-1} respectively. The precision achievable at CLIC is shown to be approximately one to two orders of magnitude better than that currently offered by the LHC.

Finally, a study into various technology options for the CLIC vertex detector is described.

Declaration

This dissertation is the result of my own work, except where explicit reference is made to the work of others, and has not been submitted for another qualification to this or any other university. This dissertation does not exceed the word limit for the respective Degree Committee.

Andy Buckley

Acknowledgements

Of the many people who deserve thanks, some are particularly prominent, such as my supervisor…

Preface

This thesis describes my research on various aspects of the LHCb particle physics program, centred around the LHCb detector and LHC accelerator at CERN in Geneva.

For this example, I'll just mention Chapter **??** and Chapter **??**.

Contents

“Writing in English is the most ingenious torture ever devised for sins committed in previous lives.”
— James Joyce

Chapter 1

Anomalous Gauge Coupling Theory

"There, sir! that is the perfection of vessels!"
— Jules Verne, 1828–1905

1.1 The Standard Model

The Standard Model is a non-abelian gauge theory of the $\mathrm{SU}(3) \times \mathrm{SU}(2)_{\mathrm{L}} \times \mathrm{U}(1)$ symmetry group. It provides a description of three of the four fundamental forces of nature: the electromagnetic, weak and strong nuclear forces. CITE. In this theory there are 24 fermion fields: six flavours of quark, each with three colours, and six leptons. As summary of the properties of these particles is given in table 1.1 and 1.2. Each of these fermion fields, ψ, is spin-$\frac{1}{2}$, therefore, each field satisfies the Dirac equation, given by the Lagrangian density:

$$\mathcal{L} = \overline{\psi}(i\partial\!\!\!/ - m)\psi \, , \tag{1.1}$$

The gauge transformations of the Standard Model act on are defined by a unitary operator U, which acts to transform the vector space, Ψ, formed from a combination of fermion fields, ψ, such that:

$$\Psi \rightarrow \Psi' = U\Psi \, , \tag{1.2}$$

For example, the $SU(2)_L$ gauge symmetry acts on doublets formed, in the fundamental representation, of pairs of left handed chiral components, $\psi_L = \frac{1}{2}(1-\gamma_5)\psi$. The right handed components, $\psi_R = \frac{1}{2}(1+\gamma_5)\psi$, transform trivially as a singlet. Similarly, the SU(3) symmetry acts on triplets formed of the fermion fields for each flavour of quark. All fields transform under the fundamental representation of U(1).

In the Standard Model, the Lagrangian density describing the fermion fields is invariant to the gauge transformations SU(3), $SU(2)_L$ and U(1). This is achieved through the introduction of 12 gauge fields in the covariant derivate of the fermion fields:

$$\partial^\mu \to D^\mu = \partial^\mu + ig_1 Y B^\mu + ig_2 \mathbf{T}\cdot\mathbf{W}^\mu + ig_3 \mathbf{X}\cdot\mathbf{G}^\mu \ , \tag{1.3}$$

where B^μ is the gauge field for the U(1) symmetry, $\mathbf{W}^\mu$ ($\mathrm{W}_j^\mu, j = 1,2,3$) are the fields of the SU(2) symmetry and $\mathbf{G}^\mu$ ($\mathrm{G}_j^\mu, j = 1,..,8$) are the fields of the SU(3). Mixing of the gauge fields for the U(1) and SU(2) symmetry of the form:

$$\mathrm{Z}_\mu = \cos\theta_W \mathrm{W}_\mu^3 - \sin\theta_W \mathrm{B}_\mu \ , \tag{1.4}$$

$$\mathrm{A}_\mu = \sin\theta_W \mathrm{W}_\mu^3 + \cos\theta_W \mathrm{B}_\mu \ , \tag{1.5}$$

$$\mathrm{W}_\mu^\pm = \frac{1}{\sqrt{2}}(\mathrm{W}_\mu^1 \mp i\mathrm{W}_\mu^2) \ , \tag{1.6}$$

where:

$$\cos\theta_W = \frac{g_2}{g_1+g_2} \text{ and } \sin\theta_W = \frac{g_1}{g_1+g_2} \ , \tag{1.7}$$

produce the $\mathrm{W}^\pm$, Z and γ gauge bosons. The G_j^μ fields are the eight massless gluons of the strong force. Y is the weak hypercharge, which is related to the chirality and flavour of the fermion it relates to. g_1, g_2 and g_3 are three coupling constants. **T** and **X** are the generators for the SU(2) and SU(3) symmetries, which are typically chosen as:

$$T_i = \frac{1}{2}\tau_i \ , \tag{1.8}$$

$$X_i = \frac{1}{2}\lambda_i \ , \tag{1.9}$$

$$\tag{1.10}$$

where τ and λ are the Pauli and the Gell-Mann matrices respectively. The gauge fields of the Standard Model, B_μ, $\mathbf{W}_\mu$ and $\mathbf{G}_\mu$, transform under the gauge transformations as:

$$K_\mu \to K'_\mu = UK_\mu U^\dagger + \frac{i}{g}(\partial^\mu U)U^\dagger \,, \tag{1.11}$$

where K_μ is any of B_μ, $\mathbf{W}_\mu$ and $\mathbf{G}_\mu$ and g is the coupling constants associated to the relevant gauge symmetry. Each of the gauge fields introduced to the Standard Model to ensure the Lagrangian is invariant under gauge transformations, is spin-1 and as such is described by the Proca action:

$$\mathcal{L} = -\frac{1}{4}F_i^{\mu\nu}F_{\mu\nu i} + \frac{1}{2}m_K^2 K_{i\mu}K_i^\mu \,, \tag{1.12}$$

where:

$$F_i^{\mu\nu} = \partial^\mu K_i^\nu - \partial^\nu K_i^\mu - g f_{ijk} K_j^\mu K_k^\nu \,, \tag{1.13}$$

where f_{ijk} are the fully anti-symmetric structure constants of the symmetry group, K_i^μ is the i^{th} gauge field of the group and m_K is a mass term for the gauge bosons. The structure constants are defined from the commutation relations between generators of the symmetry group:

$$[T_i, T_j] = i f_{ijk} T_k. \tag{1.14}$$

There is only one structure constant for the U(1) symmetry, which is zero, while the SU(2) symmetry structure constants are $f_{ijk} = \epsilon_{ijk}$, where ϵ_{ijk} is the Levi-Civita tensor. It is the structure constants that govern the self-interactions for the gauge bosons. Due to the symmetries that are enforced in the Standard Model $m_K = 0$ for all the gauge fields present, however, it is clear that is is not the case in nature. The gauge boson mass terms are introduced through the Higgs field, as described in section 1.2.

1.2 Higgs Physics

The gauge symmetries present in the Standard Model forbid a mass term for these bosons, however, the electroweak gauge bosons have been measured to be massive

Generation	Particle	Mass [MeV]	Spin	Q/e
1	e^-	$548.579909070 \pm 0.000000016$	1/2	-1
	ν_e	-	1/2	0
2	μ^-	$105.6583745 \pm 0.0000024$	1/2	-1
	ν_μ	-	1/2	0
3	τ^-	1776.86 ± 0.12	1/2	-1
	ν_τ	-	1/2	0

Table 1.1

Generation	Particle	Mass [MeV]	Spin	Q/e
1	u	$2.2^{+0.6}_{-0.4}$	1/2	+2/3
	d	$4.7^{+0.5}_{-0.4}$	1/2	-1/3
2	c	1270 ± 30	1/2	+2/3
	s	98^{+8}_{-4}	1/2	+2/3
3	t	$173210 \pm 510 \pm 710$	1/2	+2/3
	b	4180^{+40}_{-30}	1/2	-1/3

Table 1.2

Force	Particle	Mass [GeV]	Spin	Q/e
Electromagnetic	γ	0	1	0
Weak Nuclear	$\mathrm{W}^\pm$	80.385 ± 0.015	1	$\pm$ 1
	Z	91.1876 ± 0.0021	1	0
Strong Nuclear	g	0	1	0
Higgs	H	125.1 ± 0.3	0	0

Table 1.3: Properties of the bosons found in the Standard Model. Their mass, spin and electric charge (Q) are given. The γ and gs theoretically have zero mass, which is consistent with measurements. The upper bound on the γ mass has been measured at 10^{-18} eV, while gluon masses of up to a few MeV have not been precluded. The upper bound on the magnitude of the charge of the γ is measured at 10^{-35}.

indicating that the theory as it stands is incomplete. This problem can be solved via the introduction of the Higgs field that undergoes spontaneous symmetry breaking.

1.2.1 Spontaneous Symmetry Breaking

To illustrate spontaneous symmetry breaking consider a complex scalar field ψ with the Klein-Gordon Lagrangian:

$$\mathcal{L} = \partial^{\mu}\psi^{*}\partial_{\mu}\psi - m^{2}|\psi|^{2} = \partial^{\mu}\psi^{*}\partial_{\mu}\psi - V(\psi)\,, \tag{1.15}$$

where $\mathcal{L}$ the is Lorentz invariant Lagrangian density, ∂^{μ} is the partial derivate of the scalar field ψ with respect to the position 4-vector, m is a mass term and $V(\psi)$ is the potential the felt by the field ψ. This Lagrangian density is invariant under the global symmetry $\psi \to e^{i\alpha}\psi$. By adding extra terms to the Lagrangian that retain the invariance to the global symmetry it is possible to modify interactions of this scalar field. This can be interpreted as modifying the potential, all terms in the Lagrangian without derivatives, of the scalar field. For example consider a fourth order potential of the following form:

$$\mathrm{V}(\psi) = m^{2}|\psi|^{2} + \lambda|\psi|^{4}\,, \tag{1.16}$$

The potential has a minima at zero, however, if $\mathrm{m}^{2} < 0$ then the minima exists on a circle in the complex ψ plane. This complex circle is centred at $(0,0)$ and has radius $v = \sqrt{\frac{-m^{2}}{\lambda}}$. To quantise this theory it is necessary to expand about the minima of the potential, however, in the case of $m^{2} < 0$ there are an infinite number of choices of minima to expand about. Irrespective of the choice of minima for this configuration the symmetry $\psi \to e^{i\alpha}\psi$ is broken. Fluctuations about the minima along the degenerate direction leave the potential unchanged, which is a consequence of the breaking of the $\psi \to e^{i\alpha}\psi$ symmetry; this is known as spontaneous symmetry breaking.

Goldstone's theorem [4] implies that for Lorentz-invariant theories spontaneous symmetry breaking always leads to the existence a massless particle. This can be seen in this example when expanding the complex scalar theory example about the minima.

$$\psi = \frac{1}{\sqrt{2}}(v + \psi_{1} + i\psi_{2})\,, \tag{1.17}$$

where $\psi_{1/2}$ are real fields and $v = \sqrt{\frac{-m^{2}}{\lambda}}$. Applying this parameterisation to the Lagrangian yields a mass term of $\sqrt{-\mathrm{m}^{2}}$ for the ψ_{1} field while the mass of the ψ_{2} field yields a massless particle:

$$\mathcal{L} = \frac{1}{2}\partial^{\mu}\psi_1\partial_{\mu}\psi_1 + \frac{1}{2}\partial^{\mu}\psi_2\partial_{\mu}\psi_2 - m^2|\psi_1|^2 + 0.|\psi_2|^2 + ... , \tag{1.18}$$

This procedure is the origin of the gauge boson mass terms when applied to local symmetries instead of global ones. This can be see in the example by promoting the global symmetry to a to local symmetry by letting $\alpha \to \alpha(x)$ and $\partial^{\mu} \to D^{\mu} = \partial^{\mu} + ieA^{\mu}$ where A^{μ} a the gauge field, which transforms as $A^{\mu} \to A^{\mu} - \partial^{\mu}\alpha(x)$. The new Lagrangian becomes:

$$\mathcal{L} = (D^{\mu}\psi)^*(D_{\mu}\psi) - \mathrm{m}^2|\psi|^2 - \lambda|\psi|^4 , \tag{1.19}$$

If there is a non zero minima in the potential, v, then a gauge boson mass term appears of the form $+\frac{e^2v^2}{2}A^{\mu}A_{\mu}$.

1.2.2 Electroweak Interactions

The electroweak sector of the Standard Model is that related to the $\mathrm{SU}(2)_{\mathrm{L}} \times \mathrm{U}(1)$ symmetry. In this sector spontaneous symmetry breaking must occur in such a way as to give three massive gauge bosons, $\mathrm{W}^{\pm}$ and Z, and one massless gauge bosons, the photon. This can be achieved through a Higgs field, H, that is a doublet of the $\mathrm{SU}(2)_{\mathrm{L}}$ symmetry, with weak hypercharge $\frac{1}{2}$, in the potential $\mathrm{V(H)}$ defined as:

$$\mathrm{V(H)} = -\mu^2\mathrm{H}^{\dagger}\mathrm{H} + \lambda(\mathrm{H}^{\dagger}\mathrm{H})^2 , \tag{1.20}$$

where μ and λ are constants. The minima of this field is at:

$$\sqrt{\mathrm{H}^{\dagger}\mathrm{H}} = \frac{v}{\sqrt{2}} = \sqrt{\frac{\mu^2}{2\lambda}} , \tag{1.21}$$

and without loss of generality we may choose to expand this field around the point:

$$\langle\mathrm{H}\rangle = \begin{pmatrix} 0 \\ \frac{v}{\sqrt{2}} \end{pmatrix} , \tag{1.22}$$

where v is real. Consider the kinematic term in the Lagrangian, $\partial^{\mu}\mathrm{H}^{\dagger}\partial_{\mu}\mathrm{H}$. The covariant derivative of this Higgs field must satisfy the $\mathrm{SU}(2)_{\mathrm{L}} \times \mathrm{U}(1)$ gauge symmetry and so it takes the form:

$$D_\mu \mathrm{H} = (\partial_\mu + ig\frac{\sigma^i}{2}W^i_\mu + i\frac{g'}{2}B_\mu)H \;, \tag{1.23}$$

If there is mixing of the $\mathrm{SU}(2)_\mathrm{L}$ and U(1) fields of the form:

$$\mathrm{Z}_\mu = \cos\theta_W \mathrm{W}^3_\mu - \sin\theta_W \mathrm{B}_\mu \;, \tag{1.24}$$

$$\mathrm{A}_\mu = \sin\theta_W \mathrm{W}^3_\mu + \cos\theta_W \mathrm{B}_\mu \;, \tag{1.25}$$

$$\mathrm{W}^\pm_\mu = \frac{1}{\sqrt{2}}(\mathrm{W}^1_\mu \mp i\mathrm{W}^2_\mu) \;, \tag{1.26}$$

then non-zero mass terms for the electroweak bosons arise:

$$\frac{(gv)^2}{4}\mathrm{W}^+_\mu \mathrm{W}^{-\mu} + \frac{(g^2+g'^2)v^2}{8}\mathrm{Z}_\mu \mathrm{Z}^\mu \;, \tag{1.27}$$

$$\begin{aligned} m_\mathrm{W} &= \frac{gv}{2} \;, \\ m_\mathrm{Z} &= \frac{v\sqrt{g^2+g'^2}}{2} = \frac{m_\mathrm{W}}{\cos\theta_W} \;, \\ m_\mathrm{A} &= 0 \;, \end{aligned} \tag{1.28}$$

where θ_W is known as the Weinberg angle. This model yields a massless photon, $m_\mathrm{A} = 0$, as well as producing massive electroweak gauge bosons in a ratio that match the measured values of $m_\mathrm{W} = 80.385 \pm 0.015$ and $m_\mathrm{Z} = 91.1876 \pm 0.0021$ [2]. These masses predicate that $\rho = 1$ where ρ is defined as:

$$\rho = \frac{m^2_\mathrm{W}}{m^2_\mathrm{Z}\cos\theta_W{}^2} \;, \tag{1.29}$$

This is ratio is constant, which is due to the custodial symmetry that exists after the $\mathrm{SU}(2)_\mathrm{L} \times \mathrm{U}(1)$ symmetry has been broken to $\mathrm{U}_Q(1)$.

1.3 Effective Field Theory

There are a number of features in the observable universe that cannot be accounted for using the Standard Model of particle physics. However, the Standard Model is a very good description of the interactions between particles at the energies being probed at modern particle collider experiments. Any underlying theory governing the interactions of particles must, therefore, behave like the Standard Model over these energies, or distance scales. Above such energies the theory will deviate from the Standard Model to account for the full underlying theory. Effective field theories (EFTs) work from this premise by assuming that the complete theory has a momentum scale, Λ, below which Standard Model behaviour is replicated.

Quantum field theories must be renormalizable to ensure that non-infinite predictions of the coefficients in the Lagrangian can be made and tested. Infinities arise from non-renormalizable theories due to divergent integrals from loop diagrams that assume the theory being applied is valid at all energy and length scales. Effective field theories act to avoid such problems by only integrating up to the momentum (mass) scale Λ (Δ) and not above it. At the energy scale being considered, any infinities arising from the loop calculations in the EFT can be absorbed into a finite number of parameters. This methodology avoids the assumption that the theory in question is applicable to all energy scales and allows measurable predictions to be made.

In the EFT framework, it is no longer necessary to enforce renormalization in the choice of operators appearing in the Lagrangian. As the Standard Model should be replicated at the low energy scale it is appropriate when creating the EFT Lagrangian to append new operators to the Standard Model Lagrangian that account for new physics. These new terms do not necessarily have to obey the same gauge symmetries as those found in the Standard Model. This gives the general form for an EFT Lagrangian as:

$$\mathcal{L}_{EFT} = \mathcal{L}_{SM} + \sum_{\text{dimension d}} \sum_{i} \frac{c_i^{(d)}}{\Lambda^{d-4}} \mathcal{O}_i^{(d)} , \tag{1.30}$$

where $c_i^{(d)}$ are the coefficient of the operators $\mathcal{O}_i^{(d)}$ and the summations run over all the dimensions, d, of the operator and all unique operators, i, of dimension, d. The presence of the Λ^{d-4} in the denominator is needed to ensure correct dimensionality of the new terms being added to the Lagrangian, but it also sets the scale, Λ, of new physics being added. At energies below this scale it is possible to find the dominant terms for the EFT and consider these as corrections to the Standard Model, while above this scale the EFT breaks down as each term in the Lagrangian has a non-negligible coefficient. In the extremal limit, $\Lambda \to \infty$, the Standard Model is recovered as new physics is too far out of reach to have any impact on observables.

1.4 Electroweak Chiral Lagrangian

The introduction of a Higgs field transforming appropriately under the relevant gauge transformations is able to produce mass terms in the Lagrangian for the $W^{\pm}$ and Z bosons. However, it is possible to introduce these terms via an EFT approach. In such an approach the EFT considered is that of the electroweak chiral Lagrangian, which takes the place of the Higgs field in the Standard Model. In this model the symmetry breaking is achieved by introducing a field $\Sigma(x)$ that transforms under the $SU(2)_L$ transformations U(x) and the U(1) transformations V(x) as

$$\Sigma(x) \to U(x)\Sigma(x)V^{\dagger}(x) , \tag{1.31}$$

$\Sigma(x)$ is parameterised as follows:

$$\Sigma(x) = \exp\left(\frac{-i}{v}\Sigma_{a=1}^{3}\mathrm{W}^{a}\tau^{a}\right) , \tag{1.32}$$

where W^a are the Goldstone bosons generated from the spontaneous symmetry breaking of the electroweak symmetry. The following term if added to the Lagrangian generate the mass terms for the $W^{\pm}$ and Z gauge bosons:

$$\mathcal{L}_M = \frac{v^2}{4}\mathrm{Tr}(\mathcal{D}^{\mu}\Sigma^{\dagger}\mathcal{D}_{\mu}\Sigma) = -\frac{v^2}{4}\mathrm{Tr}(V_{\mu}V^{\mu}) , \tag{1.33}$$

where $V_{\mu} = (\mathcal{D}_{\mu}\Sigma)\Sigma^{\dagger}$ and $m_W = \frac{gv}{2}$. The covariant derivate of the $\Sigma(x)$ is defined as:

$$\mathcal{D}_{\mu}\Sigma(x) = \partial_{\mu}\Sigma(x) + \frac{ig}{2}\mathrm{W}_{\mu}^{a}\tau^{a}\Sigma(x) - \frac{ig'}{2}\mathrm{B}_{\mu}\tau^{3}\Sigma(x) , \tag{1.34}$$

where $\mathcal{D}_{\mu}$ is the covariant derivative of the Σ field, g and g' are coupling constants for the U(1) and $SU(2)_L$ symmetries respectively and τ^a are the Pauli spin matrices, which are the generators for the SU(2) symmetry. $\mathcal{L}_M$ contains mass terms for the gauge bosons, which match those produced from the introduction of a Higgs field as shown in section 1.2.1. The mass terms are:

$$\frac{v^2}{4}\mathrm{Tr}[V^{\mu}V_{\mu}] = -\frac{(gv)^2}{4}\mathrm{W}^{+}_{\mu}\mathrm{W}^{-\mu} - \frac{(g^2+g'^2)v^2}{8}\mathrm{Z}_{\mu}\mathrm{Z}^{\mu} \tag{1.35}$$

$$\begin{aligned} m_{\mathrm{W}} &= \frac{gv}{2}\,, \\ m_{\mathrm{Z}} &= \frac{v\sqrt{g^2+g'^2}}{2} = \frac{m_{\mathrm{W}}}{\cos\theta_{\mathrm{W}}}\,, \end{aligned} \tag{1.36}$$

The full parameterisation of the gauge boson interactions is found in [5]. The origin of these terms is the parameterisation of the Higgs field through Σ that replicates the low energy behaviour of the Standard Model. It was shown by Longhitano [6] that there are several relevant operators that are $\mathrm{SU}(2)_{\mathrm{L}} \times \mathrm{U}(1)$ and CP invariant up to dimension 4 that should be considered in this theory. Of those operators only two involve quartic massive gauge boson vertices and that preserve the custodial symmetry [1] shown in equation 1.29, which are:

$$\alpha_4\mathrm{Tr}[V^{\mu}V_{\nu}]\mathrm{Tr}[V^{\nu}V_{\mu}] \text{ and } \alpha_5\mathrm{Tr}[V^{\mu}V_{\mu}]^2\,, \tag{1.37}$$

The full expansion of these terms in terms of the massive gauge bosons $\mathrm{W}^{\pm}$ and Z is given in the appendices **??**. These terms contribute to the vector boson scattering processes involving $\mathrm{W}^{\pm}$ and Z bosons. A study into the sensitivity of the CLIC experiment to the anomalous gauge couplings α_4 and α_5 is presented in section **??**.

Colophon

This thesis was made in $\LaTeX\,2_\varepsilon$ using the “hepthesis” class [3].

Bibliography

[1] A Belyaev, Oscar J P ÃĽboli, M ConcepciÃşn GonzÃąlez-GarciÃą, J K Mizukoshi, S F Novaes, and I E Zacharov. Strongly interacting vector bosons at the CERN LHC: Quartic anomalous couplings. Strongly Interacting Vector Bosons at the LHC: Quartic Anomalous Couplings. *Phys. Rev. D*, 59(hep-ph/9805229. FTUV-98-34. IFIC-98-35. IFT-P-98-21. IFUSP-P-1306. 1):15022. 12 p, May 1998.

[2] J. Beringer et al. Review of Particle Physics (RPP). *Phys. Rev.*, D86:010001, 2012.

[3] Andy Buckley. The hepthesis LaTeX class.

[4] Jeffrey Goldstone, Abdus Salam, and Steven Weinberg. Broken Symmetries. *Phys. Rev.*, 127:965–970, 1962.

[5] Maria J. Herrero and Ester Ruiz Morales. The Electroweak chiral Lagrangian as an effective field theory of the standard model with a heavy Higgs. In *Workshop on Electroweak Symmetry Breaking Budapest, Hungary, July 11-13, 1994*, pages 37–54, 1994, hep-ph/9412317.

[6] Anthony C. Longhitano. Low-Energy Impact of a Heavy Higgs Boson Sector. *Nucl. Phys.*, B188:118–154, 1981.

List of figures

List of tables